

Midterm 2 - Harjot Grewal

1) a) True

b) True

c) True

d) True

e) False

- 2) a) The unexpected time to search unsuccessfully for a key k is the expected time to search to the end of list $T[h(k)]$, which has expected length $E[L_{h(k)}] = \alpha$. Thus, the expected # of elements examined in an unsuccessful search is α , & the total time required is $\Theta(1+\alpha)$

Page 259 copied exact
of textbook

- b) No because it's random (Randomized Quicksort)
 c) Page 309, ch. 13.1

Prove by using induction on the height of x .
 $x=0$, then $x=\text{leaf}$ & there are 0 nodes.
 Apply inductive hypothesis to conclude each child has $2^{bh(x)-1}$ internal nodes.

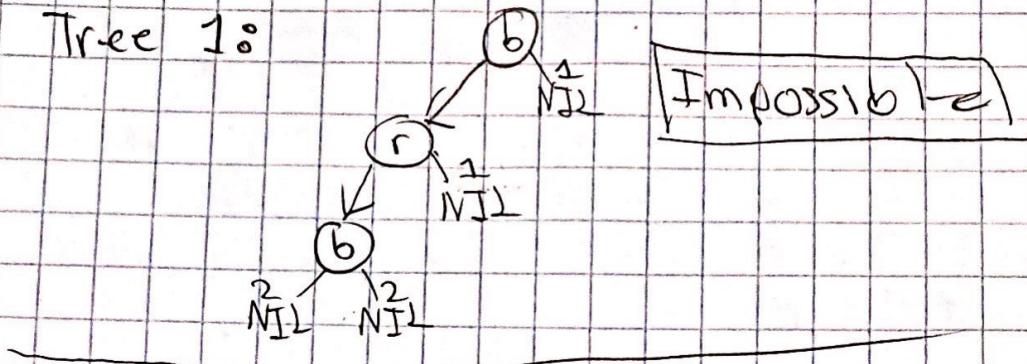
$$\text{Meaning: } x \text{ has } (2^{bh(x)-1} - 1) + (2^{bh(x)-1} - 1) + 1 = 2^{bh(x)}$$

proving the claim.

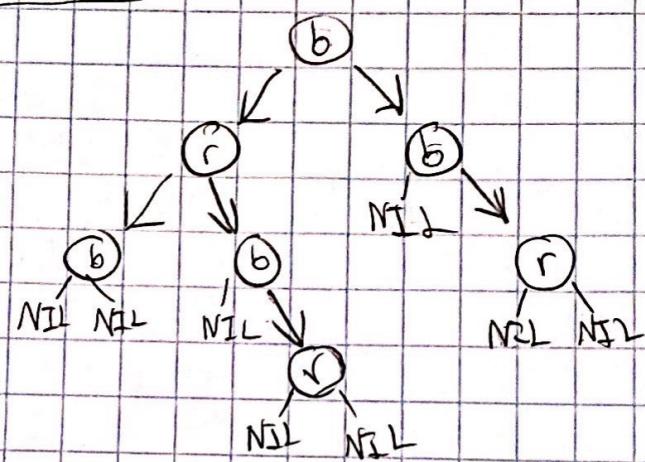
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Ch. 13

3) Tree 1:



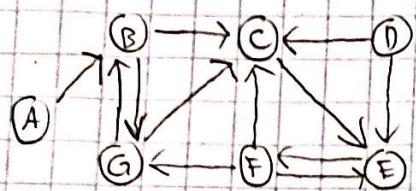
Tree 2:



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Worksheet 22

4)

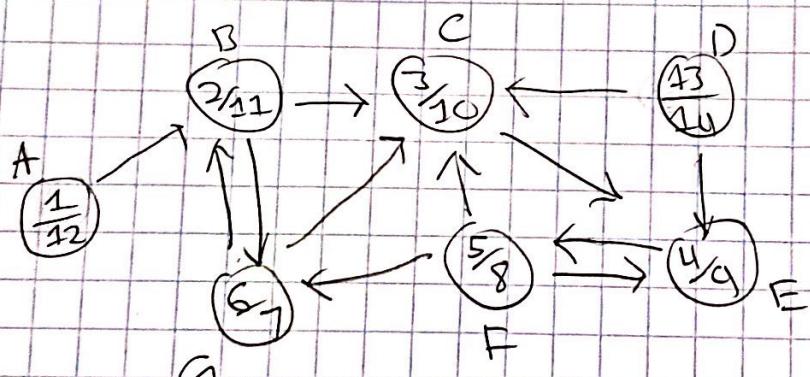


a) $A \rightarrow B$
 $B \rightarrow C \rightarrow G$
 $C \rightarrow E$
 $D \rightarrow C \rightarrow E$
 $E \rightarrow F$
 $F \rightarrow C \rightarrow E \rightarrow G$
 $G \rightarrow B \rightarrow C$

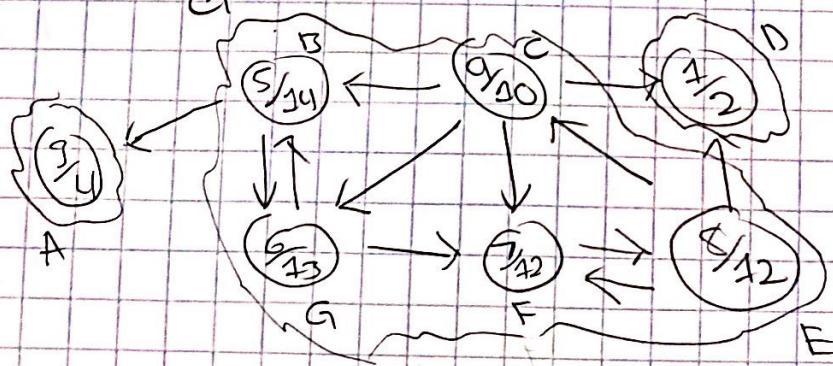
5)

	A	B	C	D	E	F	G
A	0	1	0	0	0	0	0
B	0	0	1	0	0	0	1
C	0	0	0	0	1	0	0
D	0	0	1	0	1	0	0
E	0	0	0	0	0	1	0
F	0	0	1	0	1	0	1
G	0	1	1	0	0	0	0

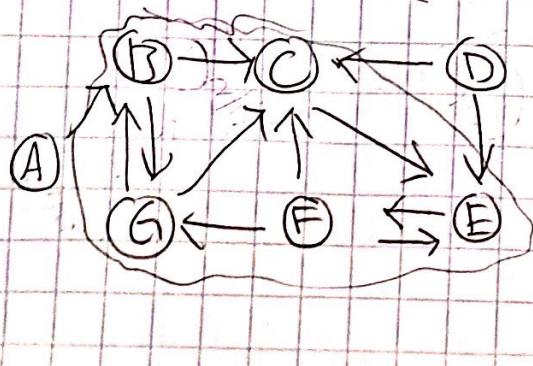
c)



d)



e)



$\{B, C, E, F, G\}$

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- 5) 0
1
2
3 23, 3, 13
4
5 15, 5
6
7
8
9 29

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- 6) a) The expected time to search Ch 11 for a key is $O(1)$ because constantly hashing.
b) No, you would not use BST because its constantly hashing.

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7) Quicksort(A, p, r)

if $p < r$

$q = \text{Partition}(A, p, r)$

Quicksort($A, p, q-1$)

Quicksort($A, q+1, r$)

Ch. 7.1

Page 272

To sort entire array A , the initial call
is Quicksort($A, 1, A.length$)

Midterm 2 - Major General

8) The linear time algo would run at O(n)

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9)