

```
In [1]: from __future__ import print_function
%matplotlib inline
#import ganymede
#ganymede.configure('uav.beaver.works')
import matplotlib.pyplot as plt
import numpy as np
import sympy as sym
from IPython.display import YouTubeVideo, HTML
sym.init_printing(use_latex = "mathjax")
```

ModuleNotFoundError Traceback (most recent call last)

```
Cell In[1], line 3
      1 from __future__ import print_function
      2 get_ipython().run_line_magic('matplotlib', 'inline')
----> 3 import ganymede
      4 ganymede.configure('uav.beaver.works')
      5 import matplotlib.pyplot as plt
```

ModuleNotFoundError: No module named 'ganymede'

Enter your name below and run the cell:

Individual cells can be run with Ctrl + Enter

```
In [ ]: ganymede.name('YOUR NAME HERE')
def check(p):
    ganymede.update(p, True)
check(0)
```

```
In [ ]: YouTubeVideo('9vKqVkmQHkK', width=560, height=315) # Video by http://www..
```

```
In [ ]: YouTubeVideo('bRZmfc1YFsQ', width=560, height=315) #Note: All Khan Academ
```

Power Rule

The derivative of x^n is nx^{n-1}

[Read more](#)

[Other derivative rules](#)

```
In [4]: # Creating algebraic symbols
x = sym.symbols('x')
x
```

Out[4]: x

```
In [5]: x = sym.symbols('x')
expr = x ** 2
expr
```

Out[5]:

$$x^2$$

In [6]: `sym.Derivative(expr) # does not actually compute the derivative`

Out[6]:

$$\frac{d}{dx}x^2$$

In [7]: `sym.Derivative(expr).doit()`

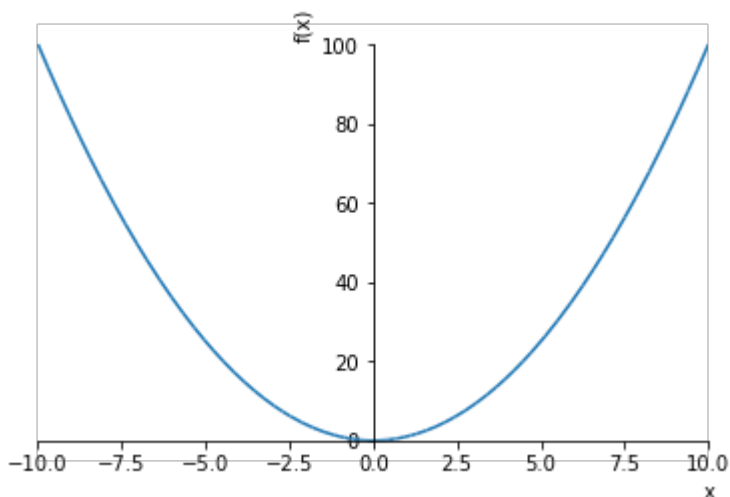
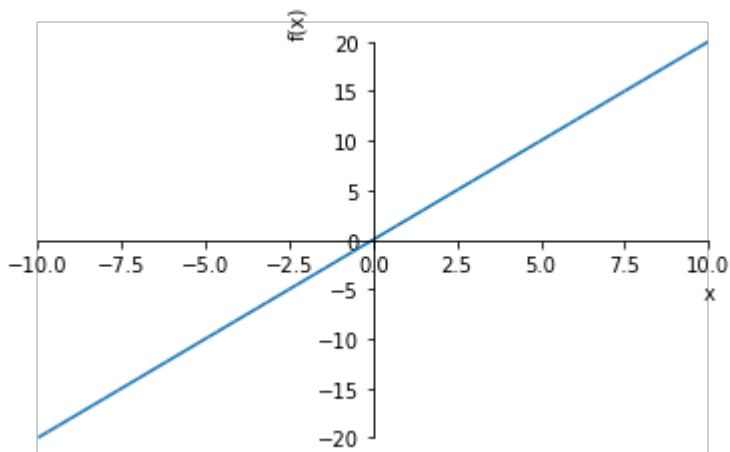
Out[7]:

$$2x$$

In [8]: `sym.diff(expr) #equivalent to doit()`

Out[8]:

$$2x$$

In [9]: `sym.plot(expr);`In [10]: `sym.plot(sym.diff(expr));`In []: `x = sym.symbols('x')
expr = -x ** 3 + 2`

```
sym.plot(expr, xlim=(-2, 2), ylim=(-10, 10));
```

```
In [12]: sym.Derivative(expr)
```

```
Out[12]:
```

$$\frac{d}{dx}(-x^3 + 2)$$

```
In [13]: sym.Derivative(expr).doit()
```

```
Out[13]:
```

$$-3x^2$$

```
In [ ]: sym.plot(sym.diff(expr));
```

Now, let's generate a fake one-dimensional signal:

```
In [ ]: ys = np.array([0, 1, 0, 1, 2, 0, 2, 3, 2, 1, 2, 102, 108, 95, 100, 98,

fig, ax = plt.subplots()
ax.plot([i for i in range(len(ys))], ys);
check(1)
```

Next, let's look at small chunks of our fake signal:

```
In [ ]: chunks = np.split(ys, len(ys)//2)
print(chunks)
check(2)
```

Question: Which one of these chunks would you say is the most "interesting"? The array([2, 102]) is the most interesting because it has the largest change in values and is an anomaly.

Question If we always divide up the signal as we did above, will we always find something "interesting"? We won't always find something interesting. The presence of interesting features or anomalies in the data depends on the nature of the signal. If the signal is mostly uniform or lacks significant changes, dividing it up may not reveal any notable features.


```

3: _____ 2 1
4: _____ 1 0
5: _____ 0 1
6: _____ 1 101
7: _____ 101 100
8: _____ 100 98
9: _____ 98 102
10: _____ 102 101

```

.....

```

i: 0 | i + windowsize: 2 | window: [ 0, 1]
i: 1 | i + windowsize: 3 | window: [ 1, 0]
i: 2 | i + windowsize: 4 | window: [ 0, 2]
i: 3 | i + windowsize: 5 | window: [ 2, 1]
i: 4 | i + windowsize: 6 | window: [ 1, 0]
i: 5 | i + windowsize: 7 | window: [ 0, 1]
i: 6 | i + windowsize: 8 | window: [ 1, 101]
i: 7 | i + windowsize: 9 | window: [ 101, 100]
i: 8 | i + windowsize: 10 | window: [ 100, 98]
i: 9 | i + windowsize: 11 | window: [ 98, 102]
i: 10 | i + windowsize: 12 | window: [ 102, 101]

```

A windowsize of 3

```

signal:
      0 1 0 2 1 0 1 101 100 98 102 101
0:    0 1 0
1:    1 0 2
2:    0 2 1
3:    2 1 0
4:    1 0 1
5:    0 1 101
6:    1 101 100
7:    101 100 98
8:    100 98 102
9:    98 102 101

```

.....

```

i: 0 | i + windowsize: 3 | window: [ 0, 1,
0]
i: 1 | i + windowsize: 4 | window: [ 1, 0,
2]
i: 2 | i + windowsize: 5 | window: [ 0, 2,
1]
i: 3 | i + windowsize: 6 | window: [ 2, 1,
0]
i: 4 | i + windowsize: 7 | window: [ 1, 0,
1]
i: 5 | i + windowsize: 8 | window: [ 0, 1,
101]
i: 6 | i + windowsize: 9 | window: [ 1, 101,

```

```

100]
i:    7 | i + windowsize:    10 | window: [ 101, 100,
98]
i:    8 | i + windowsize:    11 | window: [ 100,  98,
102]
i:    9 | i + windowsize:    12 | window: [  98, 102,
101]

```

The below resources may be helpful::

List Comprehensions

https://www.pythonlikeyoumeanit.com/Module2_EssentialsOfPython/Generators_and_Comprehensions.html#List-&-Tuple-Comprehensions

Numpy indexing with slices

http://www.pythonlikeyoumeanit.com/Module3_IntroducingNumpy/AccessingDataAlongMultipleDimensions.html#Slice-Indexing

Formatting numbers in python

<https://pyformat.info/#number>

input: '{:4d}'.format(42)

output: _ _ 4 2

input: '{:06.2f}'.format(3.141592653589793)

output: 003.14

String concatenation

```

>>> print('a' + 'b' + 'c')
abc
>>> print(''.join(['a', 'b', 'c']))
abc
>>> print(''.join(['a', 'b', 'c']))
a,b,c

```

```

In [1]: def make_windows(sequence, windowsize):
        list = []
        for i in range(len(sequence)-windowsize+1):
            temp = []
            for j in range(windowsize):
                temp.append(sequence[i+j])
            list.append(temp)
        return list
        raise NotImplementedError # TODO

```

```
In [2]: series = [0, 1, 0, 2, 1, 0, 1, 101, 100, 98, 102, 101]

make_windows(sequence=series, windowsize=1)
make_windows(sequence=series, windowsize=2)
make_windows(sequence=series, windowsize=3)

check(3)
```

```
-----
-
NameError                                Traceback (most recent call las
t)
Cell In[2], line 8
      5 make_windows(sequence=series, windowsize=2)
      6 make_windows(sequence=series, windowsize=3)
----> 8 check(3)

NameError: name 'check' is not defined
```

When you are done:

Generate some example outputs in this notebook.

1. Double-check that you filled in your name at the top of the notebook!
2. Click File -> Export Notebook As -> PDF
3. Email the PDF to YOURTEAMNAME@beaver.works