

DTU



FVM bulk flow equation solution

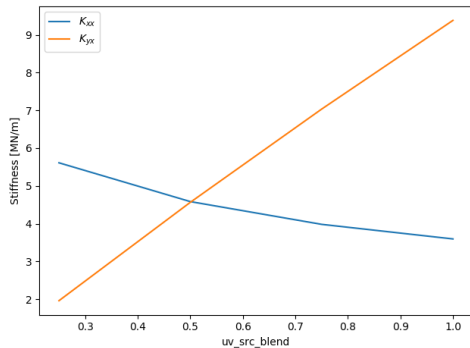
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Dynamic coefficients sensitivity to uv_src_blend

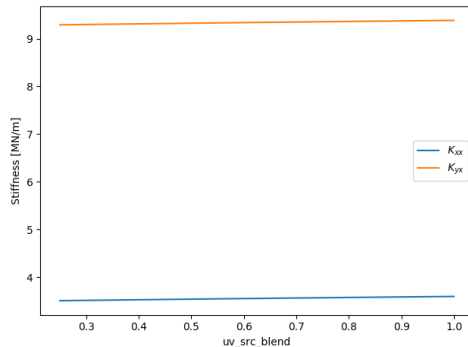
Dynamic coefficients sensitivity to momentum relaxation

Stiffness coefficients

Original

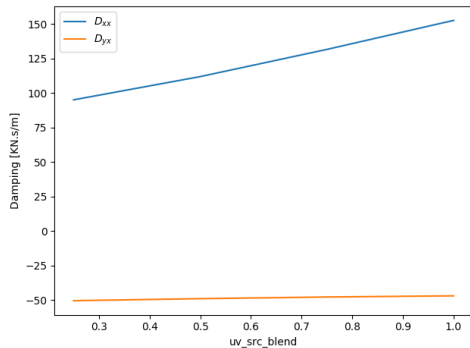


Corrected

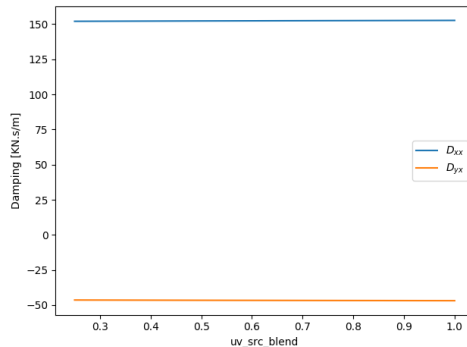


Damping coefficients

Original



Corrected



Required change...

Explicit terms properly accounted for in first-order problem

```
1 if self.uv_src_method == 0:
2     flux = - 0.5 * (self.R / self.C) * self.rho[i] * ( U_r[i] * f_r[i] + U_s[i] * f_s[i]) * self.
        cell[i, 2]
3
4     self.bu1[i] += (1. - self.uv_src_blend) * flux * self.u1[i] # explicit portion
5     self.bv1[i] += (1. - self.uv_src_blend) * flux * self.v1[i]
```

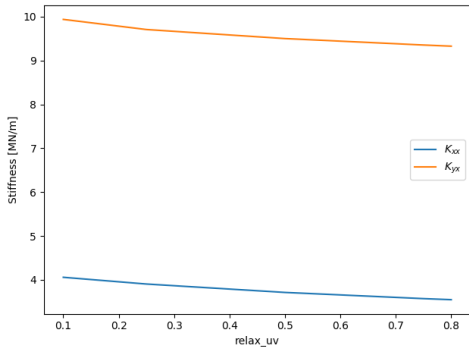
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Dynamic coefficients sensitivity to `uv_src_blend`

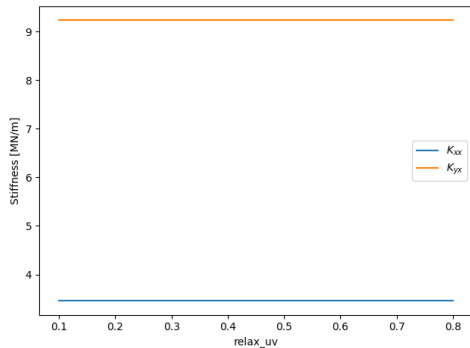
Dynamic coefficients sensitivity to momentum relaxation

Stiffness coefficients

Original

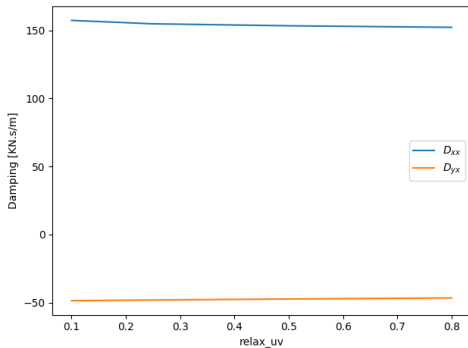


Corrected

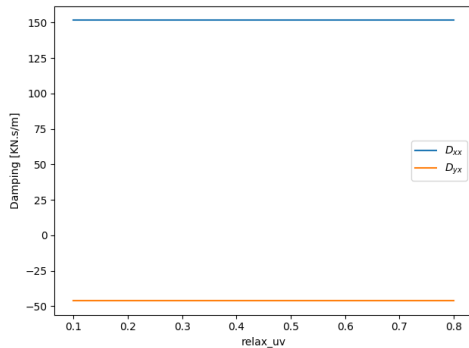


Damping coefficients

Original



Corrected



Required change...

Implicit relaxation of momentum (zeroth and first-order) yields dynamic coefficients sensitive to relaxation

$$\phi_C = \phi_C^* + \lambda^\phi \left(\frac{- \sum_{F \sim NB(C)} a_F \phi_F + b_C}{a_C} - \phi_C^* \right)$$

$$\frac{a_C}{\lambda^\phi} \phi_C + \sum_{F \sim NB(C)} a_F \phi_F = b_C + \frac{(1 - \lambda^\phi) a_C}{\lambda^\phi} \phi_C^*$$

$$a_C \leftarrow \frac{a_C}{\lambda^\phi}$$

is added to produce a new term as

$$b_C \leftarrow b_C + \frac{(1 - \lambda^\phi) a_C}{\lambda^\phi} \phi_C^*$$

Implicit relaxation implementation

When forming momentum equation

```
1  if self.relax_mode == 'implicit':
2      self.A[i, i] = self.A[i, i] / self.relax_uv # relax main diagonal
3      self.A2[i, i] = self.A2[i, i] / self.relax_uv
4
5  self.apu = self.A.diagonal(0) #ap / param['relax_uv']
6  self.apv = self.A2.diagonal(0) #ap / param['relax_uv']
7
8  if self.relax_mode == 'implicit':
9      self.bu += (1. - self.relax_uv) * self.apu * self.u # relaxation has been applied to ap, i.e
10     . ap = ap / relax
11     self.bv += (1. - self.relax_uv) * self.apv * self.v
```

and when applying velocity corrections

```
1 self.u = self.u_star - self.Dp * self.grad_p_corr[:,0]
2 self.v = self.v_star - self.Dp * self.grad_p_corr[:,1]
```

Explicit relaxation

No relaxation applied to coefficient matrix and source term.
When applying corrections to velocities...

```
1 self.u = ( 1. - self.relax_uv ) * self.u + self.relax_uv * ( self.u_star - self.Dp * self.  
    grad_p_corr[:,0] )  
2 self.v = ( 1. - self.relax_uv ) * self.v + self.relax_uv * ( self.v_star - self.Dp * self.  
    grad_p_corr[:,1] )
```