

Day - 2

Given an  $m \times n$  grid and a ball at a starting cell, find the number of ways to move the ball out of the grid boundary in exactly  $N$  steps.

Input:-  $m=2, n=2, i=0, j=0$

Output:- 6

python code:-

```
def findways(m, n, ni, startRow, startCol):
```

```
    exitCount = [0]
```

```
    def moveBall(steps, row, col):
```

```
        if row < 0 or row >= m or col < 0 or col >= n:
```

```
            exitCount[0] += 1
```

```
            return
```

```
        if steps == 0:
```

```
            return
```

```
        moveBall(steps-1, row+1, col)
```

```
        moveBall(steps-1, row-1, col)
```

```
        moveBall(steps-1, row, col+1)
```

```
        moveBall(steps-1, row, col-1)
```

```
        moveBall(steps-1, ni, startRow, startCol)
```

```
    return exitCount[0]
```

```
print findways(2, 2, 0, 0, 0)
```

Result:-

output = 6

You are a professional robber planning to rob houses along a street. Each house has a certain amount of money stashed. All houses at this place are arranged in a circle, that means the first house is the neighbour of the last one. Meanwhile, adjacent houses have security system connected and it will automatically contact the police if 2 adjacent houses were broken into on the same night.

Input nums: [2, 3, 2]

Output: 3

Python code:-

```
def rob_linear(nums):
```

```
    prev1, prev2 = 0, 0
```

```
    for num in nums:
```

```
        current = max(prev1 + prev2 + num)
```

```
        prev2 = prev1
```

```
        prev1 = current
```

```
    return prev1
```

```
def rob(nums):
```

```
    if len(nums) == 1:
```

```
        return nums[0]
```

```
    return max(rob_linear(nums[1:]), rob_linear
```

```
(nums[: -1]))
```

```
print(rob([2, 3, 2]))
```

Result:-

Output = 3

you are climbing a staircase. It takes  $n$  steps to reach the top. Each time you can either climb 1 or 2 steps. In how many distinct ways can you climb to the top?

Input:  $n=4$

Output: 5

Python code

```
def climbStairs(n):
```

```
    if n == 1:
```

```
        return 1
```

```
    if n == 2:
```

```
        return 2
```

```
    a, b = 1, 1
```

```
    for i in range(2, n+1):
```

```
        a, b = b, a+b
```

```
    return b
```

```
print(climbStairs(4))
```

Result:-

output:- 5

A robot is located at the top-left corner of a  $m \times n$  grid. The robot can only move either down or right at any point in time. The robot is trying to reach the bottom-right corner of the grid. How many possible unique paths are there?

Input:  $m=7, n=3$

Output: 28

Python Code:-

```
import math
```

```
def unique_paths(m, n):
```

```
    return math.comb(m+n-2, m-1)
```

```
print(unique_paths(7, 3))
```

Result :-

Output: 28



In a string  $S$  of lowercase letters, these letters form consecutive groups of the same character. For a string like  $S = "abbxxxxxyy"$  has the groups  $"a"$ ,  $"bb"$ ,  $"xxxxx"$ ,  $"z"$ ,  $"yy"$ . A group is identified by an interval  $[start, end]$  where  $start$  and  $end$  denote the start and end index of the group.

Return the intervals of every large group sorted in increasing order by start index.

Input:  $S = "abbxxxxxyy"$

Output:  $[[3, 6]]$

```

Python code def largeGroupPositions(s):
    res = []
    n = len(s)
    i = 0
    while i < n:
        j = i
        while j < n and s[j] == s[i]:
            j += 1
        if j - i >= 3:
            res.append([i, j - 1])
            i = j
    return res

S = "abbxxxxxyy"
output = largeGroupPositions(S)
print(output)

```

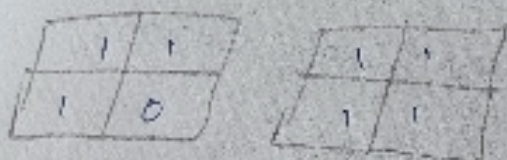
Result:-

output  $[[3, 6]]$



The game of life, also known simply as life, is a cellular automaton devised by the british mathematician John Horton Conway in 1970. The board is made up of an array of cells, where each cell has an initial state live (represented by 1) or dead (represented by 0).

- 1) Any live cell with two or three live neighbours lives to next generation.
- 2) Any live cells with more than three live neighbours dies, as if by over-population.
- 3) Any dead cell with exactly three live neighbours becomes a live cell, as if by reproduction.



IP:-  $[[1, 1], [1, 0]]$

OP:-  $[[1, 1], [1, 1]]$

python code:- `def game of life(board):`

`rows, cols = len(board), len(board[0])`

`def count_live_neighbours(r, c):`

`direction = [(-1, -1), (-1, 0), (-1, 1), (0, -1), (0, 1), (1, -1), (1, 0), (1, 1)]`

`count = 0`

`for dr, dc in direction:`

`nr, nc = r + dr, c + dc`

`if 0 <= nr < len(board) and 0 <= nc < len(board[0])`

`and abs(board[nr][nc]) == 1:`

```

        count += 1
    return count

for r in range(len(board)):
    for c in range(len(board[0])):
        live_neighbour = CountLiveNeighbour(r, c)

        if board[r][c] == 1 and (live_neighbour < 2 or
                                   live_neighbour > 3):
            board[r][c] = 0

        if board[r][c] == 0 and live_neighbour == 3:
            board[r][c] = 1

for r in range(len(board)):
    for c in range(len(board[0])):
        if board[r][c] == 2:
            board[r][c] = 0

return board

```

```
board = [[1, 1], [1, 0]]
```

```
Print (game_of_life(board))
```

Result:-

```

Output: [
        [1, 0],
        [1, 1]
    ]

```

We stack glasses in a pyramid where  $i$  row has one glass, then  $i+1$  row has 2 glasses and so on until the 100th row. Each glass holds one cup of champagne. Then, some champagne is poured into the 1st glass at the top. When the deepest glass is full, any excess liquid poured will fall equally to the glass immediately to the left and right of it. After pouring some non-negative integer cups of champagne, return how full the  $j$ th glass in the  $i$ th row is (both  $i$  and  $j$  are 0-indexed).

Input: Poured = 2, query = row = 1, query = glass = 1  
 Output: 0.5

python code:

```

Poured = 2
query_row = 1
query_glass = 1
current_row = [0] * (query_row + 1)
current_row[0] = Poured
for row in range(query_row):
    next_row = [0] * (row + 2)
    for glass in range(row + 1):
        if current_row[glass] > 1:
            overflow = (current_row[glass] - 1) / 2.0
            next_row[glass] += overflow
            next_row[glass + 1] += overflow
        current_row = next_row
    result = min(1, current_row[query_glass])
print(result)

```

Result:-

output = 0.5