HW #7

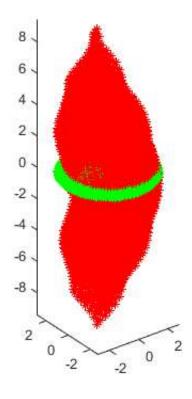
Submitted by Jesse Austin Stringfellow, Due Nov. 13, 2019

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Problem #1

```
planar_r3(1.5,1,.3)
```



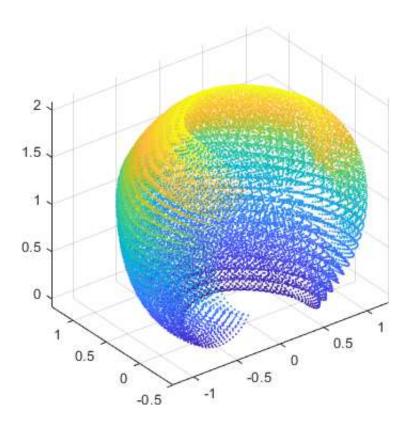
Problem #2

a)

```
syms a1 a2 a3 10 11 12
g1 = SE3([0;0;10],[cos(a1) -sin(a1) 0; sin(a1) cos(a1) 0; 0 0 1])
g2 = SE3([0;0;0],[1 0 0; 0 cos(a2) -sin(a2); 0 sin(a2) cos(a2)])
g3 = SE3([0;11;0],[cos(a3) -sin(a3) 0; sin(a3) cos(a3) 0; 0 0 1])
```

```
g4 = SE3([0;12;0],eye(3))
ge = g1*g2*g3*g4
getRotationMatrix(ge)
getTranslation(ge)
```

```
[\cos(a1), -\sin(a1), 0, 0]
 [\sin(a1), \cos(a1), 0, 0]
 [ 0, 0, 1, 10]
                                         0,
                                                                                                              0, 0, 1]
[
 [ 1, 0, 0, 0]
 [0, \cos(a2), -\sin(a2), 0]
 [0, \sin(a2), \cos(a2), 0]
 [0, 0, 1]
 [\cos(a3), -\sin(a3), 0, 0]
 [\sin(a3), \cos(a3), 0, 11]
 [ 0, 0, 1, 0]
                                        0,
                                                                                                              0, 0, 1]
[
[ 1, 0, 0, 0]
[ 0, 1, 0, 12]
[ 0, 0, 1, 0]
[ 0, 0, 0, 1]
[\cos(a1) \cdot \cos(a3) - \cos(a2) \cdot \sin(a1) \cdot \sin(a3), - \cos(a1) \cdot \sin(a3) - \cos(a2) \cdot \cos(a3) \cdot \sin(a1), \sin(a3), - \cos(a3) \cdot \sin(a3), \sin(a3), \cos(a3) \cdot \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \cos(a3) \cdot \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \cos(a3
n(a1)*sin(a2), -12*(cos(a1)*sin(a3) + cos(a2)*cos(a3)*sin(a1)) - 11*cos(a2)*sin(a1)]
[\cos(a3)*\sin(a1) + \cos(a1)*\cos(a2)*\sin(a3), \cos(a1)*\cos(a2)*\cos(a3) - \sin(a1)*\sin(a3), -\cos(a3)
s(a1)*sin(a2), 11*cos(a1)*cos(a2) - 12*(sin(a1)*sin(a3) - cos(a1)*cos(a2)*cos(a3))]
                                                                                                                                                                                             sin(a2)*sin(a3),
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                             cos(a3)*sin(a2),
                                                                                                                                                                                                                                                                                                                              10 + 11*\sin(a2) + 12*\cos(a3)*\sin(a2)
                                   cos(a2),
                                                                                                                                                                                                                                                                                           Ο,
 [
                                                                                 0,
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                  1]
ans =
[\cos(a1) \cdot \cos(a3) - \cos(a2) \cdot \sin(a1) \cdot \sin(a3), - \cos(a1) \cdot \sin(a3) - \cos(a2) \cdot \cos(a3) \cdot \sin(a1), \sin(a3), - \cos(a3) \cdot \sin(a3), \sin(a3), \cos(a3) \cdot \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \cos(a3) \cdot \sin(a3), \cos(a3) \cdot \cos(a
n(a1) *sin(a2)
 [\cos(a3)*\sin(a1) + \cos(a1)*\cos(a2)*\sin(a3), \cos(a1)*\cos(a2)*\cos(a3) - \sin(a1)*\sin(a3), -\cos(a3)
s(a1)*sin(a2)
                                                                                                                                                                                         sin(a2)*sin(a3),
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                             cos(a3)*sin(a2),
                                    cos(a2)]
ans =
     -12*(\cos(a1)*\sin(a3) + \cos(a2)*\cos(a3)*\sin(a1)) - 11*\cos(a2)*\sin(a1)
                   11*\cos(a1)*\cos(a2) - 12*(\sin(a1)*\sin(a3) - \cos(a1)*\cos(a2)*\cos(a3))
                                                                                                                                                                                                                                 10 + 11*\sin(a2) + 12*\cos(a3)*\sin(a2)
```



c)

```
a1 = pi/3;a2=pi/3;a3=-pi/4;

10 = 1; 11 = 3/4; 12 = 1/2;

g1 = SE3([0;0;10],[cos(a1) -sin(a1) 0; sin(a1) cos(a1) 0; 0 0 1]);

g2 = SE3([0;0;0],[1 0 0; 0 cos(a2) -sin(a2); 0 sin(a2) cos(a2)]);

g3 = SE3([0;11;0],[cos(a3) -sin(a3) 0; sin(a3) cos(a3) 0; 0 0 1]);

g4 = SE3([0;12;0],eye(3));

ge = g1*g2*g3*g4
```

```
0.6597 0.0474 0.7500 -0.3011
0.4356 0.7891 -0.4330 0.5821
-0.6124 0.6124 0.5000 1.9557
0 0 0 1.0000
```