

D consider ordered list;

10, 15, 25, 35, 40, 50, 60, 75, 80

95 goes here

→ we have to insert 45

→ we have to make room for 45 → to insert it

→ can be done by

i) shifting element left

ii) shifting element right.

→ This is very long hence insertion (and deletion) is
time expensive in ordered list

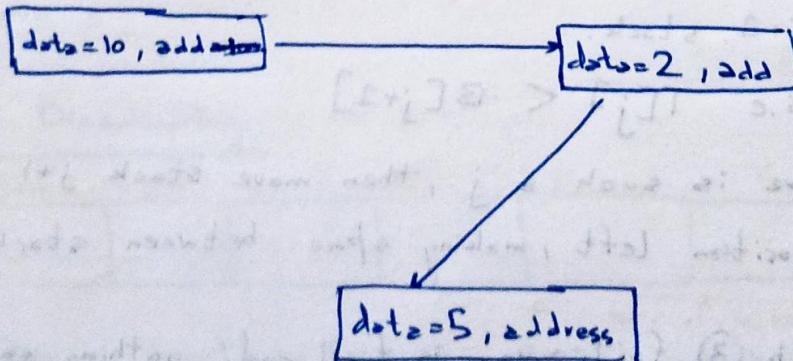
→ We also have fixed size of list array, which wastes memory
(sequential list)

→ This can be solved by Linear Linked Representation

Linked Representation

→ Data are linked to other data by something (address)

Eg



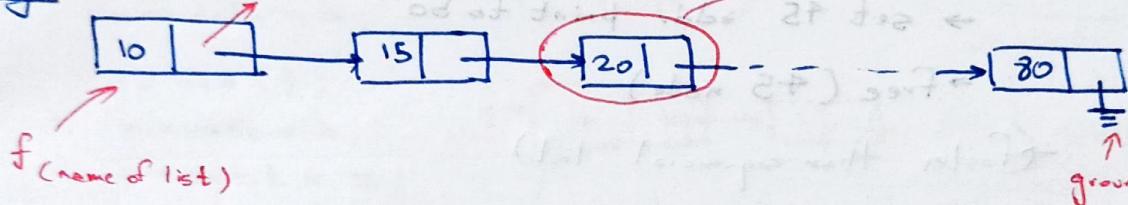
→ elements scattered everywhere in memory

→ more space is required for this implementation,

n element, 2n data (n data, n address)

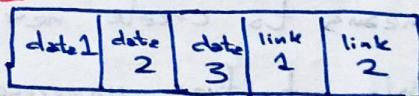
Linked List

Eg



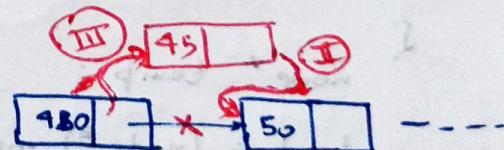
Code

typedef struct nodetype ordered
{
 int date1;
 int date2;
 int date3;
 struct nodetype *link1, *link2;
} node;



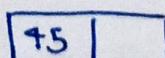
Insertion

Eg: f → [10] → [15] → [] → [] → []



→ we want to insert 45 (between 40 and 50)

I) create node → [45]



II) set addr. of new node point to 50

III) set addr. of 40 point to 45

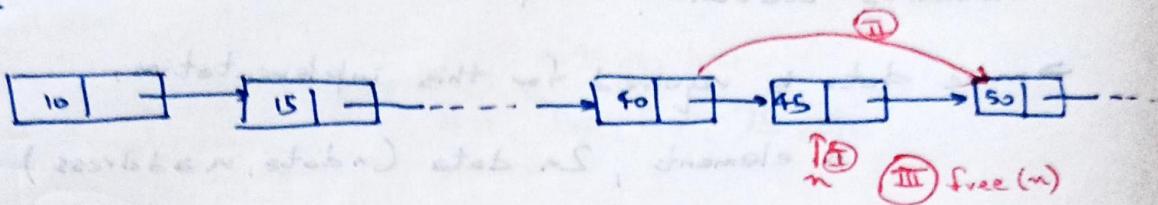
can not be interchanged.

→ if we do III before II, we lose memory (and it creates memory leakage)
(memory is there, but can't be accessed)

(no movement of data, compared to sequential list)

Deletion

E.g.



→ we want to delete node 45

→ set 45 make a new node point to 45

→ set 45 addr point to 50

→ free (45 node)

(faster than sequential list)

To do these compiler need three things.

i) mechanism to define a node [structure]

ii) means to create new node [malloc(), calloc()]

iii) Way to free unnecessary nodes [free()]

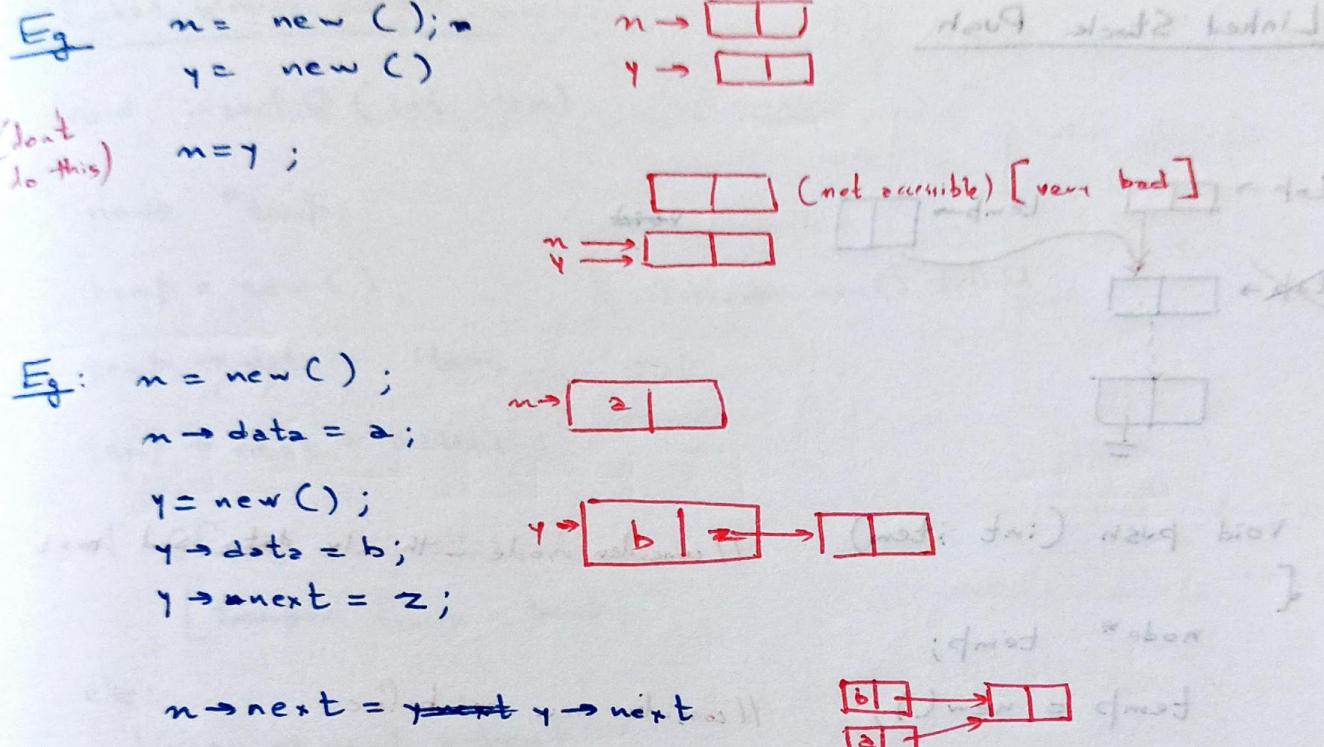
Create new node

```
node* new()
{
    node* temp;
    temp = (node*) malloc (sizeof (node));
    return temp;
}
```

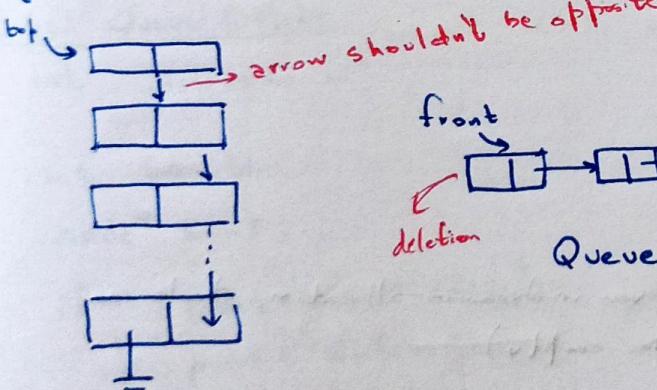
// assume node structure defined

Alternate

```
void new (node** f)
{
    *f = (node*) malloc (sizeof (node));
}
```



Ex: Linked Stack and Queue

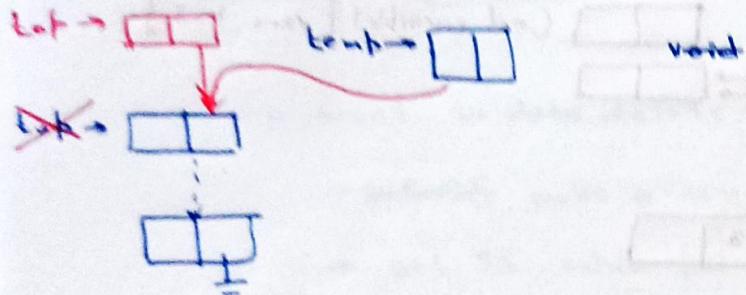


Stack

front = front
 stack or qd = next;
 front or of qd = front
 ((front).next
 next).next

front = front
 stack or qd = next;
 front or of qd = front
 ((front).next
 next).next

Linked Stack Push



```

void push (int item)           // consider mode with only data and next
{
    node* temp;
    temp = new();               // consider new as before
    temp->data = item;          (dynamic allocation; no case of stack full)
    temp->next = top;           new has last 2 boxes
    top = temp;
}

```

Linked Stack Pop

```

int pop ()
{ if (top == NULL)
    [ "Empty"
      return;
  else
    temp = top;
    item = top->data;
    top = top->next;
    free (temp);
    return item;
}

```

(even in dynamic allocation, stack can be empty)

④ Linked Queue Insert

```
void insertQ (int item)
```

```
{ node *temp;
```

```
temp = new(); // consider new() defined
```

```
temp → data = item;
```

```
temp → next = NULL;
```

```
if (front == NULL)
```

```
[ temp = front = temp; ]
```

```
else
```

```
  Lrear → next = temp;
```

```
} rear = temp;
```

Linked Queue Delete

```
int deleteQ ()
```

```
{ int item; node *temp;
```

```
if (front == NULL)
```

```
[ cout << "Empty" ]
```

```
return NULL
```

```
temp = front;
```

```
item = front → data;
```

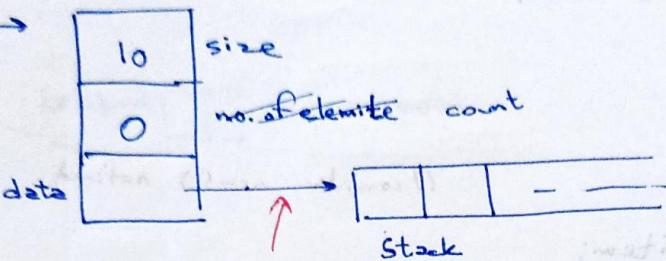
```
front = front → next;
```

```
free (temp)
```

```
return item;
```

Eg.: Integer Stack [Programming Assignment] (Question is ungradable)

struct →



no. of elements count

this assignment done by `create_stack()`

Structure definition

struct stack

{

int size; → 4 byte
int count; → 4 byte
int *data; → 4 byte

}

type def struct stack*, int_stack; → make alias of "struct stack"

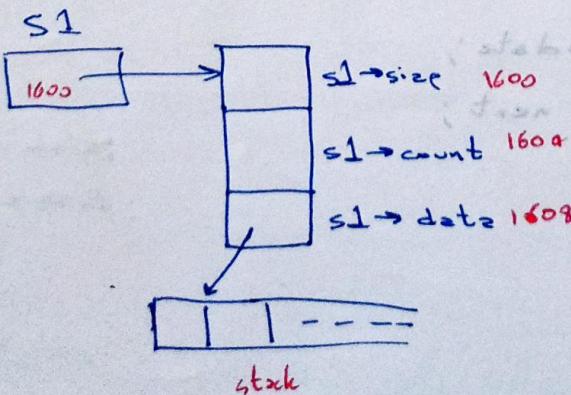
→ now we can make a stack by the following:

→ `int_stack s1;`

↳ type : struct stack*

↳ size = ~~4 byte~~ 4 byte → it's just a pointer

create



(data stored contiguously in structure)

(front) 1607
(last) 1608

Create - stack()

This is a pointer \rightarrow we have to first assign address to int-stack or using malloc memory.

```

int* int_stack create_stack ( int *size )
{
    intstack s1;  $\rightarrow$  s1 = (int_stack*) malloc ( sizeof (int_stack) );
    s1-> size = size;
    s1-> count = 0;
    s1-> data = (int*) malloc ( sizeof (int) * size );
    return s1;
}

```

Eg: Integer Stack (Again)

The previous Eg. had extra complication, due to ~~typedef~~ state \leftarrow

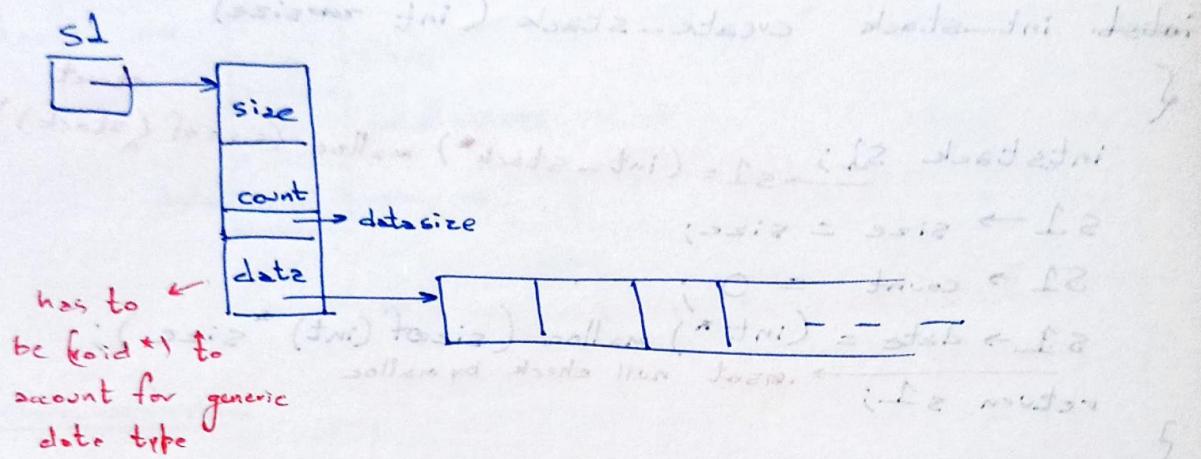
so let's try again

\rightarrow push(), pop(), is_free(), is_empty() are done ~~using~~ using
s_data and count ~~as~~.

\rightarrow to free the data, do this

- \rightarrow free (s1-> data); \leftarrow order fixed, otherwise segmentation fault.
- \rightarrow free (s1);

Eg: Generic Stack [Programming Exercise]



→ as we have `(void*) data`, we can't do the following.

→ ~~s1 → data[1]~~

→ ~~data[1] = 100~~

because as `data` is ~~de reference~~ `[void*]`

→ we have to use function `memcpy()` to solve this

~~create_gstack()~~

~~typedef struct stack*~~
~~gstack~~

Stack definition

→ `typedef struct stack* gstack; // consider struct stack defined`

Create gstack()

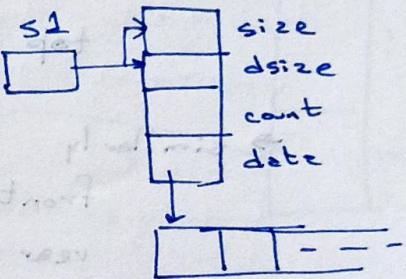
gstack create_gstack (int size, int dsize)

```

gstack s1;
s1 = (gstack) malloc ( sizeof( struct stack ) );
s1->size = size;
s1->dsize = dsize;
s1->count = 0;
s1->data = malloc ( dsize * size );
return s1;
}

```

The diagram shows a pointer variable `s1` pointing to a stack node. The stack node is a structure with four fields: `size`, `dsize`, `count`, and `data`. The `data` field is a pointer to a buffer of memory, indicated by a dashed line at the end of the buffer.



push()

int push_gstack(gstack s, void *dp)

$D = \leftarrow \rightarrow$ count $\rightarrow \leftarrow$ size;

```
int      B =  $ > count      $ > size;
```

```
memchr (&s->data[b], dp, dsiz);
```

~~account~~ --: ~~planned date~~

`s->count --;`

5

→ to print dp, we can make three print function
and use pointer to functions, using dsize.

Multiple Queue and Stacks in a linked list

Suppose I want to build n stacks and m queues

∴ we need n tops, m rear, m front

→ so we can use an array:
most probably array containing pointers

$\text{top}[i] = \text{top of } i^{\text{th}} \text{ stack}, 1 \leq i \leq n$

→ similarly

$\text{front}[i] = \text{front of the } i^{\text{th}} \text{ queue.}$

$\text{rear}[i] = \text{rear of the } i^{\text{th}} \text{ queue}$

$1 \leq i \leq m$

→ The initial conditions could be:

→ $\text{top}[i] = \text{NULL}, 1 \leq i \leq n$

→ $\text{front}[i] = \text{NULL}, 1 \leq i \leq m$

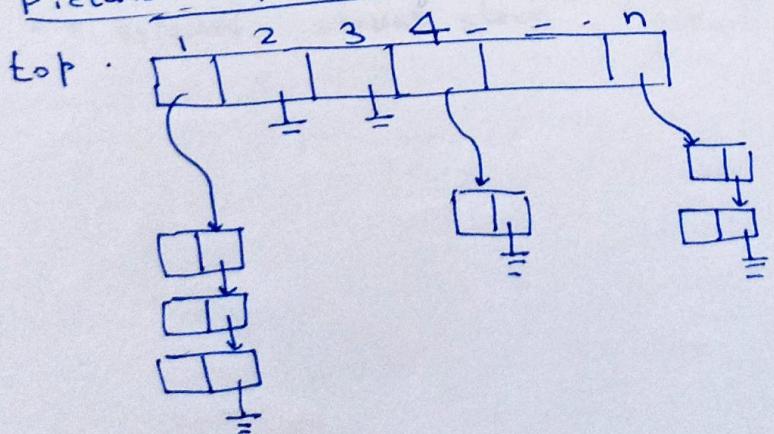
∴ if ($\text{top}[i] == \text{NULL}$)

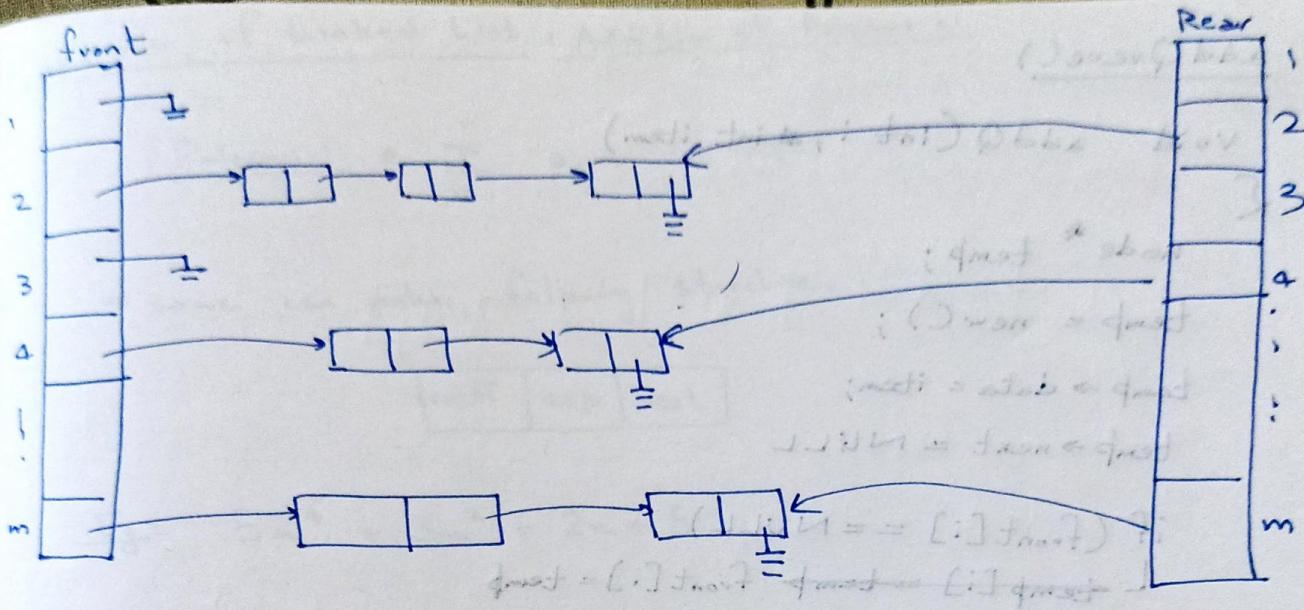
↳ i^{th} stack empty

∴ if ($\text{front}[i] == \text{NULL}$)

↳ i^{th} queue is empty

Pictorial Representation





push()

```

void push (int i , int stack)
{
    node * temp;           // assume node declared as before
    temp = new ();          // new() as before
    temp->data = item;
    temp->next = top[i];   // top array is an array of pointers to node
    top[i] = temp;
}

```

→ top array definition

```

node * top [100];           //global parameter

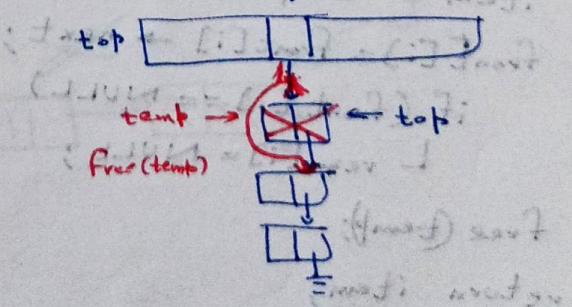
```

pop()

```

int pop (int i)
{
    node * temp; int item;
    if (top[i] == NULL)
        ↪ stack[i] is empty
        return NULL;
    temp = top[i];
    item = top->data;
    top[i] = top[i]->next
    free (temp);
    return item;
}

```



(front) save
= stack[i] -> next

add Queue()

void addQ(int i, int item)

```
{
    node * temp;
    temp = new();
    temp->data = item;
    temp->next = NULL
```

```
if (front[i] == NULL)
    L temp[i] = temp front[i] = temp
```

```
else
    L rear[i] -> next = temp
```

```
rear[i] = temp
```

}

delete Queue

int deleteQ(int i)

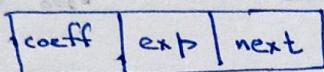
```
{
    node * temp;
    if (front[i] == NULL)
        print queue empty
        return NULL;
    else
        temp = front[i];
        item = temp->data;
        front[i] = front[i] -> next;
        if (front[i] == NULL)
            L rear[i] = NULL;
        free(temp);
        return item;
```

→ we can say that linked implementation better for this queue wrt sequential implementation

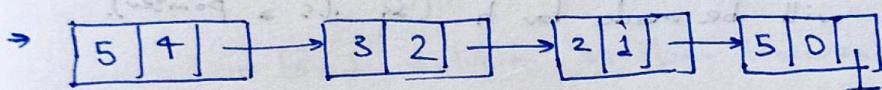
Application of Linked List : Addition of Polynomial

$$\text{Polynomial} \rightarrow \sum_{i=0}^n a_i n^i = 0$$

→ so we can make following structure,



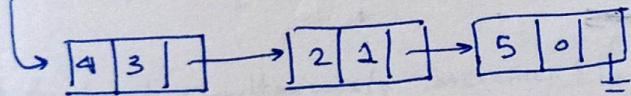
$$\text{Eg: } 5n^4 + 3n^2 + 2n + 5$$



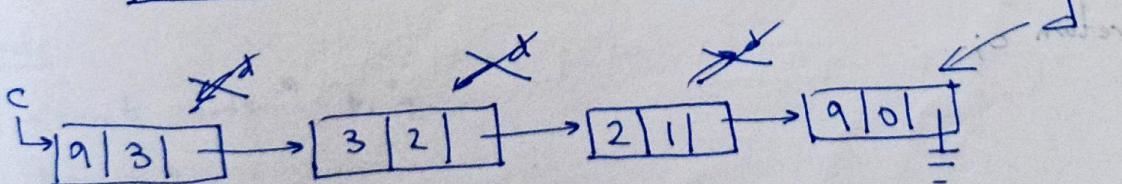
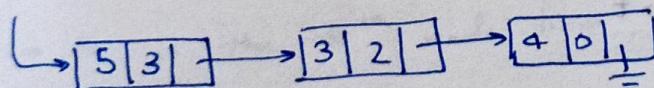
→ if degree is same, we add their coefficient
 # otherwise

Eg of algo

$$p: 4n^3 + 2n + 5$$

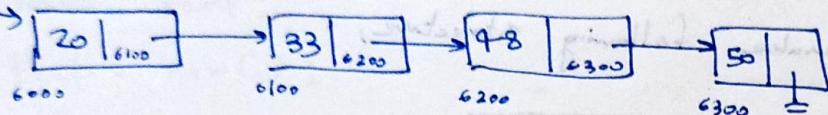


$$q: 5n^3 + 3n^2 + 4$$



~~Counting no. of nodes~~ To find total no. of nodes
consider following linked list

~~h~~ \rightarrow (actually 4 bytes)



\rightarrow when we do

struct node * h;

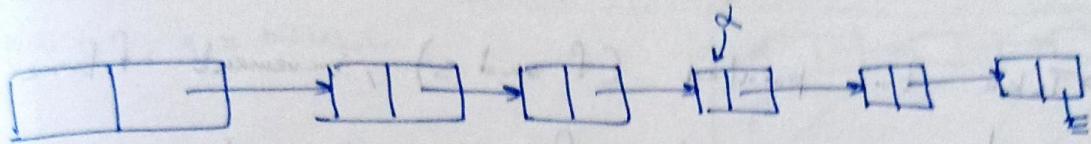
4 byte will be made for h (as it's a pointer).

\rightarrow for counting no. of nodes, go from start to finish, incrementing a count every time a ~~node~~ node is parsed.

Code

```
int count (struct node * s) {  
    int c=0;  
    struct node * temp;  
    while (temp = NULL) {  
        if (s != NULL)  
            c++;  
        temp = s->next;  
    }  
    return c;  
}
```

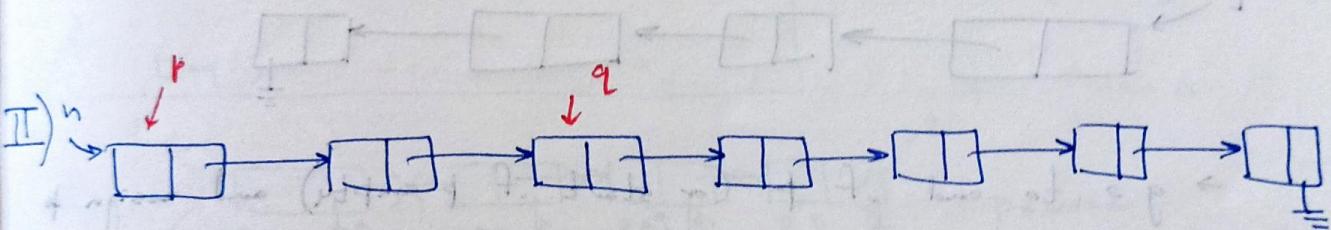
Find the k^{th} node of a linked list from the last



Suppose: $k=3 \rightarrow$ output will be x

Possible Solutions

- I) find total nodes, find $(\text{total nodes} - k)$ and then
→ traverse again to $(n-k)^{th}$ node from start O(2n)
→ Bad solution as two traversal required.



Suppose $k=3$

let p & q be other pointers. (difference b/w p & $q = k$)

→ keep simultaneously incrementing p & q , till ~~q=NULL~~ q reaches last node.

→ p is the k^{th} node from last. O(n)

Code

struct node * p, * q

$p = q = \text{NULL}$

for (int i=1; i<=k; i++)

$q = q \rightarrow \text{next}$

while ($q \rightarrow \text{next} \neq \text{NULL}$)

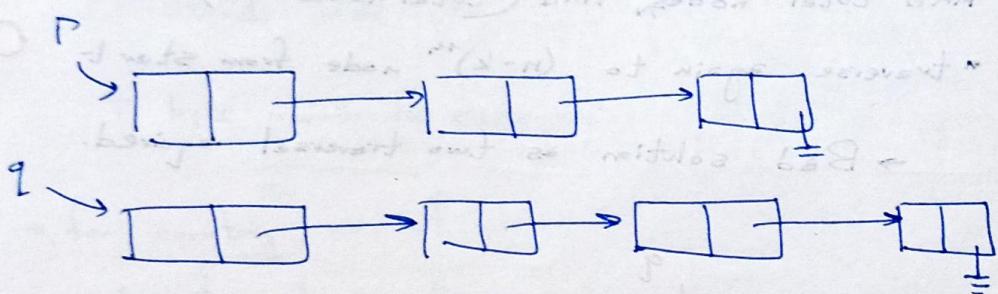
{ $q = q \rightarrow \text{next}$

$p = p \rightarrow \text{next}$

Finding middle of the node in the linked list

- Take two pointers (f and s), increment f twice and s once, when f reaches the end, s will be in middle.
- some slight nuances, like out of bounds for f

Merge two linked lists (one after another) (p after q)

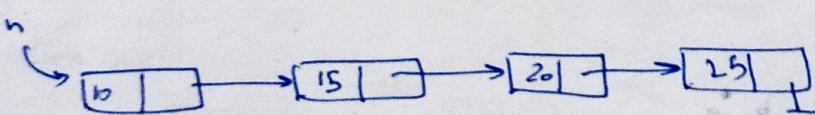


→ go to end of p (or start if p empty) and assign $p \rightarrow \text{next } t = q$

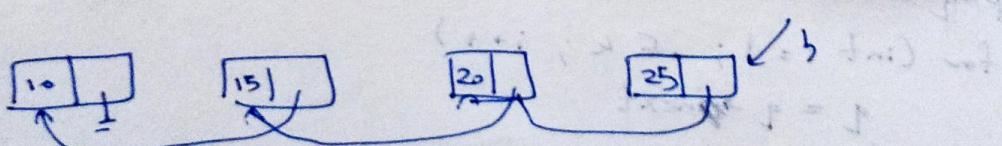
3 cases

- $p = \text{null}, q \neq \text{null}$
- $q = \text{null}, p \neq \text{null}$
- both $\neq \text{null}$

Reversing a linked list element



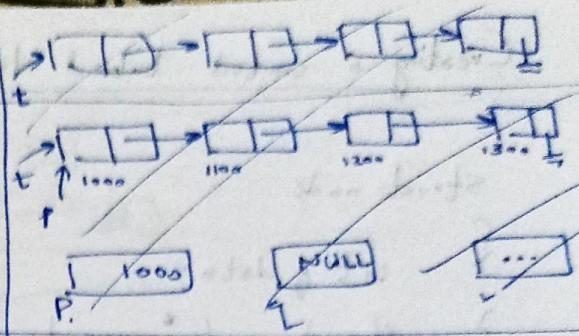
make



→ address will be same

node = p + q, r (return)

p = t, q = NULL



while ($t \neq \text{NULL}$)

{
 r = q

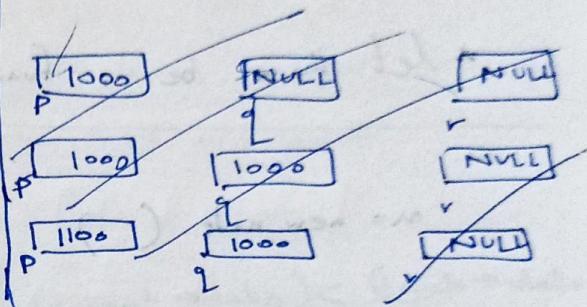
 q = p

 p = p \rightarrow next

 q \rightarrow next = r

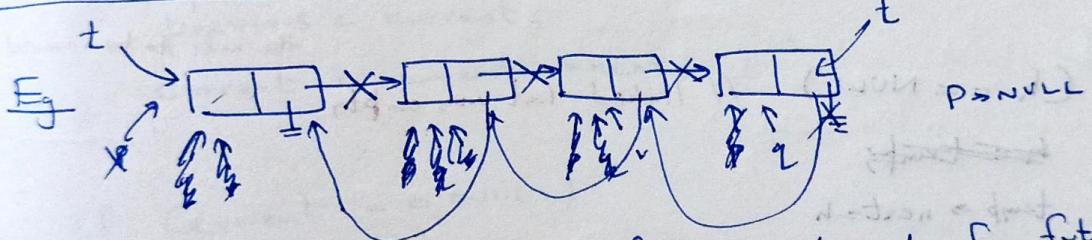
(return r)

return r



3

~~t=q;~~ /* short hand of "short de)lision before send



→ select a node, ~~assing~~ ^{save} a ~~future~~ next node for future make changes to that node according to.

→ In end, do

$t=q$

so as to update t

shorten & quant
if read = 1
get and go

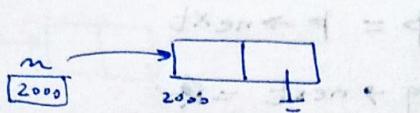
Creating a sorted linked list [insertion sort]

struct node

```
{ int g data;  
} struct node* next;
```

* let there be a function newnode()

m = new node ()



struct node* insert (struct node* h, struct node* newtemp)

the node to be inserted

{ if (*h* == NULL) // linked list was empty

{ ~~h = temp;~~

temp → *next* = *h*

h = *temp*;

} return *h*;

else if (*h* → *data* >= *temp* → *data*) // *temp* should be added in start

{ *temp* → *next* = *h*

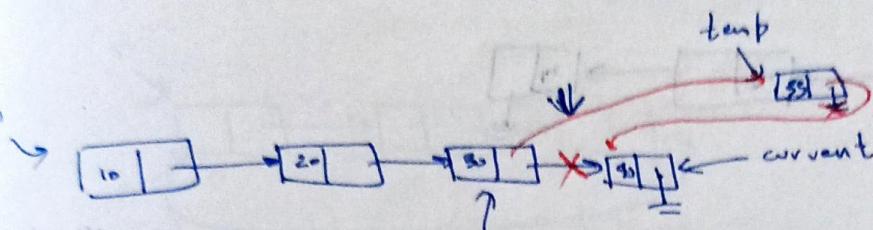
h = *temp*;

} return *h*;

else

{

struct node* current, * previous



current
previous

```
current = h;  
previous = NULL;
```

[class person]

while (current != NULL & (current->data) < (temp->data))

{

 previous = current;

 current = current->next;

}

if (current == NULL)

{ previous->next = temp;

 temp->next = NULL;

}

else

{

 temp->next = current;

 previous->next = temp;

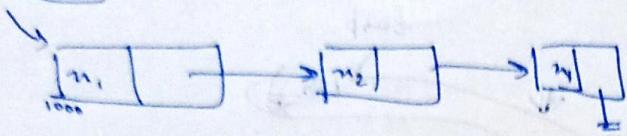
}

} //end of else,

//end of function

~~Create Queue free linked list~~

~~h [100]~~



→ `free(h)` will not do the intended thing, it will only free `h`, not the linked list, and as `h` is gone, there will be no way to reaccess the linked list

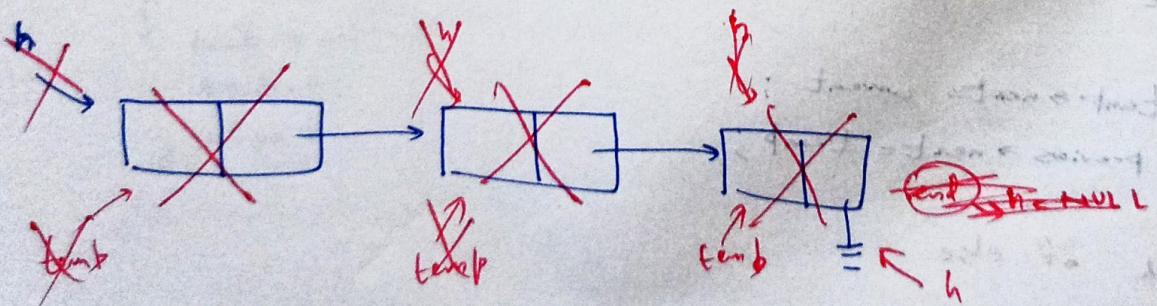
[memory Leak]

→ you have to ~~remove~~ ^{Free} individual nodes first

code

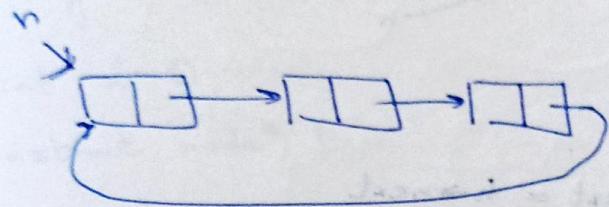
```

#include <stdio.h>
#include <stdlib.h>
struct node {
    int data;
    struct node *next;
};
node *head = NULL;
node *temp;
int main() {
    temp = head;
    while (temp != NULL) {
        head = head->next;
        free(temp);
        temp = head;
    }
    return 0;
}
  
```

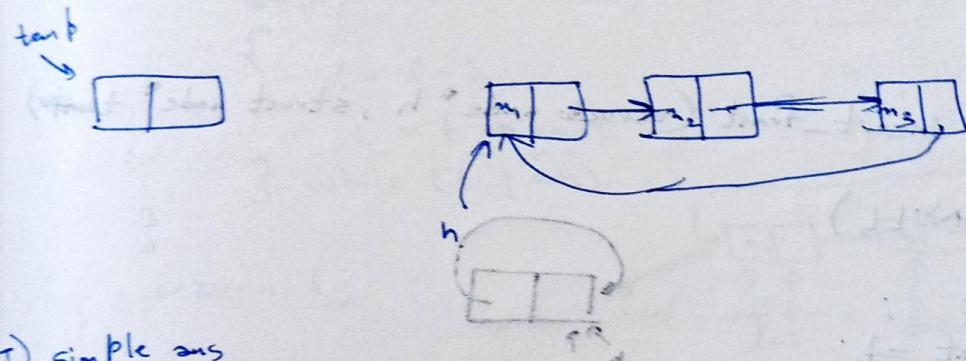


$h = \text{NULL}$

Circular Linked List



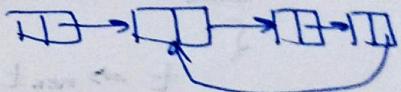
inserting a new node at the front of a circular linked list



I) Simple ans

$$\begin{aligned} temp \rightarrow next &= h \\ h &= temp \end{aligned}$$

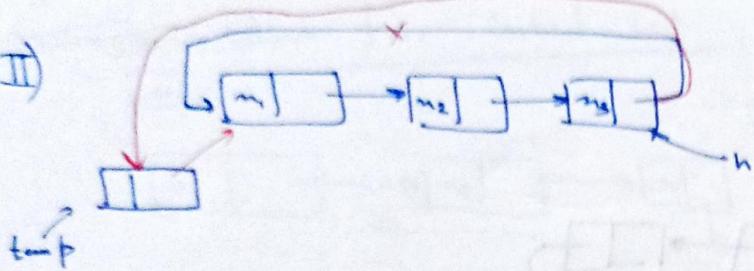
problem: Linked List will look like this
and it is not a circular



solution: traverse to the end and make changes

problem to solution: Insertion became $O(n)$.

II)



$$\begin{aligned} \text{temp} \rightarrow \text{next} &= h \rightarrow \text{next} \\ h \rightarrow \text{next} &= \text{temp} \end{aligned}$$

→ This solution ~~se~~ saves time (Complexity too, $[O(1)]$)

Code

```
struct node* insert_front (struct node* h , struct node* t) {  
    if (h==NULL)  
    {  
        h = t ;  
        t->next = t ;  
    }  
    else  
    {  
        t->next = h->next ;  
        h->next = t ;  
    }  
}
```

Diagram showing the state of the list after insertion. The head pointer h now points to the new node t . The node t has its next pointer pointing to the original head node m_1 .

$h = \text{front}$
 $\text{front} = t$

~~temp~~

~~temp = t~~

~~temp->next = h->next~~

~~h->next = temp~~

~~temp = NULL~~

~~return h~~

Length of circular Linked List

```
int length (struct node* h)
```

```
{ int l=0;
```

```
    struct node* t;
```

```
    if (h != NULL)
```

```
{ t = h; l=l+1; t=t->next;
```

```
    while (t != h) do
```

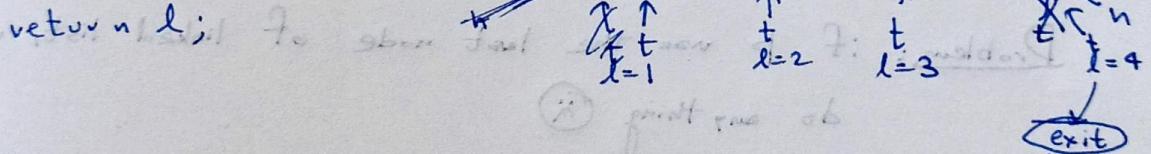
```
        l = l+1;
```

```
        t = t->next
```

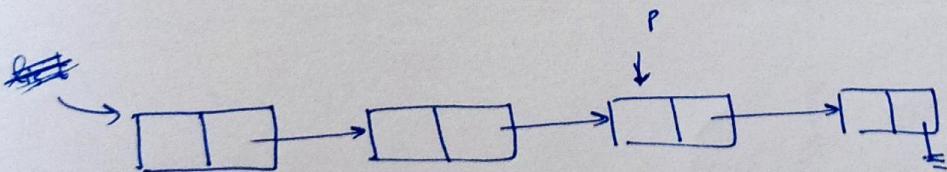
```
} while (t != h)
```

```
}
```

return l;



Problem with Single Linked List

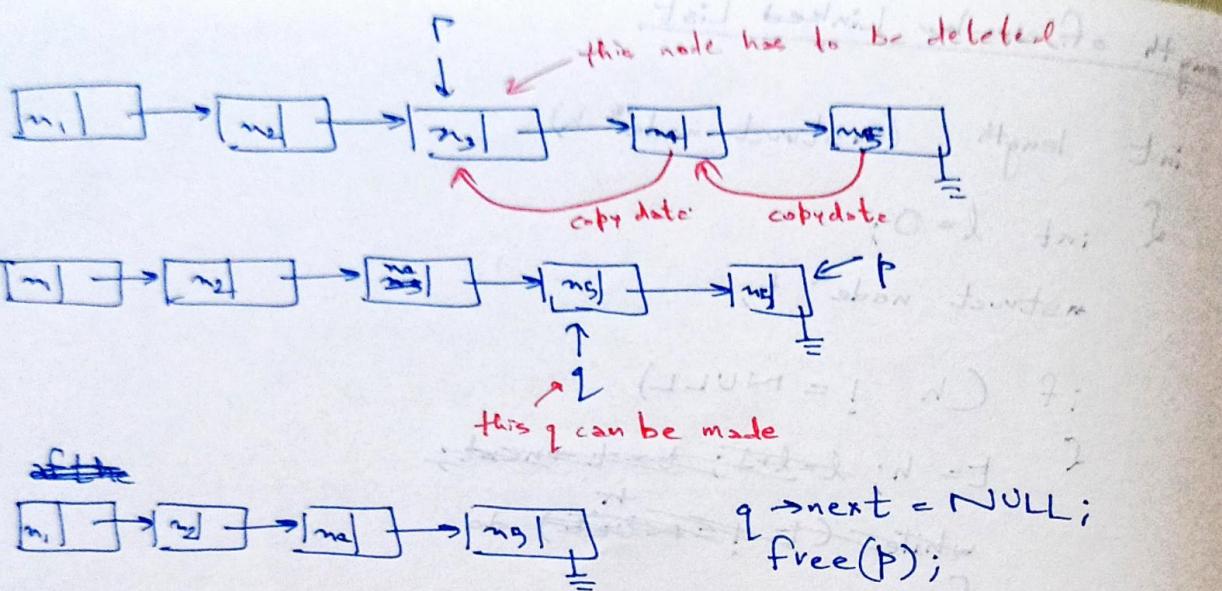


→ it is not possible to delete a node using one pointer. (no start given)

→ In general, there is no way to go back in linked list without making new pointers.

Work around

rather than deleting the node, we copy next node's contents to the present node and continue forward, and in end, we delete last node.



* this was done as there was no way to access start of the linked list.

Problem: if p was the last node of linked list, we can't do anything \textcircled{N}

Solution: Incorporate Double Linked List



double linked list gives us a global advantage for insertion
and deletion because we don't have to search for the previous node
and next node. We can just change the pointers of the previous node
and next node to point to the new node.

Structure taken from page 29, shows all pointers with values
which means it has different pointers like right, forward, left, etc.
also track