

Contents

- [Homework 1](#)
- [Problem 1](#)
- [Problem 2](#)
- [Problem 3](#)
- [Problem 4](#)
- [Advantages and disadvantages of using plot, semilogy, loglog:](#)
- [problem 5](#)

Homework 1

CS375 Juan Alejandro Ormaza August 31 2021

```
clc; clear all;  
format long g
```

Problem 1

```
z=[10 40 70 90 20 30 50 60];  
  
z(1:3:7)=zeros(1,3)  
z([3 4 1])=[]
```

```
z =  
  
    0    40    70     0    20    30     0    60
```

```
z =  
  
    40    20    30     0    60
```

Problem 2

part a

```
% i. t=1:4:25  
t=linspace(1,25,7);  
t  
% ii. x=-11:1  
x=linspace(-11,1,13);  
x
```

part b

```
%i. v=linspace(-10,-8,6)  
v=-10:2/5:-8;
```

```
v
%ii. r=linspace(0,1,5)
r=0:1/4:1;
r
```

t =

1 5 9 13 17 21 25

x =

-11 -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1

v =

Columns 1 through 3

-10 -9.6 -9.2

Columns 4 through 6

-8.8 -8.4 -8

r =

Columns 1 through 3

0 0.25 0.5

Columns 4 through 5

0.75 1

Problem 3

given

```
t=0:0.1:1;
y=sin(pi*t);
```

a)

```
sum(t)
```

b)

```
sum(t.*y)
```

c)

```
sum(t.^2)
```

```
ans =
```

5.5

```
ans =
```

3.15687575733752

```
ans =
```

3.85

Problem 4

```
x=linspace(0,1,1000);
x2 = x.^2;
x3 = x.^3;
xexp = exp(x);

subplot(2,2,1)
hold on
plot(x,x)
plot(x,x2)
plot(x,x3)
plot(x,xexp)
hold off
grid on
legend('x','x^2','x^3','e^x')
title('plot')
xlabel('x')
ylabel('y')

subplot(2,2,2)
semilogy(x,x,x2,x3,x,xexp)
grid on
legend('x','x^2','x^3','e^x')
title('semilogy')
xlabel('x')
ylabel('log(y)')

subplot(2,2,3)
semilogx(x,x,x2,x3,x,xexp)
grid on
legend('x','x^2','x^3','e^x')
title('semilogx')
xlabel('log(x)')
ylabel('y')

subplot(2,2,4)
```

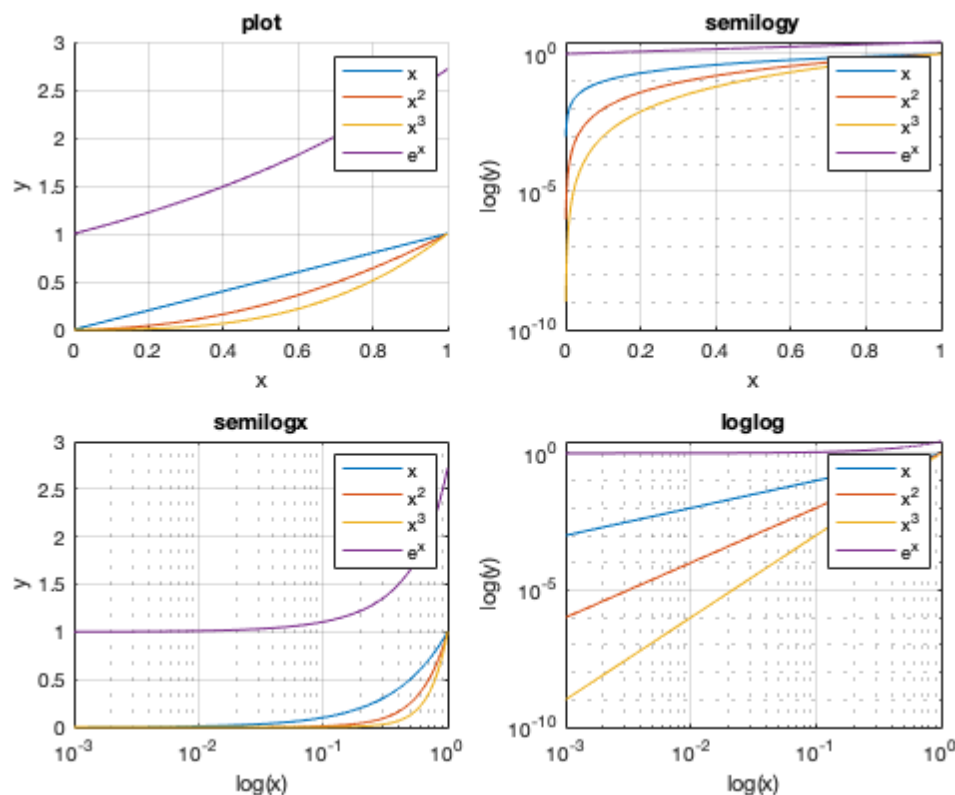
```

loglog(x,x,x,x2,x,x3,x,xexp)
grid on
legend('x','x^2','x^3','e^x')
title('loglog')
xlabel('log(x)')
ylabel('log(y)')

```

Advantages and disadvantages of using plot, semilogy, semilogx, loglog:

- Plot: plot is used more widely and can easily describe the behavior of polynomic functions. It is better to use a logarithmic function for exponential and quick growing functions.
- semilogy: works well with functions that grow quickly in the y axis, otherwise it could cause trouble to understand these graphs.
- semilogx: works well with functions that grow quickly in the x axis, otherwise it could cause trouble to understand these graphs.
- loglog: works well with functions that grow quickly in both the x and y axis. yields linear results that are easy to understand. However, it does not give too much of a description of the function's behavior.



problem 5

```

%%part a
%anonymous function for sin(x)

sin=@(x) sin(x);

% calls the function my_mean to estimate the integral between 0 and 2
my_mean(@sin, 0, 2, 100)

```

```

%%%part b
% we create the function my_fun that only receives a vector x and returns
%  $x e^x$ 

%%%part c
% we want to calculate the integral from -1 to 1 of  $x e^x$  using
% N = 10, 20, 40, 80, 160, 320, 640, and 1280

N=[10, 20, 40, 80, 160, 320, 640, 1280];
solutions_vector = zeros(1,length(N));

for i=1:length(N)
    solutions_vector(i)=my_mean(@my_fun, -1, 1, N(i));
end

exact_solution = 2/exp(1);
absolute_error=abs(exact_solution - solutions_vector);

```

As N increases the error starts to decrease and the solutions gets closer to the exact solution

```

figure()
loglog(N,absolute_error);
title('absolute error');
xlabel('N');
ylabel('|exact-approximation|');

%%%part d
% notice how as the N increases the absolut errore decreases.
% also notice that the approximation gets closer and closer to 2/e

fprintf(' N \t approximation \t absolute error \n');
fprintf('%4.0f \t %4.5f \t %4.5f\n',[N;solutions_vector;absolute_error]);

```

ans =

1.42711587058324

| N | approximation | absolute error |
|------|---------------|----------------|
| 10 | 0.49694 | 0.23882 |
| 20 | 0.61707 | 0.11869 |
| 40 | 0.67668 | 0.05908 |
| 80 | 0.70630 | 0.02946 |
| 160 | 0.72105 | 0.01471 |
| 320 | 0.72841 | 0.00735 |
| 640 | 0.73209 | 0.00367 |
| 1280 | 0.73392 | 0.00184 |

