

```
--p1
scale_nums :: [Integer] -> Integer -> [Integer]
scale_nums lst factor = map (\x -> x * factor) lst

only_odds :: [[Integer]] -> [[Integer]]
only_odds lli = filter (all (\x -> x `mod` 2 == 1)) lli

largest :: String -> String -> String
largest first second =
  if length first >= length second then first else second
```

```
largest_in_list :: [String] -> String
largest_in_list ls = foldl largest [] ls
```

```
--p2
count_if :: (a -> Bool) -> [a] -> Int
count_if _ [] = 0
count_if pfunc (x:xs) =
  if (pfunc x)
    then 1 + (count_if pfunc xs)
    else count_if pfunc xs
```

```
count_if_with_filter :: (a -> Bool) -> [a] -> Int
count_if_with_filter pfunc la = length (filter pfunc la)
```

```
count_if_with_fold :: (a -> Bool) -> [a] -> Int
count_if_with_fold pfunc la = foldl (\acc x -> if pfunc x then acc + 1 else acc) 0 la
```

```
--p3
{-
a) In partial application we take a function and bind some of the variables to create a function with fewer arguments.
When currying however, we transform a function so that it becomes a sequence of functions that each take a single argument.
```

b) ii could be equivalent to $a \rightarrow b \rightarrow c$ since it would be curried as $a \rightarrow (b \rightarrow c)$. i, however, would take in a function that accepts types a and b and return an object of type c.

```
c) (\x -> (\y -> (\z -> (\t -> map t [x,x+z,..y]))))
-}
```

```
--p4
{-
a) a
b) b
c) c and d
d) 4 is bound to a and c. 5 is bound to b and d. 6 is bound to e and 7 to f since the lambda function left after evaluating f 4 5 still needs vals for e and f.
-}
```

```
--p5
{-
Given that pointers are essentially just the numbers that point to the address of the function in memory, you can still do arithmetic with the function pointers themselves. You cannot however add two closures together. Closures can take in and return various types without altering the closure whereas pointers in c must always have th
```

e input and output types given upon creation.

```
-}
```

```
--p6
```

```
{-
```

```
data InstagramUser = Influencer | Normie
```

```
lit_collab :: InstagramUser -> InstagramUser -> Bool
```

```
lit_collab Influencer Influencer = True
```

```
lit_collab _ _ = False
```

```
data InstagramUser = Influencer [String] | Normie
```

```
is_sponsor :: InstagramUser -> String -> Bool
```

```
is_sponsor Normie _ = False
```

```
is_sponsor (Influencer sponsors) sponsor = sponsor `elem` sponsors
```

```
-}
```

```
data InstagramUser = Influencer [String] [InstagramUser] | Normie
```

```
count_influencers :: InstagramUser -> Int
```

```
count_influencers Normie = 0
```

```
count_influencers (Influencer _ followers) =
```

```
length (filter is_influencer followers)
```

```
where
```

```
is_influencer Normie = False
```

```
is_influencer (Influencer _ _) = True
```

```
--we can infer that custom value constructors are functions
```

```
--p7
```

```
data LinkedList = EmptyList | ListNode Integer LinkedList
```

```
deriving Show
```

```
ll_contains :: LinkedList -> Integer -> Bool
```

```
ll_contains EmptyList _ = False
```

```
ll_contains (ListNode x ll) y = if x == y then True else ll_contains ll y
```

```
{-
```

We want to take in the linked list that we want to add the value to

We want to take in the value we would like to add to the linked list

We want to take in the index that we need to visit

And we need to output the New linked list created after we have added the new node to it

```
-}
```

```
ll_insert :: LinkedList -> Integer -> Integer -> LinkedList
```

```
ll_insert EmptyList ival x = ListNode ival EmptyList
```

```
ll_insert (ListNode curval ll) ival x =
```

```
if x <= 0 then ListNode ival (ListNode curval ll)
```

```
else ListNode curval (ll_insert ll ival (x-1))
```

```
--p8
```

```
{-
```

```

int LongestRun(vector<boo> vect){
    int longest = 0
    int current = 0
    for(bool i : vect){
        if(i == true){
            current++;
            if(current >= longest)
                longest = current;
        }else{
            current = 0;
        }
    }
    return longest;
}
-}

```

```

longest_run :: [Bool] -> Integer
longest_run lb = snd (foldl func (0, 0) lb)
where
    func (curr, longest) x =
        if x == True
            then if (curr + 1) > longest then (curr + 1, curr + 1) else (curr + 1, longest)
            else (0, longest)

```

```

{-
unsigned maxTreeVal(Tree* root){
    if(root == nullptr){
        return 0;
    }

```

```

    unsigned max = 0;
    stack<Tree*> stack;
    stack.push(root);
    while(!stack.empty()){
        Tree* currTree = stack.top();
        stack.pop();
        if(currTree->value > max){
            max = currTree->value;
        }
        for(Tree* t : currTree->children){
            if(t != nullptr){
                stack.push(t);
            }
        }
    }

```

```

    return max;
}
-}

```

```

data Tree = Empty | Node Integer [Tree]
max_tree_value :: Tree -> Integer
max_tree_value Empty = 0
max_tree_value (Node n []) = n
max_tree_value (Node n t) = foldl func n t

```

```
where
  func accum Empty = accum
  func accum (Node nn tt) = max accum (max_tree_value (Node nn tt))
```

```
--p9
fibonacci :: Int -> [Int]
fibonacci n
  | n <= 0 = []
  | otherwise = [fib x | x <- [1..n]]
where
  fib n
    | n <= 2 = 1
    | otherwise = (fib (n-1)) + (fib (n-2))
```

```
--p10
data Event = Travel Integer | Fight Integer | Heal Integer
```

```
super_giuseppe :: [Event] -> Integer
super_giuseppe le = altfoldl func 100 le
where
  altfoldl f accum [] = accum
  altfoldl f accum (x:xs) = if new_accum > 0 then (altfoldl f new_accum xs) else (-1)
    where new_accum = (f accum x)
  func accum (Travel x) = if accum <= 40 then (accum) else (accum + (x `div` 4))
  func accum (Fight x) = if accum <= 40 then (accum - (x `div` 2)) else (accum - x)
  func accum (Heal x) = if accum + x >= 100 then 100 else accum + x
```