$$\frac{Y(s)}{E(s)} = \frac{4s+10}{s+10} \cdot \frac{4}{s+4} \cdot \frac{4.586s+0.404}{s^2+0.21(s+6.972)}$$

$$\frac{Y(s)}{E(s)} = \frac{77.376s^2+189.904s+16.16}{s^4+14s^3+47.133s^2+99.862s+285.32}$$

$$Y(s) = \frac{77.376s^2+189.904s+16.16}{s^5+14.21(s^4+49.876s^3+105.348s^2+276.88s}$$

A Using wolfram for partial fractions &

$$Y(s) = \frac{5.39964 - 0.1131735}{s^2 + 0.211s + 6.922} + \frac{0.0583646}{s} - \frac{0.812574}{s + 4} + \frac{0.867382}{s + 10}$$

$$Y(t) = \int_{-1}^{1} \left\{ \frac{5.38964 - 0.1131735}{5^2 + 0.2115 + 6.922} \right\} + 0.0583646 - 0.812574e^{-4t} + 0.867382e^{-6t}$$

$$\omega/\omega$$
 of ram $= \sqrt{\frac{5.39964 - 0.1131735}{5^2 + 0.2115 + 6.922}} =$

w/ wolfram:
$$y(z) = 2 \cdot 10^{-2} \left(-\frac{2.21 \cdot 10^8}{54.59z - 1} + \frac{9.55 \cdot 10^{10}}{27,026z - 1} + \frac{291,823}{z - 1} \right) \left(\frac{z}{z - 1} \right)$$