

Functions as Objects

A5.1 INTRODUCTION

Python language gives a special treatment to functions. It treats functions as objects. This means that you can manipulate a function as any other object. This feature makes Python strikingly different from other OOP languages like Java or C#.

Example A5.1 Program to demonstrate that function is an object

```
def func():
    """The function prints HELLO WORLD on screen """
print("HELLO WORLD")
print("Func is an instance of Object : ", isinstance(func, object))
print("ID(Func) : ", id(func))
print("Functions Docstring : ", func.__doc__) # prints docstring
print("Function Name : ", func.__name__) # prints function name
```

OUTPUT

```
HELLO WORLD
Func is an instance of Object : True
ID(Func) : 47177648
Functions Docstring : The function prints HELLO WORLD on screens
Function Name : func
```

Note that in the above program, `isinstance()` function checks whether the function is an instance of `object`. We will study later in this book that all entities in Python are inherited from the base class `object`. The function `id()` goes a step ahead and returns the object's id.

Like other objects, Python also allows you to store multiple functions in a tuple and then pass every entry in the tuple as an argument to another function.

Example A5.2 Program to demonstrate that functions can be used as an argument to a function and can be stored in a collection

```
def func1():
    pass
def func2():
```

```
pass
def func3():
    pass
def func4(func):
    print("ID(Func) = ",id(func)) # prints object id of function
    Funcs = (func1, func2, func3, func4) # Funcs is a tuple of functions
for i in Funcs:
    print(i)
    func4(i) # Functions as argument
```

OUTPUT

```
<function func1 at 0x02B4DC30>
ID(Func) = 45407280
<function func2 at 0x02B4DFB0>
ID(Func) = 45408176
<function func3 at 0x02B56030>
ID(Func) = 45441072
<function func4 at 0x02B56070>
ID(Func) = 45441136
```

CASE STUDY

3

Tower of Hanoi

The tower of Hanoi is one of the main applications of recursion. It says, 'if you can solve $n-1$ cases, then you can easily solve the n th case'. Look at Figure CS3.1 which shows three rings mounted on pole A.

The problem is to move all these rings from pole A to pole C while maintaining the same order. The main issue is that the smaller disk must always come above the larger disk.

We will be doing this using a spare pole. In our case, A is the source pole, C is the destination pole, and B is the spare pole. To transfer all the three rings from A to C, we will first shift the upper two rings ($n-1$ rings) from the source pole to the spare pole. We move the first two rings from pole A to B as shown in Figure CS3.2.

Now that $n-1$ rings have been removed from pole A, the n th ring can be easily moved from the source pole (A) to the destination pole (C). Figure CS3.3 shows this step.

The final step is to move the $n-1$ rings from the spare pole (B) to the destination pole (C). This is shown in Figure CS3.4.

To summarize, the solution to our problem of moving n rings from A to C using B as spare can be given as:

Base case: if $n = 1$

Σ Move the ring from A to C using B as spare

Recursive case:

Σ Move $n - 1$ rings from A to B using C as spare

Σ Move the one ring left on A to C using B as spare

Σ Move $n - 1$ rings from B to C using A as spare.

The following code implements the solution of the tower of Hanoi problem.

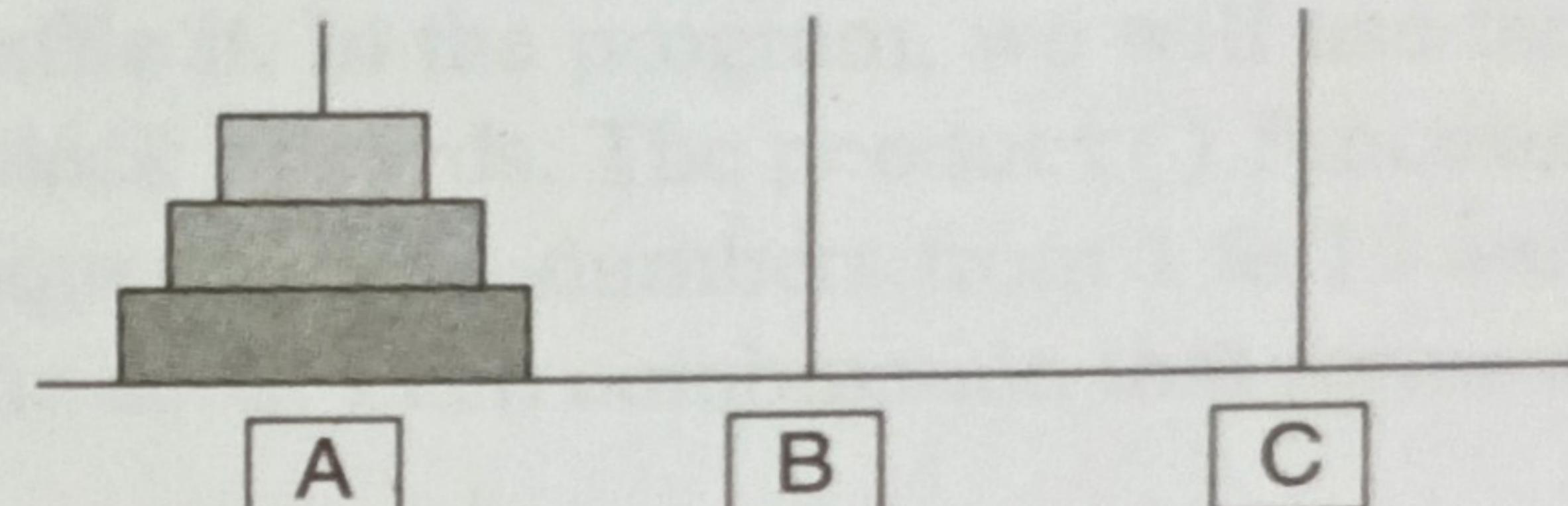


Figure CS3.1

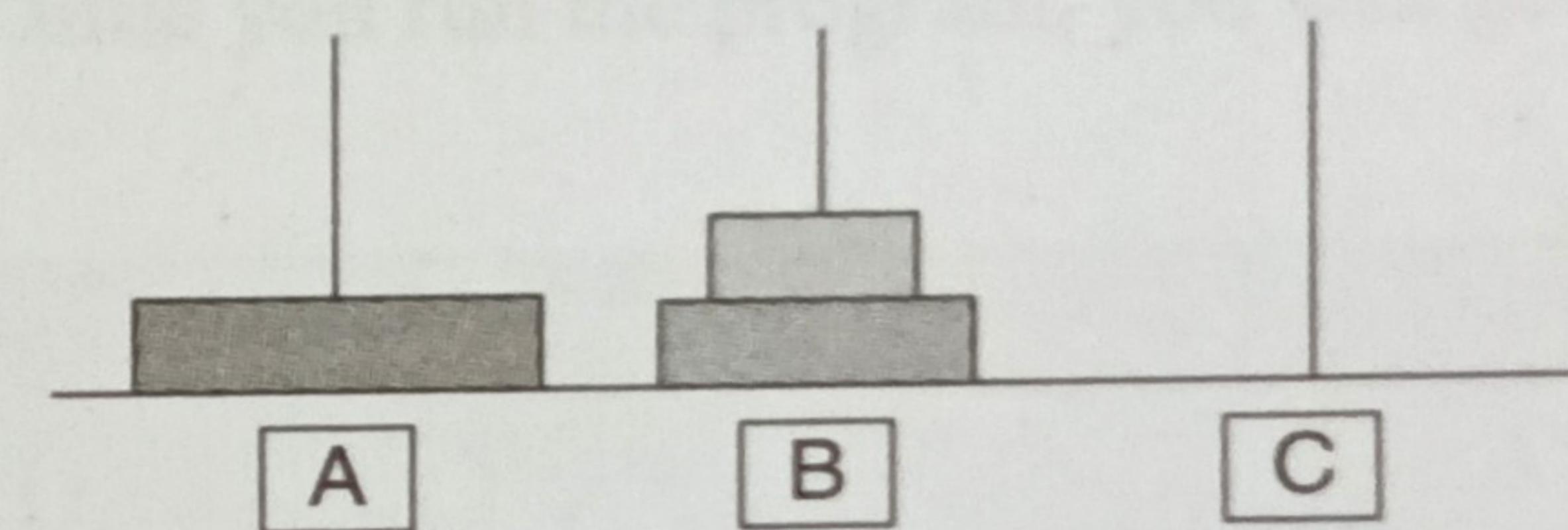


Figure CS3.2

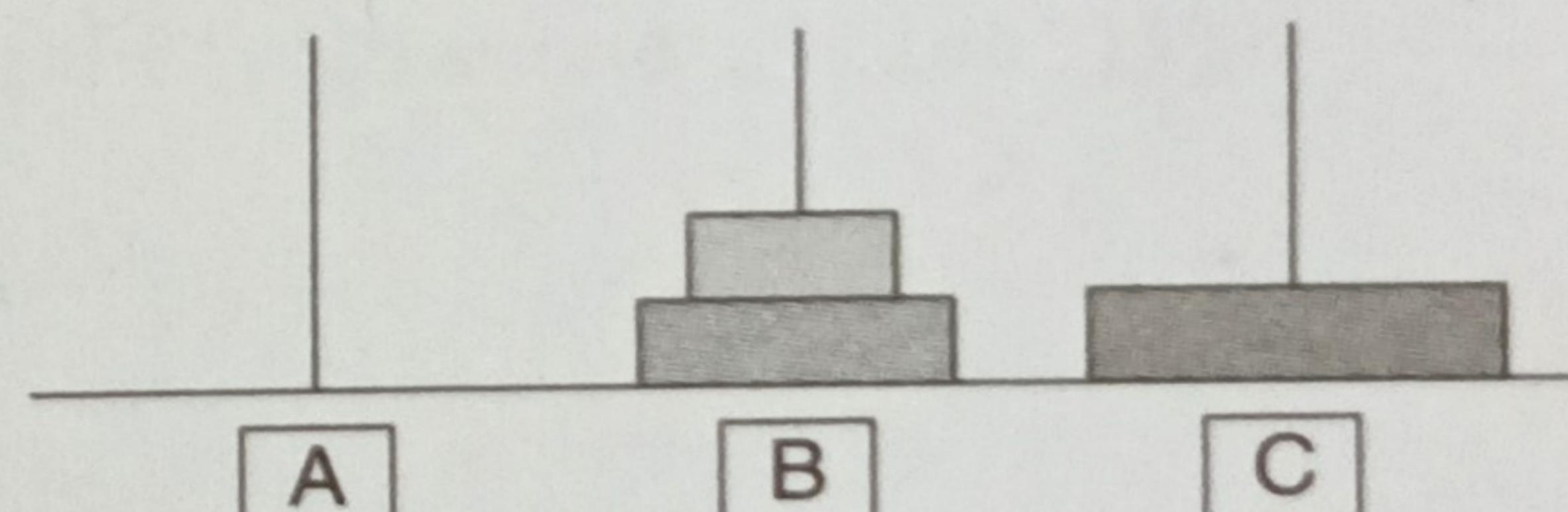


Figure CS3.3

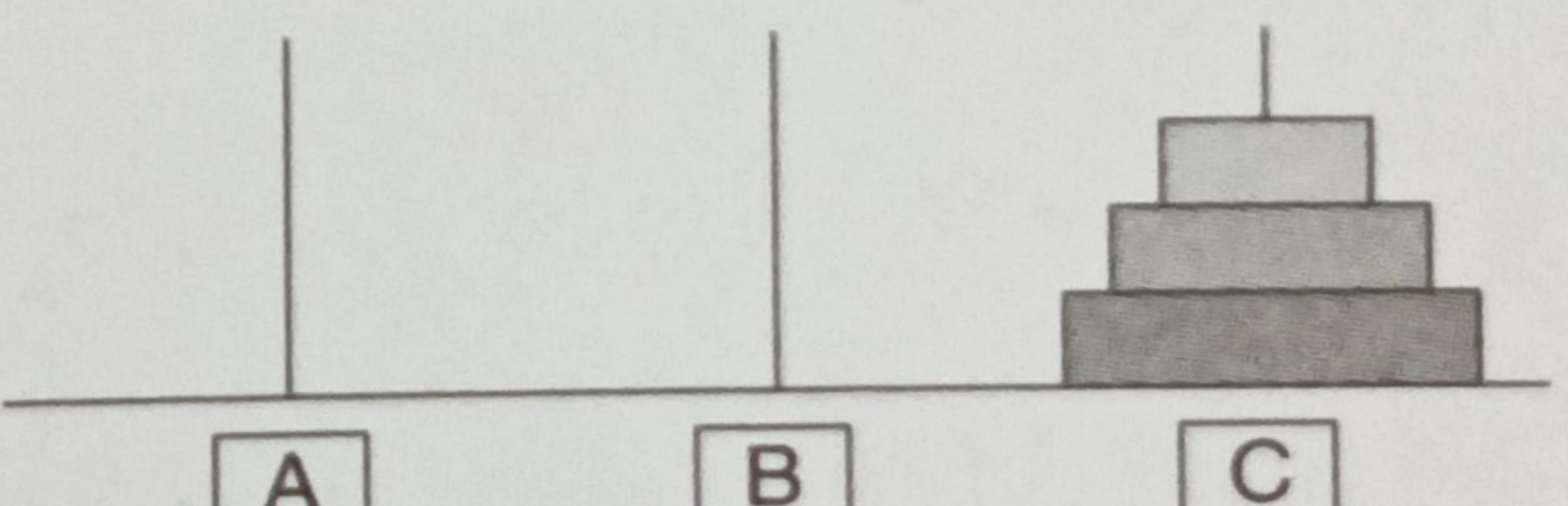


Figure CS3.4

```
# Program to implement tower of Hanoi
```

```
def hanoi(n, A, B, C):
    if n > 0:
        hanoi(n - 1, A, C, B)
        if A:
            C.append(A.pop())
        hanoi(n - 1, B, A, C)
```

```
A = [1,2,3,4]
C = []
B = []
hanoi(len(A),A,B,C)
print(A, B, C)
```

OUTPUT

```
[] [] [1, 2, 3, 4]
```

Shuffling a Deck of Cards

Let us write a small code that will form a deck of cards and then shuffle it. In the program, we will use the `product()` function contained in the `itertools` module to create a deck of cards. The `product()` function performs the Cartesian product of the two sequence. Here, the two sequence are—numbers from 1 to 13 and the four suits. So, in all there are $13 * 4 = 52$ combinations to form the deck. Each combination that forms a card is stored as a tuple. For example, `deck[0] = (1, 'Spade')`.

Once the deck is formed, it is shuffled using the `shuffle()` function in the `random` module and then five cards are drawn and their combination is displayed to the user. Every time you run the program, you will get a different output.

```
# Program to shuffle a deck of cards

import itertools, random
# Form a deck of cards
deck = list(itertools.product(range(1,14),['Spade','Heart','Diamond','Club']))
# Shuffle the cards
random.shuffle(deck)
# Draw five cards
print("Your combination of cards is :")
for i in range(5):
    print(deck[i][0], "of", deck[i][1])
```

OUTPUT

Your combination of cards is :

11 of Heart
2 of Spade
13 of Club
7 of Club
4 of Club