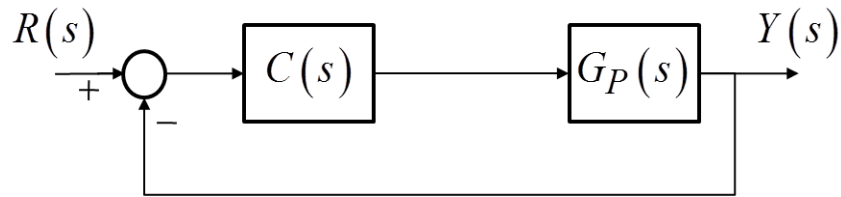


Portland State University  
Electrical & Computer Engineering  
ECE 311 Feedback & Control

-Homework #8-

Problem 1:

Given the system below:



$$G_P(s) = \frac{20}{(s+1)(s+6)}$$

Following the procedures discussed in lecture, design a compensator to meet the following specification:

- Error coefficient  $K_i = \infty$
- Settling time close to original system (within 0.5 seconds). Note, this may require additional tuning beyond rules of thumb!

State the new phase margin, cross-over frequency, error coefficient, verify the specs are met  
State the values of appropriate design coefficients ( $K$ ,  $a$ ,  $b$ ,  $d$ , etc.)

Problem 2:

Following the procedures discussed in lecture, design a compensator to meet the following specification:

- Increase the error coefficient by a factor of 6.
- Settling time close to original system (within 0.5 seconds). Note, this may require additional tuning beyond rules of thumb!

State the new phase margin, cross-over frequency, error coefficient, verify the specs are met  
State the values of appropriate design coefficients ( $K$ ,  $a$ ,  $b$ ,  $d$ , etc.)

Problem 3:

Following the procedures discussed in lecture, design a compensator to meet the following specification:

- Increase the cross-over frequency by at least a factor of 3

- Settling time faster than original system (around twice as fast). Note, this may require additional tuning beyond rules of thumb!

State the new phase margin, cross-over frequency, error coefficient, verify the specs are met  
State the values of appropriate design coefficients ( $K$ ,  $a$ ,  $b$ ,  $d$ , etc.)

Fundamentals of Engineering Exam Problem 1:

For the open-loop function  $F(s)$

$$F(s) = \frac{K}{s(s+3)(s+5)}$$

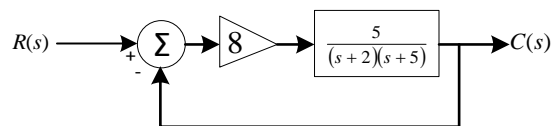
the location of the poles of  $f(s)$  are most nearly:

- (A) -3, -5 rad/s
- (B) 3, 5 rad/s
- (C) 0, -3, -5 rad/s
- (D) 0, 3, 5 rad/s

Fundamentals of Engineering Exam Problem 2:

For the system shown below, the error coefficient,  $\epsilon$ , is

$$\epsilon = \lim_{s \rightarrow 0} \frac{1}{1 + G(s)}$$



The error coefficient is most nearly:

- (A) 1/5
- (B) 1/30
- (C) 2/3
- (D) 1/4