

CS 371 – Exam Review Problem(s) – RP10 – Out Oct. 4, Due Before Class Oct. 6

What happens to the point $P = (-9, -10, 12)$ as it travels down the pipeline from its present state in world coordinates to view coordinates and finally to perspective projection coordinates?

The world-to-view transformation is determined by:

```
lookAt(vec3(-6, -6, 12), vec3(-12, -6, 12), vec3(0, 0, 1))
```

The projection transformation is determined by:

```
perspective(45.0, 1.0, 1.5, 20.0);
```

1. What are the view coordinates of the point P ?
 - (a) $(-4.0, 0.0, -3.0)$
 - (b) $(4.0, 0.0, -3.0)$
 - (c) $(-3.0, 0.0, -4.0)$
 - (d) $(3.0, 0.0, -4.0)$
2. What are the (x_p, y_p) projection coordinates of the point P ?
 - (a) $(2.0, 0.0)$
 - (b) $(-2.0, 0.0)$
 - (c) $(-4.0, 0.0)$
 - (d) $(4.0, 0.0)$

The next two problems are just like what you did for the previous two – just to be sure you get some extra practice. What happens to the point $P = (-4, 12, 15)$ as it travels down the pipeline from its present state in world coordinates to view coordinates and finally to perspective projection coordinates?

The world-to-view transformation is determined by:

```
lookAt(vec3(14, -6, -20), vec3(14, -6, -10), vec3(0, -1, 0))
```

The projection transformation is determined by:

```
perspective(170.0, 1.0, 10, 50);
```

3. What are the view coordinates of the point P ?
 - (a) $(18, 18, -35)$
 - (b) $(18, -18, -35)$
 - (c) $(-18, 18, -35)$
 - (d) $(-18, -18, -35)$
4. What are the (x_p, y_p) projection coordinates of the point P ?
 - (a) $(5.1, 5.1)$
 - (b) $(5.1, -5.1)$
 - (c) $(-5.1, 5.1)$
 - (d) $(-5.1, -5.1)$
5. Start with the same settings for `gluLookAt` and `gluPerspective` that you had for Problems 3 and 4. Now consider the following six points with their world coordinates given as:
 - $(6, 3, -5)$
 - $(-2, 1, 5)$
 - $(3, 6, -25)$
 - $(-2, 1, 25)$
 - $(1, -2, -18)$
 - $(1, -2, 38)$

How many of these points are visible in the scene that is depicted in the view volume. *Hint:* To make this easier, I have chosen a field of vision so unrealistically broad that you need not worry about the (x_p, y_p) projection coordinates.

- (a) 0
- (b) 1
- (c) 2
- (d) 3
- (e) 4
- (f) 5
- (g) 6