

Selection sort

```

private QueueTAD<Game> selectionSort(ArrayList<Game> list){
    QueueTAD<Game> queue = new QueueTAD<>();
    1

    for (int i = 0; i < list.size(); i++) {
        Game minor = list.get(i);
        int pos = i;
        n+1
        n

        for (int j = i + 1; j < list.size(); j++) {
            if (minor.compareTo(list.get(j)) > 0) {
                minor = list.get(j);
                pos = j;
                n(n-1)
                2
                n(n-1)
                2
                n(n-1)
                2
                n(n-1)
                2
            }
        }
        Game temp = list.get(i);
        list.set(i, minor);
        list.set(pos, temp);
        n
        n
        n
    }

    for (Game game : list) {
        queue.add(game);
        n+1
        n
    }

    return queue;
    1
}
C1 + C2 + C12 + C14 + C3n + C4n + C5n + C5 $\left(\frac{n(n-1)}{2}\right)$  + C6 $\frac{n(n-1)}{2}$  + C7 $\frac{n(n-1)}{2}$  + C8 $\frac{n(n-1)}{2}$  + C9n + C10n + C11n + C12n + C13n

C1 + C2 + C12 + C14 + n(C3 + C4 + C5 + C9 + C10 + C11 + C12 + C13) +  $\frac{n(n-1)}{2}(C_5 + C_6 + C_7 + C_8)$ 

```

$$A + Bn + C \left(\frac{n(n-1)}{2} \right)$$

$$O(n^2)$$

Insertion sort:

```
private QueueTAD<Game> insertionSort(ArrayList<Game> list){

    QueueTAD<Game> queue = new QueueTAD<>();                                1

    for (int i = 0; i < list.size(); i++) {                                  n+1
        Game minor = list.get(i);                                           n
        for (int j = i + 1; (j < list.size()); j++) {                        $\frac{n(n-1)}{2} + n$ 
            if (minor.compareTo(list.get(j)) > 0) {                          $\frac{n(n-1)}{2}$ 
                Game temp = list.get(j);                                      $\frac{n(n-1)}{2}$ 
                list.set(j, minor);                                           $\frac{n(n-1)}{2}$ 
                list.set(i, temp);                                            $\frac{n(n-1)}{2}$ 
            }
        }
    }

    for (Game game : list) {                                                 n+1
        queue.add(game);                                                    n
    }

    return queue;                                                            1
}
```

$$C_1 + C_9 + C_{11} + C_2n + C_3n + C_4n + C_9n + C_{10}n + C_4 \frac{n(n-1)}{2} + C_5 \frac{n(n-1)}{2} + C_6 \frac{n(n-1)}{2} + C_7 \frac{n(n-1)}{2} + C_8 \frac{n(n-1)}{2}$$

$$C_1 + C_9 + C_{11} + n(C_2 + C_3 + C_4 + C_9 + C_{10}) + \frac{n(n-1)}{2} (C_4 + C_5 + C_6 + C_7 + C_8)$$

$$A + Bn + C \left(\frac{n(n-1)}{2} \right)$$

$$O(n^2)$$