```
# One Sample Z-Test
# sample size > 30
# should have at least one population parameter
# PS: Perform a Z Test to identify if the mean of students marks is 600
# H0: The mean of data = 600
# H1 The mean of data != 600
## 650,730,510,670,480,800,690,530,590,620,710,670,640,780,
# 650,490,800,600,510,700,
## 620,710,670,640,780,650,490,810,630,520,720
# (mean of sample - population mean)/(SD of sample/SQRT of sample size)
m = c(650,730,510,670,480,800,690,530,590,620,710,670,640,780,
         650,490,800,600,510,700,620,710,670,640,780,650,490,810,
         630,520,720)
z test = (mean(m)-600)/(100/sqrt(31))
z test
install.packages("distributions3")
library(distributions3)
z = Normal(0,1)
p value = 1 - cdf(z, z test)
p value
# Inference: We have sufficient evidence to reject the null hypothesis
# and accept the alternate hypothesis.
# Two Sample Z-Test
## Using x and y, find out the hypothesis statements, z stats value and p
value
## Mean of pop 1 is 600 and mean of pop 2 is 600
## *SD of pop 1 is 100, SD of pop 2 is 100
# H0: Mean of x = Mean of y, mean of x - mean of y = 0
\# H1 Mean of x != Mean of y, mean of x - mean of y != 0
y <-
c(630,720,462,631,440,783,673,519,543,579,677,649,632,768,615,463,781,563,488,650,
       677, 649, 632, 768, 615, 463, 781, 563, 488, 650, 521)
length(y)
n1 = length(m)
n2 = length(y)
z \text{ stat } <- (\text{mean}(m) - \text{mean}(y)) / \text{sqrt}((100*100/n1) + (100*100/n2))
z stat
p \text{ val} = 1 - cdf(z, z \text{ stat})
p_val
# Inference: We will accept the null hypothesis.
```

```
# One Sample T Test
# sample size is less than 30
# The population parameters are unknown
# Company claims net weight is 80gm
# Consumer claims net weight is less than 80gm
# H0 : Weight = 80
# H1: weight < 80
cookies =
length(cookies)
t.test(cookies, mu = 80, alternate = "less") # mu refers to mean
# If it's greater than, t.test(cookies, mu = 80, alternate = "greater")
# If it's not equal to than, t.test(cookies, mu = 80, alternate = "not equal")
\# As p value is 0.3476 is > than significance level 0.05 we accept null
hypothesis.
# Two tailed test
cookies2 =
\texttt{c}(80.22, 79.73, 81.1, 78.76, 82.03, 81.66, 80.97, 81.32, 80.12, 78.98, 79.21, 81.48, 79.86, 81.06, 77.96, 80.12, 78.98, 79.21, 81.48, 79.86, 81.06, 77.96, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.06, 81.
# H0: mu(cookies 1) = mu(cookies2)
# H0: mu(cookies 1) > mu(cookies2)
length (cookies)
length(cookies2)
t.test(cookies, cookies2, paired = FALSE, alternate="greater")
# As p value is 0.2818 is > than significance level 0.05 we accept null
hypothesis.
# When doing paired test, ensure that data x & y have equal length and PAIRED
= TRUE
# ANOVA
# more than two samples
# aov(marks~categorical variable)
data1 = chickwts
View(chickwts)
names (data1)
weight1 = aov(weight~feed, data = data1)
summary(weight1)
# HO: There is no difference in mean
# H1: There is a difference in mean
#p value is 5.94e-10 which is less than significance 5%, hence we reject null
hypothesis.
```