

# Modelo de Detección de fraude Bancario

May 27, 2021

## 0.1 MODELO PARA LA DETECCION DE FRAUDE BANCARIO

- Modelo desarrollado con Deep learning para detectar casos de fraude interbancario

Los pasos a seguir son:

- Obtencion de los datos
- Preparacion de datos
  - Exploracion de datos
  - Transformacion de datos
- Construccion del modelo
- Evaluacion del modelo

Ciclo del machine learning aplicado a este proyecto

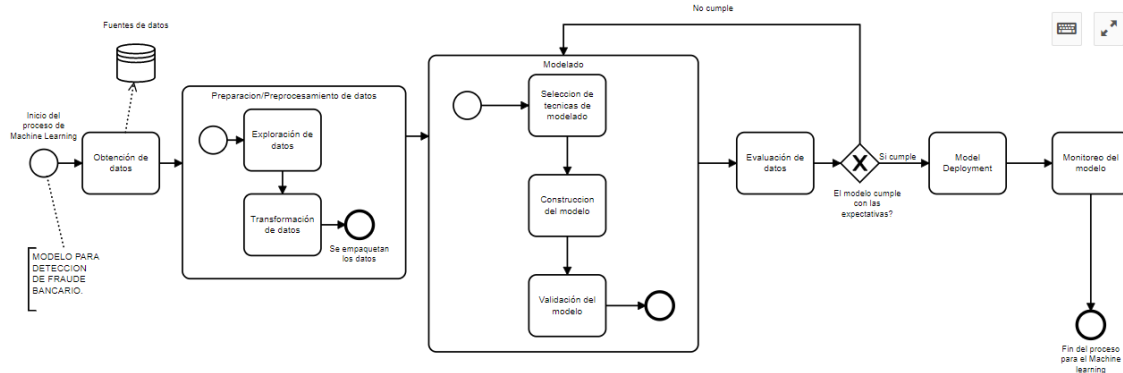


Diagrama de procesos desarrollado en BPMN

### 0.1.1 Obtencion de los datos

- Analizar las fuentes de datos
- Colecta de datos
- Integracion de las fuentes de datos

Como primer paso importamos las librerias para obtener los datos

```
[1]: from tensorflow.keras.utils import get_file
import os

path_file=get_file(
    fname=os.path.join(os.getcwd(),"creditcard.csv"),
```

```
origin="https://storage.googleapis.com/download.tensorflow.org/data/
↳creditcard.csv",
)
```

```
[2]: %matplotlib inline

import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns; sns.set()
```

Establecer una semilla (seed) para que los resultados sean reproducibles

```
[3]: seed=42
np.random.seed(seed)
```

Procedemos con la carga de los datos

```
[4]: data=pd.read_csv(path_file)
```

```
[5]: data.head()
```

```
[5]:
```

	Time	V1	V2	V3	V4	V5	V6	V7	\
0	0.0	-1.359807	-0.072781	2.536347	1.378155	-0.338321	0.462388	0.239599	
1	0.0	1.191857	0.266151	0.166480	0.448154	0.060018	-0.082361	-0.078803	
2	1.0	-1.358354	-1.340163	1.773209	0.379780	-0.503198	1.800499	0.791461	
3	1.0	-0.966272	-0.185226	1.792993	-0.863291	-0.010309	1.247203	0.237609	
4	2.0	-1.158233	0.877737	1.548718	0.403034	-0.407193	0.095921	0.592941	

	V8	V9	...	V21	V22	V23	V24	V25	\
0	0.098698	0.363787	...	-0.018307	0.277838	-0.110474	0.066928	0.128539	
1	0.085102	-0.255425	...	-0.225775	-0.638672	0.101288	-0.339846	0.167170	
2	0.247676	-1.514654	...	0.247998	0.771679	0.909412	-0.689281	-0.327642	
3	0.377436	-1.387024	...	-0.108300	0.005274	-0.190321	-1.175575	0.647376	
4	-0.270533	0.817739	...	-0.009431	0.798278	-0.137458	0.141267	-0.206010	

	V26	V27	V28	Amount	Class
0	-0.189115	0.133558	-0.021053	149.62	0
1	0.125895	-0.008983	0.014724	2.69	0
2	-0.139097	-0.055353	-0.059752	378.66	0
3	-0.221929	0.062723	0.061458	123.50	0
4	0.502292	0.219422	0.215153	69.99	0

[5 rows x 31 columns]

### 0.1.2 Preparacion de datos

- Exploracion de datos

- Transformacion de datos ( Data wrangling, data cleaning, feature selection y feature extraction)

En esta seccion primero exploramos las informacion de los datos

```
[6]: data.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 284807 entries, 0 to 284806
Data columns (total 31 columns):
#   Column      Non-Null Count  Dtype
---  -
0   Time        284807 non-null float64
1   V1          284807 non-null float64
2   V2          284807 non-null float64
3   V3          284807 non-null float64
4   V4          284807 non-null float64
5   V5          284807 non-null float64
6   V6          284807 non-null float64
7   V7          284807 non-null float64
8   V8          284807 non-null float64
9   V9          284807 non-null float64
10  V10         284807 non-null float64
11  V11         284807 non-null float64
12  V12         284807 non-null float64
13  V13         284807 non-null float64
14  V14         284807 non-null float64
15  V15         284807 non-null float64
16  V16         284807 non-null float64
17  V17         284807 non-null float64
18  V18         284807 non-null float64
19  V19         284807 non-null float64
20  V20         284807 non-null float64
21  V21         284807 non-null float64
22  V22         284807 non-null float64
23  V23         284807 non-null float64
24  V24         284807 non-null float64
25  V25         284807 non-null float64
26  V26         284807 non-null float64
27  V27         284807 non-null float64
28  V28         284807 non-null float64
29  Amount      284807 non-null float64
30  Class       284807 non-null int64
dtypes: float64(30), int64(1)
memory usage: 67.4 MB
```

Observamos los datos de *float* e *int* para la variable objetivo

- Ahora vamos a obtener los estadisticos de los datos rapidamente

```
[7]: data.describe().T
```

```
[7]:
```

	count	mean	std	min	25%	\
Time	284807.0	9.481386e+04	47488.145955	0.000000	54201.500000	
V1	284807.0	3.919560e-15	1.958696	-56.407510	-0.920373	
V2	284807.0	5.688174e-16	1.651309	-72.715728	-0.598550	
V3	284807.0	-8.769071e-15	1.516255	-48.325589	-0.890365	
V4	284807.0	2.782312e-15	1.415869	-5.683171	-0.848640	
V5	284807.0	-1.552563e-15	1.380247	-113.743307	-0.691597	
V6	284807.0	2.010663e-15	1.332271	-26.160506	-0.768296	
V7	284807.0	-1.694249e-15	1.237094	-43.557242	-0.554076	
V8	284807.0	-1.927028e-16	1.194353	-73.216718	-0.208630	
V9	284807.0	-3.137024e-15	1.098632	-13.434066	-0.643098	
V10	284807.0	1.768627e-15	1.088850	-24.588262	-0.535426	
V11	284807.0	9.170318e-16	1.020713	-4.797473	-0.762494	
V12	284807.0	-1.810658e-15	0.999201	-18.683715	-0.405571	
V13	284807.0	1.693438e-15	0.995274	-5.791881	-0.648539	
V14	284807.0	1.479045e-15	0.958596	-19.214325	-0.425574	
V15	284807.0	3.482336e-15	0.915316	-4.498945	-0.582884	
V16	284807.0	1.392007e-15	0.876253	-14.129855	-0.468037	
V17	284807.0	-7.528491e-16	0.849337	-25.162799	-0.483748	
V18	284807.0	4.328772e-16	0.838176	-9.498746	-0.498850	
V19	284807.0	9.049732e-16	0.814041	-7.213527	-0.456299	
V20	284807.0	5.085503e-16	0.770925	-54.497720	-0.211721	
V21	284807.0	1.537294e-16	0.734524	-34.830382	-0.228395	
V22	284807.0	7.959909e-16	0.725702	-10.933144	-0.542350	
V23	284807.0	5.367590e-16	0.624460	-44.807735	-0.161846	
V24	284807.0	4.458112e-15	0.605647	-2.836627	-0.354586	
V25	284807.0	1.453003e-15	0.521278	-10.295397	-0.317145	
V26	284807.0	1.699104e-15	0.482227	-2.604551	-0.326984	
V27	284807.0	-3.660161e-16	0.403632	-22.565679	-0.070840	
V28	284807.0	-1.206049e-16	0.330083	-15.430084	-0.052960	
Amount	284807.0	8.834962e+01	250.120109	0.000000	5.600000	
Class	284807.0	1.727486e-03	0.041527	0.000000	0.000000	

	50%	75%	max
Time	84692.000000	139320.500000	172792.000000
V1	0.018109	1.315642	2.454930
V2	0.065486	0.803724	22.057729
V3	0.179846	1.027196	9.382558
V4	-0.019847	0.743341	16.875344
V5	-0.054336	0.611926	34.801666
V6	-0.274187	0.398565	73.301626
V7	0.040103	0.570436	120.589494
V8	0.022358	0.327346	20.007208
V9	-0.051429	0.597139	15.594995
V10	-0.092917	0.453923	23.745136

V11	-0.032757	0.739593	12.018913
V12	0.140033	0.618238	7.848392
V13	-0.013568	0.662505	7.126883
V14	0.050601	0.493150	10.526766
V15	0.048072	0.648821	8.877742
V16	0.066413	0.523296	17.315112
V17	-0.065676	0.399675	9.253526
V18	-0.003636	0.500807	5.041069
V19	0.003735	0.458949	5.591971
V20	-0.062481	0.133041	39.420904
V21	-0.029450	0.186377	27.202839
V22	0.006782	0.528554	10.503090
V23	-0.011193	0.147642	22.528412
V24	0.040976	0.439527	4.584549
V25	0.016594	0.350716	7.519589
V26	-0.052139	0.240952	3.517346
V27	0.001342	0.091045	31.612198
V28	0.011244	0.078280	33.847808
Amount	22.000000	77.165000	25691.160000
Class	0.000000	0.000000	1.000000

Verificamos la presencia de datos nulos en los datos

```
[8]: data.isnull().sum(axis=0)
```

```
[8]: Time      0
     V1        0
     V2        0
     V3        0
     V4        0
     V5        0
     V6        0
     V7        0
     V8        0
     V9        0
     V10       0
     V11       0
     V12       0
     V13       0
     V14       0
     V15       0
     V16       0
     V17       0
     V18       0
     V19       0
     V20       0
     V21       0
     V22       0
```

```
V23      0
V24      0
V25      0
V26      0
V27      0
V28      0
Amount   0
Class    0
dtype: int64
```

Por cierto **no hay presencia de datos nulos** en dichos datos, entonces vamos a observar su comportamiento

- La columna tiempo no guarda informacion significativa por lo cual la excluirémos del analisis
- Observamos la distribucion de los datos en base a un histograma

```
[9]: fig, axes = plt.subplots(10, 3, sharex=False, figsize=(30, 30))
      columns_tabla = data.columns

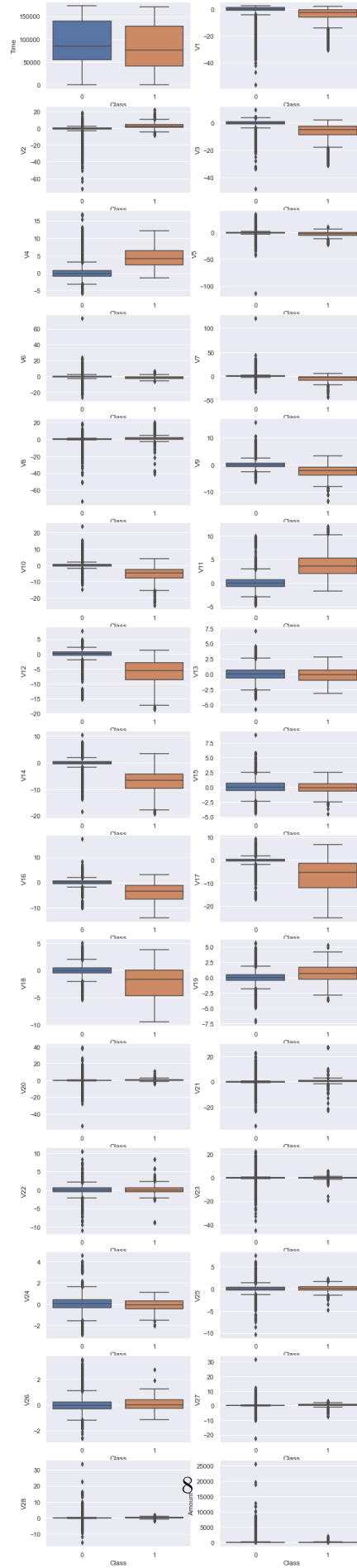
      for i, ax in enumerate(axes.flat):
          sns.histplot(data.iloc[:, i], bins=10, kde=True, ax=ax)
          ax.set_title(f"Columna {columns_tabla[i]}")
      plt.show()
```



- Observamos las anomalías de los datos. excluyendo la variable dependiente que pertenece a la columna

```
[10]: fig,axes=plt.subplots(15,2,figsize=(10,50))
columns_tabla=data.columns

for i,ax in enumerate(axes.flat):
    sns.boxplot(x="Class",y=columns_tabla[i],data=data,ax=ax)
```





La mayoría de los datos posee anomalías pero en estos casos sabemos que no son malas debido a que también corresponden a los casos donde hubo fraude.

Debemos analizar más detenidamente estas muestras de anomalías

- Observamos la distribución de las clases de los datos a través de todo el set de información

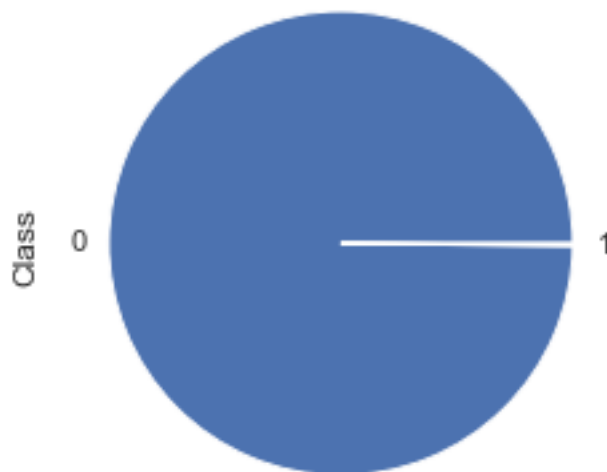
```
[11]: conteo=data.Class.value_counts(normalize=True)
display(conteo.map(lambda x: f"{x*100:0.2f}%"))
plt.rcParams["figure.figsize"]=(4,4)
conteo.plot(kind="pie",)
```

```
0    99.83%
```

```
1     0.17%
```

```
Name: Class, dtype: object
```

```
[11]: <AxesSubplot:ylabel='Class'>
```



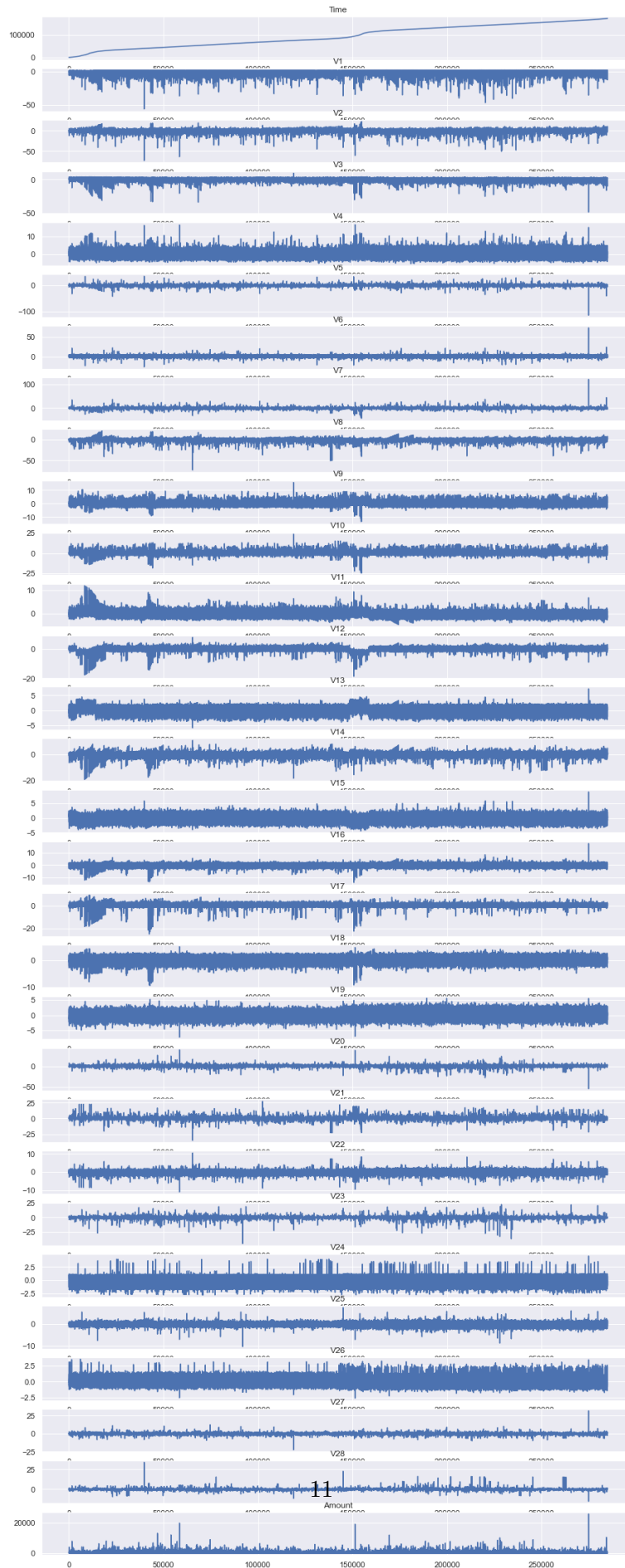
Tenemos como clase mayoritaria dominante los casos que no fueron fraude financiero con un 99.83% del total de datos, mientras que la minoría se corresponde con lo que queremos obtener (0.17%).

Este es un verdadero problema de desbalanceamiento de clases. Debido a que el modelo aprenderá más de los datos de la clase mayoritaria que la de la clase minoritaria correspondiente a los fraudes detectados.

- Observamos las tendencias de los datos

```
[12]: fig, axes = plt.subplots(30, 1, figsize=(15, 40))

for i, ax in enumerate(axes.flat):
    ax.plot(data.iloc[:, i])
    ax.set_title(data.columns[i])
plt.show()
```



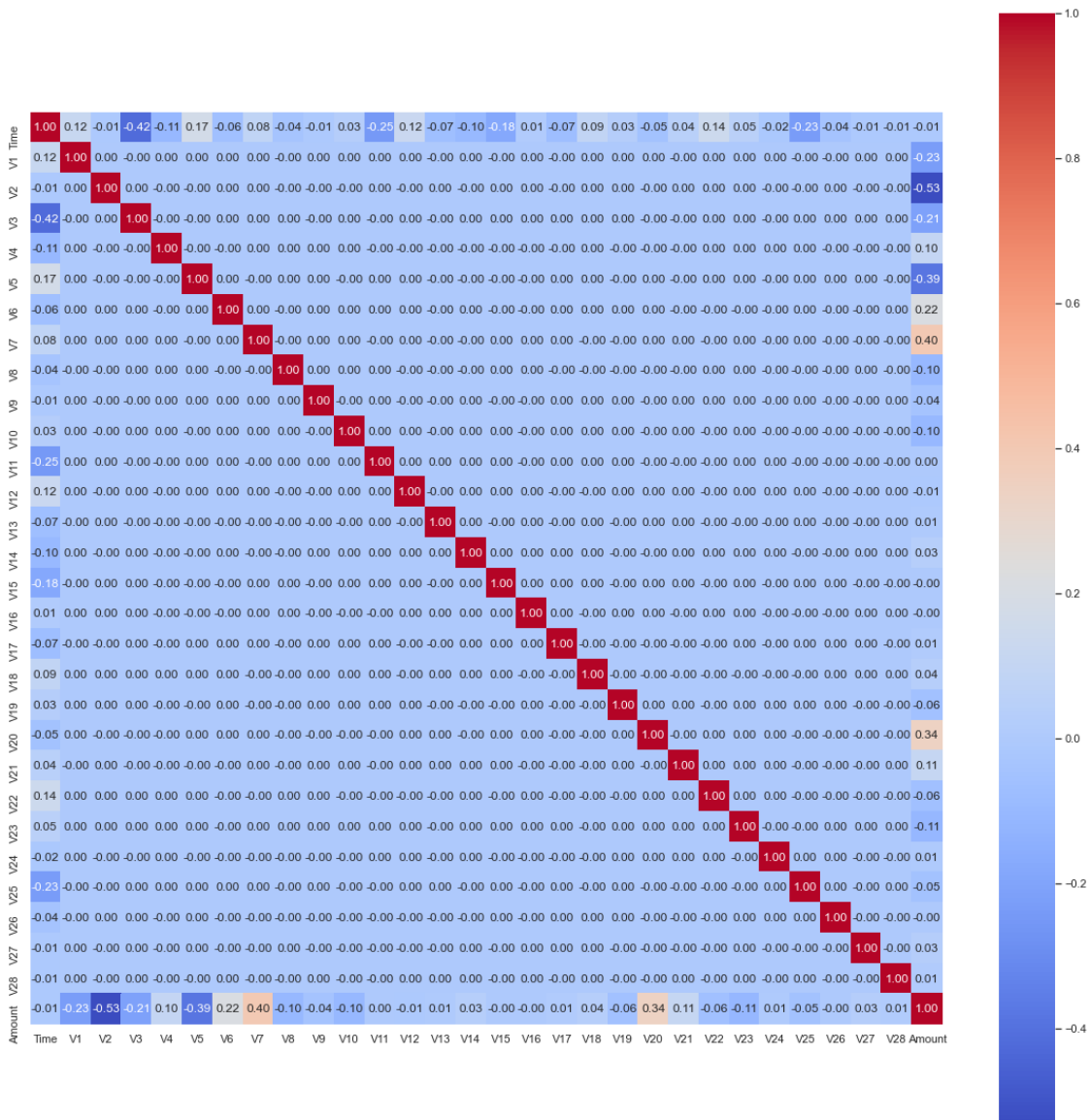
```
[13]: plt.rcParams["figure.figsize"] = plt.rcParamsDefault["figure.figsize"]
      ↪ #reseteamos la configuracion del tamaño del grafico
```

- Analizamos la correlacion de las variables. Esto es muy importante para evitar la colinealidad en los datos

```
[14]: corr=data.iloc[:, :-1].corr(method="pearson")

plt.figure(figsize=(20,20))
sns.heatmap(corr.T,fmt="0.2f",annot=True,square=True,cmap="coolwarm")
```

```
[14]: <AxesSubplot:>
```



Buscamos la **colinealidad** entre las variables, esto se da cuando dos variables estan correlacionadas entre si. Por otro lado tambien podemos encontrar la **Multicolinealidad** cuando mas de una variable indepediente se encuentra correlacionada

Las correlaciones encontradas fueron las siguientes:

- **V1** y **Amount** estan levemente correlacionadas con un coeficiente de correlacion de **-0.23**. Esto es una correlacion inversa que significa que el aumento de una tiene una disminucion en el valor del otro par.

```
[15]: from scipy.stats import pearsonr
```

Creamos una funcion que calcule la correlacion entre dos variables y nos entregue a traves de un nivel de significancia si la correlacion es estadisticamente significativa

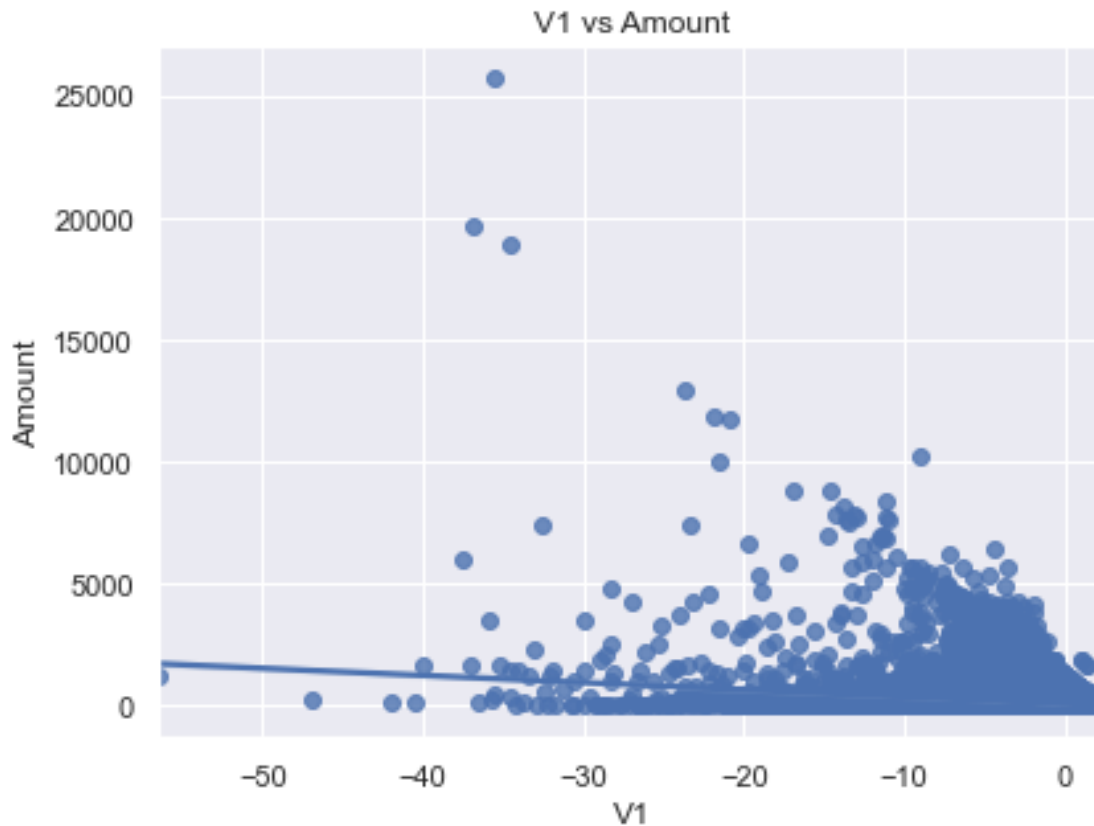
```
[16]: def test_correlation(X1,X2,alpha=0.05):  
    corr,p_valor=pearsonr(X1,X2) #comprobamos la correlacion entre X1 y X2  
    #Utilizamos el p_valor para determinar si el coeficiente de correlacion es  
    ↪ estadisticamente significativo  
    #si el p_valor (alfa) es menor o igual al nivel de significancia 0.05  
    ↪ entonces la correlaciones estadisiticamente significativa.  
  
    print(f"COEF. correlacion: {corr} | p-valor : {p_valor}")  
    print("La correlacion es estadisticamente significativa" if p_valor<=alpha  
    ↪ else "La correlacion NO es significativa")
```

```
[17]: #ejecutamos el test de correlacion  
test_correlation(data.V1,data.Amount)
```

```
COEF. correlacion: -0.2277086529224042 | p-valor : 0.0  
La correlacion es estadisticamente significativa
```

```
[18]: sns.regplot(x="V1",y="Amount",data=data)  
plt.title("V1 vs Amount")
```

```
[18]: Text(0.5, 1.0, 'V1 vs Amount')
```



Concluimos que V1 y Amount tienen una correlacion estadisticamente significativa

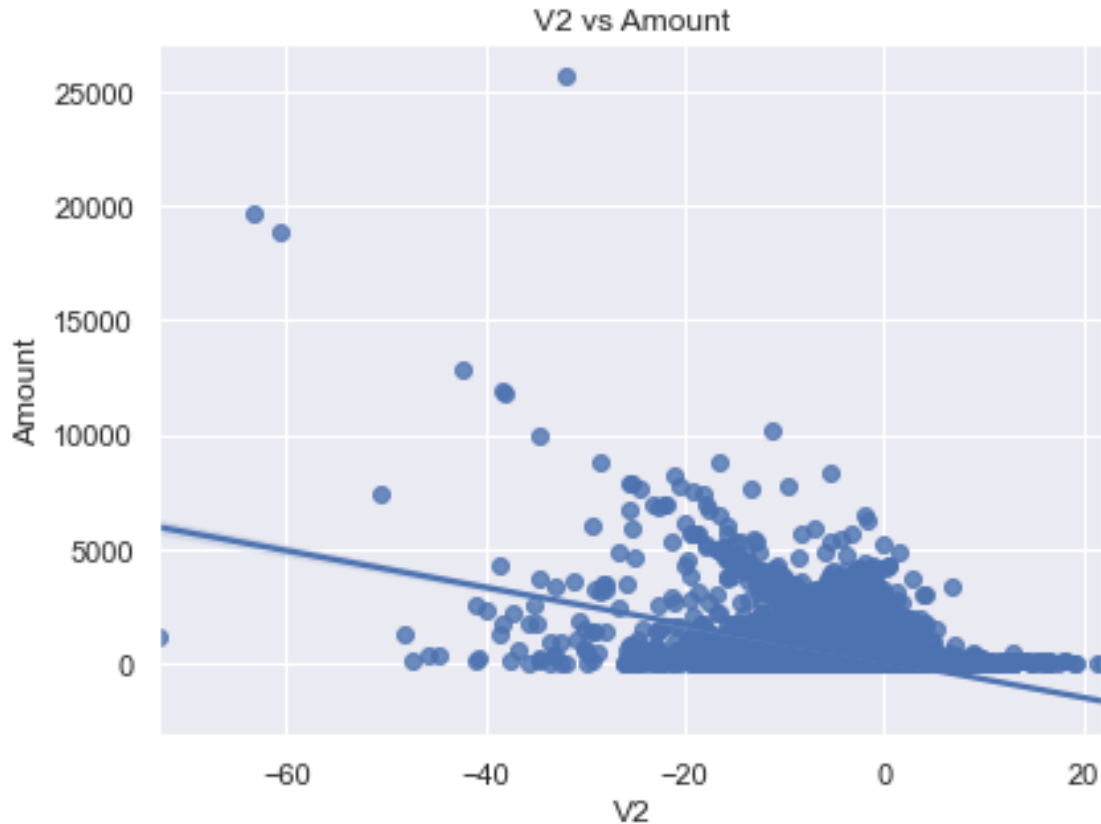
- **V2** y **Amount** estan moderadamente correlacionadas con un coeficiente de correlacion negativa de -0.53. Por lo cual tambien demostramos que estan significativamente correlacionados

```
[19]: test_correlation(data.V2,data.Amount)
```

```
COEF. correlacion: -0.5314089393280333 | p-valor : 0.0
La correlacion es estadisticamente significativa
```

```
[20]: sns.regplot(x="V2",y="Amount",data=data)
plt.title("V2 vs Amount")
```

```
[20]: Text(0.5, 1.0, 'V2 vs Amount')
```



- Tenemos la correlacion entre las variable independiente V3 con Time (-0.42) y Amount (-0.21)
- Descartamos la variable Time de este analisis debido a que el tiempo desde ya no aporta al modelo y sera exluido mas adelante

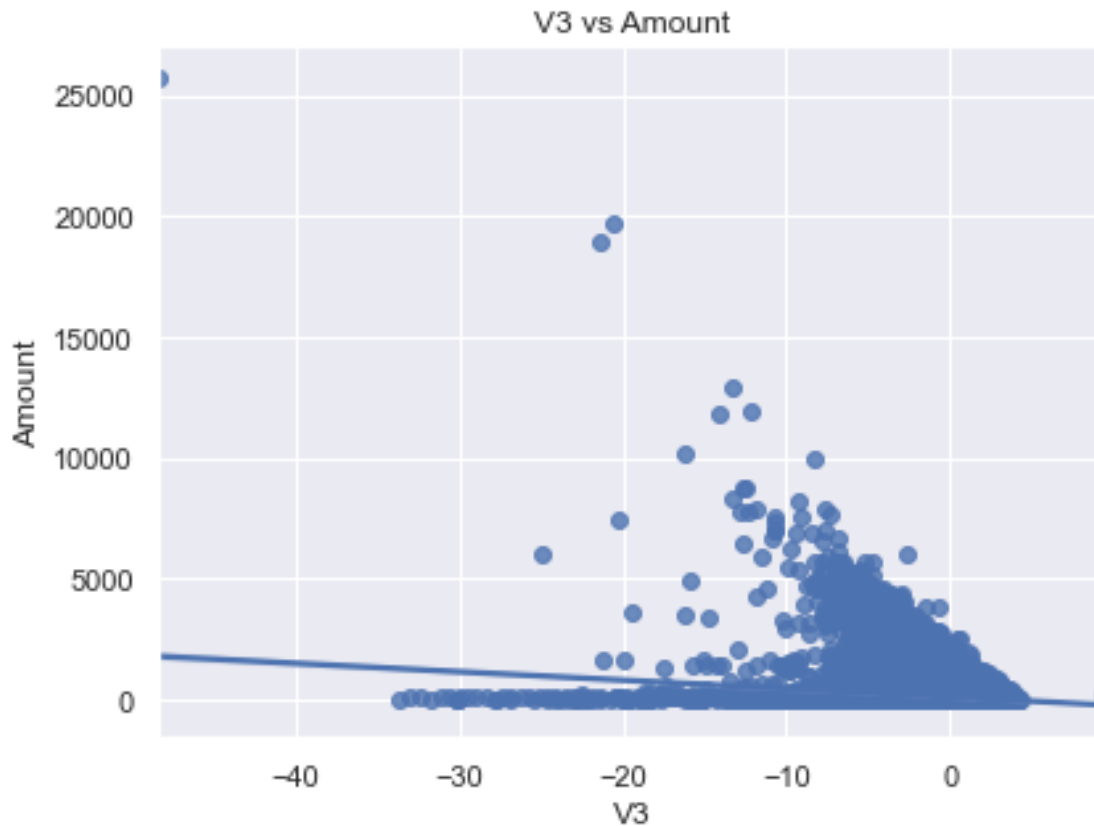
Por lo tanto probamos la correlacion entre **V3** y **Amount** y concluimos tambien que tienen una correlacion significativa

```
[21]: test_correlation(data.V3,data.Amount)
```

```
COEF. correlacion: -0.21088047528990986 | p-valor : 0.0
La correlacion es estadisticamente significativa
```

```
[22]: sns.regplot(x="V3",y="Amount",data=data)
plt.title("V3 vs Amount")
```

```
[22]: Text(0.5, 1.0, 'V3 vs Amount')
```



- La **V4** no se encuentra muy correlacionada con las demas variables, esta variable puede ser buena
- La **V5** se encuentra correlacionada con **Amount**

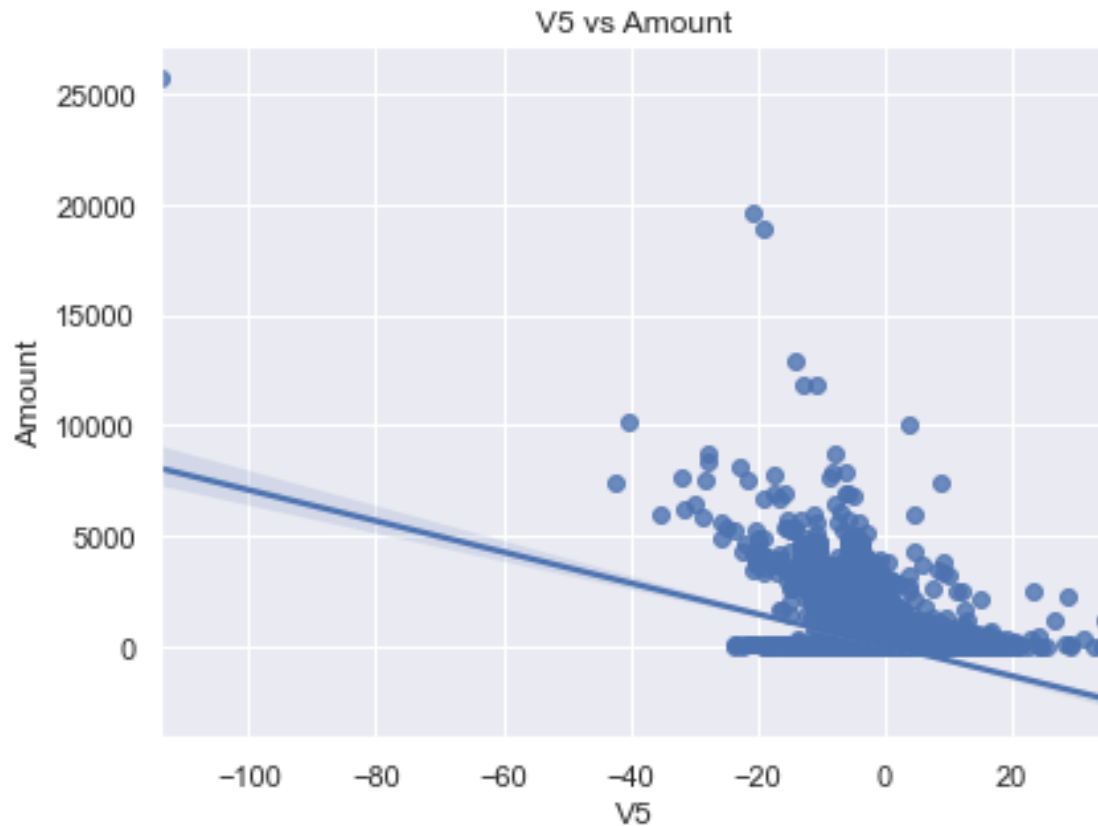
```
[23]: test_correlation(data.V5,data.Amount)
```

COEF. correlacion: -0.38635625616306024 | p-valor : 0.0  
La correlacion es estadisticamente significativa

```
[24]: sns.regplot(x="V5",y="Amount",data=data)
plt.title("V5 vs Amount")
```

```
[24]: Text(0.5, 1.0, 'V5 vs Amount')
```





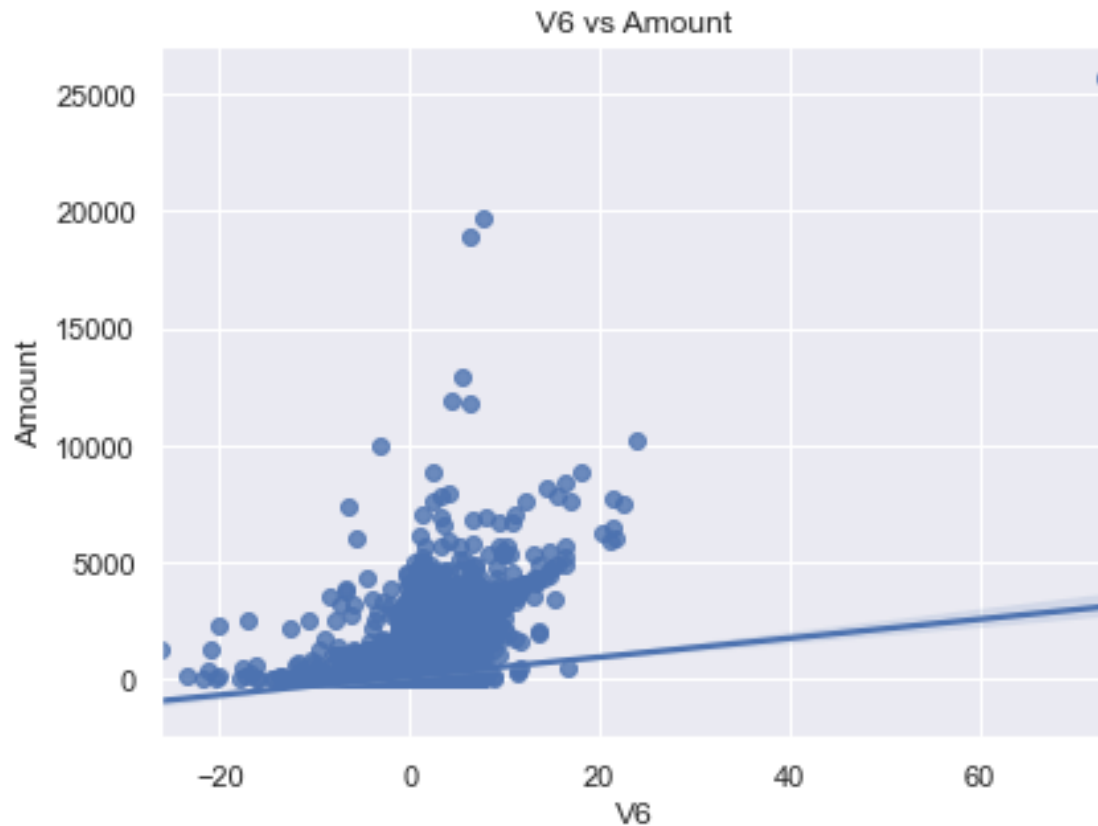
- La **V6** se encuentra correlacionada con **Amount**

```
[25]: test_correlation(data.V6,data.Amount)
```

```
COEF. correlacion: 0.2159811802252792 | p-valor : 0.0
La correlacion es estadisticamente significativa
```

```
[26]: sns.regplot(x="V6",y="Amount",data=data)
plt.title("V6 vs Amount")
```

```
[26]: Text(0.5, 1.0, 'V6 vs Amount')
```



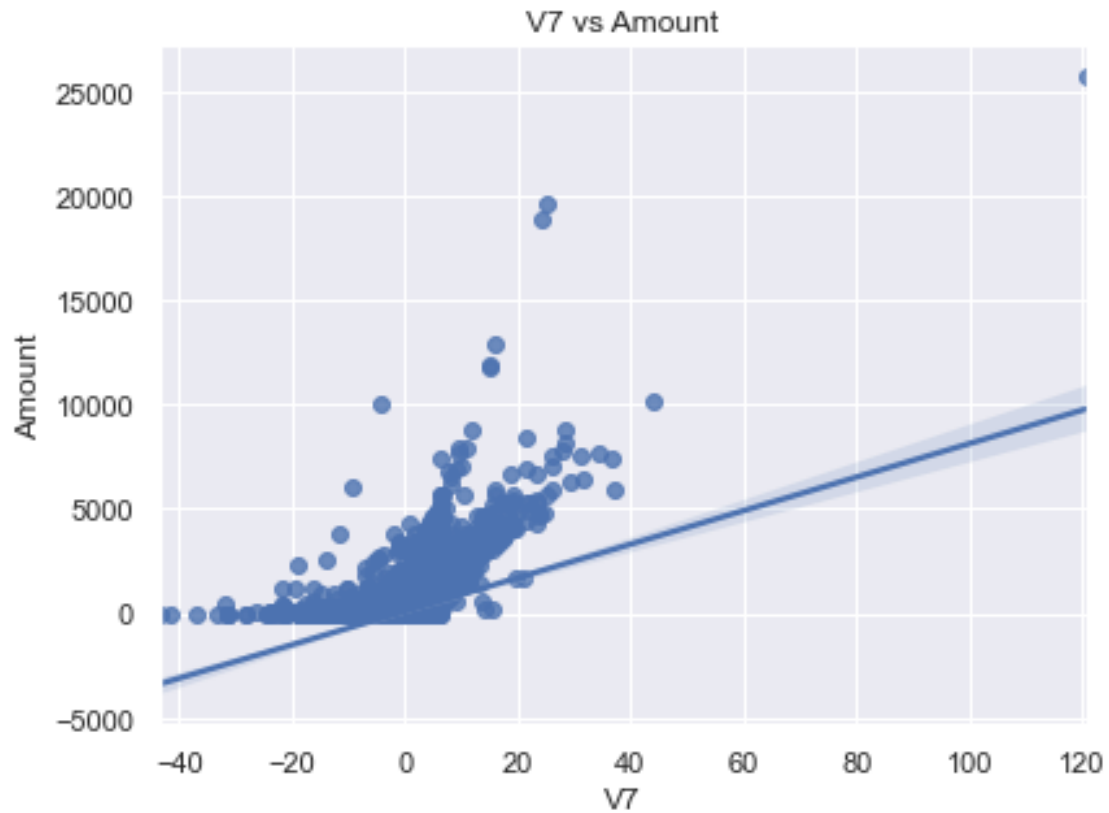
- La **V7** se encuentra correlacionada con **Amount**

```
[27]: test_correlation(data.V7,data.Amount)
```

```
COEF. correlacion: 0.39731127818168943 | p-valor : 0.0
La correlacion es estadisticamente significativa
```

```
[28]: sns.regplot(x="V7",y="Amount",data=data)
plt.title("V7 vs Amount")
```

```
[28]: Text(0.5, 1.0, 'V7 vs Amount')
```



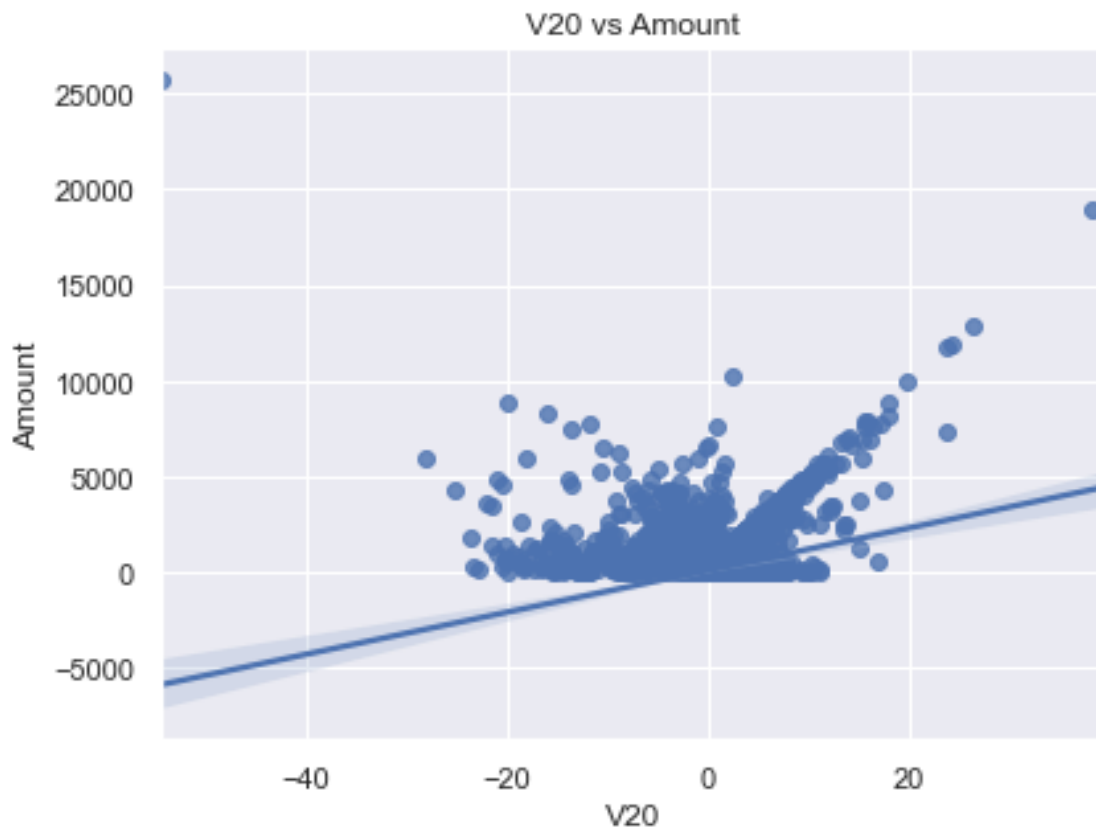
- Por ultimo tambien notamos una correlacion significativa entre **V20** y **Amount**

```
[29]: test_correlation(data.V20,data.Amount)
```

COEF. correlacion: 0.33940340454617346 | p-valor : 0.0  
La correlacion es estadisticamente significativa

```
[30]: sns.regplot(x="V20",y="Amount",data=data)
plt.title("V20 vs Amount")
```

```
[30]: Text(0.5, 1.0, 'V20 vs Amount')
```



- El resto de variables se excluyeron de este analisis debido a que en la matriz de correlacion no tuvieron coeficientes de correlacion muy buenos con respecto a otras variables

Ahora realizaremos analisis orientados a una preparacion de datos

```
[31]: #analizamos el rango de cada variable en el dataset esto es para ver sus
      ↪ limites y poder realizar un escalamiento de datos mas adelante
data.aggregate([np.min,np.max]).T
```

```
[31]:
```

	amin	amax
Time	0.000000	172792.000000
V1	-56.407510	2.454930
V2	-72.715728	22.057729
V3	-48.325589	9.382558
V4	-5.683171	16.875344
V5	-113.743307	34.801666
V6	-26.160506	73.301626
V7	-43.557242	120.589494
V8	-73.216718	20.007208
V9	-13.434066	15.594995
V10	-24.588262	23.745136

V11	-4.797473	12.018913
V12	-18.683715	7.848392
V13	-5.791881	7.126883
V14	-19.214325	10.526766
V15	-4.498945	8.877742
V16	-14.129855	17.315112
V17	-25.162799	9.253526
V18	-9.498746	5.041069
V19	-7.213527	5.591971
V20	-54.497720	39.420904
V21	-34.830382	27.202839
V22	-10.933144	10.503090
V23	-44.807735	22.528412
V24	-2.836627	4.584549
V25	-10.295397	7.519589
V26	-2.604551	3.517346
V27	-22.565679	31.612198
V28	-15.430084	33.847808
Amount	0.000000	25691.160000
Class	0.000000	1.000000

Podemos observar que el rango de datos se encuentra muy disperso como tambien existen columnas como **Time** y **Amount** que poseen rango mas anchos debido a los dato que manejan. Esto amerita que luego que los datos esten preparados se escalen los datos para que posean un rango comun

- Podemos esforzarnos y buscar **outliers** pero en este contexto de fraude bancario a veces las anomalias en casos de fraude son las que nuestro modelo debe predecir para ajustarnos correctamente a los datos. Ahora tambien con respecto a los casos de no fraude, es normal que los clientes retiren cantidades infimas y luego cantidades grandes despues de un periodo largo de tiempo. En este contexto penalizar los outliers no es una buena idea.

Ahora examinemos otro problema comun en los datos. Los **valores duplicados**.

```
[32]: mask_duplicated=data.duplicated(subset=None) #devuelve la cantidad de valores
      ↪duplicados en funcion de todas las columnas
      print(mask_duplicated.sum())
```

1081

Como parte de nuestro analisis podemos saber cuales son esas filas duplicadas, para ellos hacemos uso de la matriz booleana de enmascaramiento devuelta como resultado

```
[33]: data[mask_duplicated].head() #mostramos los 5 primeras filas
```

```
[33]:
```

	Time	V1	V2	V3	V4	V5	V6	\
33	26.0	-0.529912	0.873892	1.347247	0.145457	0.414209	0.100223	
35	26.0	-0.535388	0.865268	1.351076	0.147575	0.433680	0.086983	
113	74.0	1.038370	0.127486	0.184456	1.109950	0.441699	0.945283	
114	74.0	1.038370	0.127486	0.184456	1.109950	0.441699	0.945283	
115	74.0	1.038370	0.127486	0.184456	1.109950	0.441699	0.945283	

	V7	V8	V9	...	V21	V22	V23	\
33	0.711206	0.176066	-0.286717	...	0.046949	0.208105	-0.185548	
35	0.693039	0.179742	-0.285642	...	0.049526	0.206537	-0.187108	
113	-0.036715	0.350995	0.118950	...	0.102520	0.605089	0.023092	
114	-0.036715	0.350995	0.118950	...	0.102520	0.605089	0.023092	
115	-0.036715	0.350995	0.118950	...	0.102520	0.605089	0.023092	

	V24	V25	V26	V27	V28	Amount	Class
33	0.001031	0.098816	-0.552904	-0.073288	0.023307	6.14	0
35	0.000753	0.098117	-0.553471	-0.078306	0.025427	1.77	0
113	-0.626463	0.479120	-0.166937	0.081247	0.001192	1.18	0
114	-0.626463	0.479120	-0.166937	0.081247	0.001192	1.18	0
115	-0.626463	0.479120	-0.166937	0.081247	0.001192	1.18	0

[5 rows x 31 columns]

- Es sorprendente saber de la existencia de **1081 datos duplicados**. Estos se eliminarán en la fase de procesamiento de datos

Ahora veamos la distribución de de clases contenidas en dichos datos duplicados

```
[34]: data[mask_duplicated].Class.value_counts()
```

```
[34]: 0    1062
      1     19
      Name: Class, dtype: int64
```

Ahora bien, puede que estas transacciones no vengan de un mismo cliente y que sea casualidad que tengan las mismas características, como también de que hubiera una fuga en la base de datos y se duplicaron algunas transacciones a la misma hora. En ambos casos se debe retirar del conjunto de datos más adelante

```
[56]: #observamos la dispersion de los datos a traves del analisis de componentes
      ↪ principales
      from sklearn.decomposition import PCA

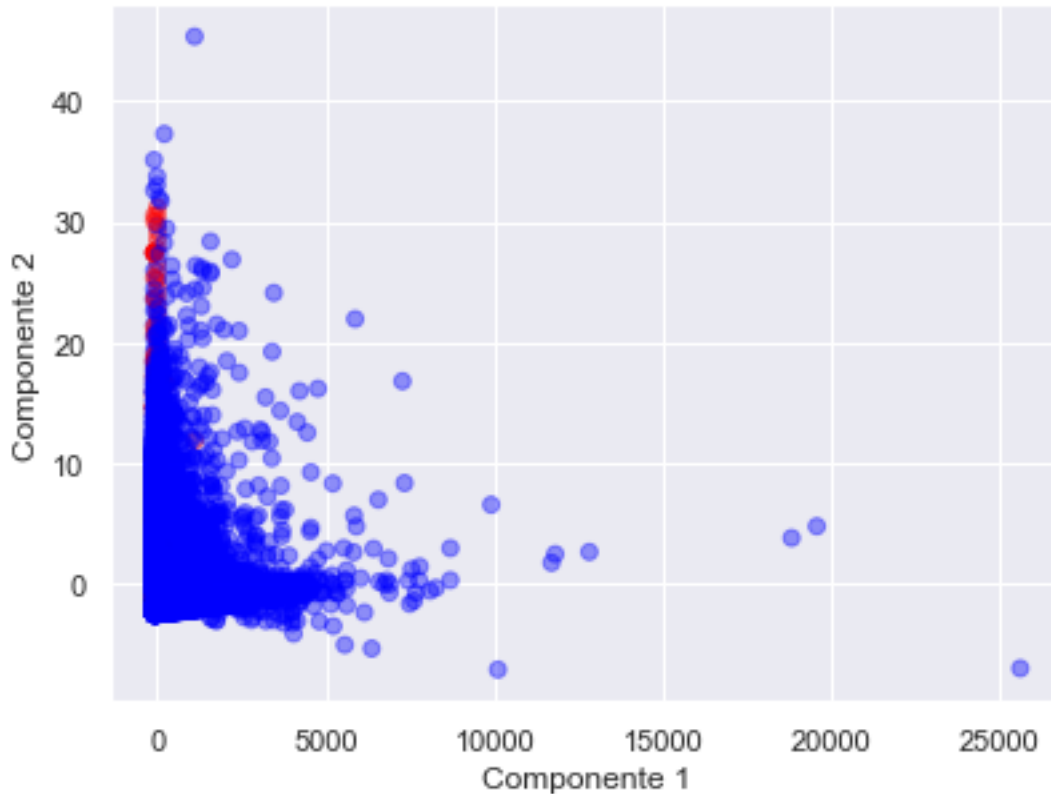
      #creo una funcion para mostrar la dispersion de clases por cada dataset

      def plot_scatter_by_class(ax=None,data=None):
          pca=PCA(n_components=2)
          XY=pca.fit_transform(data.iloc[:,1:-1]) #excluimos el Time y la columna
          ↪ Class

          color_map=np.array(["blue","red"])[data.Class] #Los No fraudes son Azules,y
          ↪ fraudes rojos
          if ax is None:
              _,(ax)=plt.subplots(1,1)
```

```
ax.scatter(XY[:,0],XY[:,1],color=color_map,alpha=0.4)
ax.set_ylabel("Componente 2")
ax.set_xlabel("Componente 1")
```

```
plot_scatter_by_class(data=data)
```



## Otros pasos

Las características de entrada son continuas y la salida es categorica. Por lo tanto no necesitamos realizar algun procesamiento adicional de condicacion en caliente u ordinales

### 0.1.3 PROCESAMIENTO DE DATOS

- Ya estamos listos para aplicar tecnicas de procesamiento de datos.

En primer lugar desde un inicio notamos que la columna tiempo no aporta valor, ya que solo apunta a la hora donde se realizo dicha transaccion.

```
[44]: df_cleaned=data.copy() #los datos de analisis los copiamos al dataframe de
      ↪limpeza para empezar con el proceso
```

```
[45]: #procedemos a eliminar las columnas con valores duplicados detectados en la
      ↪ exploracion de datos

mask_duplicated=df_cleaned.duplicated(subset=None) #subset=None para considerar
      ↪ todas las columnas para evaluar la duplicidad
mask_duplicated.sum()
```

```
[45]: 1081
```

```
[46]: df_cleaned=df_cleaned.drop_duplicates(subset=None) #borramos los duplicados
```

```
[47]: df_cleaned.drop("Time",axis=1,inplace=True) #borramos la columna tiempo. No
      ↪ aportaba al modelo
```

Las variables **V1,V2,V3,V5,V6,V7 ... V20**. Estaba correlacionadas con Amount pero no a un alto nivel mayor a 0.70, debido a que es normal que las características flutuen generando un poco de correlación, no podemos eliminarlas por ser colineales porque su coeficiente no era muy elevado como para eliminar una y dejar otra, cada quien tenía sus particularidades.

Estas variables no se eliminan en esta fase (\*)

(\*) Si el modelo no tiene mejoras podemos regresar a la fase de exploración y análisis para considerar eliminar dichas variables. El proceso de machine learning es iterativo

**El problema de datos desbalanceados (99+% No fraude | 1% Si Fraude)** Tener datos desbalanceados hace sesgar los resultados del modelo, debido a que se familiarizara más con la clase mayoritaria que acabara prediciendo muy buenos datos sobre esta, que en lugar de la clase minoritaria.

A continuación tenemos la proporción actual

```
[48]: print("====Conteo de Clases====")
      display(df_cleaned.Class.value_counts())
      print("====Proporcion de clases====")
      display(df_cleaned.Class.value_counts(normalize=True).map(lambda x: f"{x:0.
      ↪10f}%"))
```

```
====Conteo de Clases====
```

```
0    283253
```

```
1      473
```

```
Name: Class, dtype: int64
```

```
====Proporcion de clases====
```

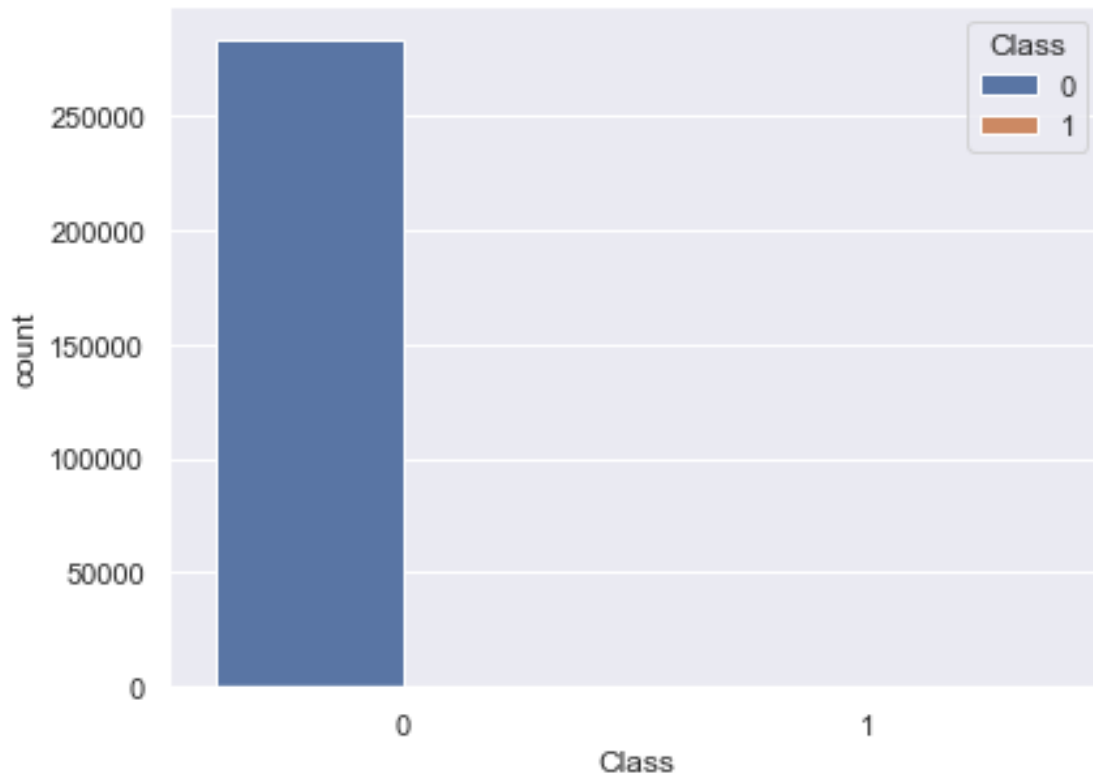
```
0    0.9983328986%
```

```
1    0.0016671014%
```

```
Name: Class, dtype: object
```

```
[49]: ax=sns.countplot(x="Class",hue="Class",data=df_cleaned)
```





**Primer camino: Submuestreo** Esta es una tecnica para reducir la proporcion de la clase mayoritaria para que este al nivel de la minoritaria, tal que al final el proceso, los datos se reducen al nivel de esta ultima.

```
[50]: #Nuestro conjunto de datos estaba desequilibrado con el 99% de clase negativa y
      ↳ 1% positiva en fraude.
      #En este caso tenemos que hacer un submuestreo en favor a la clase
      ↳ minoritaria(nuestro objetivo), para que se equilibren los datos y el modelo
      ↳ no nos arroje metricas sesgadas

      from imblearn.under_sampling import RandomUnderSampler

      undersampling=RandomUnderSampler(random_state=42)
      X_sample,y_sample=undersampling.fit_resample(df_cleaned.iloc[:,-1],df_cleaned.
      ↳ iloc[:,-1]) #allfeatures , labels
```

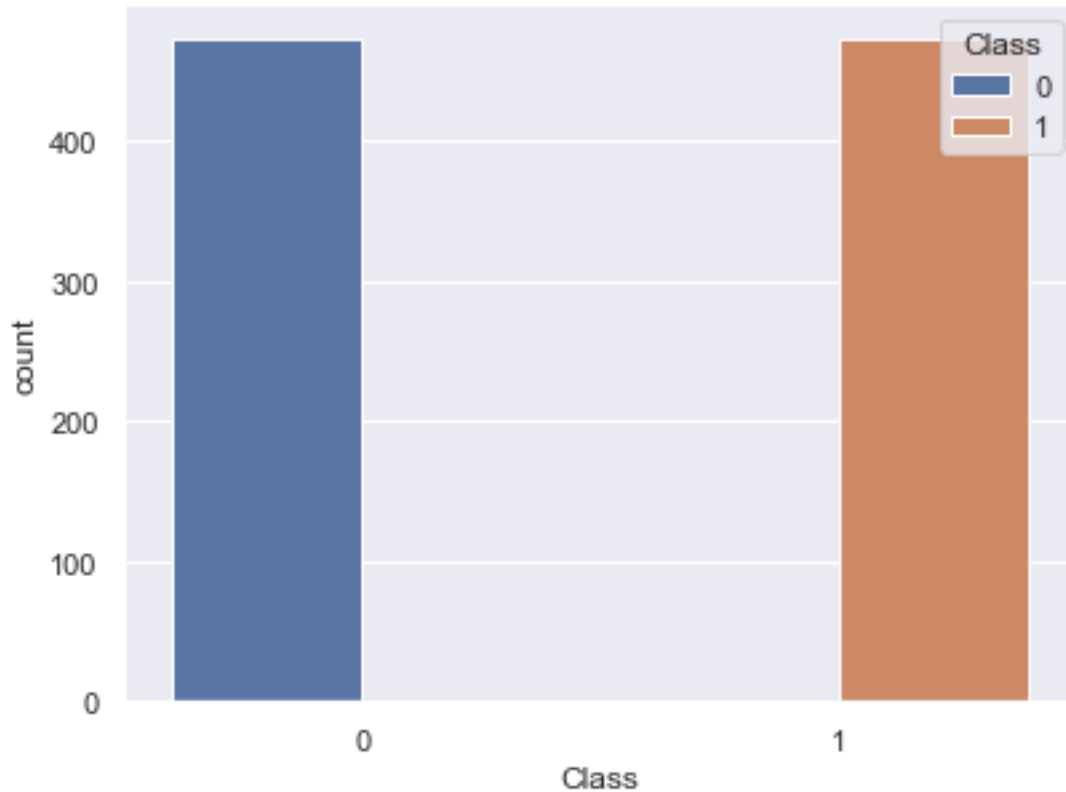
```
[51]: y_sample.value_counts() #proporcion de datos luego de submuestreo
```

```
[51]: 1    473
      0    473
      Name: Class, dtype: int64
```

Concatenamos los conjuntos de datos en un solo set

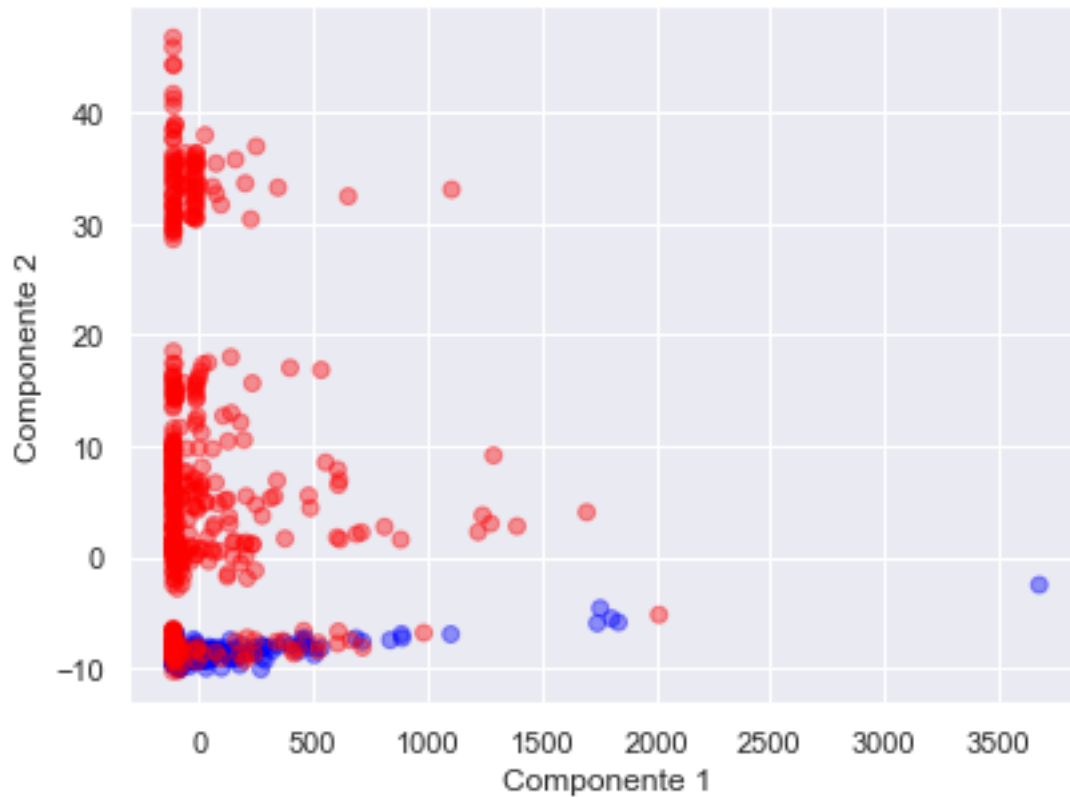
```
[53]: data_undersampled=pd.concat([X_sample,y_sample],axis=1)
```

```
[54]: ax=sns.countplot(x="Class",hue="Class",data=data_undersampled)
```



Mostramos la dispersion de estos datos

```
[57]: plot_scatter_by_class(data=data_undersampled)
```



Guardamos los datos procesados en entrenamiento/test. OJO: No se realizo el escalado de datos

```
[68]: from sklearn.model_selection import train_test_split

def save_balanced_data(data,name=None):
    import os
    columns=data.columns
    x_train,x_test,y_train,y_test=train_test_split(data.values[:,-1],data.
    ↪values[:,-1],test_size=0.3,stratify=data.values[:,-1])
    train_data=np.concatenate([x_train,y_train.reshape(-1,1)],axis=1)
    test_data=np.concatenate([x_test,y_test.reshape(-1,1)],axis=1)
    #los transformo en dataframe y los guardo
    os.makedirs(f"./{name}",exist_ok=True)
    pd.DataFrame(train_data,columns=columns).to_csv(f"./{name}/train.
    ↪csv",index=False)
    pd.DataFrame(test_data,columns=columns).to_csv(f"./{name}/test.
    ↪csv",index=False)
    print(f"./{name}/train.csv Guardado correctamente")
    print(f"./{name}/test.csv Guardado correctamente")

save_balanced_data(data_undersampled,name="creditcard_undersampling")
```

```
./creditcard_undersampling/train.csv Guardado correctamente
./creditcard_undersampling/test.csv Guardado correctamente
```

**Segundo Camino: Mantener la proporcion de datos y centrarse en las metricas** Aquí dejamos los datos sin balancear para poder utilizarlos directamente en el modelo y evaluarlos con metricas como **Recall, F1, Precision**.

```
[69]: save_balanced_data(df_cleaned,name="creditcard_imbalanced")
```

```
./creditcard_imbalanced/train.csv Guardado correctamente
./creditcard_imbalanced/test.csv Guardado correctamente
```

Los conjuntos balanceados como no balanceados se guardaron correctamente. Existen ahora dos posibles caminos ya mencionados.

- Si el modelo no tiene buenos resultados en la evaluacion con un conjunto,entonces tenemos otro. De esta manera medimos el impacto de la transformacion de datos en el modelo

### 3ER Camino: Sobremuestreo de datos

- Para ello haremos un sobremuestreo usando la funcion SMOTE de la libreria imbalanced learn

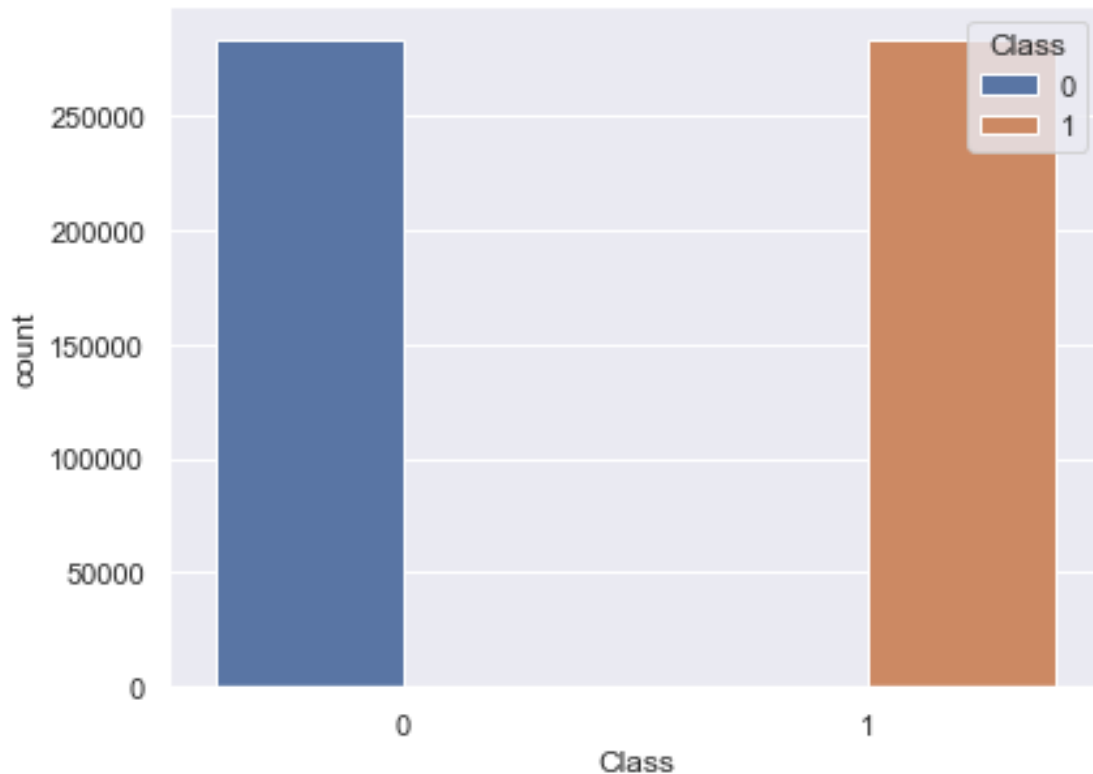
```
[70]: from imblearn.over_sampling import SMOTE

smt=SMOTE(random_state=42)
x_sampled,y_sampled=smt.fit_resample(df_cleaned.iloc[:,-1],df_cleaned.iloc[:
→,-1])
np.unique(y_sampled,return_counts=True)
```

```
[70]: (array([0, 1], dtype=int64), array([283253, 283253], dtype=int64))
```

```
[71]: data_oversampled=pd.concat([x_sampled,y_sampled],axis=1)
```

```
[73]: ax=sns.countplot(x="Class",hue="Class",data=data_oversampled)
```



Como podemos ver los datos se emparejaron los de mayor muestra, por lo que tambien decidimos guardar una muestra

```
[74]: save_balanced_data(data_oversampled,name="creditcard_oversampling")
```

```
./creditcard_oversampling/train.csv Guardado correctamente  
./creditcard_oversampling/test.csv Guardado correctamente
```

## 0.2 Modelado

- Esta fase se realiza en otro notebook, pero por temas de presentacion se realizara en el mismo.

Cuando queremos empezar a modelar, primero cargamos los datos.

- Definir la tecnica de modelado : Redes neuronales MLP
- Construir el modelo
- Validar el modelo

```
[75]: import numpy as np  
import pandas as pd  
#establecer una semilla para reprodicibilidad de resultados  
seed=42  
seed=np.random.seed(seed)
```

```
[4]: def load_data(name=None):

    data=pd.read_csv(name).values
    return data[:, :-1], data[:, -1] #retornamos los conjuntos (features, labels)
```

```
[93]: x_train,y_train=load_data("./creditcard_imbalanced/train.csv") #cargamos los
      ↪ datos de entrenamiento
```

Dividimos los datos en pliegues de entrenamiento y validacion; para luego escalarlos

```
[92]: from sklearn.model_selection import train_test_split
      from sklearn.preprocessing import MinMaxScaler

      def partition_data(X,y,with_scale=False,split_size=0.2):
          """
          Esta es una funcion generica que divide los datos en dos sets balanceados y
          ↪ luego da la opcion de escalarlos.
          El motivo de esta funcion es para ahorrar lineas de codigo en este proyecto
          ↪ complejo y usarlas con facilidad

          X: Conjunto de caracteristicas en matrices numpy
          y: Etiquetas de prediccion en matrices numpy

          Return:
          (x_train,x_val,y_train,y_val) si with_scale=False
          (scale,x_train,x_val,y_train,y_val) si with_scale=True, devolviendo el
          ↪ objeto escalador 'scaler' """

          ↪
          ↪x_train,x_val,y_train,y_val=train_test_split(X,y,test_size=split_size,random_state=42,shuffle=True)

          if with_scale:
              scaler=MinMaxScaler(feature_range=(0,1))
              scaler.fit(x_train,y_train);

              x_train=scaler.transform(x_train)
              x_val=scaler.transform(x_val)

              return scaler,x_train,x_val,y_train,y_val

          return x_train,x_val,y_train,y_val
```

```
[94]: scaler_imb,x_train,x_val,y_train,y_val=partition_data(x_train,y_train,with_scale=True,split_size=
      ↪ 2) #20% de datos de validacion
```

A continuacion comenzamos a construir el modelo, para ellos cargamos las librerias iniciales y herramientas para su implementacion

```
[95]: %load_ext tensorboard
import tensorflow as tf
```

```
[96]: #primero cargamos las metricas del modelo
metrics=[
    tf.keras.metrics.BinaryAccuracy(name="accuracy"),
    tf.keras.metrics.Recall(name="recall"),
]
```

### 0.2.1 CONSTRUCCION DEL MODELO BASE

El modelo base tiene como objetivo mostrar una prediccion inicial de los datos, para que luego un modelo posterior se desarrolle teniendo en cuenta que tiene que tener un puntaje mayor al obtenido por el base

```
[103]: n_features=x_train.shape[1] #obtenemos el numero de caracteristicas

def build_model(metrics=metrics):

    #arquitectura del modelo

    model=tf.keras.models.Sequential(name="MODEL_SEQUENTIAL")

    model.add(tf.keras.Input(shape=(n_features,),name="Input"))
    model.add(tf.keras.layers.Dense(64,activation="relu",name="DENSEx64"))
    ↪#para evitar cuellos de botella se elige un valor mayor al de la dimension
    ↪de entrada

    model.add(tf.keras.layers.Dense(1,activation="sigmoid",name="Output"))

    #la configuracion de compilacion del modelo
    model.compile(optimizer=tf.keras.optimizers.Adam(lr=1e-3),
                  loss=tf.keras.losses.BinaryCrossentropy(),
                  metrics=metrics
                )

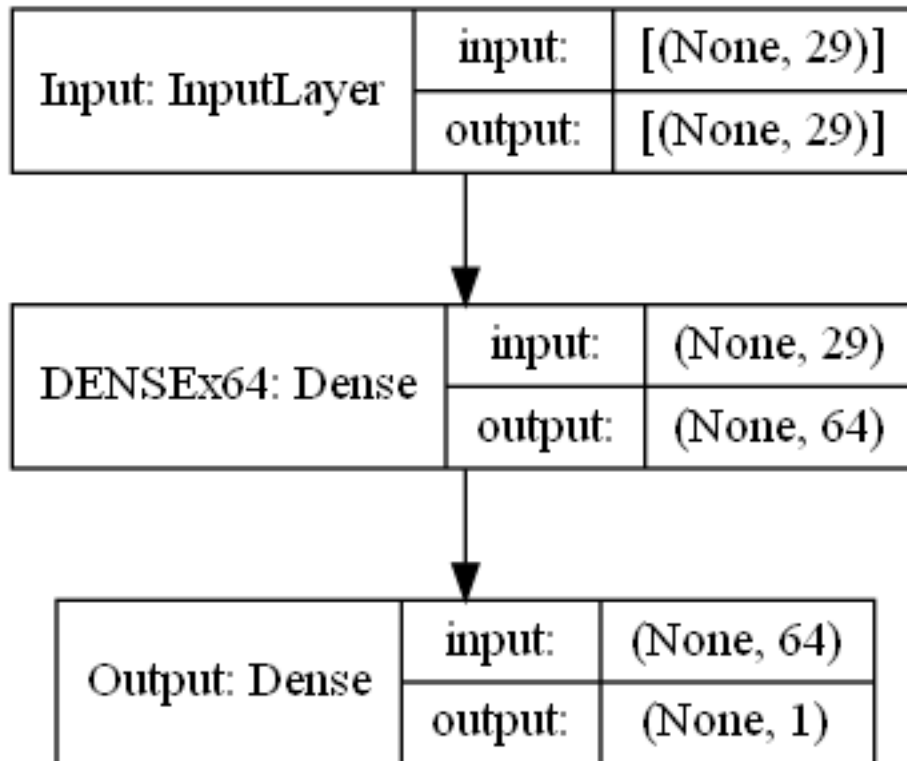
    return model
```

Mostramos la arquitectura del modelo base.

```
[98]: from tensorflow.keras.utils import plot_model

base_model=build_model()
plot_model(base_model,"base_model.png",show_shapes=True)
```

```
[98]:
```



Vemos la descripcion de la capas y el numero de parametros entrenables

```
[99]: base_model.summary()
```

Model: "MODEL\_SEQUENTIAL"

Layer (type)	Output Shape	Param #
DENSEx64 (Dense)	(None, 64)	1920
Output (Dense)	(None, 1)	65

Total params: 1,985

Trainable params: 1,985

Non-trainable params: 0

Ahora establecemos **callbacks** tanto para detener el proceso de entrenamiento si no se obtienen buenos resultados por un numero determinado de epocas. Como tambien para obtener graficas del progreso del modelo durante el entrenamiento segun las epocas

```
[100]: early_stop=tf.keras.callbacks.EarlyStopping(
```



```

monitor="val_loss", #monitorizamos la
    ↪ la funcion de perdida
    patience=10,
)

```

```

[104]: #callbacks para las graficas
def get_callback_tensorboard(name=None):
    import time

    name= int(time.time()) if name is None else f"{name}_{int(time.time())}"
    ↪ #guardo el nombre y el tiempo
    log_dir=f"./tensorboard/fraud_detection/{name}"
    tb=tf.keras.callbacks.TensorBoard(log_dir=log_dir)
    return tb

```

```

[106]: BATCH_SIZE=64
base_model=build_model()
tensorboard_callbacks=get_callback_tensorboard("baseline")
history=base_model.
    ↪ fit(x_train,y_train,epochs=100,batch_size=BATCH_SIZE,validation_data=(x_val,y_val),callback

```

```

Epoch 1/100
2483/2483 [=====] - 5s 2ms/step - loss: 0.0282 -
accuracy: 0.9988 - recall: 0.2991 - val_loss: 0.0078 - val_accuracy: 0.9984 -
val_recall: 0.0303
Epoch 2/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0076 -
accuracy: 0.9984 - recall: 0.1698 - val_loss: 0.0052 - val_accuracy: 0.9989 -
val_recall: 0.4242
Epoch 3/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0057 -
accuracy: 0.9987 - recall: 0.3551 - val_loss: 0.0044 - val_accuracy: 0.9991 -
val_recall: 0.5303
Epoch 4/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0039 -
accuracy: 0.9991 - recall: 0.5738 - val_loss: 0.0043 - val_accuracy: 0.9991 -
val_recall: 0.5303
Epoch 5/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0040 -
accuracy: 0.9993 - recall: 0.6681 - val_loss: 0.0039 - val_accuracy: 0.9992 -
val_recall: 0.5909
Epoch 6/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0036 -
accuracy: 0.9992 - recall: 0.6530 - val_loss: 0.0037 - val_accuracy: 0.9993 -
val_recall: 0.6818
Epoch 7/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0037 -
accuracy: 0.9991 - recall: 0.6285 - val_loss: 0.0038 - val_accuracy: 0.9993 -

```

```

val_recall: 0.7424
Epoch 8/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0028 -
accuracy: 0.9994 - recall: 0.7156 - val_loss: 0.0036 - val_accuracy: 0.9994 -
val_recall: 0.7424
Epoch 9/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0038 -
accuracy: 0.9993 - recall: 0.7088 - val_loss: 0.0035 - val_accuracy: 0.9994 -
val_recall: 0.7273
Epoch 10/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0031 -
accuracy: 0.9994 - recall: 0.7266 - val_loss: 0.0035 - val_accuracy: 0.9994 -
val_recall: 0.7424
Epoch 11/100
2483/2483 [=====] - 4s 1ms/step - loss: 0.0032 -
accuracy: 0.9994 - recall: 0.7251 - val_loss: 0.0034 - val_accuracy: 0.9994 -
val_recall: 0.7424
Epoch 12/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0035 -
accuracy: 0.9993 - recall: 0.7605 - val_loss: 0.0037 - val_accuracy: 0.9994 -
val_recall: 0.7121
Epoch 13/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0032 -
accuracy: 0.9993 - recall: 0.7661 - val_loss: 0.0035 - val_accuracy: 0.9994 -
val_recall: 0.7424
Epoch 14/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0036 -
accuracy: 0.9993 - recall: 0.7293 - val_loss: 0.0035 - val_accuracy: 0.9993 -
val_recall: 0.7576
Epoch 15/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0027 -
accuracy: 0.9995 - recall: 0.7892 - val_loss: 0.0034 - val_accuracy: 0.9994 -
val_recall: 0.7424
Epoch 16/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0037 -
accuracy: 0.9993 - recall: 0.7277 - val_loss: 0.0035 - val_accuracy: 0.9994 -
val_recall: 0.7424
Epoch 17/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0032 -
accuracy: 0.9995 - recall: 0.7589 - val_loss: 0.0035 - val_accuracy: 0.9994 -
val_recall: 0.7424
Epoch 18/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0034 -
accuracy: 0.9994 - recall: 0.7408 - val_loss: 0.0033 - val_accuracy: 0.9994 -
val_recall: 0.7576
Epoch 19/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -
accuracy: 0.9994 - recall: 0.7793 - val_loss: 0.0034 - val_accuracy: 0.9994 -

```

val\_recall: 0.7424  
Epoch 20/100  
2483/2483 [=====] - 4s 1ms/step - loss: 0.0032 -  
accuracy: 0.9994 - recall: 0.7677 - val\_loss: 0.0035 - val\_accuracy: 0.9994 -  
val\_recall: 0.7424  
Epoch 21/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0030 -  
accuracy: 0.9994 - recall: 0.7624 - val\_loss: 0.0035 - val\_accuracy: 0.9994 -  
val\_recall: 0.7424  
Epoch 22/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0036 -  
accuracy: 0.9994 - recall: 0.7579 - val\_loss: 0.0033 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 23/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9995 - recall: 0.8062 - val\_loss: 0.0036 - val\_accuracy: 0.9993 -  
val\_recall: 0.7727  
Epoch 24/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0030 -  
accuracy: 0.9994 - recall: 0.8028 - val\_loss: 0.0034 - val\_accuracy: 0.9994 -  
val\_recall: 0.7424  
Epoch 25/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0031 -  
accuracy: 0.9994 - recall: 0.7903 - val\_loss: 0.0033 - val\_accuracy: 0.9994 -  
val\_recall: 0.7727  
Epoch 26/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0036 -  
accuracy: 0.9993 - recall: 0.7570 - val\_loss: 0.0033 - val\_accuracy: 0.9994 -  
val\_recall: 0.7424  
Epoch 27/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0037 -  
accuracy: 0.9993 - recall: 0.7327 - val\_loss: 0.0033 - val\_accuracy: 0.9993 -  
val\_recall: 0.7727  
Epoch 28/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0028 -  
accuracy: 0.9995 - recall: 0.7866 - val\_loss: 0.0032 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 29/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0024 -  
accuracy: 0.9995 - recall: 0.8040 - val\_loss: 0.0032 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 30/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9995 - recall: 0.8231 - val\_loss: 0.0032 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 31/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9994 - recall: 0.7851 - val\_loss: 0.0036 - val\_accuracy: 0.9993 -

val\_recall: 0.7727  
Epoch 32/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0026 -  
accuracy: 0.9995 - recall: 0.8092 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 33/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9994 - recall: 0.7788 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 34/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0027 -  
accuracy: 0.9994 - recall: 0.8041 - val\_loss: 0.0033 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 35/100  
2483/2483 [=====] - 4s 1ms/step - loss: 0.0027 -  
accuracy: 0.9994 - recall: 0.8118 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 36/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0033 -  
accuracy: 0.9994 - recall: 0.7855 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 37/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0024 -  
accuracy: 0.9995 - recall: 0.8238 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 38/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0032 -  
accuracy: 0.9994 - recall: 0.7550 - val\_loss: 0.0032 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 39/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0028 -  
accuracy: 0.9994 - recall: 0.7657 - val\_loss: 0.0034 - val\_accuracy: 0.9994 -  
val\_recall: 0.7424  
Epoch 40/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0032 -  
accuracy: 0.9994 - recall: 0.7716 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 41/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0031 -  
accuracy: 0.9995 - recall: 0.7686 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 42/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9993 - recall: 0.8042 - val\_loss: 0.0030 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 43/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9995 - recall: 0.8035 - val\_loss: 0.0031 - val\_accuracy: 0.9995 -

val\_recall: 0.7424  
Epoch 44/100  
2483/2483 [=====] - 4s 1ms/step - loss: 0.0033 -  
accuracy: 0.9993 - recall: 0.7645 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 45/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0026 -  
accuracy: 0.9995 - recall: 0.8132 - val\_loss: 0.0030 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 46/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0023 -  
accuracy: 0.9995 - recall: 0.8124 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 47/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0032 -  
accuracy: 0.9994 - recall: 0.7731 - val\_loss: 0.0034 - val\_accuracy: 0.9994 -  
val\_recall: 0.7273  
Epoch 48/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0030 -  
accuracy: 0.9994 - recall: 0.7545 - val\_loss: 0.0030 - val\_accuracy: 0.9995 -  
val\_recall: 0.7424  
Epoch 49/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0031 -  
accuracy: 0.9994 - recall: 0.7575 - val\_loss: 0.0034 - val\_accuracy: 0.9994 -  
val\_recall: 0.7424  
Epoch 50/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0026 -  
accuracy: 0.9994 - recall: 0.7885 - val\_loss: 0.0030 - val\_accuracy: 0.9995 -  
val\_recall: 0.7424  
Epoch 51/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0027 -  
accuracy: 0.9994 - recall: 0.7813 - val\_loss: 0.0030 - val\_accuracy: 0.9995 -  
val\_recall: 0.7576  
Epoch 52/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0033 -  
accuracy: 0.9994 - recall: 0.7995 - val\_loss: 0.0038 - val\_accuracy: 0.9992 -  
val\_recall: 0.7727  
Epoch 53/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0026 -  
accuracy: 0.9995 - recall: 0.7607 - val\_loss: 0.0032 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 54/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9994 - recall: 0.7302 - val\_loss: 0.0031 - val\_accuracy: 0.9995 -  
val\_recall: 0.7424  
Epoch 55/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0035 -  
accuracy: 0.9994 - recall: 0.7408 - val\_loss: 0.0035 - val\_accuracy: 0.9994 -

val\_recall: 0.7424  
Epoch 56/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0024 -  
accuracy: 0.9996 - recall: 0.7988 - val\_loss: 0.0029 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 57/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0032 -  
accuracy: 0.9994 - recall: 0.7400 - val\_loss: 0.0033 - val\_accuracy: 0.9995 -  
val\_recall: 0.7424  
Epoch 58/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0026 -  
accuracy: 0.9995 - recall: 0.7961 - val\_loss: 0.0030 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 59/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0027 -  
accuracy: 0.9994 - recall: 0.7496 - val\_loss: 0.0031 - val\_accuracy: 0.9995 -  
val\_recall: 0.7576  
Epoch 60/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0027 -  
accuracy: 0.9995 - recall: 0.7745 - val\_loss: 0.0035 - val\_accuracy: 0.9995 -  
val\_recall: 0.7424  
Epoch 61/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9994 - recall: 0.7671 - val\_loss: 0.0032 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 62/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0028 -  
accuracy: 0.9995 - recall: 0.7843 - val\_loss: 0.0029 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 63/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0032 -  
accuracy: 0.9993 - recall: 0.7371 - val\_loss: 0.0031 - val\_accuracy: 0.9994 -  
val\_recall: 0.7576  
Epoch 64/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0038 -  
accuracy: 0.9992 - recall: 0.6999 - val\_loss: 0.0032 - val\_accuracy: 0.9995 -  
val\_recall: 0.7576  
Epoch 65/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0030 -  
accuracy: 0.9994 - recall: 0.7800 - val\_loss: 0.0034 - val\_accuracy: 0.9995 -  
val\_recall: 0.7424  
Epoch 66/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0029 -  
accuracy: 0.9994 - recall: 0.7620 - val\_loss: 0.0032 - val\_accuracy: 0.9994 -  
val\_recall: 0.7424  
Epoch 67/100  
2483/2483 [=====] - 3s 1ms/step - loss: 0.0028 -  
accuracy: 0.9995 - recall: 0.8107 - val\_loss: 0.0034 - val\_accuracy: 0.9993 -

```

val_recall: 0.7727
Epoch 68/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0031 -
accuracy: 0.9994 - recall: 0.7189 - val_loss: 0.0031 - val_accuracy: 0.9994 -
val_recall: 0.7273
Epoch 69/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0025 -
accuracy: 0.9996 - recall: 0.8038 - val_loss: 0.0033 - val_accuracy: 0.9994 -
val_recall: 0.7273
Epoch 70/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0025 -
accuracy: 0.9995 - recall: 0.7832 - val_loss: 0.0032 - val_accuracy: 0.9994 -
val_recall: 0.7576
Epoch 71/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0028 -
accuracy: 0.9994 - recall: 0.7767 - val_loss: 0.0032 - val_accuracy: 0.9995 -
val_recall: 0.7576
Epoch 72/100
2483/2483 [=====] - 3s 1ms/step - loss: 0.0024 -
accuracy: 0.9995 - recall: 0.8394 - val_loss: 0.0030 - val_accuracy: 0.9994 -
val_recall: 0.7273

```

Obtenemos algunas graficas de rendimiento tanto en recall como loss. Para ver mas graficas tenemos a **tensorboard** que es mucho mejor que una version estatica de matplotlib.

```

[121]: def
    ↪ plot_metrics(history, metrics=["accuracy", "val_accuracy"], kind_type="line", ax=None):
    ↪
        import pandas as pd #por si no esta previamente importada
        data_metrics=pd.DataFrame(history)
        if ax is None:
            _,(ax)=plt.subplots(1,1)
        ax.set_title(" vs ".join(metrics))
        ax.set_xlabel("Numero de epocas")
        ax.set_ylabel("Valor de metrica")
        data_metrics[metrics].plot(kind=kind_type, ax=ax)

```

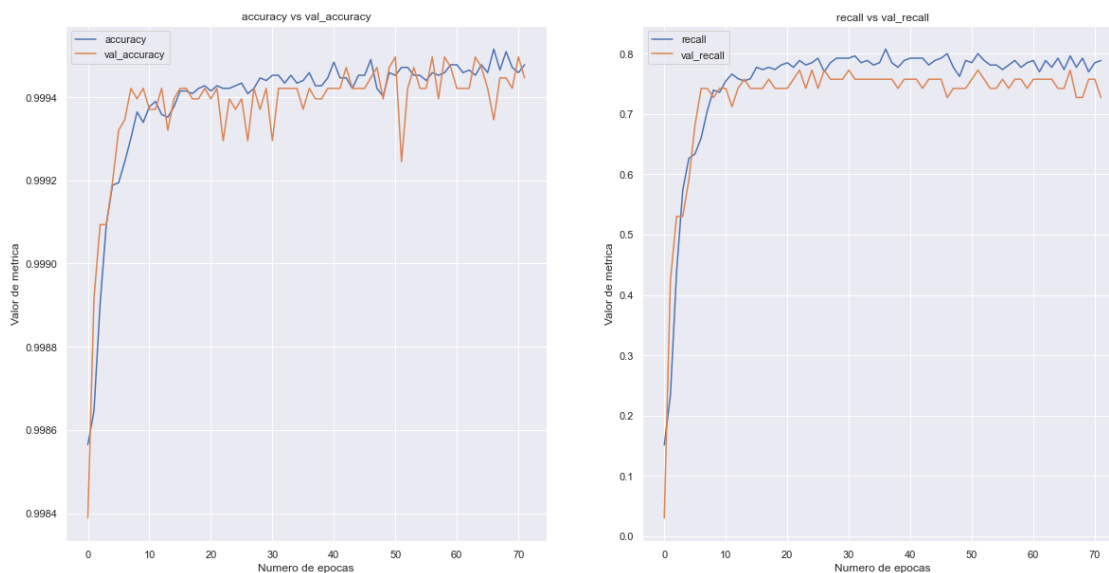
- Veamos el contraste de el accuracy en entrenamiento y validacion

```

[127]: fig,(ax1,ax2)=plt.subplots(1,2,figsize=(20,10))

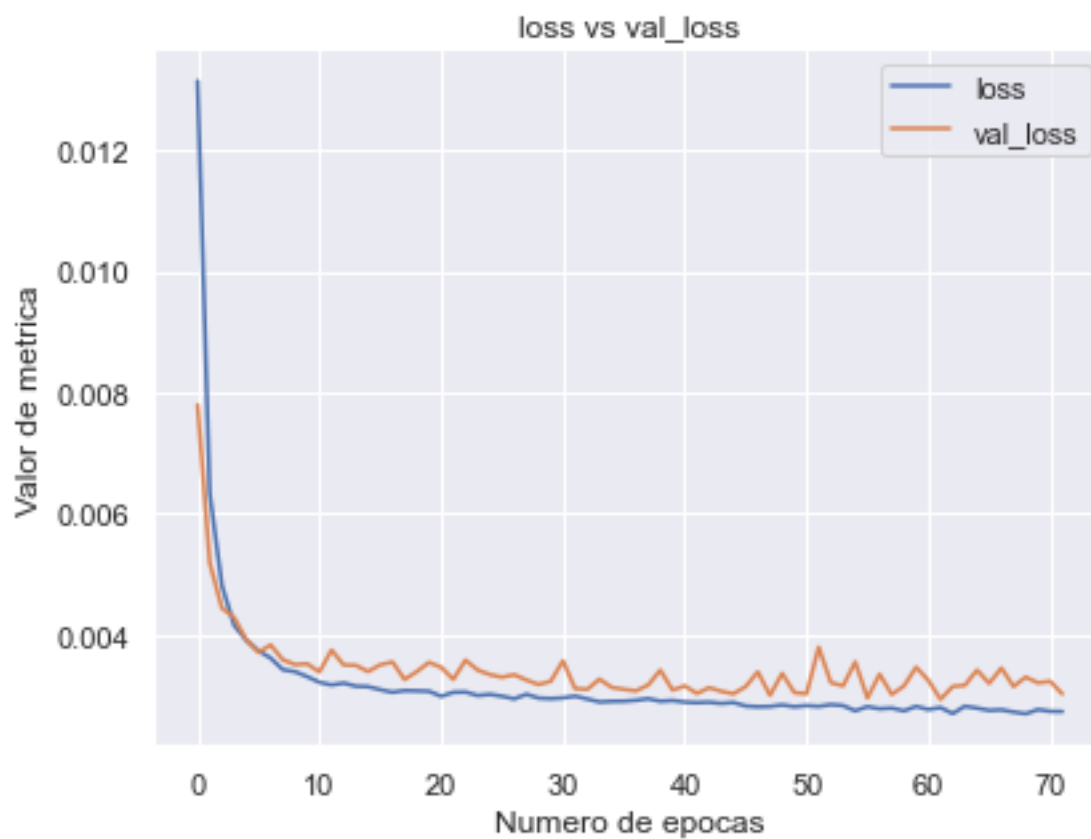
plot_metrics(history.
    ↪ history, metrics=["accuracy", "val_accuracy"], kind_type="line", ax=ax1)
plot_metrics(history.
    ↪ history, metrics=["recall", "val_recall"], kind_type="line", ax=ax2)

```



Veamos la evolucion de la funcion de perdida

```
[126]: plot_metrics(history.history,metrics=["loss","val_loss"])
```





### Validacion: MODELO BASE

```
[149]: base_model.evaluate(x_val,y_val)
```

```
1242/1242 [=====] - 1s 763us/step - loss: 0.0030 -  
accuracy: 0.9994 - recall: 0.7273
```

```
[149]: [0.003015657654032111, 0.9994461536407471, 0.7272727489471436]
```

Evaluamos el modelo en el conjunto de validacion y obtenemos un **accuracy 99.99%** y **recall 72%**

Le agregamos metricas clasificacion para ver el **rendimiento sobre los datos de validacion**

```
[150]: from sklearn.metrics import confusion_matrix  
from sklearn.metrics import classification_report  
import seaborn as sns; sns.set()  
  
#ahora creamos una funcion que nos muestra la matriz de confusion y el reporte_  
→de clasificacion  
  
def display_report_and_matrix_confusion(model,X,y):  
  
    y_pred=model.predict(X)  
    y_pred=np.where(y_pred>=0.5,1,0) #establecemos el umbral como 0.5  
    report=classification_report(y,y_pred)  
    print("REPORTE DE CLASIFICACION")  
    print(report)  
    print("\n Matriz de confusion")  
    mat=confusion_matrix(y,y_pred)  
    sns.heatmap(mat,annot=True,square=True,fmt="0.4f")  
    plt.show()
```

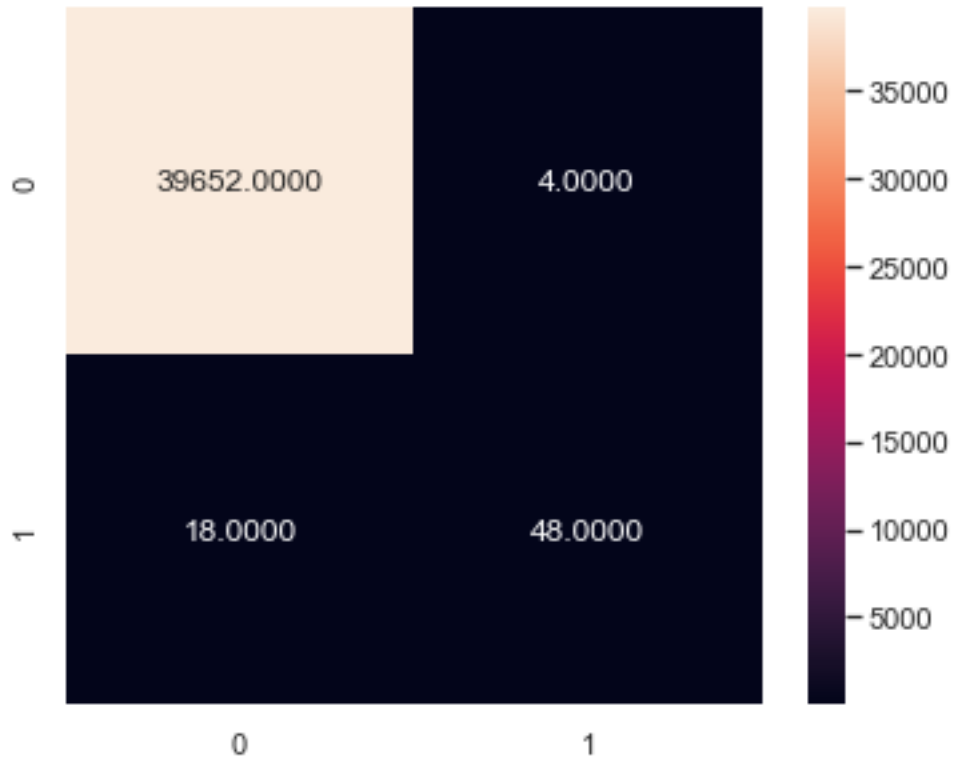
vemos la matriz de confusion para ver como van los resultados

```
[151]: display_report_and_matrix_confusion(base_model,x_val,y_val)
```

#### REPORTE DE CLASIFICACION

	precision	recall	f1-score	support
0.0	1.00	1.00	1.00	39656
1.0	0.92	0.73	0.81	66
accuracy			1.00	39722
macro avg	0.96	0.86	0.91	39722
weighted avg	1.00	1.00	1.00	39722

Matriz de confusion



El modelo base tiene buenos resultados en el conjunto de validacion. Al ser bueno lo llevaremos a la semifinal de modelos si logra pasar las expectativas en el conjunto de **Test**.

Entonces para ellos cargamos los datos de **Test** para evaluarlos y ver la realidad

### EVALUACION DEL MODELO: MODELO BASE

- Esta etapa solo es necesaria si es que el modelo tiene buen rendimiento en los datos de validacion y es definitivo, en caso contrario se necesita explorar nuevas configuraciones y arquitecturas del modelo. Hasta lograr un puntaje decente que conlleve al equilibrio entre el subajuste y sobreajuste

```
[136]: x_test,y_test=load_data("./creditcard_imbalanced/test.csv")
```

```
[137]: x_test=scaler_imb.transform(x_test) #los escalamos con los datos de
      ↪entrenamiento
```

Evaluamos el modelo

```
[139]: base_model.evaluate(x_test,y_test)
```

```
2660/2660 [=====] - 2s 819us/step - loss: 0.0034 - accuracy: 0.9993 - recall: 0.6549
```

```
[139]: [0.003442350309342146, 0.9993420839309692, 0.6549295783042908]
```

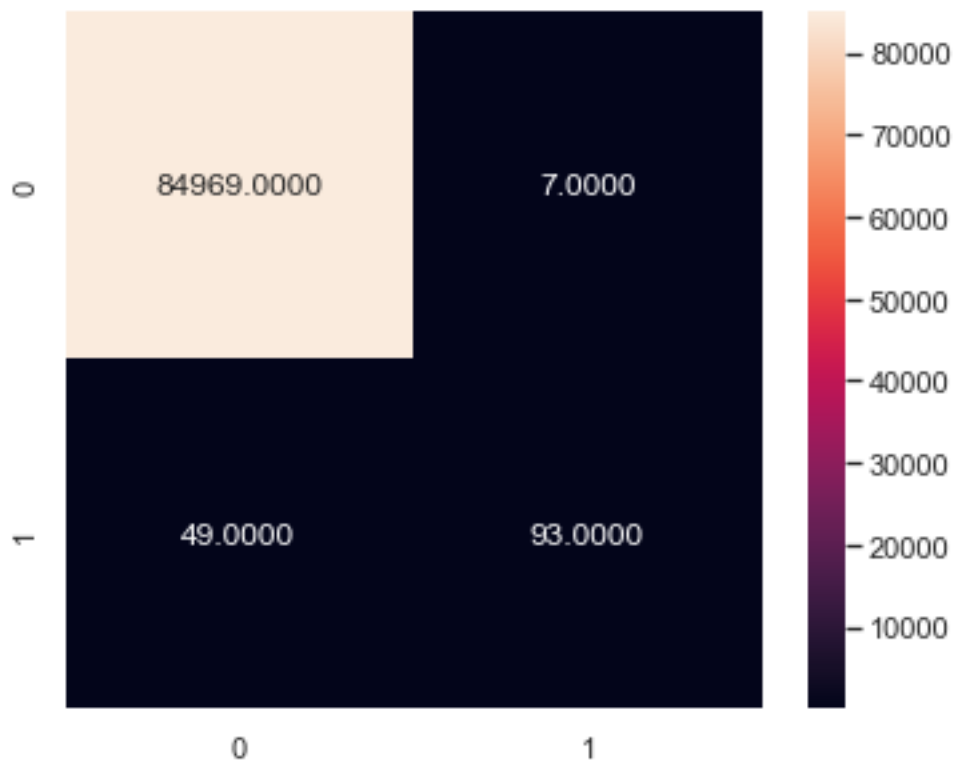
Estamos viendo como tiene una **precision del 99%** pero al final un **recall de 65%**

```
[152]: display_report_and_matrix_confusion(base_model,x_test,y_test)
```

REPORTE DE CLASIFICACION

	precision	recall	f1-score	support
0.0	1.00	1.00	1.00	84976
1.0	0.93	0.65	0.77	142
accuracy			1.00	85118
macro avg	0.96	0.83	0.88	85118
weighted avg	1.00	1.00	1.00	85118

Matriz de confusion



Nada mal para ser el modelo base con solo 49 falsos negativos luego de 80 000 muestras de test. Los modelos que se implementen despues tienen que ser mucho mejor que este.

- Guardamos el modelo con el formato **SavedModel** de tensorflow para contrastarlo luego con los demas modelo

```
[154]: tf.saved_model.save(base_model, "./best_endpoints/base_model")
```

INFO:tensorflow:Assets written to: ./best\_endpoints/base\_model/assets

Guardamos las medidas de escalamiento

```
[178]: import joblib
```

```
joblib.dump(scaler_imb, "./best_endpoints/scaler_imbalanced.pkl")
```

```
[178]: ['./best_endpoints/scaler_imbalanced.pkl']
```

## 0.2.2 MODELO V1.0 CON DATOS SOBREMUESTREADOS

- Una vez listo el modelo base podemos buscar manera de equilibrar el conjunto de datos, por lo que haremos un submuestreo de datos en favor a la clase minoritaria

```
[155]: x_train,y_train=load_data("./creditcard_oversampling/train.csv")
```

- Luego de los datos balanceados a partir del conjunto de entrenamiento, ahora podemos separar los datos de validacion y train y escalarlos

```
[156]: scale_over,x_train,x_val,y_train,y_val=partition_data(x_train,y_train,with_scale=True)
```

- Ya equilibramos los datos. ahora realizaremos la busqueda de los mejores hiperparametros para la capa oculta del modelo con **keras tuner**

```
[157]: import kerastuner as kt
import tensorflow as tf
n_features=x_train.shape[1] #el numero de columnas como dimension de entrada
STEP_UNITS=16 #las pasos de unidades de capa densa para probar los mejores_
    ↪parametros
def build_model_tuning(hp):
    model=tf.keras.models.Sequential()
    model.add(tf.keras.Input(shape=(n_features,),name="Input"))
    model.add(tf.keras.layers.Dense(
        units=hp.
    ↪Int("units",min_value=32,max_value=512,step=STEP_UNITS),
        activation="relu",name="HIDDEN_LAYER"
    ))
    model.add(tf.keras.layers.Dense(1,activation="sigmoid",name="output"))
    #configuracion del modelo

    model.compile(optimizer=tf.keras.optimizers.Adam(lr=1e-3),
        loss=tf.keras.losses.BinaryCrossentropy(),
        metrics=metrics
    )
```

```
return model
```

Creamos una instancia del sintonizador y realizamos el hipertuning

```
[158]: tuning=kt.Hyperband(
        build_model_tuning,
        objective=kt.Objective("val_recall", direction="max"),
        max_epochs=10,
        factor=3,
        directory="./hipertuning/",
        project_name="creditcard_tuner",
        overwrite=True
    )
```

Realizamos el hipertuning del modelo

```
[159]: early_stop=tf.keras.callbacks.EarlyStopping(monitor="val_loss",patience=5)
        tensorboard_callbacks=get_callback_tensorboard("oversample_model")
        tuning.
        ↳search(x_train,y_train,epochs=100,batch_size=64,validation_data=(x_val,y_val),callbacks=[ea
```

Trial 30 Complete [00h 01m 15s]

val\_recall: 0.979019045829773

Best val\_recall So Far: 0.9882486462593079

Total elapsed time: 00h 15m 32s

INFO:tensorflow:Oracle triggered exit

Luego de la búsqueda exhaustiva de hiperparametros, nuestro sintonizador nos devuelve los mejores hiperparametros.

```
[160]: best_hps=tuning.get_best_hyperparameters(num_trials=1)[0]
        print("El mejor numero de neuronas para la capa densa es de {0}".
        ↳format(best_hps.get("units")))
```

El mejor numero de neuronas para la capa densa es de 176

- Entrene el modelo con los datos obtenidos de mejores hiperametros, esto con la finalidad de que ahora se obtengan el mejor numero de epocas de entrenamiento que tienen el **recall** mas alto

```
[161]: best_model=tuning.hypermodel.build(best_hps)
        early_stop=tf.keras.callbacks.EarlyStopping(monitor="val_loss",patience=5) #se↳
        ↳detiene cuando la perdida de validacion no mejora
        history=best_model.
        ↳fit(x_train,y_train,epochs=100,batch_size=64,validation_data=(x_val,y_val),callbacks=[early
        ↳ #mantenemos los callbacks para ahorrar tiempo en caso las metricas no↳
        ↳mejoren a medida que avancen los epochs
```

Epoch 1/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.2066 -  
accuracy: 0.9508 - recall: 0.9234 - val\_loss: 0.1487 - val\_accuracy: 0.9460 -  
val\_recall: 0.9001

Epoch 2/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.1263 -  
accuracy: 0.9497 - recall: 0.9244 - val\_loss: 0.1133 - val\_accuracy: 0.9540 -  
val\_recall: 0.9287

Epoch 3/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.1145 -  
accuracy: 0.9547 - recall: 0.9333 - val\_loss: 0.1044 - val\_accuracy: 0.9598 -  
val\_recall: 0.9485

Epoch 4/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.1061 -  
accuracy: 0.9582 - recall: 0.9406 - val\_loss: 0.0976 - val\_accuracy: 0.9619 -  
val\_recall: 0.9562

Epoch 5/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.1003 -  
accuracy: 0.9610 - recall: 0.9460 - val\_loss: 0.0946 - val\_accuracy: 0.9648 -  
val\_recall: 0.9637

Epoch 6/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0945 -  
accuracy: 0.9636 - recall: 0.9497 - val\_loss: 0.0852 - val\_accuracy: 0.9680 -  
val\_recall: 0.9598

Epoch 7/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0902 -  
accuracy: 0.9658 - recall: 0.9533 - val\_loss: 0.0850 - val\_accuracy: 0.9652 -  
val\_recall: 0.9433

Epoch 8/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0863 -  
accuracy: 0.9669 - recall: 0.9552 - val\_loss: 0.0771 - val\_accuracy: 0.9699 -  
val\_recall: 0.9574

Epoch 9/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0828 -  
accuracy: 0.9681 - recall: 0.9572 - val\_loss: 0.0804 - val\_accuracy: 0.9675 -  
val\_recall: 0.9429

Epoch 10/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0782 -  
accuracy: 0.9695 - recall: 0.9592 - val\_loss: 0.0850 - val\_accuracy: 0.9698 -  
val\_recall: 0.9819

Epoch 11/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0750 -  
accuracy: 0.9710 - recall: 0.9616 - val\_loss: 0.0828 - val\_accuracy: 0.9660 -  
val\_recall: 0.9375

Epoch 12/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0719 -  
accuracy: 0.9723 - recall: 0.9631 - val\_loss: 0.0661 - val\_accuracy: 0.9726 -  
val\_recall: 0.9573

Epoch 13/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0684 -  
accuracy: 0.9732 - recall: 0.9650 - val\_loss: 0.0639 - val\_accuracy: 0.9779 -  
val\_recall: 0.9766

Epoch 14/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0657 -  
accuracy: 0.9746 - recall: 0.9672 - val\_loss: 0.0644 - val\_accuracy: 0.9760 -  
val\_recall: 0.9748

Epoch 15/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0627 -  
accuracy: 0.9755 - recall: 0.9688 - val\_loss: 0.0595 - val\_accuracy: 0.9748 -  
val\_recall: 0.9596

Epoch 16/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0609 -  
accuracy: 0.9767 - recall: 0.9703 - val\_loss: 0.0523 - val\_accuracy: 0.9807 -  
val\_recall: 0.9794

Epoch 17/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0561 -  
accuracy: 0.9784 - recall: 0.9732 - val\_loss: 0.0486 - val\_accuracy: 0.9825 -  
val\_recall: 0.9769

Epoch 18/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0527 -  
accuracy: 0.9799 - recall: 0.9756 - val\_loss: 0.0462 - val\_accuracy: 0.9821 -  
val\_recall: 0.9799

Epoch 19/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0502 -  
accuracy: 0.9805 - recall: 0.9762 - val\_loss: 0.0426 - val\_accuracy: 0.9830 -  
val\_recall: 0.9781

Epoch 20/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0493 -  
accuracy: 0.9813 - recall: 0.9778 - val\_loss: 0.0446 - val\_accuracy: 0.9809 -  
val\_recall: 0.9711

Epoch 21/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0467 -  
accuracy: 0.9822 - recall: 0.9791 - val\_loss: 0.0524 - val\_accuracy: 0.9748 -  
val\_recall: 0.9542

Epoch 22/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0451 -  
accuracy: 0.9827 - recall: 0.9796 - val\_loss: 0.0393 - val\_accuracy: 0.9859 -  
val\_recall: 0.9888

Epoch 23/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0432 -  
accuracy: 0.9834 - recall: 0.9814 - val\_loss: 0.0402 - val\_accuracy: 0.9875 -  
val\_recall: 0.9936

Epoch 24/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0406 -  
accuracy: 0.9849 - recall: 0.9834 - val\_loss: 0.0355 - val\_accuracy: 0.9866 -  
val\_recall: 0.9862

Epoch 25/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0399 -  
accuracy: 0.9853 - recall: 0.9839 - val\_loss: 0.0351 - val\_accuracy: 0.9872 -  
val\_recall: 0.9831

Epoch 26/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0391 -  
accuracy: 0.9855 - recall: 0.9843 - val\_loss: 0.0344 - val\_accuracy: 0.9890 -  
val\_recall: 0.9957

Epoch 27/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0384 -  
accuracy: 0.9857 - recall: 0.9841 - val\_loss: 0.0353 - val\_accuracy: 0.9884 -  
val\_recall: 0.9961

Epoch 28/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0360 -  
accuracy: 0.9869 - recall: 0.9860 - val\_loss: 0.0309 - val\_accuracy: 0.9884 -  
val\_recall: 0.9846

Epoch 29/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0345 -  
accuracy: 0.9872 - recall: 0.9864 - val\_loss: 0.0336 - val\_accuracy: 0.9874 -  
val\_recall: 0.9799

Epoch 30/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0331 -  
accuracy: 0.9878 - recall: 0.9874 - val\_loss: 0.0286 - val\_accuracy: 0.9899 -  
val\_recall: 0.9873

Epoch 31/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0337 -  
accuracy: 0.9877 - recall: 0.9876 - val\_loss: 0.0392 - val\_accuracy: 0.9845 -  
val\_recall: 0.9839

Epoch 32/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0338 -  
accuracy: 0.9879 - recall: 0.9875 - val\_loss: 0.0274 - val\_accuracy: 0.9913 -  
val\_recall: 0.9969

Epoch 33/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0317 -  
accuracy: 0.9888 - recall: 0.9890 - val\_loss: 0.0249 - val\_accuracy: 0.9921 -  
val\_recall: 0.9923

Epoch 34/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0313 -  
accuracy: 0.9888 - recall: 0.9885 - val\_loss: 0.0431 - val\_accuracy: 0.9794 -  
val\_recall: 0.9611

Epoch 35/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0308 -  
accuracy: 0.9892 - recall: 0.9894 - val\_loss: 0.0344 - val\_accuracy: 0.9848 -  
val\_recall: 0.9739

Epoch 36/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0290 -  
accuracy: 0.9899 - recall: 0.9905 - val\_loss: 0.0382 - val\_accuracy: 0.9844 -  
val\_recall: 0.9731



Epoch 37/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0286 -  
accuracy: 0.9901 - recall: 0.9909 - val\_loss: 0.0255 - val\_accuracy: 0.9924 -  
val\_recall: 0.9914  
Epoch 38/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0282 -  
accuracy: 0.9900 - recall: 0.9907 - val\_loss: 0.0215 - val\_accuracy: 0.9940 -  
val\_recall: 0.9971  
Epoch 39/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0269 -  
accuracy: 0.9907 - recall: 0.9916 - val\_loss: 0.0229 - val\_accuracy: 0.9929 -  
val\_recall: 0.9950  
Epoch 40/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0260 -  
accuracy: 0.9912 - recall: 0.9918 - val\_loss: 0.0233 - val\_accuracy: 0.9929 -  
val\_recall: 0.9950  
Epoch 41/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0263 -  
accuracy: 0.9911 - recall: 0.9918 - val\_loss: 0.0206 - val\_accuracy: 0.9935 -  
val\_recall: 0.9919  
Epoch 42/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0255 -  
accuracy: 0.9910 - recall: 0.9916 - val\_loss: 0.0260 - val\_accuracy: 0.9894 -  
val\_recall: 0.9822  
Epoch 43/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0256 -  
accuracy: 0.9910 - recall: 0.9916 - val\_loss: 0.0383 - val\_accuracy: 0.9834 -  
val\_recall: 0.9705  
Epoch 44/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0246 -  
accuracy: 0.9914 - recall: 0.9921 - val\_loss: 0.0190 - val\_accuracy: 0.9943 -  
val\_recall: 0.9961  
Epoch 45/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0247 -  
accuracy: 0.9911 - recall: 0.9922 - val\_loss: 0.0253 - val\_accuracy: 0.9913 -  
val\_recall: 0.9978  
Epoch 46/100  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0237 -  
accuracy: 0.9918 - recall: 0.9928 - val\_loss: 0.0211 - val\_accuracy: 0.9940 -  
val\_recall: 0.9924  
Epoch 47/100  
4957/4957 [=====] - 8s 2ms/step - loss: 0.0226 -  
accuracy: 0.9924 - recall: 0.9936 - val\_loss: 0.0261 - val\_accuracy: 0.9888 -  
val\_recall: 0.9821  
Epoch 48/100  
4957/4957 [=====] - 6s 1ms/step - loss: 0.0224 -  
accuracy: 0.9924 - recall: 0.9933 - val\_loss: 0.0192 - val\_accuracy: 0.9940 -  
val\_recall: 0.9970

Epoch 49/100

4957/4957 [=====] - 7s 1ms/step - loss: 0.0221 - accuracy: 0.9925 - recall: 0.9935 - val\_loss: 0.0196 - val\_accuracy: 0.9933 - val\_recall: 0.9900

Una vez culminado el entrenamiento procedemos a identificar el **epoch** donde obtuvo mas puntaje la metrica **RECALL** que es recuperacion de precision. Esto calcula pares de recuperacion/precision para diferentes umbrales de probabilidad.

Observacion: En el entrenamiento anterior el entrenamiento se detuvo en el epochs=49 debido a que **val\_loss** no mejoraba por mas de 10 epocas

```
[162]: n_epochs=np.argmax(history.history["val_recall"])+1 #busca la ubicacion que
        ↳posee el valor mas alto basandose en su indice+1
        print(f"El numero adecuado de epocas de entrenamiento es de : {n_epochs}")
```

El numero adecuado de epocas de entrenamiento es de : 45

Esta vez continuamos el entrenamiento sin callbacks EarlyStopping debido a que no tenemos nada que monitorear para la mejora. Tenemos los mejores hiperparametros y el numero de epocas apropiado. Ahora si, a realizar un entrenamiento limpio.

```
[163]: tensorboard_callback=get_callback_tensorboard("oversample_model") #incluimos
        ↳tensorboard para mostrar la grafica asociada al entrenamiento
        best_model=tuning.hypermodel.build(best_hps)
        history=best_model.
        ↳fit(x_train,y_train,epochs=n_epochs,batch_size=64,validation_data=(x_val,y_val),callbacks=)
```

Epoch 1/45

4957/4957 [=====] - 8s 2ms/step - loss: 0.2092 - accuracy: 0.9571 - recall: 0.9264 - val\_loss: 0.1283 - val\_accuracy: 0.9501 - val\_recall: 0.9358

Epoch 2/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.1277 - accuracy: 0.9498 - recall: 0.9244 - val\_loss: 0.1177 - val\_accuracy: 0.9541 - val\_recall: 0.9455

Epoch 3/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.1160 - accuracy: 0.9540 - recall: 0.9325 - val\_loss: 0.1025 - val\_accuracy: 0.9581 - val\_recall: 0.9387

Epoch 4/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.1057 - accuracy: 0.9591 - recall: 0.9410 - val\_loss: 0.1013 - val\_accuracy: 0.9597 - val\_recall: 0.9284

Epoch 5/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0985 - accuracy: 0.9613 - recall: 0.9463 - val\_loss: 0.0898 - val\_accuracy: 0.9654 - val\_recall: 0.9456

Epoch 6/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0923 -

accuracy: 0.9644 - recall: 0.9513 - val\_loss: 0.0932 - val\_accuracy: 0.9630 -  
val\_recall: 0.9335  
Epoch 7/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0878 -  
accuracy: 0.9659 - recall: 0.9536 - val\_loss: 0.0798 - val\_accuracy: 0.9678 -  
val\_recall: 0.9491  
Epoch 8/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0818 -  
accuracy: 0.9682 - recall: 0.9580 - val\_loss: 0.0851 - val\_accuracy: 0.9647 -  
val\_recall: 0.9377  
Epoch 9/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0783 -  
accuracy: 0.9702 - recall: 0.9604 - val\_loss: 0.0724 - val\_accuracy: 0.9709 -  
val\_recall: 0.9536  
Epoch 10/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0734 -  
accuracy: 0.9713 - recall: 0.9624 - val\_loss: 0.0648 - val\_accuracy: 0.9750 -  
val\_recall: 0.9682  
Epoch 11/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0702 -  
accuracy: 0.9728 - recall: 0.9648 - val\_loss: 0.0745 - val\_accuracy: 0.9735 -  
val\_recall: 0.9878  
Epoch 12/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0639 -  
accuracy: 0.9751 - recall: 0.9681 - val\_loss: 0.0601 - val\_accuracy: 0.9752 -  
val\_recall: 0.9619  
Epoch 13/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0616 -  
accuracy: 0.9762 - recall: 0.9697 - val\_loss: 0.0581 - val\_accuracy: 0.9757 -  
val\_recall: 0.9638  
Epoch 14/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0570 -  
accuracy: 0.9780 - recall: 0.9725 - val\_loss: 0.0547 - val\_accuracy: 0.9801 -  
val\_recall: 0.9842  
Epoch 15/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0545 -  
accuracy: 0.9791 - recall: 0.9745 - val\_loss: 0.0474 - val\_accuracy: 0.9821 -  
val\_recall: 0.9776  
Epoch 16/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0524 -  
accuracy: 0.9799 - recall: 0.9757 - val\_loss: 0.1185 - val\_accuracy: 0.9552 -  
val\_recall: 0.9118  
Epoch 17/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0507 -  
accuracy: 0.9804 - recall: 0.9764 - val\_loss: 0.0439 - val\_accuracy: 0.9848 -  
val\_recall: 0.9877  
Epoch 18/45  
4957/4957 [=====] - 7s 1ms/step - loss: 0.0481 -

accuracy: 0.9813 - recall: 0.9779 - val\_loss: 0.0523 - val\_accuracy: 0.9768 -  
 val\_recall: 0.9591  
 Epoch 19/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0463 -  
 accuracy: 0.9820 - recall: 0.9790 - val\_loss: 0.0385 - val\_accuracy: 0.9854 -  
 val\_recall: 0.9840  
 Epoch 20/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0427 -  
 accuracy: 0.9837 - recall: 0.9814 - val\_loss: 0.0434 - val\_accuracy: 0.9849 -  
 val\_recall: 0.9917  
 Epoch 21/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0421 -  
 accuracy: 0.9844 - recall: 0.9824 - val\_loss: 0.0410 - val\_accuracy: 0.9839 -  
 val\_recall: 0.9758  
 Epoch 22/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0398 -  
 accuracy: 0.9848 - recall: 0.9826 - val\_loss: 0.0342 - val\_accuracy: 0.9885 -  
 val\_recall: 0.9914  
 Epoch 23/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0402 -  
 accuracy: 0.9848 - recall: 0.9830 - val\_loss: 0.0352 - val\_accuracy: 0.9860 -  
 val\_recall: 0.9795  
 Epoch 24/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0376 -  
 accuracy: 0.9858 - recall: 0.9845 - val\_loss: 0.0480 - val\_accuracy: 0.9826 -  
 val\_recall: 0.9945  
 Epoch 25/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0379 -  
 accuracy: 0.9857 - recall: 0.9846 - val\_loss: 0.0403 - val\_accuracy: 0.9825 -  
 val\_recall: 0.9687  
 Epoch 26/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0367 -  
 accuracy: 0.9862 - recall: 0.9854 - val\_loss: 0.0270 - val\_accuracy: 0.9916 -  
 val\_recall: 0.9923  
 Epoch 27/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0334 -  
 accuracy: 0.9876 - recall: 0.9874 - val\_loss: 0.0283 - val\_accuracy: 0.9904 -  
 val\_recall: 0.9912  
 Epoch 28/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0329 -  
 accuracy: 0.9878 - recall: 0.9873 - val\_loss: 0.0287 - val\_accuracy: 0.9913 -  
 val\_recall: 0.9967  
 Epoch 29/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0325 -  
 accuracy: 0.9881 - recall: 0.9880 - val\_loss: 0.0291 - val\_accuracy: 0.9912 -  
 val\_recall: 0.9937  
 Epoch 30/45  
 4957/4957 [=====] - 7s 1ms/step - loss: 0.0314 -

accuracy: 0.9886 - recall: 0.9884 - val\_loss: 0.0369 - val\_accuracy: 0.9838 - val\_recall: 0.9713

Epoch 31/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0316 - accuracy: 0.9883 - recall: 0.9885 - val\_loss: 0.0258 - val\_accuracy: 0.9914 - val\_recall: 0.9942

Epoch 32/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0294 - accuracy: 0.9892 - recall: 0.9895 - val\_loss: 0.0266 - val\_accuracy: 0.9911 - val\_recall: 0.9942

Epoch 33/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0287 - accuracy: 0.9896 - recall: 0.9900 - val\_loss: 0.0266 - val\_accuracy: 0.9910 - val\_recall: 0.9970

Epoch 34/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0292 - accuracy: 0.9894 - recall: 0.9899 - val\_loss: 0.0253 - val\_accuracy: 0.9910 - val\_recall: 0.9897

Epoch 35/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0273 - accuracy: 0.9900 - recall: 0.9904 - val\_loss: 0.0269 - val\_accuracy: 0.9913 - val\_recall: 0.9984

Epoch 36/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0275 - accuracy: 0.9901 - recall: 0.9905 - val\_loss: 0.0354 - val\_accuracy: 0.9870 - val\_recall: 0.9928

Epoch 37/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0269 - accuracy: 0.9905 - recall: 0.9907 - val\_loss: 0.0283 - val\_accuracy: 0.9881 - val\_recall: 0.9796

Epoch 38/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0260 - accuracy: 0.9907 - recall: 0.9912 - val\_loss: 0.0215 - val\_accuracy: 0.9924 - val\_recall: 0.9897

Epoch 39/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0259 - accuracy: 0.9907 - recall: 0.9914 - val\_loss: 0.0200 - val\_accuracy: 0.9939 - val\_recall: 0.9955

Epoch 40/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0250 - accuracy: 0.9912 - recall: 0.9921 - val\_loss: 0.0213 - val\_accuracy: 0.9937 - val\_recall: 0.9943

Epoch 41/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0252 - accuracy: 0.9910 - recall: 0.9918 - val\_loss: 0.0265 - val\_accuracy: 0.9910 - val\_recall: 0.9975

Epoch 42/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0252 -

accuracy: 0.9910 - recall: 0.9920 - val\_loss: 0.0214 - val\_accuracy: 0.9929 - val\_recall: 0.9935

Epoch 43/45

4957/4957 [=====] - 8s 2ms/step - loss: 0.0245 - accuracy: 0.9912 - recall: 0.9922 - val\_loss: 0.0198 - val\_accuracy: 0.9935 - val\_recall: 0.9962

Epoch 44/45

4957/4957 [=====] - 7s 1ms/step - loss: 0.0238 - accuracy: 0.9919 - recall: 0.9929 - val\_loss: 0.0192 - val\_accuracy: 0.9944 - val\_recall: 0.9952

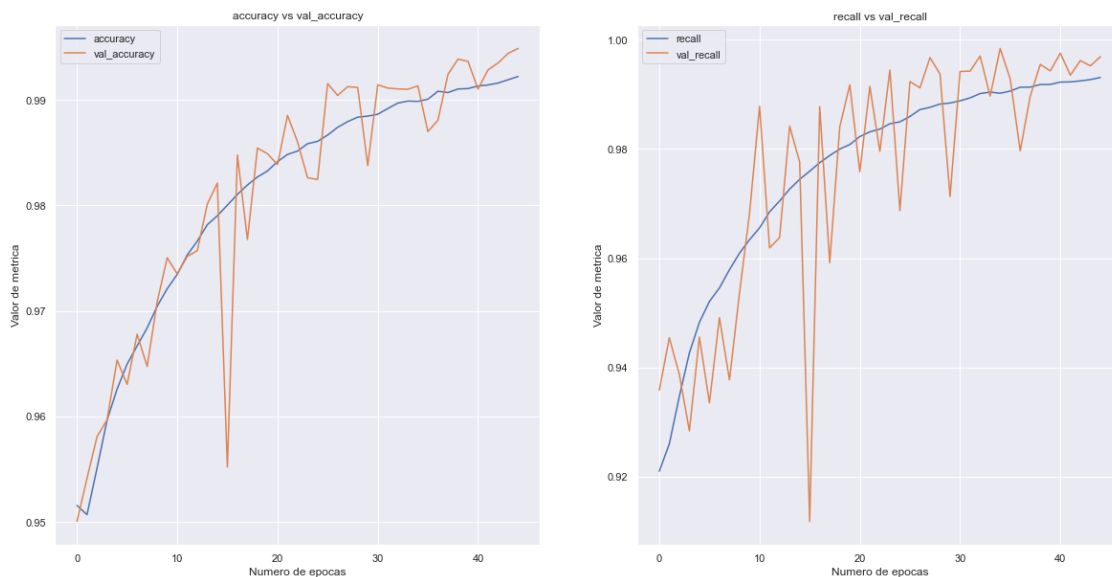
Epoch 45/45

4957/4957 [=====] - 7s 2ms/step - loss: 0.0217 - accuracy: 0.9927 - recall: 0.9939 - val\_loss: 0.0176 - val\_accuracy: 0.9949 - val\_recall: 0.9969

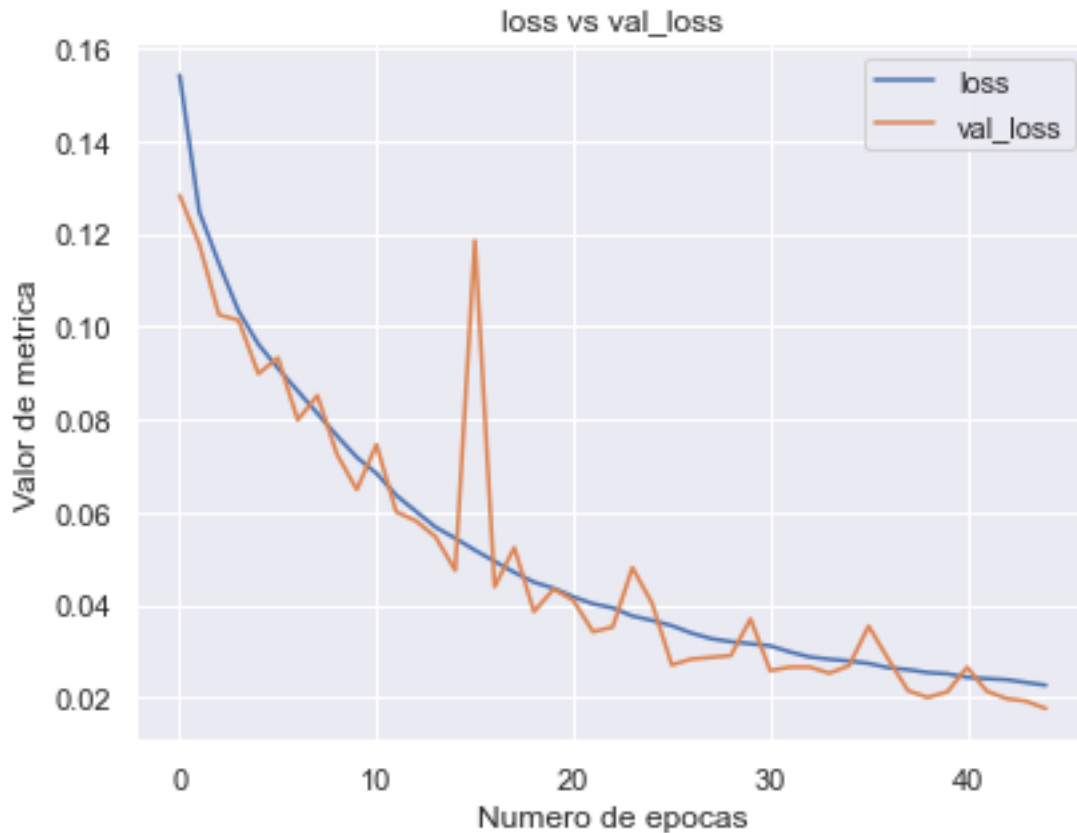
Ahora analizamos las metricas de desempeño del modelo a traves del entrenamiento

```
[165]: fig,(ax1,ax2)=plt.subplots(1,2,figsize=(20,10))

plot_metrics(history.history,metrics=["accuracy","val_accuracy"],ax=ax1)
plot_metrics(history.history,metrics=["recall","val_recall"],ax=ax2)
```



```
[166]: #tenemos la grafica de la funcion de perdida
plot_metrics(history.history,metrics=["loss","val_loss"])
```



Una vez entrenado el mejor modelo procedemos a realizar la **validacion del modelo**

### VALIDACION DEL MODELO: MODELO SOBREMUESTREADO

- Veamos como se comporta el modelo durante el entrenamiento y su contraste con los datos de validacion

```
[169]: best_model.evaluate(x_val,y_val)
```

```
2479/2479 [=====] - 2s 834us/step - loss: 0.0176 - accuracy: 0.9949 - recall: 0.9969
```

```
[169]: [0.01762423664331436, 0.9948809146881104, 0.9968730211257935]
```

El modelo esta **generalizando muy bien en los datos de validacion** y es algo normal debido a que se entrenó y sintonizó con dichos datos. Pero a diferencia del **modelo base**, esta mucho mejor.

A continuacion veamos las metricas relacionadas a los reportes y la matriz de confusion

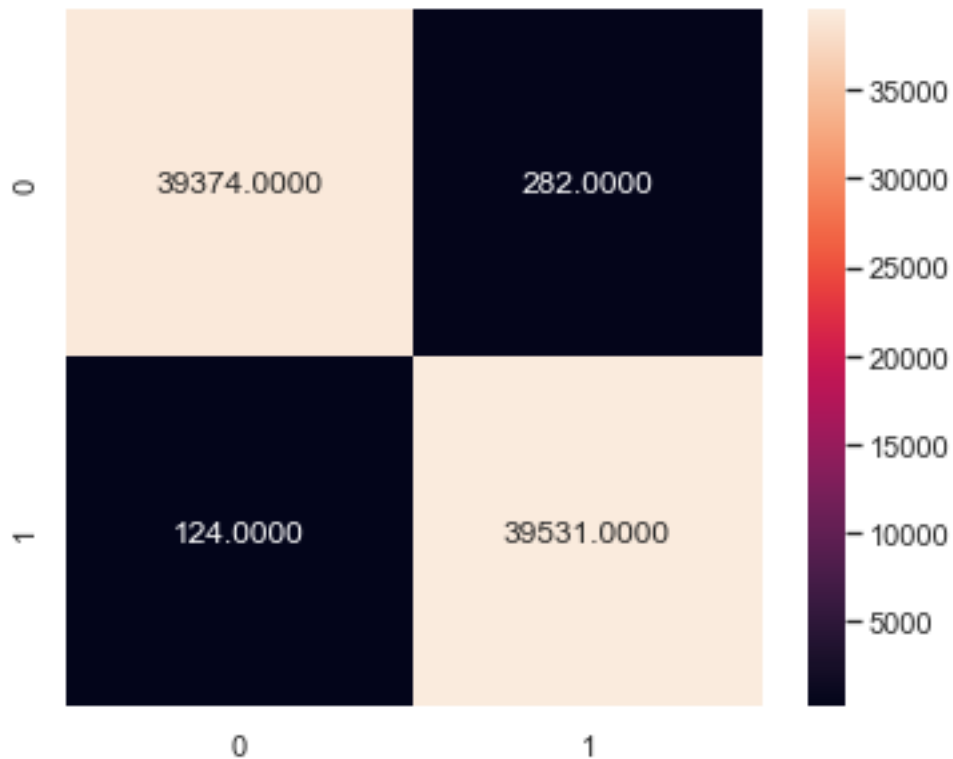
```
[168]: display_report_and_matrix_confusion(best_model,x_val,y_val)
```

REPORTE DE CLASIFICACION

precision	recall	f1-score	support
-----------	--------	----------	---------

0.0	1.00	0.99	0.99	39656
1.0	0.99	1.00	0.99	39655
accuracy			0.99	79311
macro avg	0.99	0.99	0.99	79311
weighted avg	0.99	0.99	0.99	79311

Matriz de confusion



Como era de esperar, los datos se balancearon y por ello incremento el factor de errores y aciertos. Ahora tenemos 124 falsos negativos (transacciones fraudulentas que dejamos ir), como tambien tenemos mas de **35 000 transacciones que identificamos con exito !**

Por otro lado algo de resaltar en este conjunto de validacion es que tenemos mas Falsos positivos que negativos y esta bien.

## EVALUACION DEL MODELO CON SOBREMUESTREO

- Para ello cargamos los datos de test guardados en otro archivo `./creditcard_oversampling/test.cav`

```
[170]: x_test,y_test=load_data("./creditcard_oversampling/test.csv")
```



```
[171]: x_test=scale_over.transform(x_test)
```

```
[172]: best_model.evaluate(x_test,y_test)
```

```
5311/5311 [=====] - 6s 1ms/step - loss: 0.0186 -  
accuracy: 0.9949 - recall: 0.9970
```

```
[172]: [0.01861482672393322, 0.9949456453323364, 0.9969520568847656]
```

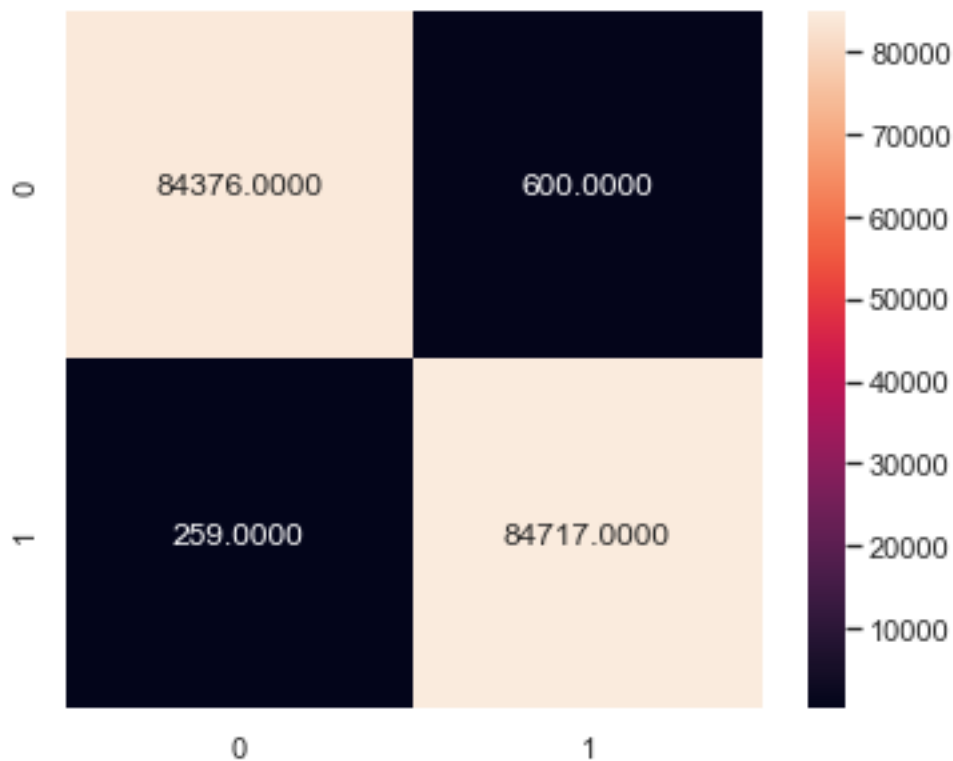
Excelente!. Tenemos una puntuacion de **Accuracy 99.49%** sobre datos nunca antes vistos y un **Recall de 99.7%**. Desde luego unas excelentes metricas sobre datos de Test

```
[173]: display_report_and_matrix_confusion(best_model,x_test,y_test)
```

#### REPORTE DE CLASIFICACION

	precision	recall	f1-score	support
0.0	1.00	0.99	0.99	84976
1.0	0.99	1.00	0.99	84976
accuracy			0.99	169952
macro avg	0.99	0.99	0.99	169952
weighted avg	0.99	0.99	0.99	169952

#### Matriz de confusion



- **TP** (verdadero positivo) : 84376 datos predecidos como positivos correctamente
- **FP** (Falso positivo) : 600 datos predecidos falsamente como positivos
- **FN** (Falso Negativo) : 259 datos predecidos como negativos incorrectamente
- **TN** (verdadero positivo) : 84717 datos predecidos como positivos correctamente

El modelo da resultados excelentes. De mas de 16 000 muestras sobremuestreadas. solo 250 no se detectaron a tiempo, pero en su lugar mas de 80 000 muestras fraudulentas fueron atrapadas exitosamente.

- El modelo tiene una precision del **99%** y **tasa de recall de 99%**. Desde luego fue un mejor modelo

```
[175]: tf.saved_model.save(best_model, "./best_endpoints/model_oversampling")
      ↪ #guardamos el modelo
```

INFO:tensorflow:Assets written to: ./best\_endpoints/model\_oversampling/assets

Las medidas de escalamiento tambien se guardan

```
[176]: import joblib

joblib.dump(scale_over, "./best_endpoints/scaler_oversampling.pkl")
```

```
[176]: ['./best_endpoints/scaler_oversampling.pkl']
```

### 0.2.3 MODELO v2.0 CON DATOS SIN BALANCEAR

- Esta vez se intentara mejorar el modelo base sin balancear a traves de un sintonizador de hiperparametros

Para ello realizaremos los mismos pasos de carga de datos, separacion y normalizacion de datos

```
[196]: x_train,y_train=load_data("./creditcard_imbalanced/train.csv")
      scaler_imbv2,x_train,x_val,y_train,y_val=partition_data(x_train,y_train,with_scale=True,split_
      ↪ 2) #20% de datos de validacion
```

Una vez obtenido los datos, llamo al sintonizador de hiperparametros,y lo configuro

```
[198]: tuning=kt.Hyperband(
        build_model_tuning,
        objective=kt.Objective("val_recall", direction="max"),
        max_epochs=10,
        factor=3,
        directory="./hipertuning/",
        project_name="creditcard_tuner",
        overwrite=True
    )
```

```
[199]: early_stopping=tf.keras.callbacks.EarlyStopping(monitor="val_loss",patience=10)
      ↪#si el entrenamiento no mejora significativamente durante 10 epocas lo
      ↪detengo
```

```
[200]: tuning.
      ↪search(x_train,y_train,epochs=100,batch_size=64,validation_data=(x_val,y_val),callbacks=[ea
```

Trial 30 Complete [00h 00m 36s]  
val\_recall: 0.7424242496490479

Best val\_recall So Far: 0.7727272510528564  
Total elapsed time: 00h 08m 11s  
INFO:tensorflow:Oracle triggered exit

```
[201]: best_hps=tuning.get_best_hyperparameters(num_trials=1)[0]
      ↪print(f"Las mejores neuronas para la capa densa son: {best_hps.get('units')}")
```

Las mejores neuronas para la capa densa son: 304

Ahora construimos el modelo usando el mejor modelo encontrado

```
[202]: model_imbalanced=tuning.get_best_models(num_models=1)[0]
```

```
[203]: model_imbalanced.summary()
```

Model: "sequential"

Layer (type)	Output Shape	Param #
HIDDEN_LAYER (Dense)	(None, 304)	9120
output (Dense)	(None, 1)	305

Total params: 9,425  
Trainable params: 9,425  
Non-trainable params: 0

## VALIDACION DEL MODELO: MODELO DESBALANCEADO BASE MEJORADO

Validamos el modelo

```
[204]: loss_val,acc_val,recall_val=model_imbalanced.evaluate(x_val,y_val)
```

1242/1242 [=====] - 1s 843us/step - loss: 0.0044 -  
accuracy: 0.9993 - recall: 0.6756

```
[205]: print(f"Accuracy {acc_val:0.10f}")
      ↪print(f"Recall {recall_val:0.10f}")
```

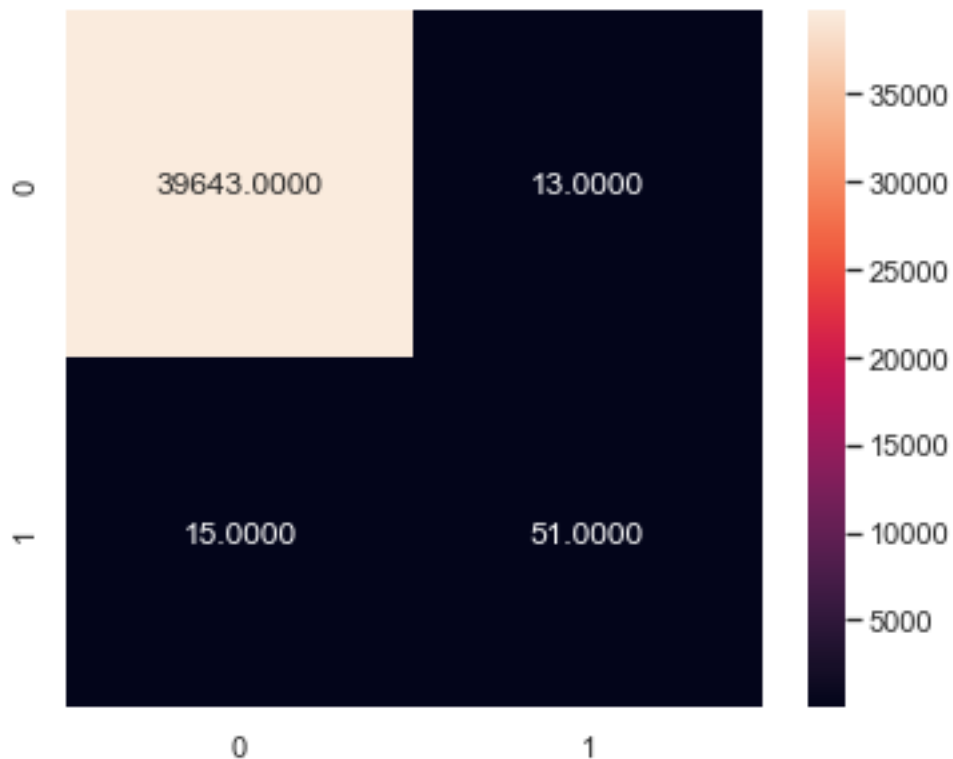
Accuracy 0.9993076921  
Recall 0.7196969986

```
[206]: display_report_and_matrix_confusion(model_imbalanced,x_val,y_val)
```

#### REPORTE DE CLASIFICACION

	precision	recall	f1-score	support
0.0	1.00	1.00	1.00	39656
1.0	0.80	0.77	0.78	66
accuracy			1.00	39722
macro avg	0.90	0.89	0.89	39722
weighted avg	1.00	1.00	1.00	39722

#### Matriz de confusion



- Tenemos un **accuracy 99.84%** y un recall (que es nuestro objetivo) de **77%** en los datos de validacion. Mejor que el modelo base en la etapa de validacion

#### EVALUACION DEL MODELO V2

```
[207]: #primero cargamos los datos y escalamos
x_test,y_test=load_data("./creditcard_imbalanced/test.csv")
x_test=scaler_imbv2.transform(x_test)
```

```
[208]: model_imbalanced.evaluate(x_test,y_test)
```

```
2660/2660 [=====] - 2s 826us/step - loss: 0.0039 -
accuracy: 0.9993 - recall: 0.7394
```

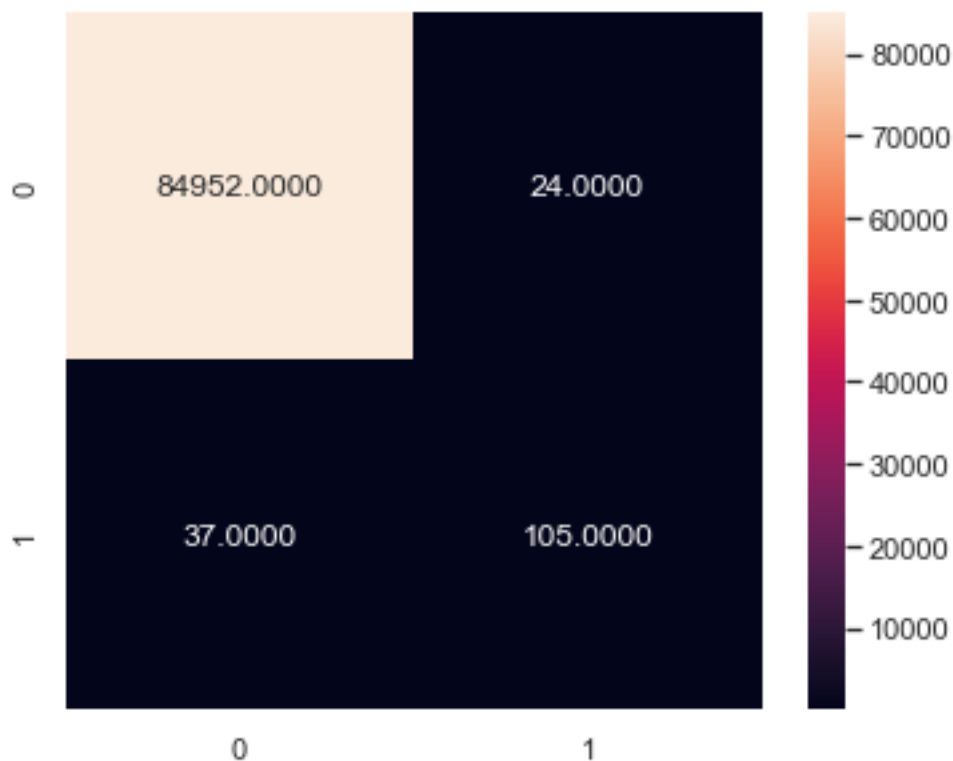
```
[208]: [0.003884269157424569, 0.9992833733558655, 0.7394366264343262]
```

```
[209]: display_report_and_matrix_confusion(model_imbalanced,x_test,y_test)
```

#### REPORTE DE CLASIFICACION

	precision	recall	f1-score	support
0.0	1.00	1.00	1.00	84976
1.0	0.81	0.74	0.77	142
accuracy			1.00	85118
macro avg	0.91	0.87	0.89	85118
weighted avg	1.00	1.00	1.00	85118

#### Matriz de confusion



En comparacion con el modelo base tuvo un **accuracy de 99.9% y un recall superior de 73%**, es mejor que el modelo base.

Obtuvo menor Falsos negativos, pero gano mas falsos positivos, que haran que una transaccion comun sea considerada fraude en al gunos clientes. Es mas sensible al fraude a un costo de ser desconfiado de las verdaderas transacciones confiables

```
[210]: tf.saved_model.save(model_imbalanced, "./best_endpoints/best_model_imbalanced")
```

INFO:tensorflow:Assets written to: ./best\_endpoints/best\_model\_imbalanced\assets

```
[213]: #los datos de escalamiento tambien se guardan
import joblib
joblib.dump scaler_imbv2, "./best_endpoints/scaler_best_imbalanced.pkl")
```

```
[213]: ['./best_endpoints/scaler_best_imbalanced.pkl']
```

#### 0.2.4 MODELO v3.0 CON DATOS BALANCEADOS POR METODO DE SUB-MUESTREO

- Esto nos permite tener la proporcion de clases pertenecientes a fraude y No fraude equilibradas mediante la reduccion de la cantidad de muestras mayoritarias al nivel de clases Minoritarias. Tomelo como el efecto inverso de un Sobre muestreo

```
[214]: #cargamos los datos del sobremuestreo obtenidos en la fase de transformacion de
↳ datos/empacado
x_train,y_train=load_data("./creditcard_undersampling/train.csv")
scaler_usmp,x_train,x_val,y_train,y_val=partition_data(x_train,y_train,with_scale=True,split_s
↳ 2)
```

Teniendo los datos listos, crearemos el modelo y su sintonizador para obtener los mejores parametros para el entrenamiento

```
[215]: BATCH_SIZE=42
STEP_UNITS=2 #Esta variable se encuentra dentro del las funcion que construye
↳ el modelo
```

```
[222]: early_stopping=tf.keras.callbacks.EarlyStopping(monitor="val_loss",patience=10)

tuning=kt.Hyperband(
    build_model_tuning,
    objective=kt.Objective("val_recall", direction="max"),
    max_epochs=10,
    factor=3,
    directory="./hipertuning/",
    project_name="creditcard_tuner",
    overwrite=True
```

```
)
tuning.
↳search(x_train,y_train,epochs=150,batch_size=BATCH_SIZE,validation_data=(x_val,y_val),callback=early_stopping)
```

Trial 30 Complete [00h 00m 01s]

val\_recall: 0.8181818127632141

Best val\_recall So Far: 1.0

Total elapsed time: 00h 00m 36s

INFO:tensorflow:Oracle triggered exit

```
[223]: best_hps=tuning.get_best_hyperparameters(num_trials=1)[0]
```

```
[224]: print("El mejor numero de neuronas para la capa oculta es de",best_hps.
↳get("units"))
```

El mejor numero de neuronas para la capa oculta es de 294

Entonces obtenemos la mejor combinacion de hiperparametros y reconstruimos el modelo, ahora con la intencion de obtener el mejor numero de **epochs** para el modelo

```
[225]: #existen dos maneras de hacerlo
model_unsampling=tuning.hypermodel.build(best_hps) #a traves de la construccion
↳de sus mejores hiperparametros
#model_unsampling=tuning.get_best_models(num_models=1)[0] #obteniendo el mejor
↳modelo
```

La configuracion para la version 3 del modelo es:

```
[226]: model_unsampling.summary()
```

Model: "sequential"

Layer (type)	Output Shape	Param #
HIDDEN_LAYER (Dense)	(None, 294)	8820
output (Dense)	(None, 1)	295

Total params: 9,115

Trainable params: 9,115

Non-trainable params: 0

- Obtenemos el mejor epochs

```
[227]: early_stopping=tf.keras.callbacks.EarlyStopping(monitor="val_loss",patience=10)
history=model_unsampling.
↳fit(x_train,y_train,epochs=150,batch_size=BATCH_SIZE,validation_data=(x_val,y_val),callback=early_stopping)
```

Epoch 1/150  
13/13 [=====] - 1s 21ms/step - loss: 0.6647 - accuracy:  
0.7110 - recall: 0.4197 - val\_loss: 0.6129 - val\_accuracy: 0.7444 - val\_recall:  
0.8636

Epoch 2/150  
13/13 [=====] - 0s 6ms/step - loss: 0.5921 - accuracy:  
0.8615 - recall: 0.8106 - val\_loss: 0.5504 - val\_accuracy: 0.8045 - val\_recall:  
0.6061

Epoch 3/150  
13/13 [=====] - 0s 5ms/step - loss: 0.5445 - accuracy:  
0.8314 - recall: 0.6734 - val\_loss: 0.5070 - val\_accuracy: 0.8346 - val\_recall:  
0.6667

Epoch 4/150  
13/13 [=====] - 0s 5ms/step - loss: 0.4942 - accuracy:  
0.8079 - recall: 0.6125 - val\_loss: 0.4667 - val\_accuracy: 0.8872 - val\_recall:  
0.7879

Epoch 5/150  
13/13 [=====] - 0s 4ms/step - loss: 0.4391 - accuracy:  
0.8898 - recall: 0.7779 - val\_loss: 0.4259 - val\_accuracy: 0.8797 - val\_recall:  
0.7576

Epoch 6/150  
13/13 [=====] - 0s 5ms/step - loss: 0.4090 - accuracy:  
0.8943 - recall: 0.7827 - val\_loss: 0.3945 - val\_accuracy: 0.8872 - val\_recall:  
0.7879

Epoch 7/150  
13/13 [=====] - 0s 5ms/step - loss: 0.3848 - accuracy:  
0.8977 - recall: 0.7827 - val\_loss: 0.3651 - val\_accuracy: 0.8947 - val\_recall:  
0.7879

Epoch 8/150  
13/13 [=====] - 0s 5ms/step - loss: 0.3622 - accuracy:  
0.8931 - recall: 0.7908 - val\_loss: 0.3422 - val\_accuracy: 0.8872 - val\_recall:  
0.7727

Epoch 9/150  
13/13 [=====] - 0s 5ms/step - loss: 0.3550 - accuracy:  
0.8757 - recall: 0.7639 - val\_loss: 0.3302 - val\_accuracy: 0.8797 - val\_recall:  
0.7576

Epoch 10/150  
13/13 [=====] - 0s 6ms/step - loss: 0.3219 - accuracy:  
0.8961 - recall: 0.7914 - val\_loss: 0.3059 - val\_accuracy: 0.8947 - val\_recall:  
0.8030

Epoch 11/150  
13/13 [=====] - 0s 5ms/step - loss: 0.3017 - accuracy:  
0.9068 - recall: 0.8140 - val\_loss: 0.2982 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 12/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2815 - accuracy:  
0.9115 - recall: 0.8261 - val\_loss: 0.2798 - val\_accuracy: 0.8947 - val\_recall:  
0.8030



Epoch 13/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2616 - accuracy:  
0.9070 - recall: 0.8162 - val\_loss: 0.2686 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 14/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2613 - accuracy:  
0.9087 - recall: 0.8219 - val\_loss: 0.2596 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 15/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2749 - accuracy:  
0.8970 - recall: 0.7940 - val\_loss: 0.2514 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 16/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2365 - accuracy:  
0.9190 - recall: 0.8437 - val\_loss: 0.2443 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 17/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2614 - accuracy:  
0.8987 - recall: 0.7997 - val\_loss: 0.2437 - val\_accuracy: 0.8947 - val\_recall:  
0.8030

Epoch 18/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2378 - accuracy:  
0.9081 - recall: 0.8212 - val\_loss: 0.2356 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 19/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2431 - accuracy:  
0.9173 - recall: 0.8442 - val\_loss: 0.2314 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 20/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2145 - accuracy:  
0.9337 - recall: 0.8776 - val\_loss: 0.2287 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 21/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2112 - accuracy:  
0.9380 - recall: 0.8799 - val\_loss: 0.2189 - val\_accuracy: 0.9173 - val\_recall:  
0.8485

Epoch 22/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2054 - accuracy:  
0.9358 - recall: 0.8786 - val\_loss: 0.2192 - val\_accuracy: 0.9098 - val\_recall:  
0.8333

Epoch 23/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2043 - accuracy:  
0.9342 - recall: 0.8683 - val\_loss: 0.2305 - val\_accuracy: 0.9398 - val\_recall:  
0.9091

Epoch 24/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2144 - accuracy:  
0.9369 - recall: 0.8824 - val\_loss: 0.2097 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 25/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2156 - accuracy:  
0.9287 - recall: 0.8635 - val\_loss: 0.2051 - val\_accuracy: 0.9248 - val\_recall:  
0.8636

Epoch 26/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1769 - accuracy:  
0.9482 - recall: 0.8981 - val\_loss: 0.2063 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 27/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2195 - accuracy:  
0.9228 - recall: 0.8500 - val\_loss: 0.2037 - val\_accuracy: 0.9248 - val\_recall:  
0.8636

Epoch 28/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1990 - accuracy:  
0.9239 - recall: 0.8645 - val\_loss: 0.2064 - val\_accuracy: 0.9248 - val\_recall:  
0.8636

Epoch 29/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1959 - accuracy:  
0.9354 - recall: 0.8740 - val\_loss: 0.2034 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 30/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1925 - accuracy:  
0.9429 - recall: 0.8896 - val\_loss: 0.1956 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 31/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1908 - accuracy:  
0.9327 - recall: 0.8758 - val\_loss: 0.1989 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 32/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1923 - accuracy:  
0.9339 - recall: 0.9058 - val\_loss: 0.1897 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 33/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1774 - accuracy:  
0.9403 - recall: 0.8907 - val\_loss: 0.1894 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 34/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1928 - accuracy:  
0.9351 - recall: 0.8845 - val\_loss: 0.1937 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 35/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1785 - accuracy:  
0.9393 - recall: 0.8790 - val\_loss: 0.1864 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 36/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1953 - accuracy:  
0.9227 - recall: 0.8537 - val\_loss: 0.1860 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 37/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1865 - accuracy: 0.9402 - recall: 0.8882 - val\_loss: 0.1850 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 38/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1720 - accuracy: 0.9416 - recall: 0.9076 - val\_loss: 0.1830 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 39/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1662 - accuracy: 0.9371 - recall: 0.8810 - val\_loss: 0.1852 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 40/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1878 - accuracy: 0.9376 - recall: 0.8884 - val\_loss: 0.1826 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 41/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1608 - accuracy: 0.9418 - recall: 0.8899 - val\_loss: 0.1805 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 42/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1591 - accuracy: 0.9447 - recall: 0.8953 - val\_loss: 0.1850 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 43/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1938 - accuracy: 0.9236 - recall: 0.8918 - val\_loss: 0.1934 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 44/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1937 - accuracy: 0.9297 - recall: 0.8692 - val\_loss: 0.1776 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 45/150  
13/13 [=====] - 0s 7ms/step - loss: 0.1725 - accuracy: 0.9499 - recall: 0.9073 - val\_loss: 0.1768 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 46/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1539 - accuracy: 0.9538 - recall: 0.9170 - val\_loss: 0.1930 - val\_accuracy: 0.9398 - val\_recall: 0.9091

Epoch 47/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1861 - accuracy: 0.9187 - recall: 0.8789 - val\_loss: 0.1781 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 48/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1794 - accuracy: 0.9303 - recall: 0.8960 - val\_loss: 0.1849 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 49/150  
13/13 [=====] - 0s 4ms/step - loss: 0.2035 - accuracy:  
0.9210 - recall: 0.8556 - val\_loss: 0.1761 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 50/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1601 - accuracy:  
0.9500 - recall: 0.9049 - val\_loss: 0.1752 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 51/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1701 - accuracy:  
0.9463 - recall: 0.9052 - val\_loss: 0.1730 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 52/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1498 - accuracy:  
0.9493 - recall: 0.9022 - val\_loss: 0.1756 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 53/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1755 - accuracy:  
0.9354 - recall: 0.8864 - val\_loss: 0.1761 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 54/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1744 - accuracy:  
0.9365 - recall: 0.8925 - val\_loss: 0.1722 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 55/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1741 - accuracy:  
0.9357 - recall: 0.8980 - val\_loss: 0.1722 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 56/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1720 - accuracy:  
0.9375 - recall: 0.8759 - val\_loss: 0.1863 - val\_accuracy: 0.9474 - val\_recall:  
0.9242

Epoch 57/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1610 - accuracy:  
0.9391 - recall: 0.9179 - val\_loss: 0.1722 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 58/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1856 - accuracy:  
0.9359 - recall: 0.8863 - val\_loss: 0.1723 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 59/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1710 - accuracy:  
0.9367 - recall: 0.8721 - val\_loss: 0.1851 - val\_accuracy: 0.9474 - val\_recall:  
0.9242

Epoch 60/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1831 - accuracy:  
0.9333 - recall: 0.8957 - val\_loss: 0.1708 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 61/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1862 - accuracy: 0.9216 - recall: 0.8785 - val\_loss: 0.2061 - val\_accuracy: 0.9323 - val\_recall: 0.8636

Epoch 62/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1562 - accuracy: 0.9455 - recall: 0.8988 - val\_loss: 0.1854 - val\_accuracy: 0.9474 - val\_recall: 0.9242

Epoch 63/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1705 - accuracy: 0.9340 - recall: 0.8860 - val\_loss: 0.1748 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 64/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1613 - accuracy: 0.9432 - recall: 0.8898 - val\_loss: 0.1709 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 65/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1762 - accuracy: 0.9361 - recall: 0.8880 - val\_loss: 0.1704 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 66/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1586 - accuracy: 0.9413 - recall: 0.8914 - val\_loss: 0.1742 - val\_accuracy: 0.9323 - val\_recall: 0.8939

Epoch 67/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1566 - accuracy: 0.9449 - recall: 0.9062 - val\_loss: 0.1693 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 68/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1727 - accuracy: 0.9278 - recall: 0.8631 - val\_loss: 0.1689 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 69/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1810 - accuracy: 0.9284 - recall: 0.8919 - val\_loss: 0.1720 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 70/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1854 - accuracy: 0.9262 - recall: 0.8696 - val\_loss: 0.1689 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 71/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1715 - accuracy: 0.9402 - recall: 0.8869 - val\_loss: 0.1690 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 72/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1714 - accuracy: 0.9412 - recall: 0.8877 - val\_loss: 0.1696 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 73/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1579 - accuracy:  
0.9424 - recall: 0.8937 - val\_loss: 0.1752 - val\_accuracy: 0.9323 - val\_recall:  
0.8939

Epoch 74/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1680 - accuracy:  
0.9410 - recall: 0.9037 - val\_loss: 0.1743 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 75/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1504 - accuracy:  
0.9445 - recall: 0.8968 - val\_loss: 0.1882 - val\_accuracy: 0.9323 - val\_recall:  
0.9394

Epoch 76/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1758 - accuracy:  
0.9335 - recall: 0.9233 - val\_loss: 0.1708 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 77/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1361 - accuracy:  
0.9458 - recall: 0.9031 - val\_loss: 0.1665 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 78/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1446 - accuracy:  
0.9552 - recall: 0.9192 - val\_loss: 0.1706 - val\_accuracy: 0.9323 - val\_recall:  
0.8939

Epoch 79/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1609 - accuracy:  
0.9465 - recall: 0.9150 - val\_loss: 0.1671 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 80/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1662 - accuracy:  
0.9429 - recall: 0.9072 - val\_loss: 0.1663 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 81/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1485 - accuracy:  
0.9411 - recall: 0.9135 - val\_loss: 0.1736 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 82/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1593 - accuracy:  
0.9433 - recall: 0.9049 - val\_loss: 0.1656 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 83/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1713 - accuracy:  
0.9298 - recall: 0.8760 - val\_loss: 0.1714 - val\_accuracy: 0.9323 - val\_recall:  
0.8939

Epoch 84/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1678 - accuracy:  
0.9412 - recall: 0.9107 - val\_loss: 0.1719 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 85/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1472 - accuracy: 0.9464 - recall: 0.9010 - val\_loss: 0.1651 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 86/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1602 - accuracy: 0.9396 - recall: 0.9090 - val\_loss: 0.1670 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 87/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1567 - accuracy: 0.9416 - recall: 0.9079 - val\_loss: 0.1731 - val\_accuracy: 0.9398 - val\_recall: 0.9091

Epoch 88/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1642 - accuracy: 0.9334 - recall: 0.9046 - val\_loss: 0.1666 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 89/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1490 - accuracy: 0.9472 - recall: 0.9014 - val\_loss: 0.1641 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 90/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1581 - accuracy: 0.9393 - recall: 0.8955 - val\_loss: 0.1652 - val\_accuracy: 0.9323 - val\_recall: 0.8939

Epoch 91/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1644 - accuracy: 0.9385 - recall: 0.9233 - val\_loss: 0.1742 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 92/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1418 - accuracy: 0.9503 - recall: 0.9120 - val\_loss: 0.1634 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 93/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1670 - accuracy: 0.9309 - recall: 0.8713 - val\_loss: 0.1651 - val\_accuracy: 0.9323 - val\_recall: 0.8939

Epoch 94/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1371 - accuracy: 0.9523 - recall: 0.9146 - val\_loss: 0.1631 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 95/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1760 - accuracy: 0.9349 - recall: 0.8969 - val\_loss: 0.1641 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 96/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1647 - accuracy: 0.9380 - recall: 0.9029 - val\_loss: 0.1697 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 97/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1559 - accuracy: 0.9489 - recall: 0.9086 - val\_loss: 0.1644 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 98/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1550 - accuracy: 0.9416 - recall: 0.8976 - val\_loss: 0.1622 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 99/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1595 - accuracy: 0.9377 - recall: 0.9032 - val\_loss: 0.1811 - val\_accuracy: 0.9398 - val\_recall: 0.8788

Epoch 100/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1835 - accuracy: 0.9335 - recall: 0.8685 - val\_loss: 0.1627 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 101/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1530 - accuracy: 0.9432 - recall: 0.8975 - val\_loss: 0.1621 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 102/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1341 - accuracy: 0.9568 - recall: 0.9160 - val\_loss: 0.1729 - val\_accuracy: 0.9474 - val\_recall: 0.9242

Epoch 103/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1581 - accuracy: 0.9378 - recall: 0.9203 - val\_loss: 0.1620 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 104/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1475 - accuracy: 0.9465 - recall: 0.9155 - val\_loss: 0.1610 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 105/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1265 - accuracy: 0.9525 - recall: 0.9186 - val\_loss: 0.1625 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 106/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1246 - accuracy: 0.9552 - recall: 0.9137 - val\_loss: 0.1819 - val\_accuracy: 0.9323 - val\_recall: 0.9394

Epoch 107/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1590 - accuracy: 0.9473 - recall: 0.9155 - val\_loss: 0.1624 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 108/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1577 - accuracy: 0.9505 - recall: 0.9172 - val\_loss: 0.1605 - val\_accuracy: 0.9398 - val\_recall: 0.8939



Epoch 109/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1403 - accuracy: 0.9478 - recall: 0.9106 - val\_loss: 0.1697 - val\_accuracy: 0.9474 - val\_recall: 0.9242

Epoch 110/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1837 - accuracy: 0.9410 - recall: 0.9279 - val\_loss: 0.1936 - val\_accuracy: 0.9398 - val\_recall: 0.8788

Epoch 111/150  
13/13 [=====] - 0s 5ms/step - loss: 0.2143 - accuracy: 0.9184 - recall: 0.8561 - val\_loss: 0.1737 - val\_accuracy: 0.9398 - val\_recall: 0.8788

Epoch 112/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1787 - accuracy: 0.9301 - recall: 0.8855 - val\_loss: 0.1716 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 113/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1639 - accuracy: 0.9352 - recall: 0.8845 - val\_loss: 0.1623 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 114/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1782 - accuracy: 0.9410 - recall: 0.8866 - val\_loss: 0.1694 - val\_accuracy: 0.9474 - val\_recall: 0.9242

Epoch 115/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1522 - accuracy: 0.9437 - recall: 0.9113 - val\_loss: 0.1598 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 116/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1455 - accuracy: 0.9455 - recall: 0.9134 - val\_loss: 0.1593 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 117/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1313 - accuracy: 0.9602 - recall: 0.9293 - val\_loss: 0.1715 - val\_accuracy: 0.9474 - val\_recall: 0.9242

Epoch 118/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1748 - accuracy: 0.9411 - recall: 0.9016 - val\_loss: 0.1609 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 119/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1411 - accuracy: 0.9460 - recall: 0.9065 - val\_loss: 0.1658 - val\_accuracy: 0.9398 - val\_recall: 0.9091

Epoch 120/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1420 - accuracy: 0.9536 - recall: 0.9180 - val\_loss: 0.1610 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 121/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1414 - accuracy: 0.9435 - recall: 0.8954 - val\_loss: 0.1588 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 122/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1630 - accuracy: 0.9368 - recall: 0.8981 - val\_loss: 0.1586 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 123/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1386 - accuracy: 0.9520 - recall: 0.9194 - val\_loss: 0.1763 - val\_accuracy: 0.9323 - val\_recall: 0.9394

Epoch 124/150  
13/13 [=====] - 0s 6ms/step - loss: 0.1641 - accuracy: 0.9380 - recall: 0.9214 - val\_loss: 0.1581 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 125/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1649 - accuracy: 0.9425 - recall: 0.9156 - val\_loss: 0.1600 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 126/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1639 - accuracy: 0.9473 - recall: 0.9234 - val\_loss: 0.1810 - val\_accuracy: 0.9398 - val\_recall: 0.8788

Epoch 127/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1612 - accuracy: 0.9414 - recall: 0.8844 - val\_loss: 0.1606 - val\_accuracy: 0.9323 - val\_recall: 0.8939

Epoch 128/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1742 - accuracy: 0.9280 - recall: 0.8888 - val\_loss: 0.1582 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 129/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1312 - accuracy: 0.9568 - recall: 0.9315 - val\_loss: 0.1586 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 130/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1524 - accuracy: 0.9427 - recall: 0.9070 - val\_loss: 0.1576 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 131/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1302 - accuracy: 0.9562 - recall: 0.9204 - val\_loss: 0.1612 - val\_accuracy: 0.9398 - val\_recall: 0.9091

Epoch 132/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1495 - accuracy: 0.9534 - recall: 0.9482 - val\_loss: 0.1576 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 133/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1426 - accuracy:  
0.9530 - recall: 0.9326 - val\_loss: 0.1628 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 134/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1609 - accuracy:  
0.9389 - recall: 0.8959 - val\_loss: 0.1630 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 135/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1735 - accuracy:  
0.9347 - recall: 0.8945 - val\_loss: 0.1638 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 136/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1612 - accuracy:  
0.9430 - recall: 0.8913 - val\_loss: 0.1711 - val\_accuracy: 0.9323 - val\_recall:  
0.9242

Epoch 137/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1502 - accuracy:  
0.9572 - recall: 0.9333 - val\_loss: 0.1569 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 138/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1360 - accuracy:  
0.9486 - recall: 0.9191 - val\_loss: 0.1567 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 139/150  
13/13 [=====] - 0s 4ms/step - loss: 0.1558 - accuracy:  
0.9508 - recall: 0.9330 - val\_loss: 0.1566 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 140/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1470 - accuracy:  
0.9476 - recall: 0.9139 - val\_loss: 0.1668 - val\_accuracy: 0.9474 - val\_recall:  
0.9242

Epoch 141/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1437 - accuracy:  
0.9508 - recall: 0.9425 - val\_loss: 0.1695 - val\_accuracy: 0.9398 - val\_recall:  
0.8788

Epoch 142/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1468 - accuracy:  
0.9477 - recall: 0.9046 - val\_loss: 0.1594 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 143/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1459 - accuracy:  
0.9492 - recall: 0.9077 - val\_loss: 0.1738 - val\_accuracy: 0.9323 - val\_recall:  
0.9394

Epoch 144/150  
13/13 [=====] - 0s 5ms/step - loss: 0.1504 - accuracy:  
0.9520 - recall: 0.9404 - val\_loss: 0.1621 - val\_accuracy: 0.9398 - val\_recall:  
0.8788

```

Epoch 145/150
13/13 [=====] - 0s 5ms/step - loss: 0.1413 - accuracy:
0.9501 - recall: 0.9042 - val_loss: 0.1571 - val_accuracy: 0.9398 - val_recall:
0.8939
Epoch 146/150
13/13 [=====] - 0s 5ms/step - loss: 0.1527 - accuracy:
0.9479 - recall: 0.9046 - val_loss: 0.1562 - val_accuracy: 0.9323 - val_recall:
0.8939
Epoch 147/150
13/13 [=====] - 0s 5ms/step - loss: 0.1721 - accuracy:
0.9267 - recall: 0.8899 - val_loss: 0.1578 - val_accuracy: 0.9398 - val_recall:
0.8939
Epoch 148/150
13/13 [=====] - 0s 5ms/step - loss: 0.1458 - accuracy:
0.9511 - recall: 0.9135 - val_loss: 0.1549 - val_accuracy: 0.9398 - val_recall:
0.8939
Epoch 149/150
13/13 [=====] - 0s 4ms/step - loss: 0.1602 - accuracy:
0.9447 - recall: 0.9168 - val_loss: 0.1568 - val_accuracy: 0.9398 - val_recall:
0.8939
Epoch 150/150
13/13 [=====] - 0s 5ms/step - loss: 0.1586 - accuracy:
0.9392 - recall: 0.9052 - val_loss: 0.1613 - val_accuracy: 0.9398 - val_recall:
0.8788

```

```

[229]: #a continuacion extraemos el indice de mayor rendimiento para obtener el epoch
n_epochs=np.argmax(history.history["val_recall"])+1
print("El numero de epochs adecuado es ",n_epochs)

```

El numero de epochs adecuado es 75

```

[230]: model_unsampling=tuning.hypermodel.build(best_hps) #reconstruimos el modelo
tensorboard_callback=tf.keras.callbacks.TensorBoard(log_dir="./graph/
↳deteccion_fraude/best_model_unsampling_last/")
history=model_unsampling.
↳fit(x_train,y_train,epochs=n_epochs,batch_size=BATCH_SIZE,validation_data=(x_val,y_val),cal

```

```

Epoch 1/75
13/13 [=====] - 80s 7s/step - loss: 0.6656 - accuracy:
0.7277 - recall: 0.6944 - val_loss: 0.6042 - val_accuracy: 0.8271 - val_recall:
0.6515
Epoch 2/75
13/13 [=====] - 0s 6ms/step - loss: 0.5887 - accuracy:
0.7933 - recall: 0.5448 - val_loss: 0.5598 - val_accuracy: 0.9098 - val_recall:
0.8333
Epoch 3/75
13/13 [=====] - 0s 5ms/step - loss: 0.5392 - accuracy:
0.8993 - recall: 0.8024 - val_loss: 0.5082 - val_accuracy: 0.8421 - val_recall:
0.6818

```

Epoch 4/75  
13/13 [=====] - 0s 5ms/step - loss: 0.4984 - accuracy:  
0.8339 - recall: 0.6646 - val\_loss: 0.4642 - val\_accuracy: 0.8797 - val\_recall:  
0.7576

Epoch 5/75  
13/13 [=====] - 0s 5ms/step - loss: 0.4566 - accuracy:  
0.8680 - recall: 0.7219 - val\_loss: 0.4282 - val\_accuracy: 0.9023 - val\_recall:  
0.8030

Epoch 6/75  
13/13 [=====] - 0s 5ms/step - loss: 0.4133 - accuracy:  
0.8876 - recall: 0.7703 - val\_loss: 0.3921 - val\_accuracy: 0.8797 - val\_recall:  
0.7576

Epoch 7/75  
13/13 [=====] - 0s 4ms/step - loss: 0.3764 - accuracy:  
0.9003 - recall: 0.7976 - val\_loss: 0.3717 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 8/75  
13/13 [=====] - 0s 5ms/step - loss: 0.3679 - accuracy:  
0.8859 - recall: 0.7763 - val\_loss: 0.3451 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 9/75  
13/13 [=====] - 0s 5ms/step - loss: 0.3396 - accuracy:  
0.9054 - recall: 0.8060 - val\_loss: 0.3217 - val\_accuracy: 0.9023 - val\_recall:  
0.8030

Epoch 10/75  
13/13 [=====] - 0s 4ms/step - loss: 0.3145 - accuracy:  
0.8893 - recall: 0.7688 - val\_loss: 0.3091 - val\_accuracy: 0.9023 - val\_recall:  
0.8182

Epoch 11/75  
13/13 [=====] - 0s 5ms/step - loss: 0.3056 - accuracy:  
0.9026 - recall: 0.7969 - val\_loss: 0.2977 - val\_accuracy: 0.9098 - val\_recall:  
0.8333

Epoch 12/75  
13/13 [=====] - 0s 5ms/step - loss: 0.3152 - accuracy:  
0.9037 - recall: 0.8119 - val\_loss: 0.2876 - val\_accuracy: 0.8947 - val\_recall:  
0.7879

Epoch 13/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2990 - accuracy:  
0.8978 - recall: 0.7931 - val\_loss: 0.2788 - val\_accuracy: 0.8947 - val\_recall:  
0.7879

Epoch 14/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2811 - accuracy:  
0.8964 - recall: 0.7978 - val\_loss: 0.2621 - val\_accuracy: 0.9098 - val\_recall:  
0.8182

Epoch 15/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2588 - accuracy:  
0.9027 - recall: 0.8047 - val\_loss: 0.2703 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 16/75  
13/13 [=====] - 0s 4ms/step - loss: 0.2475 - accuracy: 0.9266 - recall: 0.8580 - val\_loss: 0.2581 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 17/75  
13/13 [=====] - 0s 4ms/step - loss: 0.2566 - accuracy: 0.9253 - recall: 0.8813 - val\_loss: 0.2483 - val\_accuracy: 0.9023 - val\_recall: 0.8030

Epoch 18/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2621 - accuracy: 0.9122 - recall: 0.8328 - val\_loss: 0.2423 - val\_accuracy: 0.9023 - val\_recall: 0.8030

Epoch 19/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2422 - accuracy: 0.8915 - recall: 0.7886 - val\_loss: 0.2350 - val\_accuracy: 0.9248 - val\_recall: 0.8636

Epoch 20/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2249 - accuracy: 0.9227 - recall: 0.8558 - val\_loss: 0.2293 - val\_accuracy: 0.9248 - val\_recall: 0.8636

Epoch 21/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2121 - accuracy: 0.9283 - recall: 0.8628 - val\_loss: 0.2298 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 22/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2229 - accuracy: 0.9304 - recall: 0.8714 - val\_loss: 0.2274 - val\_accuracy: 0.9173 - val\_recall: 0.8333

Epoch 23/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2340 - accuracy: 0.9178 - recall: 0.8402 - val\_loss: 0.2177 - val\_accuracy: 0.9248 - val\_recall: 0.8636

Epoch 24/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2148 - accuracy: 0.9243 - recall: 0.8563 - val\_loss: 0.2156 - val\_accuracy: 0.9248 - val\_recall: 0.8636

Epoch 25/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2168 - accuracy: 0.9237 - recall: 0.8647 - val\_loss: 0.2256 - val\_accuracy: 0.9023 - val\_recall: 0.8030

Epoch 26/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2034 - accuracy: 0.9187 - recall: 0.8366 - val\_loss: 0.2159 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 27/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2218 - accuracy: 0.9290 - recall: 0.8909 - val\_loss: 0.2064 - val\_accuracy: 0.9248 - val\_recall: 0.8636

Epoch 28/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1760 - accuracy: 0.9442 - recall: 0.8930 - val\_loss: 0.2158 - val\_accuracy: 0.9248 - val\_recall: 0.8788

Epoch 29/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2155 - accuracy: 0.9351 - recall: 0.8877 - val\_loss: 0.2027 - val\_accuracy: 0.9248 - val\_recall: 0.8636

Epoch 30/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2050 - accuracy: 0.9189 - recall: 0.8540 - val\_loss: 0.1996 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 31/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1766 - accuracy: 0.9455 - recall: 0.8908 - val\_loss: 0.1980 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 32/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2018 - accuracy: 0.9249 - recall: 0.8712 - val\_loss: 0.2029 - val\_accuracy: 0.9323 - val\_recall: 0.8636

Epoch 33/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1992 - accuracy: 0.9283 - recall: 0.8527 - val\_loss: 0.1980 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 34/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1922 - accuracy: 0.9363 - recall: 0.8763 - val\_loss: 0.1928 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 35/75  
13/13 [=====] - 0s 4ms/step - loss: 0.1755 - accuracy: 0.9419 - recall: 0.8866 - val\_loss: 0.2062 - val\_accuracy: 0.9398 - val\_recall: 0.9091

Epoch 36/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1790 - accuracy: 0.9442 - recall: 0.9082 - val\_loss: 0.1912 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 37/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1888 - accuracy: 0.9355 - recall: 0.8704 - val\_loss: 0.1881 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 38/75  
13/13 [=====] - 0s 4ms/step - loss: 0.2106 - accuracy: 0.9176 - recall: 0.8515 - val\_loss: 0.1930 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 39/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2049 - accuracy: 0.9165 - recall: 0.8460 - val\_loss: 0.1986 - val\_accuracy: 0.9323 - val\_recall: 0.8636

Epoch 40/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1743 - accuracy: 0.9249 - recall: 0.8646 - val\_loss: 0.2010 - val\_accuracy: 0.9398 - val\_recall: 0.9091

Epoch 41/75  
13/13 [=====] - 0s 5ms/step - loss: 0.2043 - accuracy: 0.9272 - recall: 0.8782 - val\_loss: 0.1892 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 42/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1716 - accuracy: 0.9404 - recall: 0.8916 - val\_loss: 0.1833 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 43/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1708 - accuracy: 0.9397 - recall: 0.8875 - val\_loss: 0.1900 - val\_accuracy: 0.9323 - val\_recall: 0.8939

Epoch 44/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1661 - accuracy: 0.9441 - recall: 0.9108 - val\_loss: 0.1815 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 45/75  
13/13 [=====] - ETA: 0s - loss: 0.1480 - accuracy: 0.9762 - recall: 0.941 - 0s 5ms/step - loss: 0.1640 - accuracy: 0.9505 - recall: 0.9009 - val\_loss: 0.2168 - val\_accuracy: 0.9173 - val\_recall: 0.9242

Epoch 46/75  
13/13 [=====] - 0s 4ms/step - loss: 0.2035 - accuracy: 0.9226 - recall: 0.9050 - val\_loss: 0.1800 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 47/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1721 - accuracy: 0.9458 - recall: 0.9118 - val\_loss: 0.1818 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 48/75  
13/13 [=====] - 0s 4ms/step - loss: 0.1744 - accuracy: 0.9314 - recall: 0.8860 - val\_loss: 0.1798 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 49/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1851 - accuracy: 0.9373 - recall: 0.9045 - val\_loss: 0.1778 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 50/75  
13/13 [=====] - 0s 4ms/step - loss: 0.1534 - accuracy: 0.9476 - recall: 0.9075 - val\_loss: 0.1796 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 51/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1795 - accuracy: 0.9318 - recall: 0.8767 - val\_loss: 0.1811 - val\_accuracy: 0.9323 - val\_recall: 0.8788



Epoch 52/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1727 - accuracy:  
0.9319 - recall: 0.8720 - val\_loss: 0.1763 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 53/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1825 - accuracy:  
0.9332 - recall: 0.8822 - val\_loss: 0.1796 - val\_accuracy: 0.9323 - val\_recall:  
0.8939

Epoch 54/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1859 - accuracy:  
0.9323 - recall: 0.8906 - val\_loss: 0.1774 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 55/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1593 - accuracy:  
0.9399 - recall: 0.8893 - val\_loss: 0.1747 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 56/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1664 - accuracy:  
0.9406 - recall: 0.8867 - val\_loss: 0.1782 - val\_accuracy: 0.9323 - val\_recall:  
0.8939

Epoch 57/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1792 - accuracy:  
0.9279 - recall: 0.8845 - val\_loss: 0.1771 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 58/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1716 - accuracy:  
0.9330 - recall: 0.8801 - val\_loss: 0.1766 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 59/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1770 - accuracy:  
0.9387 - recall: 0.8826 - val\_loss: 0.1860 - val\_accuracy: 0.9398 - val\_recall:  
0.9091

Epoch 60/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1591 - accuracy:  
0.9442 - recall: 0.9032 - val\_loss: 0.1790 - val\_accuracy: 0.9323 - val\_recall:  
0.8939

Epoch 61/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1655 - accuracy:  
0.9458 - recall: 0.9118 - val\_loss: 0.1728 - val\_accuracy: 0.9323 - val\_recall:  
0.8788

Epoch 62/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1430 - accuracy:  
0.9518 - recall: 0.9087 - val\_loss: 0.1725 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 63/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1603 - accuracy:  
0.9412 - recall: 0.8859 - val\_loss: 0.1717 - val\_accuracy: 0.9398 - val\_recall:  
0.8939

Epoch 64/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1650 - accuracy: 0.9374 - recall: 0.9014 - val\_loss: 0.1774 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 65/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1945 - accuracy: 0.9306 - recall: 0.8726 - val\_loss: 0.1711 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 66/75  
13/13 [=====] - 0s 4ms/step - loss: 0.1669 - accuracy: 0.9393 - recall: 0.8932 - val\_loss: 0.1845 - val\_accuracy: 0.9474 - val\_recall: 0.9242

Epoch 67/75  
13/13 [=====] - 0s 4ms/step - loss: 0.1834 - accuracy: 0.9366 - recall: 0.9084 - val\_loss: 0.1704 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 68/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1635 - accuracy: 0.9432 - recall: 0.8943 - val\_loss: 0.1703 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 69/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1622 - accuracy: 0.9498 - recall: 0.9017 - val\_loss: 0.1812 - val\_accuracy: 0.9474 - val\_recall: 0.9242

Epoch 70/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1656 - accuracy: 0.9462 - recall: 0.9225 - val\_loss: 0.1689 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 71/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1652 - accuracy: 0.9341 - recall: 0.8931 - val\_loss: 0.1740 - val\_accuracy: 0.9323 - val\_recall: 0.8788

Epoch 72/75  
13/13 [=====] - 0s 4ms/step - loss: 0.1697 - accuracy: 0.9349 - recall: 0.8820 - val\_loss: 0.1707 - val\_accuracy: 0.9398 - val\_recall: 0.8939

Epoch 73/75  
13/13 [=====] - 0s 5ms/step - loss: 0.1539 - accuracy: 0.9513 - recall: 0.9081 - val\_loss: 0.1788 - val\_accuracy: 0.9398 - val\_recall: 0.9091

Epoch 74/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1683 - accuracy: 0.9423 - recall: 0.9191 - val\_loss: 0.1864 - val\_accuracy: 0.9398 - val\_recall: 0.8788

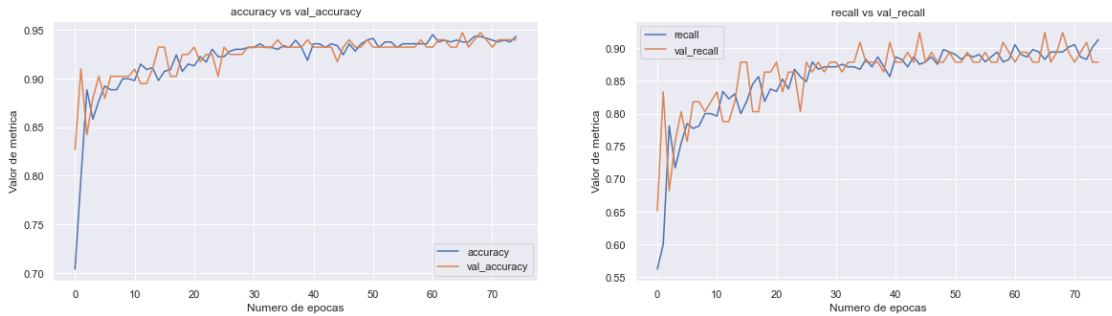
Epoch 75/75  
13/13 [=====] - 0s 6ms/step - loss: 0.1946 - accuracy: 0.9319 - recall: 0.8731 - val\_loss: 0.1823 - val\_accuracy: 0.9398 - val\_recall: 0.8788

Exploremos los resultados del modelo graficamente

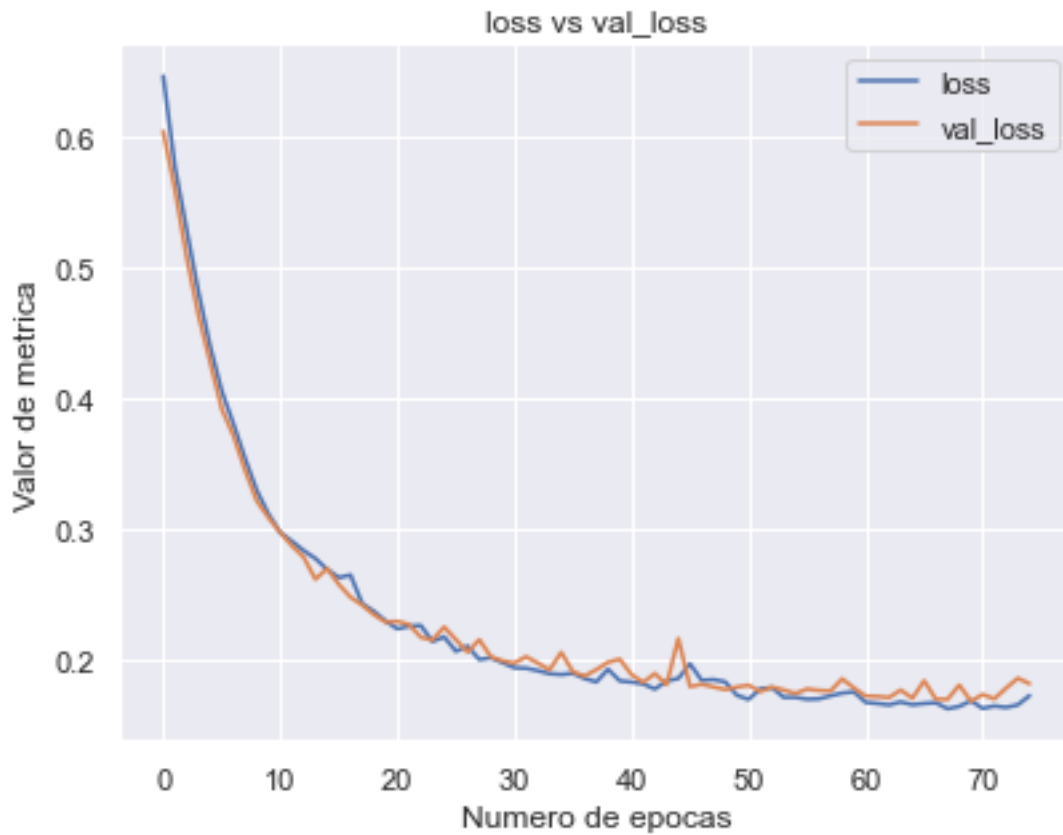
```
[234]: fig,(ax1,ax2)=plt.subplots(1,2,figsize=(20,5))
```

```
plot_metrics(history.history,metrics=["accuracy","val_accuracy"],ax=ax1)
```

```
plot_metrics(history.history,metrics=["recall","val_recall"],ax=ax2)
```



```
[244]: plot_metrics(history.history,metrics=["loss","val_loss"])
```



## VALIDACION DEL MODELO: MODELO SUBMUESTREADO

```
[235]: model_unsampling.evaluate(x_val,y_val)
```

```
5/5 [=====] - 0s 3ms/step - loss: 0.1823 - accuracy: 0.9398 - recall: 0.8788
```

```
[235]: [0.1822652816772461, 0.9398496150970459, 0.8787878751754761]
```

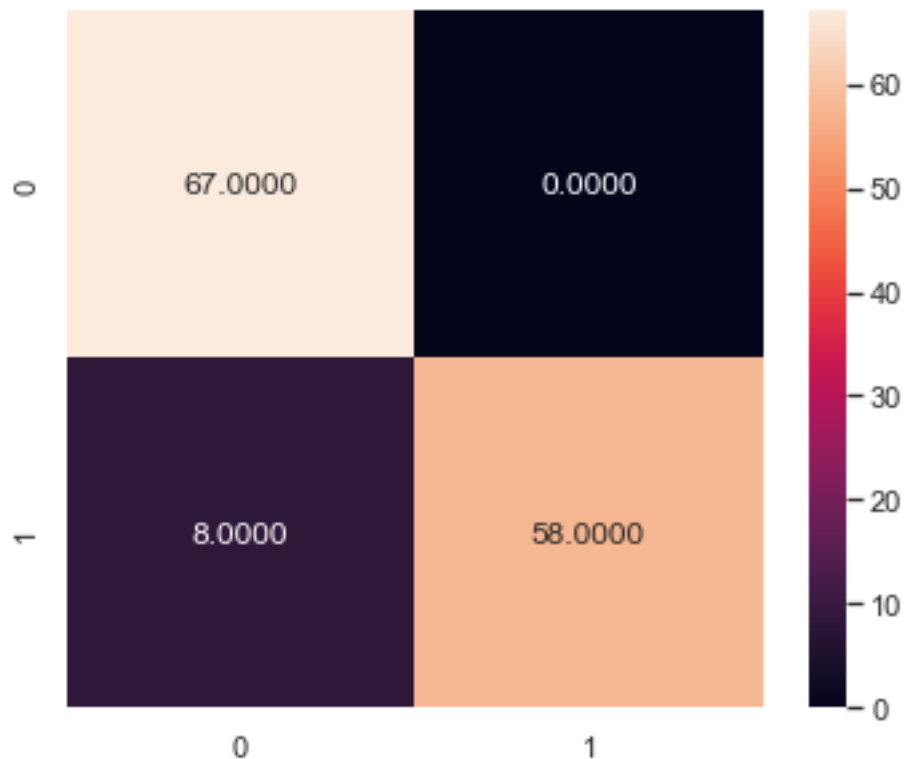
Se obtuvo una puntuación **mas alta que del modelo base y modelo base V2**, con un **accuracy 93.98%** que se solventa con un **recall de 87.88%** sobre los datos de validación

```
[236]: display_report_and_matrix_confusion(model_unsampling,x_val,y_val)
```

### REPORTE DE CLASIFICACION

	precision	recall	f1-score	support
0.0	0.89	1.00	0.94	67
1.0	1.00	0.88	0.94	66
accuracy			0.94	133
macro avg	0.95	0.94	0.94	133
weighted avg	0.95	0.94	0.94	133

### Matriz de confusion



Con esta matriz de confusion podemos determinar que el **submuestreo V3** es mucho mejor que los modelos base y modelo baseV2.

- Los falsos negativos se reducen a 8 unidades, y los falsos positivos a 0. Nosotros buscamos anular los falsos negativos lo mas posible

## EVALUACION DEL MODELO CON SUBMUESTREO V3

- El conjunto de validacion nos sirve para detener el entrenamiento cuando los resultados son buenos, ahora tendremos que probarlos con el conjunto de pruebas

```
[238]: x_test,y_test=load_data("./creditcard_undersampling/test.csv")
x_test=scaler_usmp.transform(x_test)
```

```
[239]: model_unsampling.evaluate(x_test,y_test)
```

```
9/9 [=====] - 0s 2ms/step - loss: 0.1896 - accuracy:
0.9296 - recall: 0.8732
```

```
[239]: [0.18961967527866364, 0.9295774698257446, 0.8732394576072693]
```

De hecho estos son resultados muy favorables ya que tenemos un **accuracy 92.9%** y un **recall de 87.3%** wow estos son resultados muy buenos, y mas si lo que buscabamos era un buen rendimiento con la metrica **Recall**

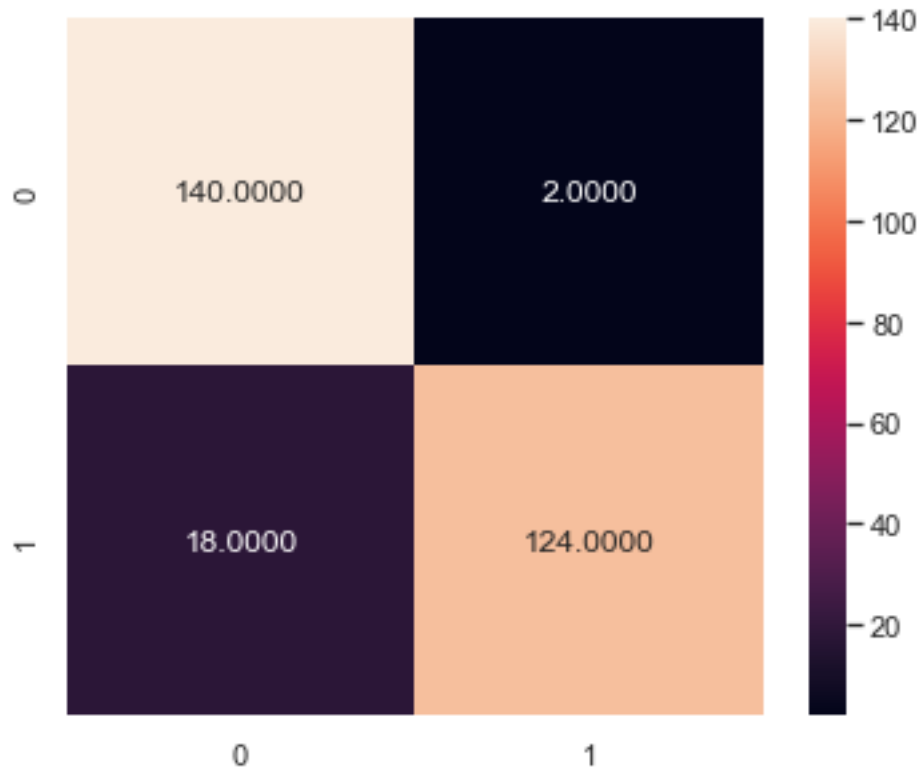
- Ahora veamos la matriz de confusion, nuestro objetivo aqui es ver si los falsos negativos han reducido

```
[240]: display_report_and_matrix_confusion(model_unsampling,x_test,y_test)
```

### REPORTE DE CLASIFICACION

	precision	recall	f1-score	support
0.0	0.89	0.99	0.93	142
1.0	0.98	0.87	0.93	142
accuracy			0.93	284
macro avg	0.94	0.93	0.93	284
weighted avg	0.94	0.93	0.93	284

Matriz de confusion



Como el modelo tiene un buen rendimiento optare por guardar el modelo con el formato **Saved-Model** para futuras integraciones

```
[241]: tf.saved_model.save(model_unsampling, "./best_endpoints/model_unsampling")
```

INFO:tensorflow:Assets written to: ./best\_endpoints/model\_unsampling/assets

```
[243]: #guardamos el metodo escalador
import joblib
joblib.dump(scaler_usmp, "./best_endpoints/scaler_unsampling.pkl")
```

```
[243]: ['./best_endpoints/scaler_unsampling.pkl']
```

## 0.2.5 CONCLUSIONES PARCIALES DE LOS RESULTADOS

Tener en cuenta que se tomo como criterio principal aquel que posee un mayor numero de **recall** porque el caso de las transacciones son muy criticas

- El mejor modelo fue el de datos sobremuestreados con un puntaje de **99% de accuracy y 99% de recall** sobre datos nunca vistos.
- 2do mejor modelo fue el de datos submuestreados con **92% de accuracy y 87% de recall**

**PRUEBA FINAL. EVALUACION EN TODOS LOS DATOS -> No Necesaria**

```
[20]: from sklearn.metrics import
      ↪ accuracy_score, recall_score, precision_score, f1_score, confusion_matrix
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import joblib
import tensorflow as tf

def test_best_models(X,y,list_components=None):

    score_models={
        "accuracy": [], "recall": [], "precision": [], "f1": []
    }

    list_matrix=[]

    for path_scaler,path_model in
    ↪ zip(list_components["scalers"],list_components["models"]):

        scaler=joblib.load(path_scaler,mmap_mode="r")
        model=tf.keras.models.load_model(path_model)
        x_scaled=scaler.transform(X)
        y_pred=model.predict(x_scaled)
        y_pred=np.where(y_pred>=0.5,1,0)

        score_models["accuracy"].append(accuracy_score(y,y_pred))
        score_models["recall"].append(recall_score(y,y_pred))
        score_models["precision"].append(precision_score(y,y_pred))
        score_models["f1"].append(f1_score(y,y_pred))

        mat=confusion_matrix(y,y_pred)
        list_matrix.append(mat)

    report=pd.DataFrame(score_models,index=list_components["names"])

    return report,list_matrix
```

La funcion que preparamos espera un diccionario que posea las rutas de los modelos y los objetos escalers que se usaron sobre los datos

```
[16]: list_components={
      ↪ "names": ["Base Model", "Modelo sobremuestreado", "Base Model",
      ↪ "Mejorado", "Modelo Submuestreado"],
```

```

    "models":["./best_endpoints/base_model","./best_endpoints/
↪model_oversampling","./best_endpoints/best_model_imbalanced","./
↪best_endpoints/model_undersampling"],
    "scalers":["./best_endpoints/scaler_imbalanced.pkl","./best_endpoints/
↪scaler_oversampling.pkl","./best_endpoints/scaler_best_imbalanced.pkl","./
↪best_endpoints/scaler_undersampling.pkl"]
}

X,y=load_data("./creditcard_imbalanced.csv") #este es el verdadero archivo
↪inicial con los datos verdaderos

```

Mostramos las comparativas

```
[21]: report,list_matrix=test_best_models(X,y,list_components)
```

```
[22]: report
```

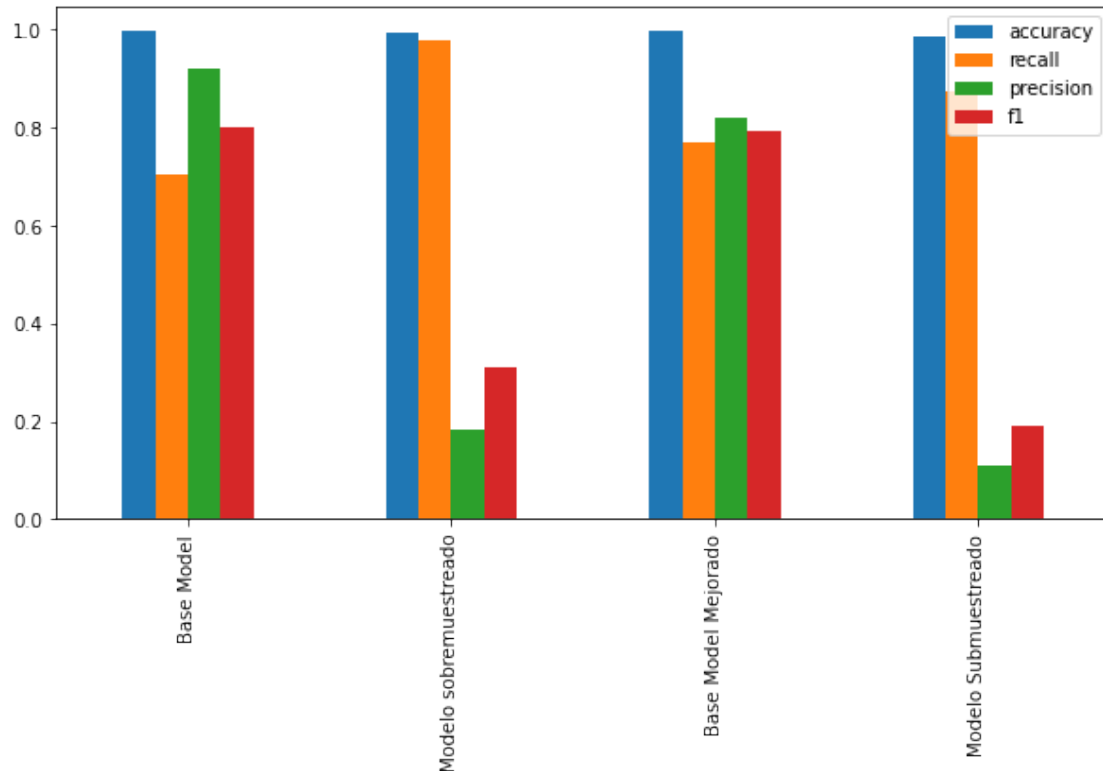
```
[22]:
```

	accuracy	recall	precision	f1
Base Model	0.999408	0.706131	0.920110	0.799043
Modelo sobremuestreado	0.992708	0.978858	0.183584	0.309182
Base Model Mejorado	0.999334	0.771670	0.818386	0.794342
Modelo Submuestreado	0.987773	0.873150	0.108059	0.192317

```
[26]: report.plot(kind="bar",figsize=(10,5))
```

```
[26]: <AxesSubplot:>
```





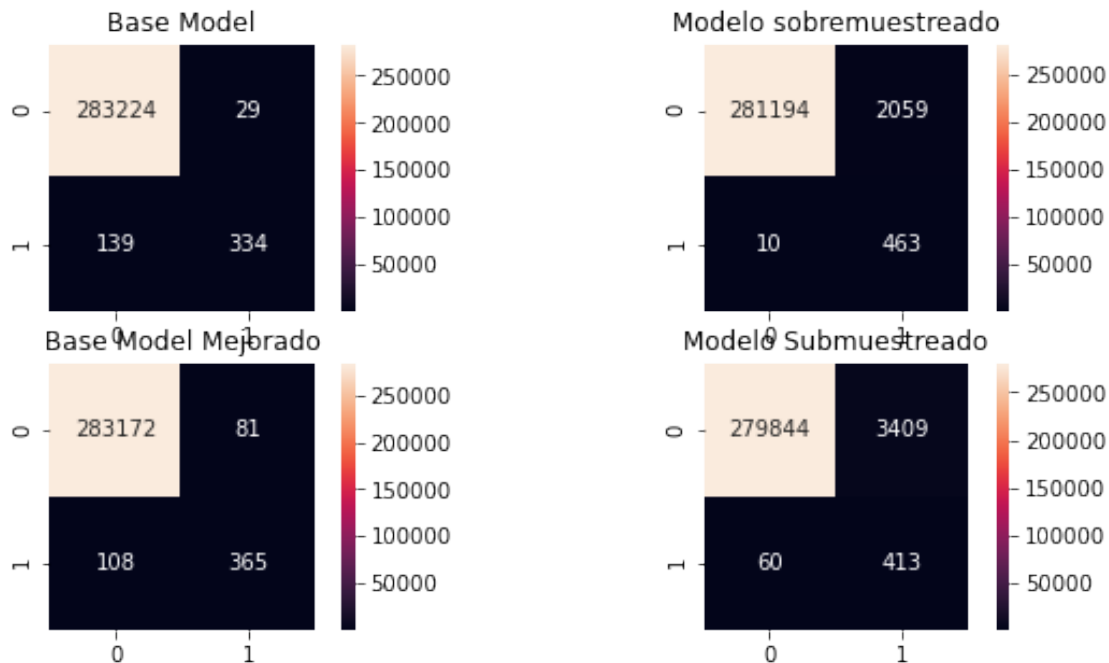
A primera vista es normal pensar que el modelo sobremuestreado no es mejor que el modelo base y otros, pero la verdad es que no es así, **debemos fijarnos mas en los objetivos del modelo y los datos predecidos**

- **Objetivos iniciales**
- Evitar las transacciones fraudulentas
- Construir un modelo sensible al fraude donde sea preferible clasificar una transaccion normal como sospechosa que dejarla ir y al final sea un fraude que traera costos economicos a la entidad financiera.
- Las transacciones frudulentas deben ser lo mas minimo posible

Ahora veamos los resultados a traves de la matriz de confusion

```
[33]: fig,axes=plt.subplots(2,2,figsize=(10,5))

for name,mat,ax in zip(list_components["names"],list_matrix,axes.flat):
    sns.heatmap(mat,annot=True,square=True,fmt="0.0f",ax=ax)
    ax.set_title(name)
plt.show()
```



Breve explicacion de las metricas bajas:

- **Precision:** Mide intuitivamente la capacidad de no clasificar como positivo una clase que es negativa  $[tp / (tp + fp)]$ . Por ello la metrica de precision observada en el modelo sobremuestreado es muy baja, por que ha obtenido muchos falsos positivos siendo el modelo sensible a las transacciones fraudulentas
- **f1:** Combina intuitivamente las metricas Recall y Precision

## 0.2.6 CONCLUSIONES FINALES

- De hecho se suele pensar que el modelo con mas **accuracy** es el mejor, pero este no siempre es asi. En problemas de ciencia de datos donde es mejor obtener mas falsos positivos que falsos negativos como es el deteccion de fraude bancario, debemos tener en cuenta todas las metricas, y en este caso el **recall** debido a que si nos fijamos muy bien, el **modelo con datos sobremuestreados** ha sido el modelo que mas **recall** ha tenido y dejo pasar menos transacciones fraudulentas.
- El **modelo sobremuestreado solo tiene 10 Falsos negativos** que el resto de modelos. Esto a coste de que sea mas sensible al fraude y tenga mas Falsos positivos.
- En la vida real tener muchos falsos negativos, que son en este caso transacciones fraudulentas que no identificamos bien, equivalen a millones de soles de perdida de una entidad financiera y mas aun cuando los clientes estan asegurados.
- Los falsos positivos son aquellas transacciones normales que a menudo el modelo reconoce como fraudulenta, y es mejor asi, debido a que nos conviene enviar una confirmacion de la actividad bancaria del cliente por si hay sospechas de la transaccion, a dejarla pasar corriendo

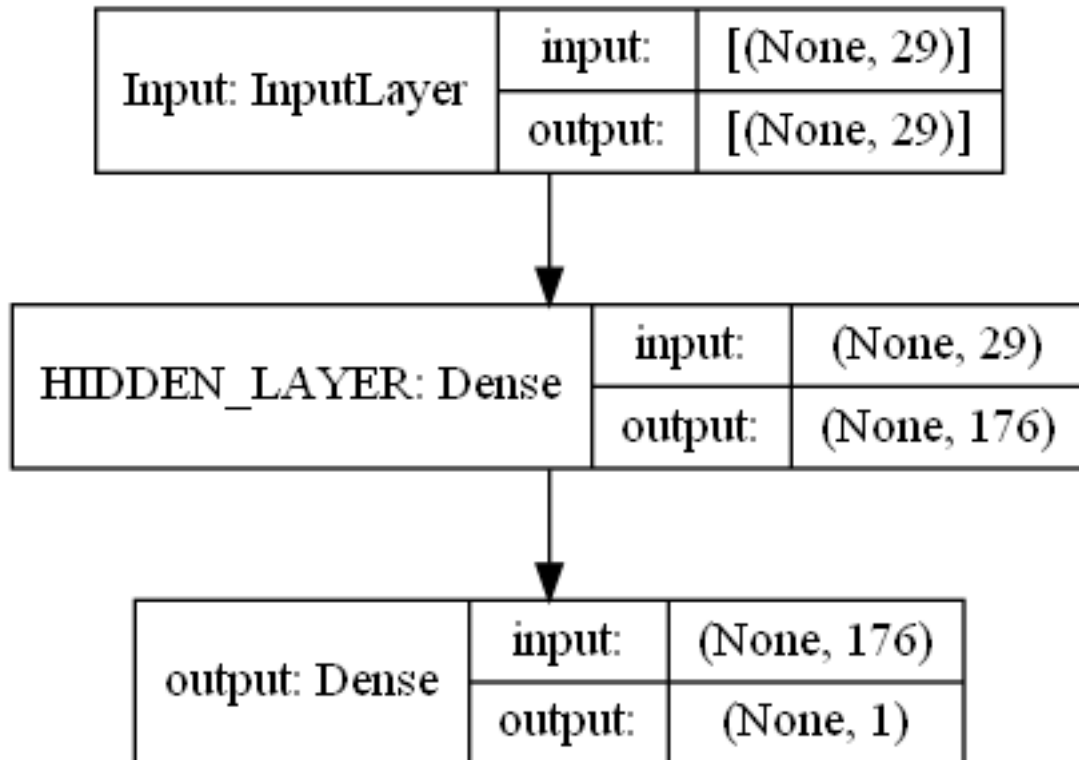
el riesgo de que si sea fraudulenta. Esto se llama **Costo del Falso Positivo por Falsos Negativos**

El mejor modelo es el que uso sobremuestreo para obtener un conjunto de datos mas equilibrado, este es el que debe ir a produccion.

```
[35]: model_deploy=tf.keras.models.load_model("./best_endpoints/model_oversampling")
```

```
[36]: tf.keras.utils.plot_model(model_deploy, "./model_final.png", show_shapes=True)
```

```
[36]:
```



```
[37]: model_deploy.summary()
```

Model: "sequential"

```

-----
Layer (type)                Output Shape              Param #
-----
HIDDEN_LAYER (Dense)        (None, 176)              5280
-----
output (Dense)              (None, 1)                177
-----
Total params: 5,457
Trainable params: 5,457
Non-trainable params: 0
-----
  
```

El modelo se puede implementar con **Tensorflow Serving** o **ML Flow** para asegurar su escalamiento, e inclusive se pueden hacer pruebas de test usando **Flask**.

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*Dedicado a mi madre Isabel Huaccha*

*Gracias*

```
[39]: %load_ext tensorboard
      %tensorboard --logdir="./graph/fraud_detection/" #visualizacion interactiva de
      ↳ las graficas de los modelos
```

```
Reusing TensorBoard on port 6006 (pid 32204), started 1:44:14 ago. (Use '!kill
↳ 32204' to kill it.)
```

```
<IPython.core.display.HTML object>
```

```
[ ]:
```