

Subject: Data Structures And Algorithms  
[CS 2103]

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No. of Sheets uploaded: 10

1) given  $(A+B) * D + E (F + A * D) + C$

adding brackets

$$\left[ \left[ \left[ (A+B) * D \right] + \left[ E (F + A * D) \right] \right] + C \right]$$

shifting operators to right.

$$\left[ \left[ \left[ (A+B) D^* \right] + \left[ E (F (A D^*) +) \right] \right] + C + \right]$$

$\therefore \text{Ans: } AB + D^* E F A D^* + + C +$

a) b) → consider converting  $a^b c$  to postfix

step	expression	stack	output
1	a	empty	a
2	^	^	a
3	b	^	ab
4	^	^	ab^
5	c	^	ab^c
6	\$	empty	ab^c^

now if we convert  $ab^c^$  to infix, we get

$$(a^b)^c = a^{bc} \neq (a^b)^c$$

→ for solving this problem, we need different priority for instack and incoming operator.

1) d) To find  $k^{\text{th}}$  node from last in linked list, we do the following.

i) Initialise two pointer

a)  $p$  which points to first element

b)  $q$  which points to  $k^{\text{th}}$  node from start.

ii) iterate through the linked list, ~~and~~ ~~is~~ ~~going~~ increment "incrementing" both  $p$  &  $q$ , till  $q$  is in end.

iii)  $p$  will point to  $k^{\text{th}}$  element from last.

## Procedure

// list has <sup>two</sup> ~~three~~ attribute, ~~labelled~~ data, next

k<sup>th</sup>-last (node<sup>\*</sup> list)

{

set p = list

set q = k<sup>th</sup> node from start

while (q → next != NULL)

{

p = p → next;

q = q → next;

}

return p; // p will point to k<sup>th</sup> node from last.

}

1) e → A <sup>Search</sup> Binary Tree is a Binary Tree with following properties

i) ~~Left~~ <sup>Data of</sup> Left child of a node will be less than Data of node

ii) Data of right child of a node will be more than ~~the~~ <sup>the</sup> data of the node

iii) Both children of the node are also Binary

Search Tree.

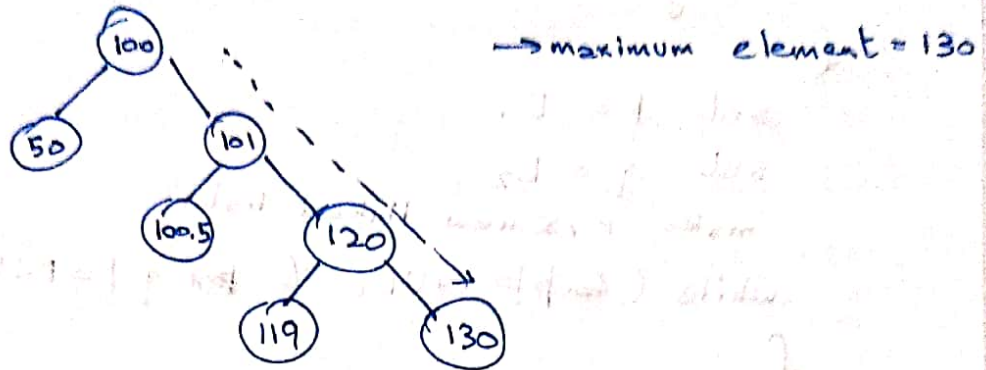
→ If for a Binary Tree, if every node of tree follows these three property, then we can say that the Binary Tree is a Binary Search Tree.

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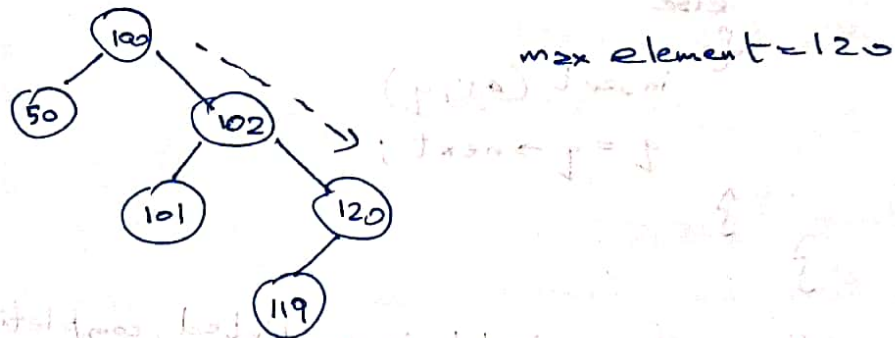
d) → Due to the structure of Binary Search Tree, the data with maximum value will always be in the right most node.

Eg



→ So to get max element, we start from root, and go to rchild of node, till it does not exist

Eg 2



procedure // root has three attribute: rchild, lchild, data.

max\_BST (tree node \* root)

```

{
    set p = root;
    while (p->rchild != NULL)
    {
        p = p->rchild;
    }
    return p->data;
}

```

3) a) ~~to sort L<sub>1</sub> and L<sub>2</sub>, we do the f~~

procedure

// node has two attribute, data, next  
merge (node \* L<sub>1</sub>, node \* L<sub>2</sub>)

{

set p = L<sub>1</sub>

set q = L<sub>2</sub>

make r, a new linked list.

while (p != NULL & q != NULL)

{

if (p->data < q->data)

{ insert(r, p) // insert node p in r

p = p->next;

}

else

{

insert(r, q)

q = q->next;

}

}

// now if one LL is completed, completing other one.

while (q != NULL)

{ insert(r, q)

q = q->next;

}

while (p != NULL)

{ insert(r, p)

p = p->next;

}

} // end of function.

3) b) we can implement this using Linked list.

→ suppose a node has following attribute,

i) data to be accessed

ii) no. of time accessed.

→ and suppose list is sorted according to no. of time accessed, such that the first element of Linked list ~~has~~ is the element with maximum value of "no. of time accessed".

→ This way, the program will iterate through the data with ~~max~~ high frequency, before going to low frequency.

→ Also new data will be added in end with 0 ~~no~~ ~~in~~ "no. of time accessed".

→ when a data is accessed, its frequency ("no. of time accessed") ~~is~~ will increment, and that ~~data~~ <sup>node</sup> will change its position accordingly to make the whole linked list sorted.



4) a) prod procedure [Recursive]

~~swap = LR (node\*)~~

swap = LR (treenode\* node)

{

// node has following attribute: lchild, rchild, data

\* if (node == NULL)

return ; ~~return~~

treenode\* temp = node -> lchild ;

node -> lchild = node -> rchild ;

node -> rchild = temp ;




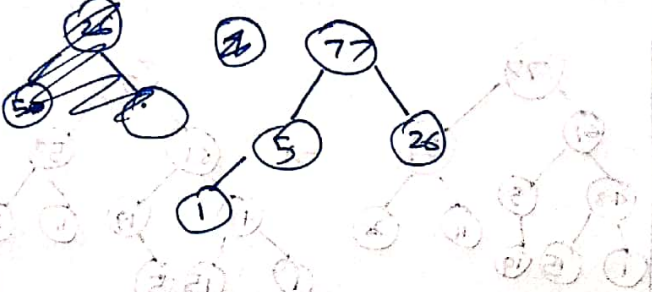
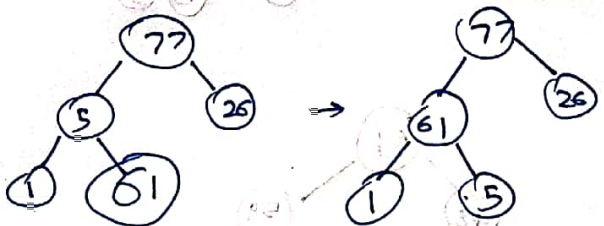
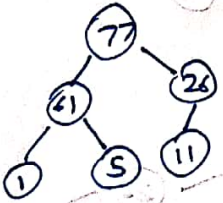
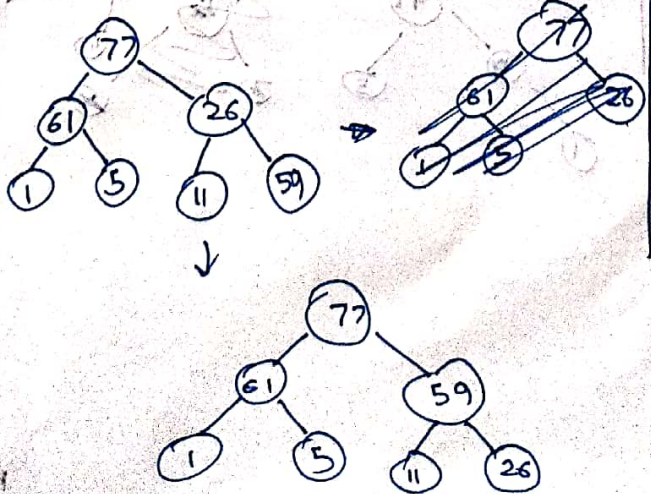
swap - LR (node -> lchild) ; // recursion to

swap - LR (node -> rchild) ; // its child.

}

4)b) given

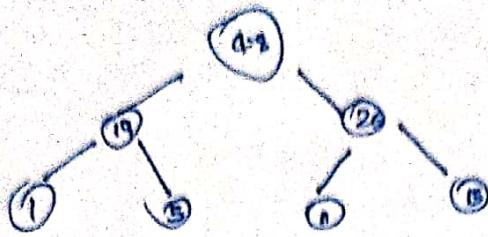
26, 5, 77, 1, 61, 11, 59, 15, 48, 19

no.	tree	<del>output</del> output
1) 26		
2) 5		
3) 77		
4) 1		
5) 61		
6) 11		
7) 59		



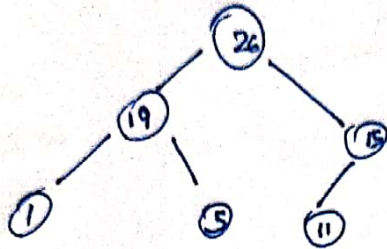
number	Tree	Output
9) 15		
9) 48		
10) 19		
11) delete		77
12) delete		77, 61

13)



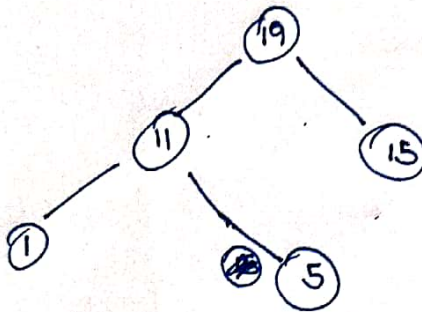
77, 61, 59

14)



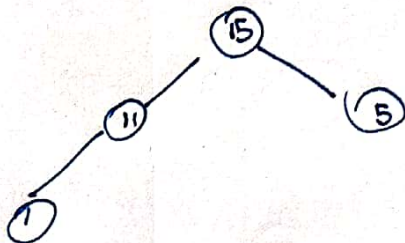
77, 61, 59, 48

15)



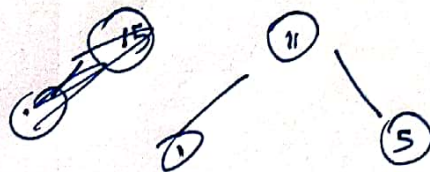
77, 61, 59, 48, 26

16)



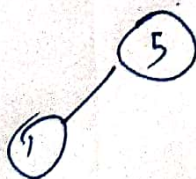
77, 61, 59, 48, 26, 19

17)



77, 61, 59, 48, 26, 19, 15

18)



77, 61, 59, 48, 26, 19, 15, 11

19)

77, 61, 59, 48, 26, 19, 15, 11, 5

20)

77, 61, 59, 48, 26, 19, 15, 11, 5, 1

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