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JIA Jiyuan 20210122 ICE#2 Class 01

clear;clc;

Problem 1:

returns a matrix that contains only those elements of M that are in even rows and columns

```
clear;clc;
% random matrix
M = 100*rand(7,7)
% give elements in even rows and columns
even_index(M)
M =
  40.2970 57.6776 32.2482
                              32.7024
                                        70.8671
                                                 70.3953
                                                          40.7619
                                        23.4926
  10.7040 94.4029 97.6147 80.4069
                                                 93.2303
                                                          36.8700
  72.4166
           87.1452
                     27.8211
                              53.8250
                                        39.8896
                                                          46.8399
                                                 68.7653
                             46.3295
  61.3682 50.7602
                     7.2831
                                        26.8124
                                                 56.8354
                                                          50.3414
  78.2968 78.8823
                     75.1224
                              82.0750
                                        83.2513
                                                 38.0848
                                                          91.0536
  56.6621 47.3031 83.1189
                             95.1907
                                        99.5374
                                                 63.4579
                                                          20.6431
  81.1319
            82.8802
                     92.2338
                              7.6273
                                        64.9751
                                                 36.3229
                                                          33.8604
ans =
  94.4029
            80.4069
                     93.2303
  50.7602
            46.3295
                     56.8354
   47.3031
            95.1907
                     63.4579
```

Problem 2:

opposite order

```
clear;clc;
% give random matrix
N = 100*rand(1,10)
% flip order
flip_it(N)
N =
 # 1 # 7
  57.4126
            48.6932
                      26.2219
                               57.9593
                                                     6.0950
                                          87.8328
                                                              44.0876
 # 8 # 10
   8.4258
            56.3238
                      53.9311
ans =
 # 1 # 7
                               44.0876
                                           6.0950
  53.9311
            56.3238
                       8.4258
                                                    87.8328
                                                            57.9593
  # 8 # 10
  26.2219
            48.6932
                      57.4126
```

Problem 3:

top right corner of N

```
clear;clc;
% random matrix N's size and reduced matrix's size
x=fix(rand()*10);
y=fix(rand()*15);
n = \min(x, y) - 1;
% random matrix N
N = 100*rand(x,y)
% top right matrix
top_right(N,n)
N =
  58.7362
            95.2528
                       0.6226
   45.8974
            29.8201 37.4346
  86.0982
            15.8406
                     90.1496
  66.0836
            36.1297
                      31.8345
  35.3879
           74.1629
                     59.7083
  34.7186
            70.5900
                      29.7795
  25.3718
            70.0892
                      12.5014
```

Problem 4:

adds together the elements in the first and last rows and columns random matrix N's size

```
clear;clc;
x=fix(rand()*10+2);
y=fix(rand()*15+2);
% random matrix N
N = 100*rand(x,y)
% give out peri_sum
peri_sum(N)
N =
  # 1 # 7
                        16.6890
                                                                   20.8258
   98.1176
              31.7805
                                   71.7470
                                              85.9717
                                                          6.6677
   86.1990
              98.4448
                        90.3098
                                   13.3432
                                              67.7725
                                                         54.1518
                                                                   60.8161
    8.3821
              54.8251
                        10.5124
                                   44.5789
                                              80.5838
                                                         28.1660
                                                                   32.6176
   33.7712
              74.9251
                        74.5093
                                   50.8787
                                              53.1243
                                                         48.0900
                                                                   88.0847
   23.6129
              84.1852
                        72.9372
                                   53.0490
                                              95.5896
                                                         68.4864
                                                                   13.3395
  # 8 # 14
   10.2408
               8.9569
                        71.2711
                                   30.5053
                                              61.9387
                                                         73.5733
                                                                    5.2211
   95.9117
              45.4425
                        47.2598
                                   78.9811
                                              61.5329
                                                         41.1308
                                                                   57.1186
   15.2902
              66.8896
                        70.8588
                                   23.6387
                                              12.2624
                                                         82.8982
                                                                   74.7670
   15.2538
              83.1302
                        95.8059
                                   23.4303
                                              12.3794
                                                         93.5114
                                                                   32.0244
   15.5553
              79.0235
                        50.5776
                                   46.4699
                                              28.4459
                                                         39.9067
                                                                   49.2934
ans =
```

1.6062e+03

Problem 5:

```
clear;clc
% the sum of n_th above terms
```

```
sum = 0;
n = 0;
x=pi/2;
% function of term in series
f = @(m,x) (-1)^((m-1)/2)*x^m/factorial(m);
% the error between sin(x) and sum
err=sin(x);
while(1)
    % precision judgement
    if(abs(err)<0.01)
        break;
    end
    % give out each term's value
    term = f(2*n+1,x);
    n = n+1;
    % add rach term to sum
    sum = sum+term;
    err = (sin(x)-sum)/sin(x);
fprintf("%d terms are needed",n)
3 terms are needed
```

Problem 6:

the height after the 8th bounce?

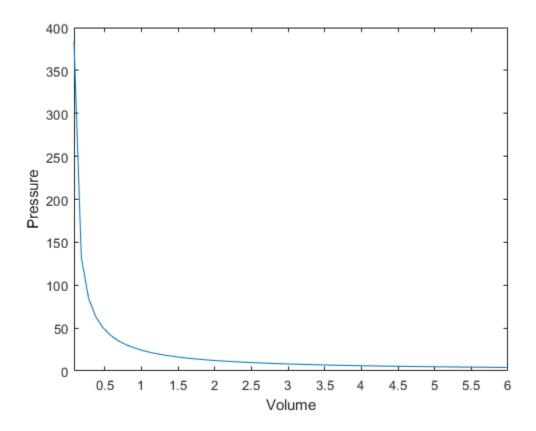
```
clear;clc
hInitial=2;
hFinal=(0.85^2)^8;
fprintf("The height after the 8^(th)bounce is %.2f meters",hFinal)
The height after the 8^(th)bounce is 0.07 meters
```

Problem 7:

```
pressure vs. volume
```

```
clear;clc
% parameter
V = 0.08:0.1:6;
n=1;
T=300;
R=0.08206;
a=1.39;
b=0.039;
% funciton of P, as V is independent variable
P = n*R*T./(V-n*b)-n^2*a./(V.^2);
% draw the picture
plot(V,P)
axis([0.08,6,0,400])
% xlabel
xlabel("Volume");
```

```
% ylabel
ylabel("Pressure");
```



Problem 8:

```
clear;clc;
% random a matrix x
x = 10*rand(ceil(10*rand)+2,1);
mysum=0;
% adding each term to get sum
for li=1:size(x)
    mysum = mysum+x(li);
end
% answer judgement
if mysum == sum(x)
    disp('Congratulations!!, you did it right')
    load handel; sound(y,Fs)
else
    fprintf('Sorry, %.2f != %.2f. Please try again.\n', mysum, sum(x))
end
% repeat but use 'while' loop
mysum=0;
lj=1;
[r,c] = size(x);
while(lj<=r)</pre>
    mysum = mysum + x(lj);
```

```
lj=lj+1;
end
% answer judgement
if mysum == sum(x)
    disp('Congratulations!!, you did it right')
    load handel; sound(y,Fs)
else
    fprintf('Sorry, %.2f != %.2f. Please try again.\n',mysum,sum(x))
end

Congratulations!!, you did it right
Congratulations!!, you did it right
```

Attachment of function

```
clear;clc;
% Problem 1:
function r = even_index(M)
% get size of M
[r,c] = size(M);
A = [];
% get the even row and column element when both of row and column >1
if (r>1)
    if(c>1)
        for li=2:2:r
            % add new element in to new row B
            B = [];
            for 1j=2:2:c
                B=[B,M(li,lj)];
            end
            % add new row into new matrix A
            A = [A;B];
        end
    else
        % row > 1 but column = 1
        % one time traverse
        for li=2:2:r
            A = [A;M(li,lj)];
        end
    end
else
    % row = 1 but column > 1
    % one time traverse
    if(c>1)
        for 1j=2:2:c
            A = [A;M(li,lj)];
        end
    else
        % row = 1 and column = 1
        % no answer
        fprintf("sorry, no answer")
    end
```

```
end
r=A;
end
% Problem 2:
function f=flip_it(N)
% new matrix A to keep flip ordered elements
A = [];
% get the size of N
[r,c]=size(N);
for li=c:-1:1
    %traverse the matrix N and add element into A in flipped order
    A = [A, N(1, 1i)];
end
f = A;
end
% Problem 3:
function f = top_right(N,n)
% get the size of N
[r,c]=size(N);
% new matrix A to keep flip ordered elements
A=[];
for li = 1:r
    % add new element in to new row B
    B=[];
    for lj = c-n+1:c
        B=[B N(li,lj)];
    end
    % add new row into new matrix A
    A = [A;B];
end
f = A;
end
% Problem 4:
function f = peri sum(N)
% get the size of N
[r,c] = size(N);
sum = 0;
% sum of first raw
for lj = 1:c
    sum = sum + N(1,lj);
end
% sum of last raw
for lj = 1:c
    sum = sum + N(r,lj);
end
% if raw > 2
% sum of first column except the firt one and last one
% "if" judgement is not necessary,if 2<r-1 no error in matlab</pre>
% li will be null
if(r>2)
    for li = 2:r-1
```

```
sum = sum + N(li,1);
end
for li = 2:r-1
    sum = sum + N(li,c);
end
end
f=sum;
end
```

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