## R Practice

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## Base R Plotting

Diamonds data set

```
library(ggplot2)
```

Warning: package 'ggplot2' was built under R version 3.6.3

```
str(diamonds)
```

```
Classes 'tbl_df', 'tbl' and 'data.frame':
                                            53940 obs. of 10 variables:
 $ carat : num 0.23 0.21 0.23 0.29 0.31 0.24 0.24 0.26 0.22 0.23 ...
          : Ord.factor w/ 5 levels "Fair"<"Good"<...: 5 4 2 4 2 3 3 3 1 3 ...
 $ color : Ord.factor w/ 7 levels "D"<"E"<"F"<"G"<..: 2 2 2 6 7 7 6 5 2 5 ...</pre>
 $ clarity: Ord.factor w/ 8 levels "I1"<"SI2"<"SI1"<..: 2 3 5 4 2 6 7 3 4 5 ...
                 61.5 59.8 56.9 62.4 63.3 62.8 62.3 61.9 65.1 59.4 \dots
 $ table : num
                 55 61 65 58 58 57 57 55 61 61 ...
 $ price : int
                 326 326 327 334 335 336 336 337 337 338 ...
                 3.95 3.89 4.05 4.2 4.34 3.94 3.95 4.07 3.87 4 ...
 $ x
          : num
 $ у
                 3.98 3.84 4.07 4.23 4.35 3.96 3.98 4.11 3.78 4.05 ...
 $ z
          : num 2.43 2.31 2.31 2.63 2.75 2.48 2.47 2.53 2.49 2.39 ...
```

To view the entire dataset

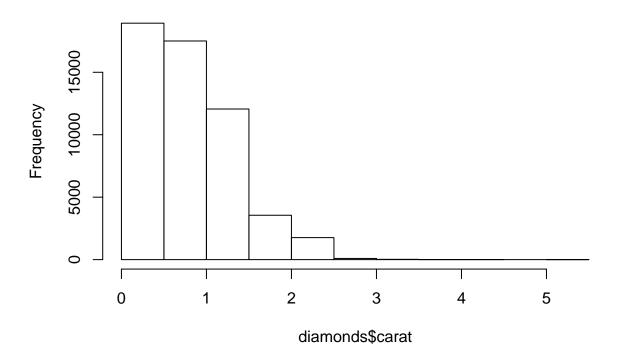
```
View(diamonds)
```

#### Histograms

A histogram is a univariate plot (a plot that displays one variable) that groups a numeric variable into bins and displays the number of observations that fall within each bin. A histogram is a useful tool for getting a sense of the distribution of a numeric variable. Let's create a histogram of diamond carat weight with the hist() function.

```
hist(diamonds$carat)
```

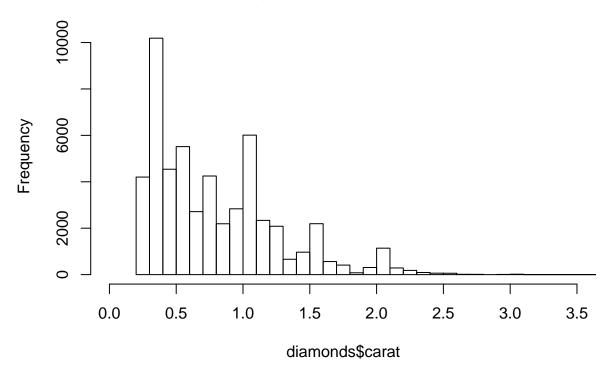
## Histogram of diamonds\$carat



The plot above has fairly wide bins and there doesn't appear to be any data beyond a carat size of 3.5. We can make try to get more out of our histogram by adding some additional arguments to control the size of the bins and limits of the x-axis.

```
hist(diamonds$carat,
    breaks = 50,  # Group into 50 bins
    xlim = c(0,3.5)) # Limit the X-axis to the range 0-3.5
```

## Histogram of diamonds\$carat



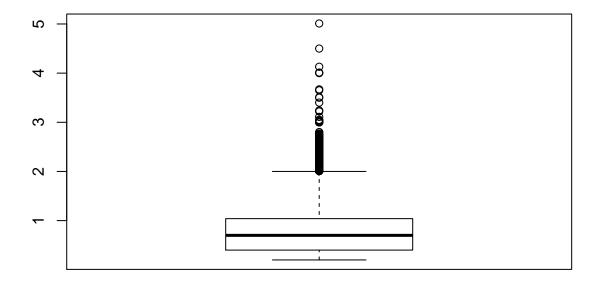
This histogram gives us a better sense of some subtleties within the distribution, but we can't be sure that it contains all the data. Limiting the X-axis to 3.5 might have cut out some outliers with counts so small that they didn't show up as bars on our original chart. Let's check to see if any diamonds are larger than 3.5 carats.

```
subset(diamonds, carat > 3.5)
```

```
# A tibble: 9 x 10
  carat cut
                   color clarity depth table price
                                                                 У
                                                                        z
  <dbl> <ord>
                   <ord> <ord>
                                   <dbl> <dbl> <dbl> <dbl> <dbl> <dbl>
  3.65 Fair
                   Н
                          Ι1
                                    67.1
                                            53 11668
                                                       9.53
                                                              9.48
                                                                    6.38
2
  4.01 Premium
                   Ι
                          Ι1
                                    61
                                            61 15223 10.1
                                                             10.1
                                                                     6.17
3
  4.01 Premium
                   J
                                    62.5
                                            62 15223 10.0
                                                              9.94
                                                                     6.24
                          I1
4
   4
        Very Good I
                                            58 15984 10.0
                                                              9.94
                                                                    6.31
                          I1
                                    63.3
5
   3.67 Premium
                   Ι
                          I1
                                    62.4
                                            56 16193
                                                       9.86
                                                              9.81
                                                                     6.13
6
   4.13 Fair
                   Н
                          Ι1
                                    64.8
                                            61 17329 10
                                                              9.85
                                                                    6.43
                                                                     6.98
7
   5.01 Fair
                   J
                          I1
                                    65.5
                                            59 18018 10.7
                                                             10.5
   4.5
                   J
                          Ι1
                                    65.8
                                            58 18531 10.2
                                                             10.2
                                                                     6.72
       Fair
   3.51 Premium
                   J
                          VS2
                                    62.5
                                            59 18701 9.66
                                                              9.63
                                                                    6.03
```

## **Boxplots**

Boxplots are another type of univariate plot for summarizing distributions of numeric data graphically. Let's make a boxplot of carat

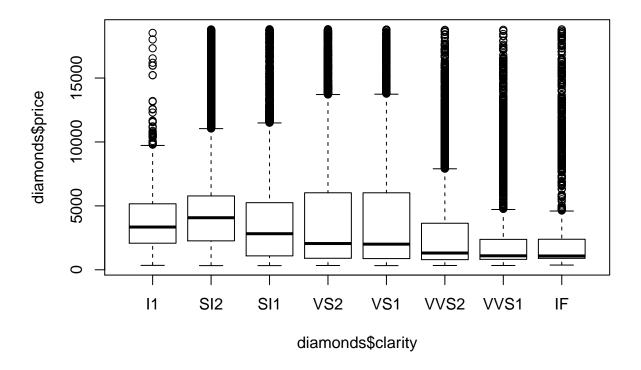


The central box of the boxplot represents the middle 50% of the observations, the central bar is the median and the bars at the end of the dotted lines (whiskers) encapsulate the great majority of the observations. Circles that lie beyond the end of the whiskers are data points that may be outliers.

In this case, our data set has over 50,000 observations and we see many data points beyond the top whisker. We probably wouldn't want to classify all of those points as outliers, but the handful of diamonds at 4 carats and above are definitely far outside the norm.

One of the most useful features of the boxplot() function is the ability to make side-by-side boxplots. A side-by-side boxplot takes a numeric variable and splits it on based on some categorical variable, drawing a different boxplot for each level of the categorical variable. Let's make a side-by-side boxplot of diamond price split by diamond clarity.

boxplot(diamonds\$price ~ diamonds\$clarity) # Plot price split on clarity\*



This is an example of a formula in R. A formula in R is a representation of the relationship between variables used in certain R functions that tell the function how to use the variables. The response or dependent variable comes first followed by a "~" and then one or more explanatory variables. In this case, the formula basically says "make a boxplot of price based on clarity."

## How to save a plot as a PNG file

```
# 1. Open PNG file
png("my_plot.png")
# 2. Create the plot
boxplot(diamonds$price ~ diamonds$clarity)
# 3. Close the file
dev.off()
```

### **Barplots**

## pdf 2

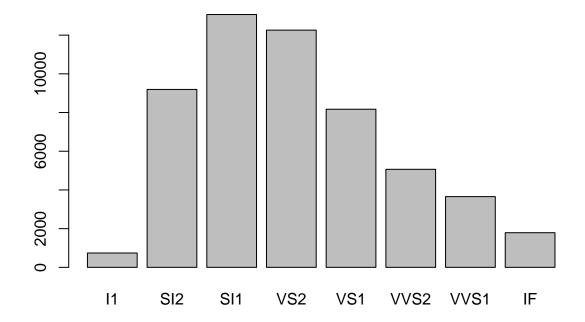
##

Barplots are graphs that visually display counts of categorical variables. Create a barplot by making a table from a categorical variable and passing it to the barplot() function.

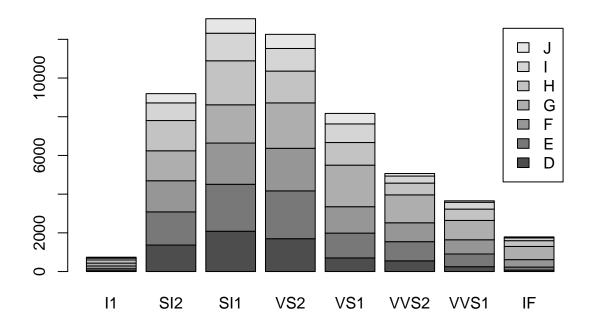
```
freqtable <- table(diamonds$clarity)
freqtable</pre>
```

```
I1 SI2 SI1 VS2 VS1 VVS2 VVS1 IF 741 9194 13065 12258 8171 5066 3655 1790
```

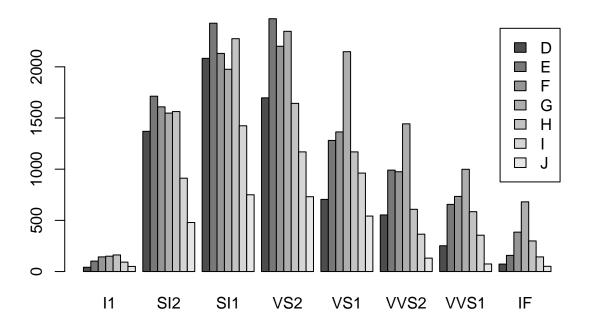
## barplot(freqtable)



You can pass a second categorical variable into the table you use to make a barplot to create a stacked barplot. Stacked barplots show the distribution of a second categorical variable within each bar:



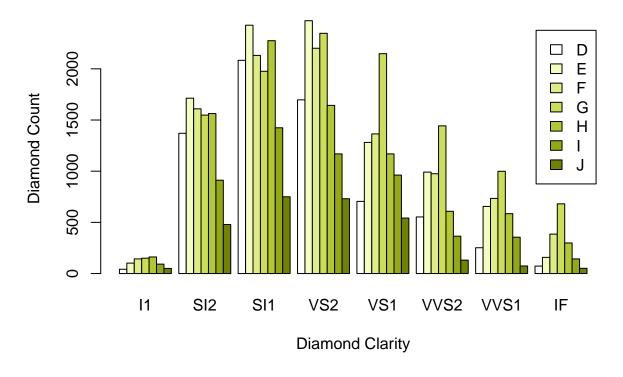
A grouped barplot is an alternative to a stacked barplot that gives each stacked section its own bar. To make a grouped barplot, create a stacked barplot and add the extra argument beside = TRUE



#### **Plot Parameters**

R's plotting functions have many extra parameters you can set to do things like adding titles, labeling axes and changing plot's aesthetics. Let's remake one of our previous plots to illustrate some of the parameters you can set.

## **Diamond Clarity, Grouped by Color**



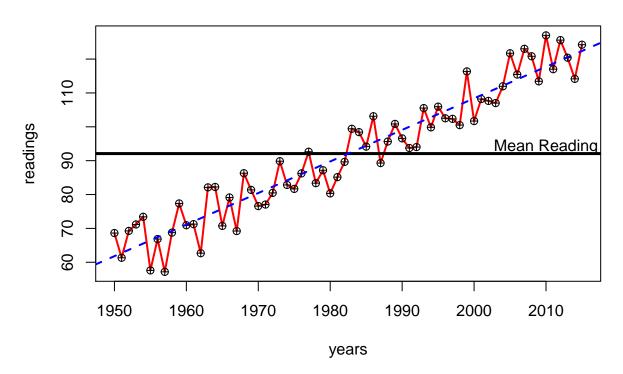
#### Adding Features to Plots

After creating a plot, you can add new features like points, lines, text and a legend. Let's take our series plot and spruce it up.

```
years \leftarrow seq(1950, 2015, 1)
                                         # Create some dummy data
readings <- (years-1900) + runif(66,0,20)
plot(years, readings, type="l",
                                                             # type "l" makes a line plot
                                                             # Color the line red
                      col="red",
                      lwd="2",
                                                             # Increase line width
                      main= "Example Time Series Plot")
                                                             # Add plot title
points(x = years, y = readings,
                                   # Draw points at specified coordinates
       pch=10 )
                                   # Set point symbol
abline(a = mean(readings),
                                   # Draw a line with Y-intercept a
       b=0,
                                   # And slope b
       lwd="3")
                                   # Set line width
text(x=2010, y=mean(readings)+2, # Add text at specified coordinates
     labels="Mean Reading")
                                   # Text to add
abline( lm(readings ~ years),
                                   # Create a line based on a linear model*
       col = "blue",
                                   # Set color
```

```
lty = "dashed",  # Set line type
lwd = 2)
```

## **Example Time Series Plot**

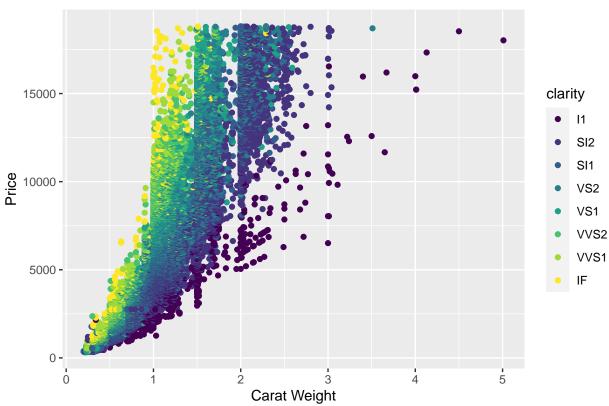


## Plotting with ggplot2

The ggplot 2 package has two plotting functions qplot() (quick plot) and ggplot() (grammar of graphics plot.). The qplot() function is similar to the base R plot() function in that it only requires a single function call and it can create several different types of plots. qplot() can be useful for quick plotting, but it doesn't allow for as much flexibility as ggplot()

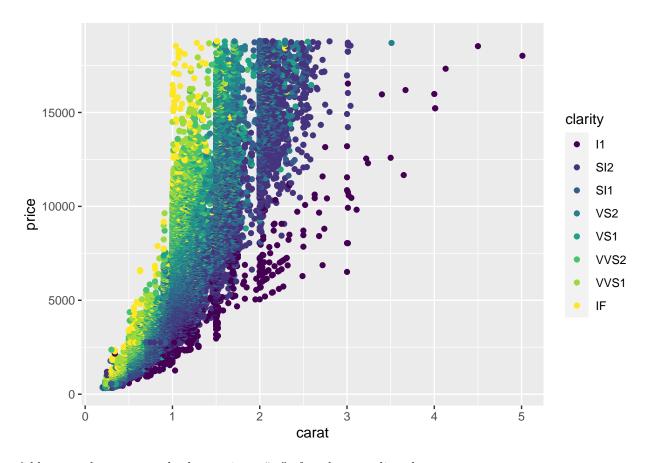
```
library(ggplot2)
                                             # x variable
qplot(x = carat,
      y = price,
                                              # y variable
                                             # Data set
      data = diamonds,
      geom = "point",
                                             # Plot type
                                             # Color points by variable clarity
      color = clarity,
      xlab = "Carat Weight",
                                             # x label
      ylab = "Price",
                                             # y label
      main = "Diamond Carat vs. Price");
                                             # Title
```

## Diamond Carat vs. Price



The ggplot() function creates plots incrementally in layers. Every ggplot starts with the same basic syntax. Every ggplot starts with a call to the ggplot() function along with an argument specifying the data set to be used and aesthetic mappings from variables in the data set to visual properties of the plot, such as x and y position.

```
ggplot(data=diamonds,
    aes(x=carat, y=price)) + # Initialize plot* call to ggplot() and data frame to work with
    geom_point(aes(color = clarity)) # Add a layer of points (make scatterplot)
```



Add a new element to a plot by putting a "+" after the preceding element.

The layers you add determine the type of plot you create. In this case, we used geom\_point() which simply draws the data as points at the specified x and y coordinates, creating a scatterplot. ggplot2 has a wide range of geoms to create different types of plots. Here is a list of geoms for all the plot types we covered in the last lesson, plus a few more

```
geom_histogram() # histogram

geom_bar: na.rm = FALSE, orientation = NA
stat_bin: binwidth = NULL, bins = NULL, na.rm = FALSE, orientation = NA, pad = FALSE
position_stack

geom_density() # density plot

geom_density: na.rm = FALSE, orientation = NA, outline.type = upper
stat_density: na.rm = FALSE, orientation = NA
position_identity

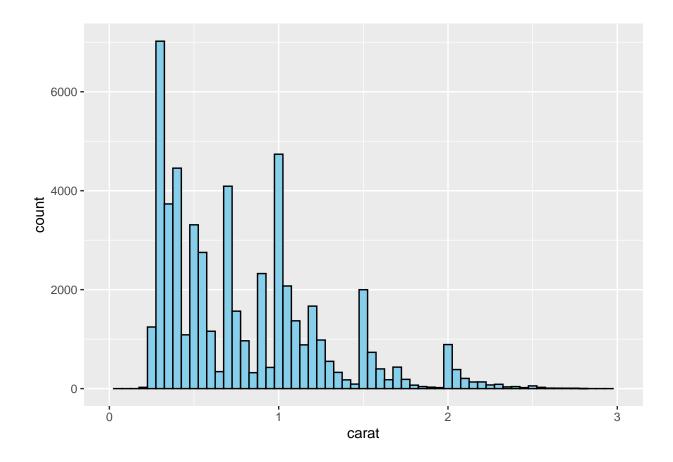
geom_boxplot() # boxplot
```

```
geom_boxplot: outlier.colour = NULL, outlier.fill = NULL, outlier.shape = 19, outlier.size = 1.5, outli
stat_boxplot: na.rm = FALSE, orientation = NA
position_dodge2
```

```
# violin plot (combination of boxplot and density plot)
geom_violin()
geom_violin: draw_quantiles = NULL, na.rm = FALSE, orientation = NA
stat_ydensity: trim = TRUE, scale = area, na.rm = FALSE, orientation = NA
position_dodge
geom_bar()
                  # bar graph
geom_bar: width = NULL, na.rm = FALSE, orientation = NA
stat_count: width = NULL, na.rm = FALSE, orientation = NA
position_stack
geom_point()
                  # scatterplot
geom_point: na.rm = FALSE
stat_identity: na.rm = FALSE
position_identity
                 # scatterplot with points randomly perturbed to reduce overlap
geom_jitter()
geom_point: na.rm = FALSE
stat_identity: na.rm = FALSE
position_jitter
geom_line()
                  # line graph
geom_line: na.rm = FALSE, orientation = NA
stat_identity: na.rm = FALSE
position_identity
geom_errorbar() # Add error bar
geom_errorbar: na.rm = FALSE, orientation = NA
stat_identity: na.rm = FALSE
position_identity
geom_smooth()
                # Add a best-fit line
geom_smooth: na.rm = FALSE, orientation = NA, se = TRUE
stat_smooth: na.rm = FALSE, orientation = NA, se = TRUE
position_identity
                  # Add a line with specified slope and intercept
geom_abline()
mapping: intercept = ~intercept, slope = ~slope
geom_abline: na.rm = FALSE
stat_identity: na.rm = FALSE
position_identity
Histogram
```

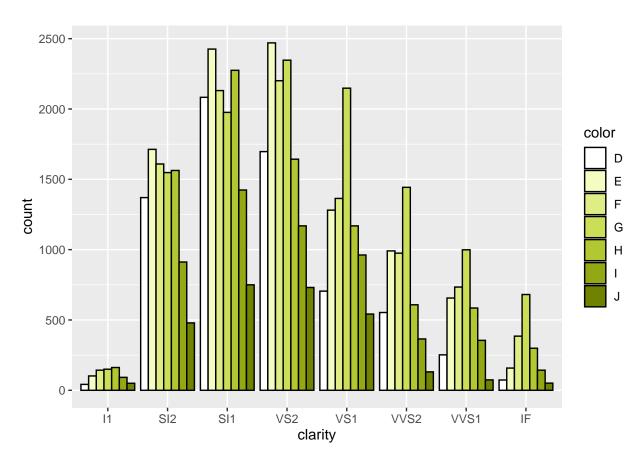
Warning: Removed 32 rows containing non-finite values (stat\_bin).

Warning: Removed 2 rows containing missing values (geom\_bar).



#### grouped barplot





The syntax for ggplot is a little more verbose than base R plotting, but the result is a plot that is crisper with helpful gridlines. The logical and incremental ggplot2 syntax also give you finer-grained control over your plots.

## **Descriptive Statistics**

Descriptive statistics are measures that summarize important features of data, often with a single number. Producing descriptive statistics is a common first step to take after cleaning and preparing a data set for analysis. Measures of center are statistics that give us a sense of the "middle" of a numeric variable. In other words, centrality measures give you a sense of a typical value you'd expect to see. Common measures of center include the mean, median and mode.

The mean is simply an average: the sum of the values divided by the total number of records

```
cars <- mtcars  # Use the mtcars data set
View(mtcars)
mean(cars$mpg)  # mean() gets the mean for 1 variable</pre>
```

[1] 20.09062

# # colMeans() gets the means for all columns in a data frame colMeans(cars)

```
qsec
                  cyl
                             disp
                                           hp
                                                     drat
                                                                  wt
      mpg
20.090625
            6.187500 230.721875 146.687500
                                                3.596563
                                                            3.217250
                                                                       17.848750
       ٧S
                   am
                             gear
                                         carb
                        3.687500
                                    2.812500
 0.437500
            0.406250
```

```
# rowMeans() gets the means for all rows in a data frame
head(rowMeans(cars))
```

```
Mazda RX4 Mazda RX4 Wag Datsun 710 Hornet 4 Drive 29.90727 29.98136 23.59818 38.73955

Hornet Sportabout Valiant 53.66455 35.04909
```

The median of a distribution is the value where 50% of the data lies below it and 50% lies above it. In essence, the median splits the data in half.

#### ## [1] 19.2

To get the median of every column, we can use the apply() function which takes a data object, a function to execute, and a specified margin (rows or columns).

```
colMedians <- apply(cars,</pre>
                                        # Operate on columns
                     MARGIN=2,
                                        # Use function median
                     FUN = median)
colMedians
##
                        disp
                                   hp
                                         drat
                                                                                     gear
       mpg
                cyl
                                                    wt
                                                           qsec
                                                                      VS
                                                                               am
              6.000 196.300 123.000
##
                                        3.695
                                                                                    4.000
    19.200
                                                 3.325
                                                         17.710
                                                                   0.000
                                                                           0.000
##
      carb
##
     2.000
```

In a symmetric distribution, the mean and median will be the same. Let's investigate with a density plot.

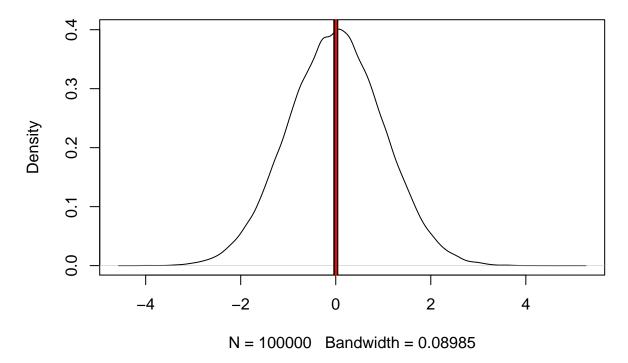
```
norm_data <- rnorm(100000)  # Generate normally distributed data

plot(density(norm_data))  # Create a density plot

abline(v=mean(norm_data), lwd=5)  # Plot a thick black line at the mean

abline(v=median(norm_data), col="red", lwd=2)  # Plot a red line at the median
```

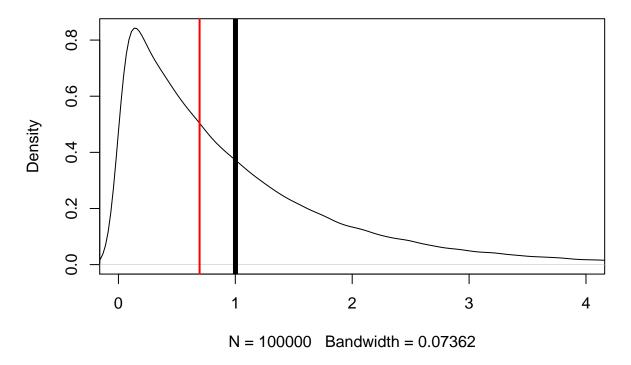
# density.default(x = norm\_data)



In the plot above the mean and median are both so close to zero that the red median line lies on top of the thicker black line drawn at the mean.

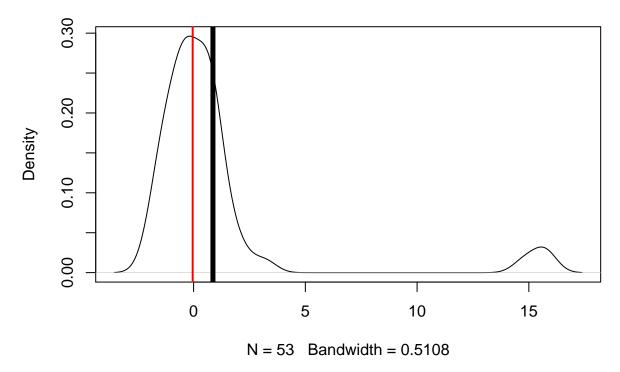
In skewed distributions, the mean tends to get pulled in the direction of the skew, while the median tends to resist the effects of skew.

# density.default(x = skewed\_data)



The mean is also influenced heavily by outliers while the median resists the influence of outliers.

## density.default(x = norm\_data)



Since the median tends to resist the effects of skewness and outliers, it is known a "robust" statistic. The median generally gives a better sense of the typical value in a distribution with significant skew or outliers.

The mode of a variable is simply the value that appears most frequently. Unlike mean and median, you can take the mode of a categorical variable and it is possible to have multiple modes. R does not include a function to find the mode, since it is not always a particularly useful statistic: oftentimes all the values in variable are unique so the mode is essentially meaningless. You can find the mode of a variable by creating a data table for the variable to get the counts of each value and then getting the variable with the largest count.

```
## data
## cat hat sat
## 2 3 1
## [1] "hat"
```

### Measures of Spread

Measures of spread (dispersion) are statistics that describe how data varies. While measures of center give us an idea of the typical value, measures of spread give us a sense of how much the data tends to diverge from the typical value.

One of the simplest measures of spread is the range. Range is the distance between the maximum and minimum observations.

```
## [1] 23.5
```

As noted earlier, the median represents the 50th percentile of a data set. A summary of several percentiles can be used to describe a variable's spread. We can extract the minimum value (0th percentile), first quartile (25th percentile), median, third quartile(75th percentile) and maximum value (100th percentile) using the quantile() function.

```
## 0% 25% 50% 75% 100%
## 10.400 15.425 19.200 22.800 33.900
```

Since these values are so commonly used to describe data, they are known as the "five number summary" and R has a couple other ways to find them.

```
# Get five number summary
fivenum(cars$mpg)
```

```
## [1] 10.40 15.35 19.20 22.80 33.90
```

```
# Summary() shows the five number summary plus the mean
summary(cars$mpg)
```

```
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 10.40 15.43 19.20 20.09 22.80 33.90
```

The quantile() function also lets you check percentiles other than common ones that make up the five number summary. To find percentiles, pass a vector of percentiles to the probs argument.

```
## 10% 90%
## 14.34 30.09
```

Interquartile (IQR) range is another common measure of spread. IQR is the distance between the 3rd quartile and the 1st quartile, which encompasses half the data. R has a built in IRQ() fuction.

```
IQR(cars$mpg)
```

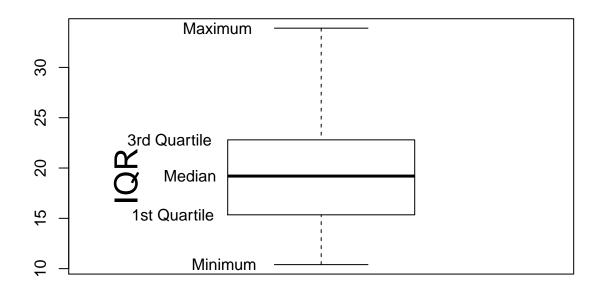
```
## [1] 7.375
```

The boxplots are just visual representations of the five number summary and IQR.

```
five_num <- fivenum(cars$mpg)

boxplot(cars$mpg)

text(x=five_num[1], adj=2, labels ="Minimum")
text(x=five_num[2], adj=2.3, labels ="1st Quartile")
text(x=five_num[3], adj=3, labels ="Median")
text(x=five_num[4], adj=2.3, labels ="3rd Quartile")
text(x=five_num[5], adj=2, labels ="Maximum")
text(x=five_num[3], adj=c(0.5,-8), labels ="IQR", srt=90, cex=2)</pre>
```



Variance and standard deviation are two other common measures of spread. The variance of a distribution is the average of the squared deviations (differences) from the mean. Use the built-in function var() to check variance

```
var(cars$mpg) # get variance
```

## [1] 36.3241

The standard deviation is the square root of the variance. Standard deviation can be more interpretable than variance, since the standard deviation is expressed in terms of the same units as the variable in question while variance is expressed in terms of units squared. Use sd() to check the standard deviation.

```
sd(cars$mpg) # get standard deviation # Check type
```

## [1] 6.026948

Since variance and standard deviation are both derived from the mean, they are susceptible to the influence of data skew and outliers. Median absolute deviation is an alternative measure of spread based on the median, which inherits the median's robustness against the influence of skew and outliers. Use the built in mad() function to find median absolute deviation.

```
mad(cars$mpg) # get median absolute deviation # Check type
```

## [1] 5.41149