

Fixed-Field Gantries and Adiabatic Transitions

Julian Gascoyne with Dr. Suzie Sheehy

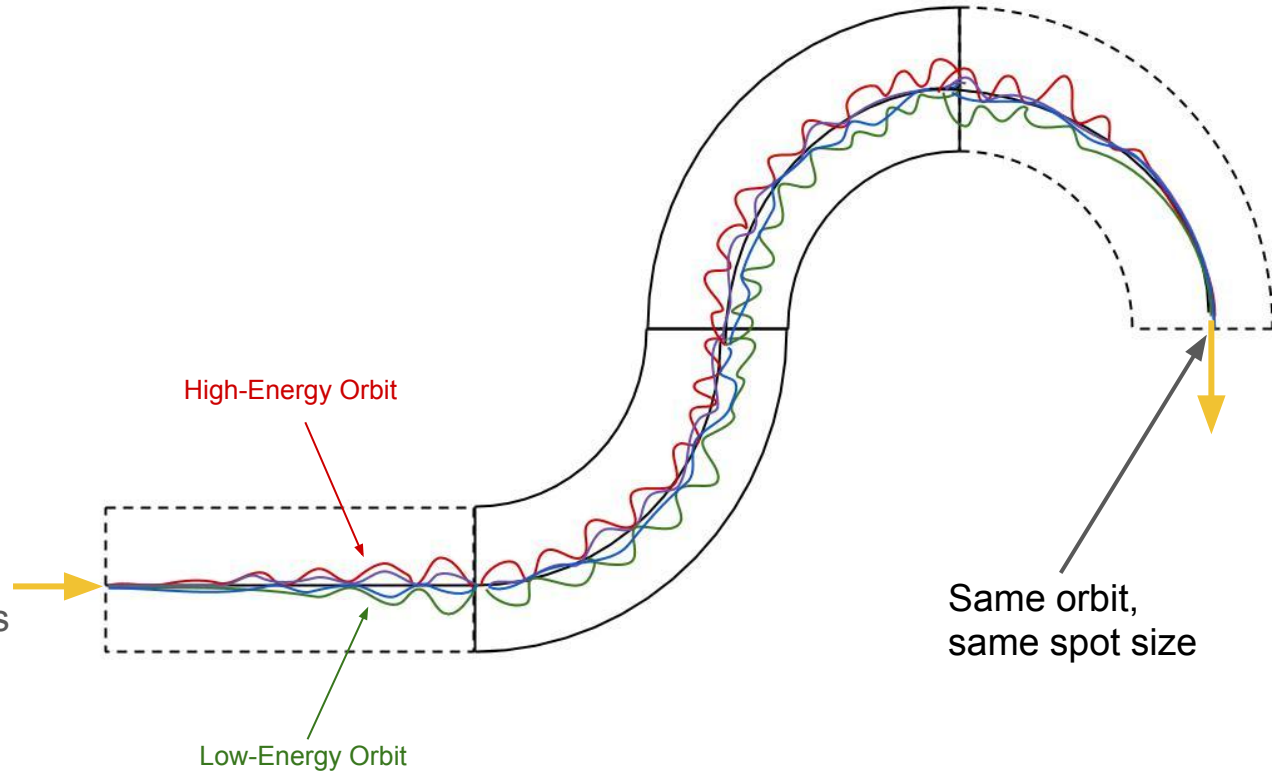
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Methodology

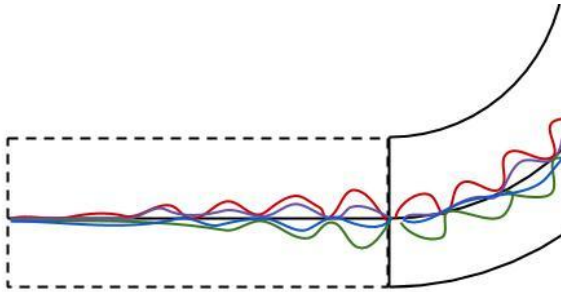
1. Methodology
 - a. Motivation
 - b. Parameters to Consider
 - c. Execution
2. Unit Cells
 - a. Parameters
 - b. Stability
3. Transition
 - a. Accelerator to Gantry
 - b. Final 90 degree Arc
4. Conclusions
 - a. Conclusions
 - b. Future Work

Motivation

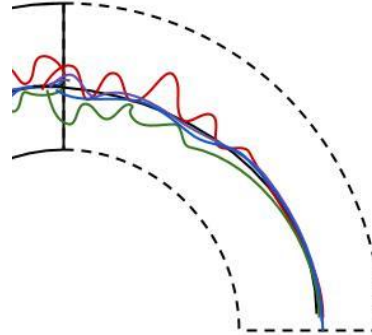
- High Energy Acceptance
 - Decrease size / treatment time
- Permanent Magnets
 - Reduce overall weight
- Uniform Spot Size
 - Easier operation
 - Reproducible spots for scanning



Section 1



Section 2

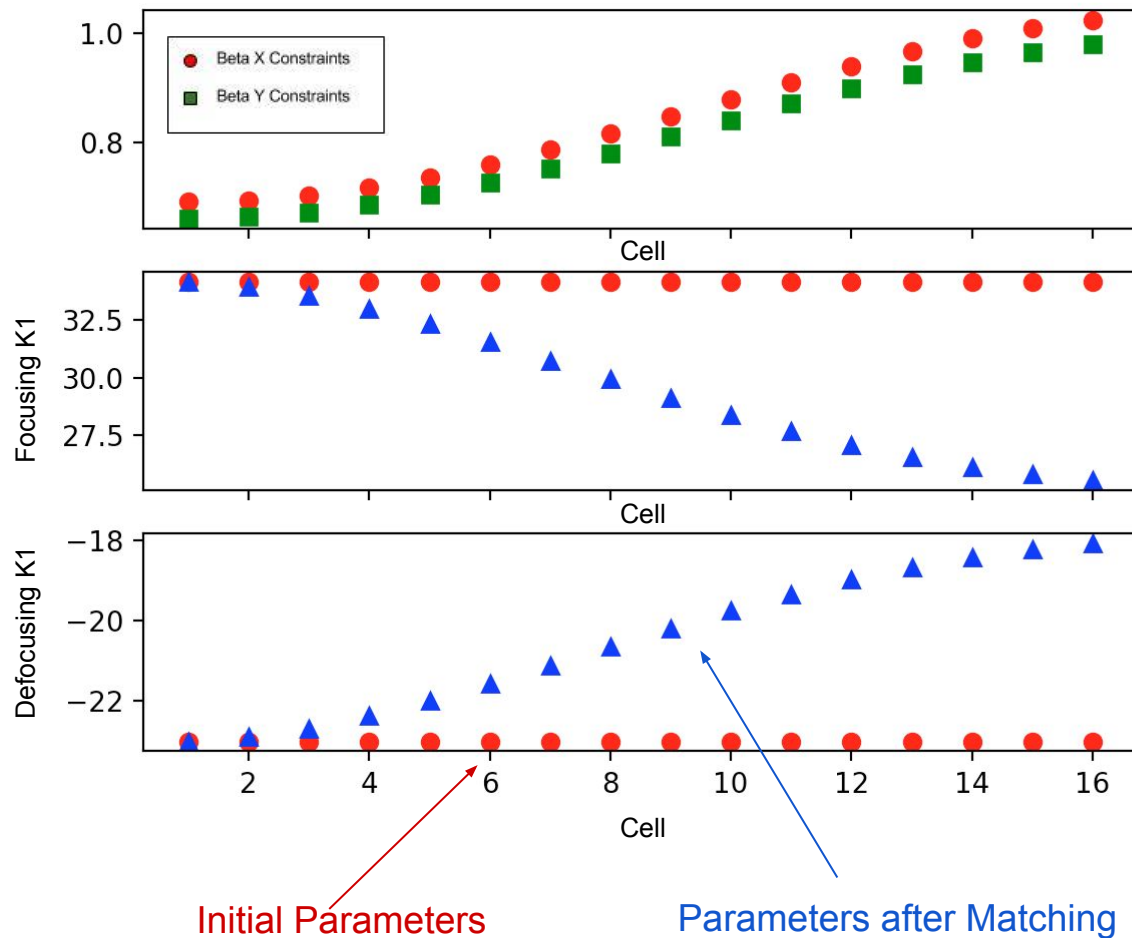


Some Parameters to Consider

- Magnets
 - Varied with optical constraints
- High Energy Acceptance
 - $-0.5 \leq \partial p/p \leq 0.35$
 - $P_0 = 551.345 \text{ MeV}/c$
 - $E = 150 \text{ MeV}$
- Uniform Spot Size
 - $\epsilon_x \beta_x = \epsilon_y \beta_y$
 - $D_x = 0.0 \text{ m}$

Execution

- Identify the constraints
- Create a Unit Cell
 - Ensure stability
 - Find the periodic conditions
- Vary the constraints
 - Based on the transition from CBETA
- Match the transition
 - (Try to) Ensure Stability

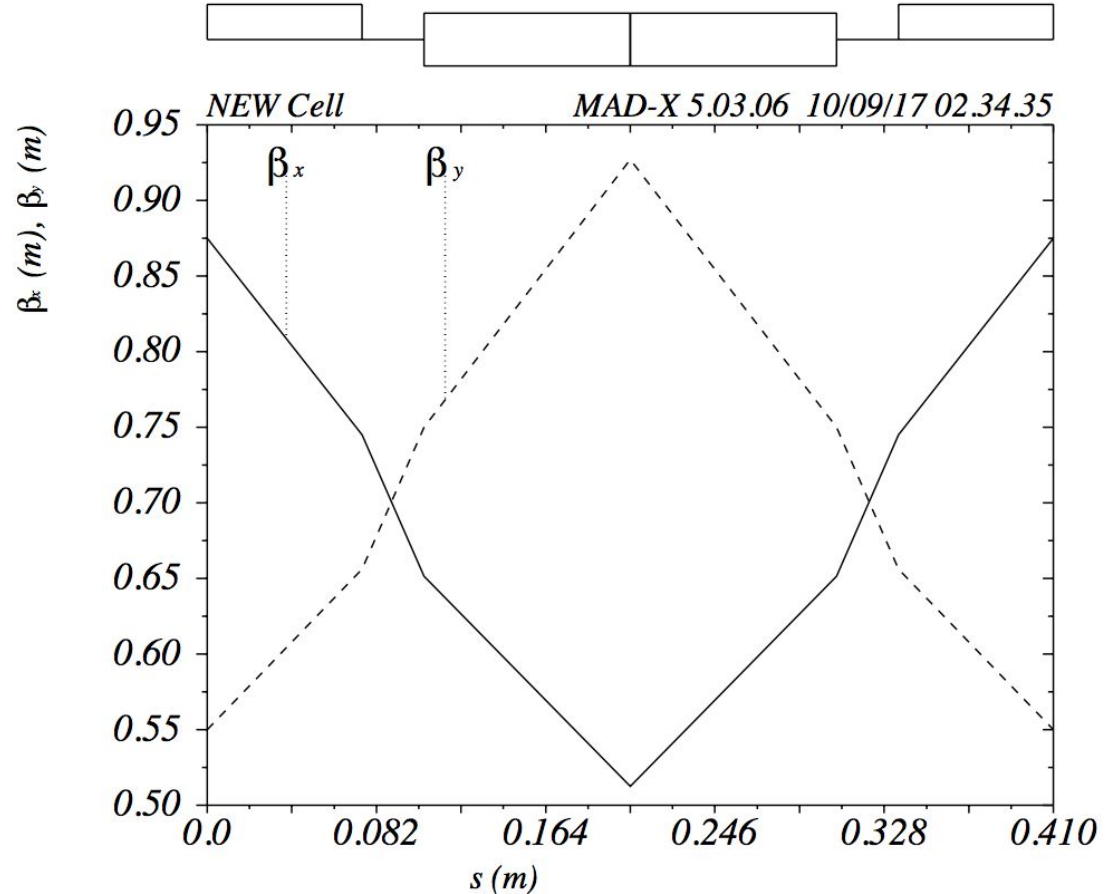


Unit Cells

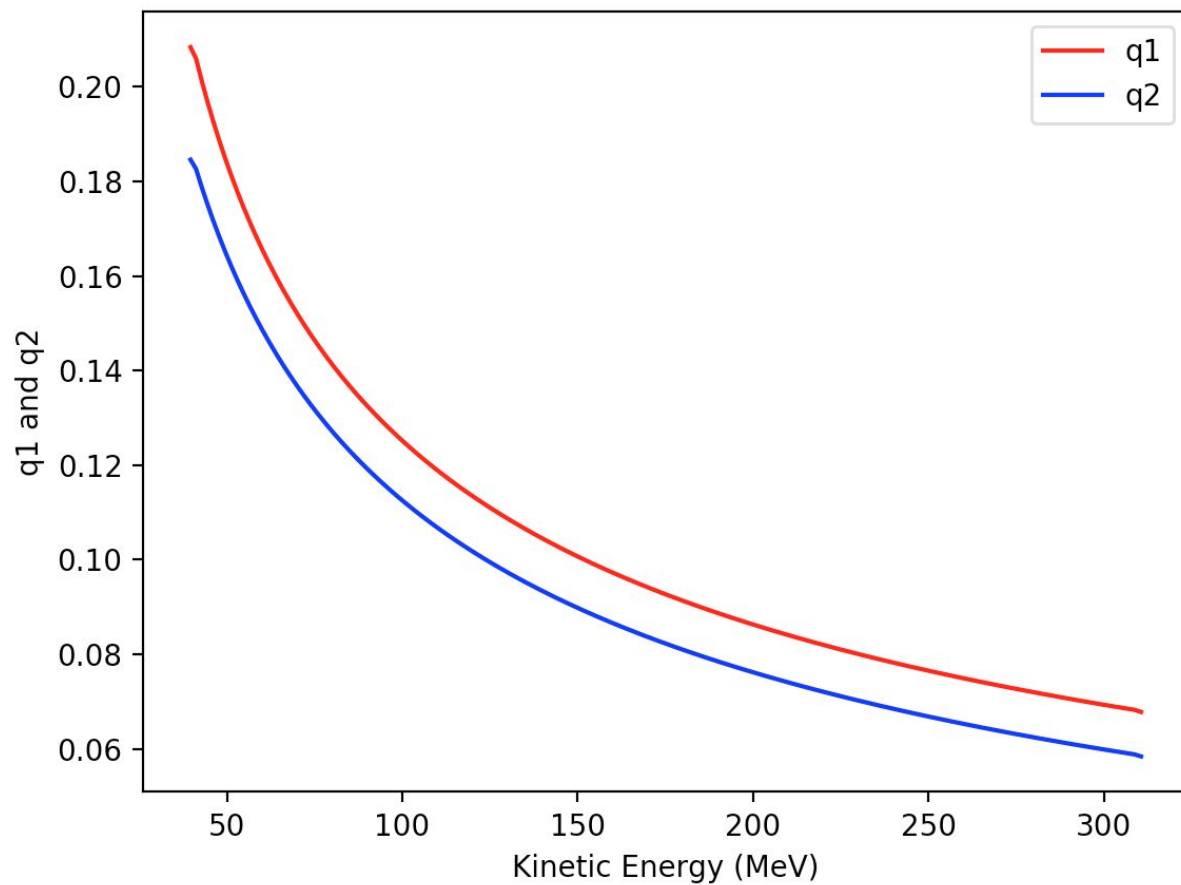
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Parameters

- Unit doublet (split in qf)
 - Test Case: Dr. Dejan Trbojevic's triplet*
- Quadrupole (at P_0)
 - $K_1 = 29.1753 \text{ m}^{-2}$
 - $B\rho = 1.839 \text{ Tm}$
 - $\partial B_y / \partial x = 53.6534 \text{ T/m}$
- Combined-function Dipole
 - Angle = 2.8125°
 - $K_1 = -21.6854 \text{ m}^{-2}$
 - Defocusing
 - $B\rho = 1.839 \text{ Tm}$
 - $\partial B_y / \partial x = 39.8795 \text{ T/m}$

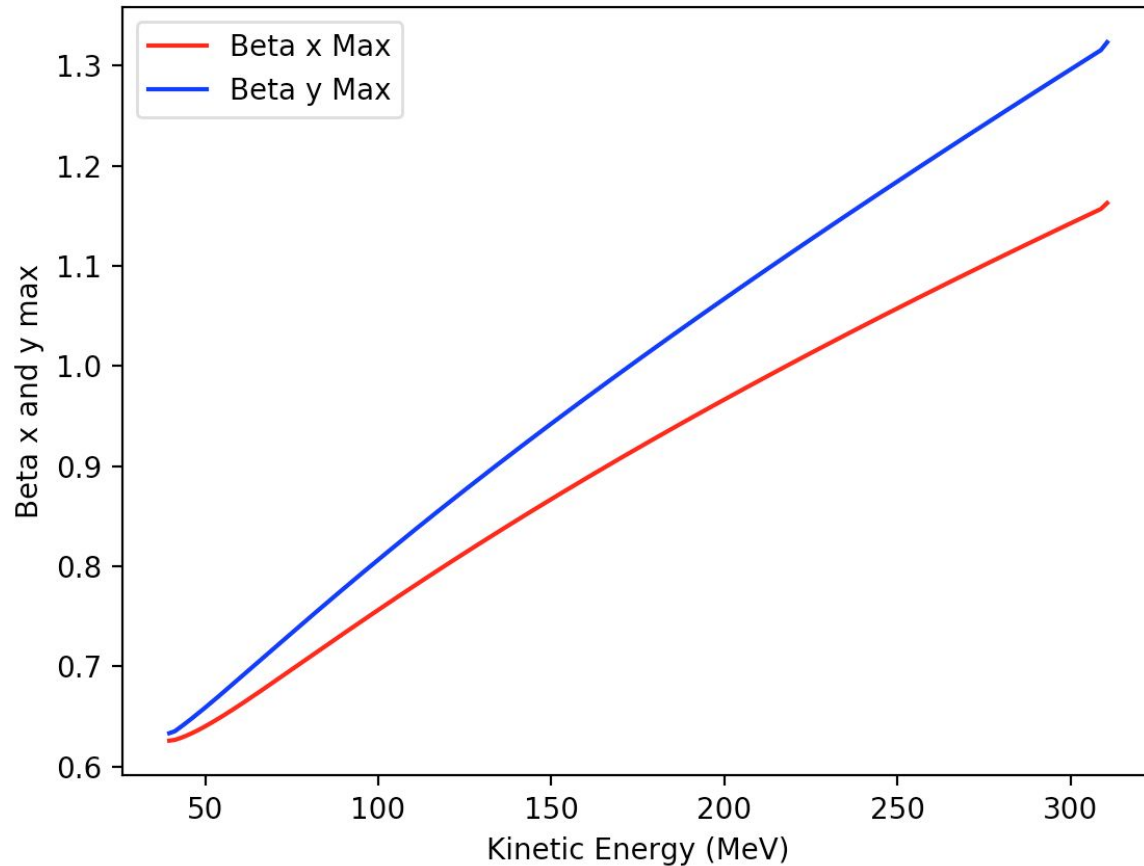


* D. Trbojevic, Patent: US 2012/0313003 A1, 2012



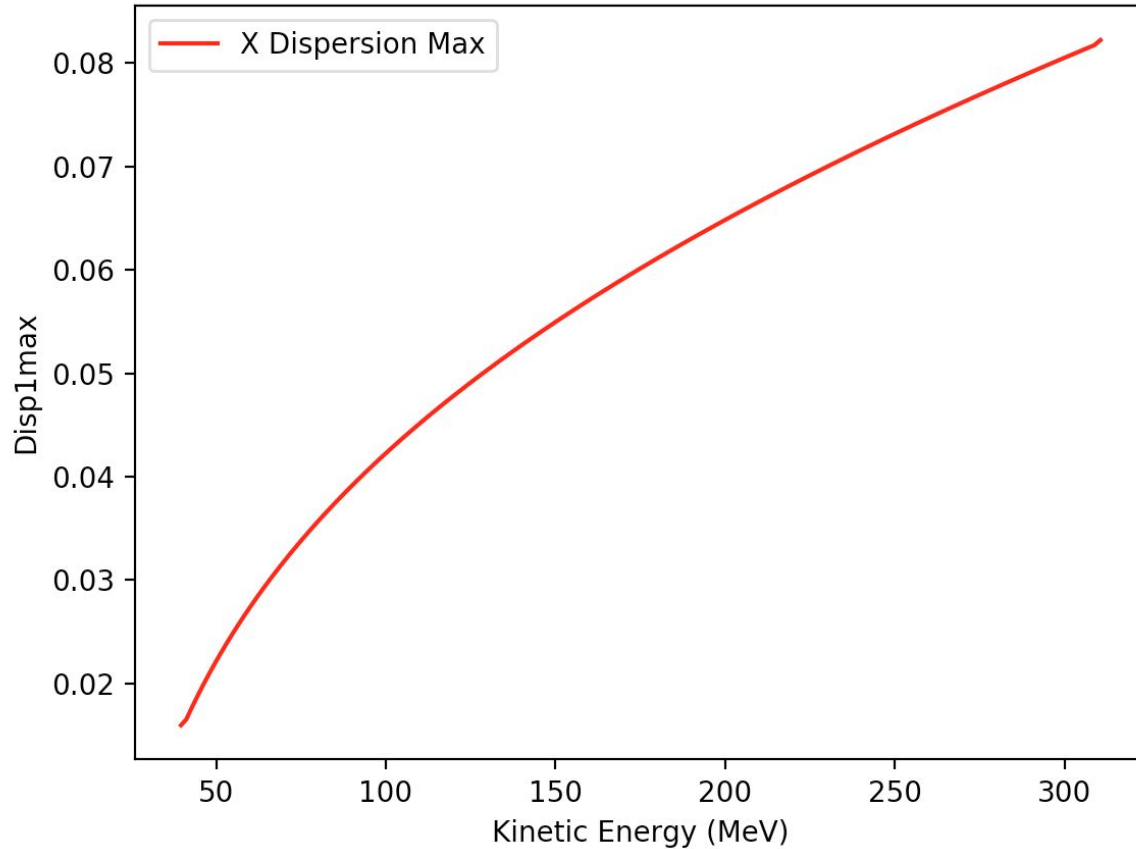
Stability

- Tunes decrease with energy
- Stable over range
-



Stability

- Tunes decrease with energy
 - Stable over range
- β_x and β_y increase with energy
 - Close together
-



Stability

- Tunes decrease with energy
 - Stable over range
- β_x and β_y increase with energy
 - Close together
- Small Dispersion also gets larger with energy

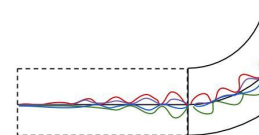
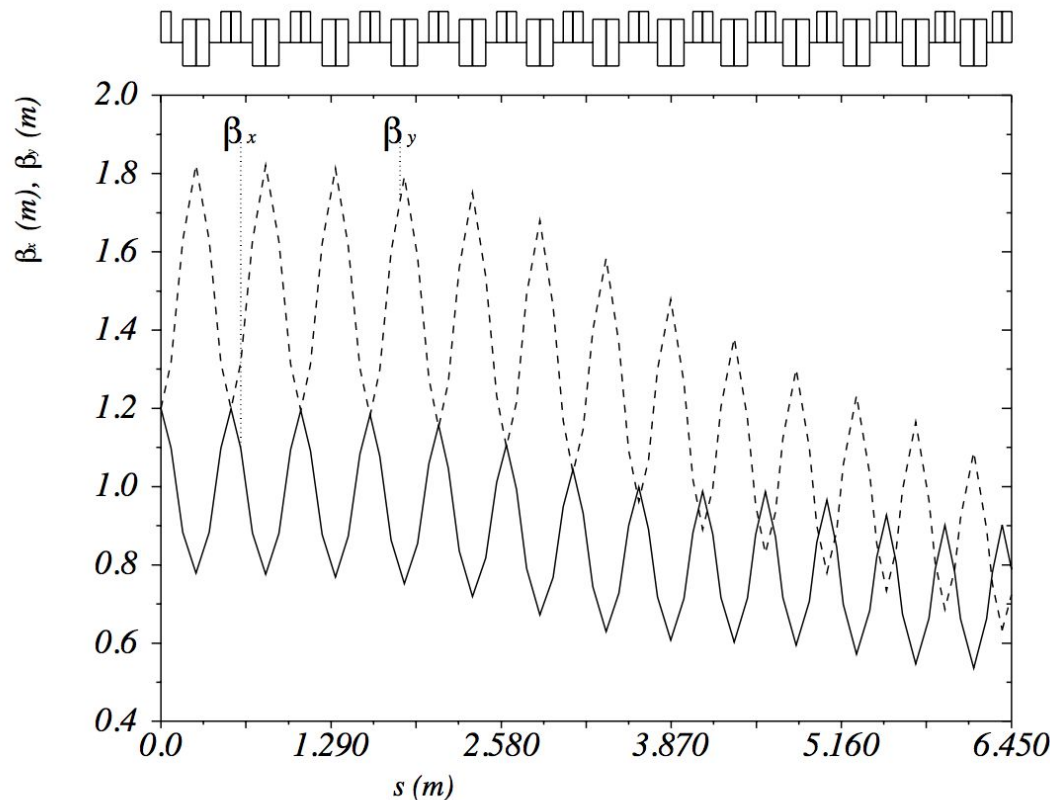
Transition

Accelerator to Gantry

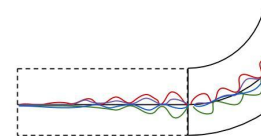
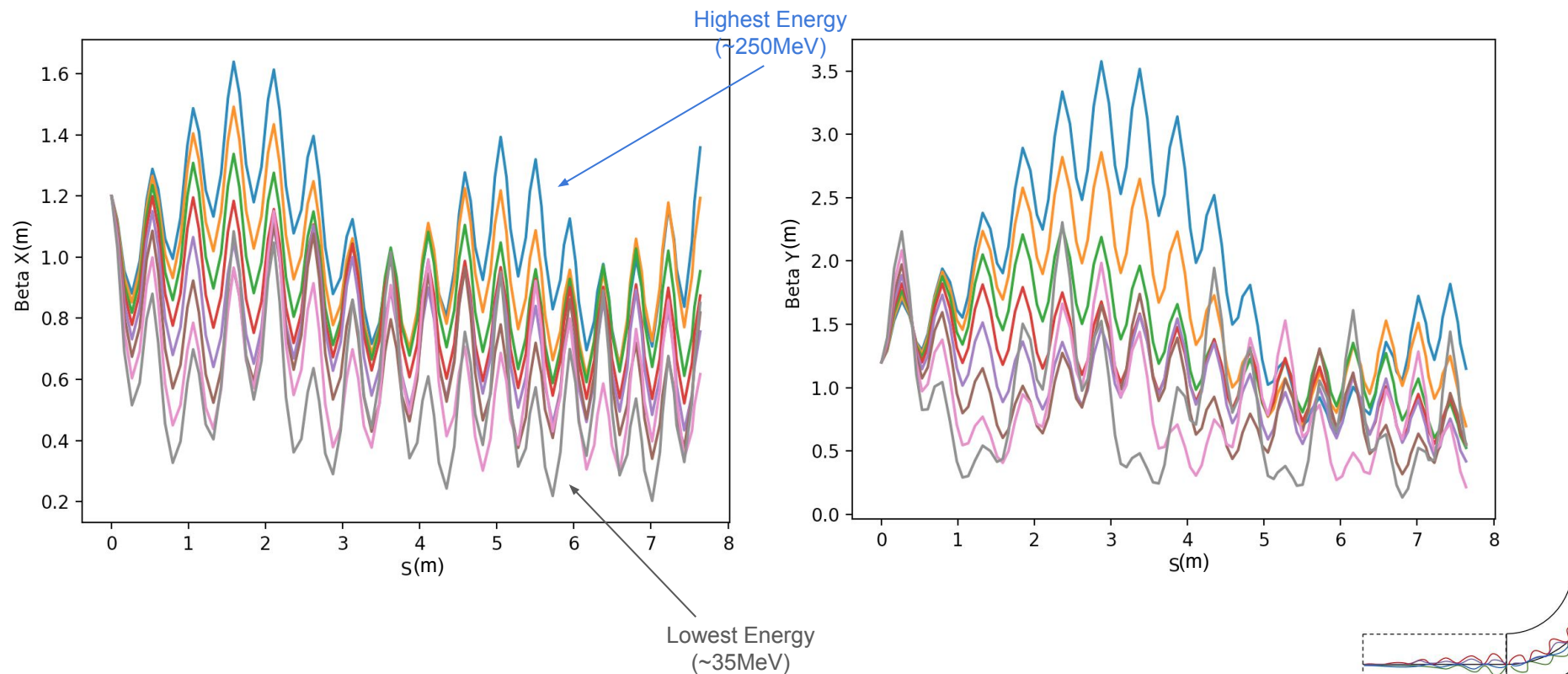
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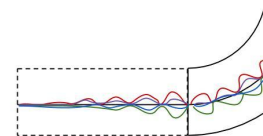
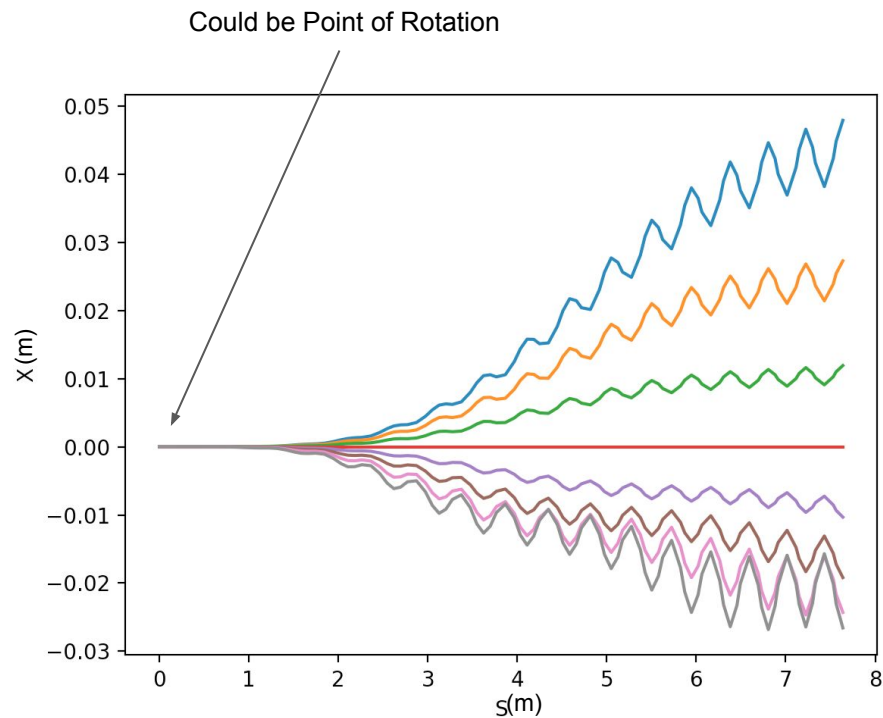
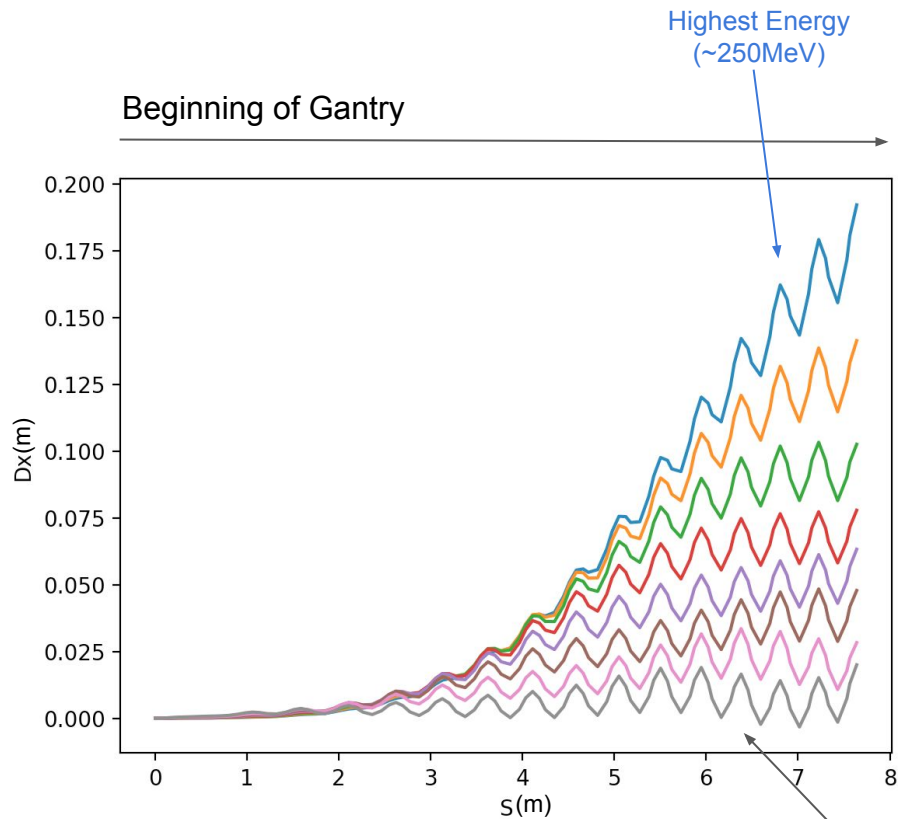
Accelerator to Gantry Constraints

- Initially
 - Rotationally symmetric
 - $\epsilon_x \beta_x = \epsilon_y \beta_y$
 - $D_x = 0.0$ m
 - $D_x' = 0.0$
 - Match accelerator's β functions
 - $\beta_x = \beta_y = \sim 1.2$ m
- By the end
 - Must match periodic conditions of cells



Beginning of Gantry





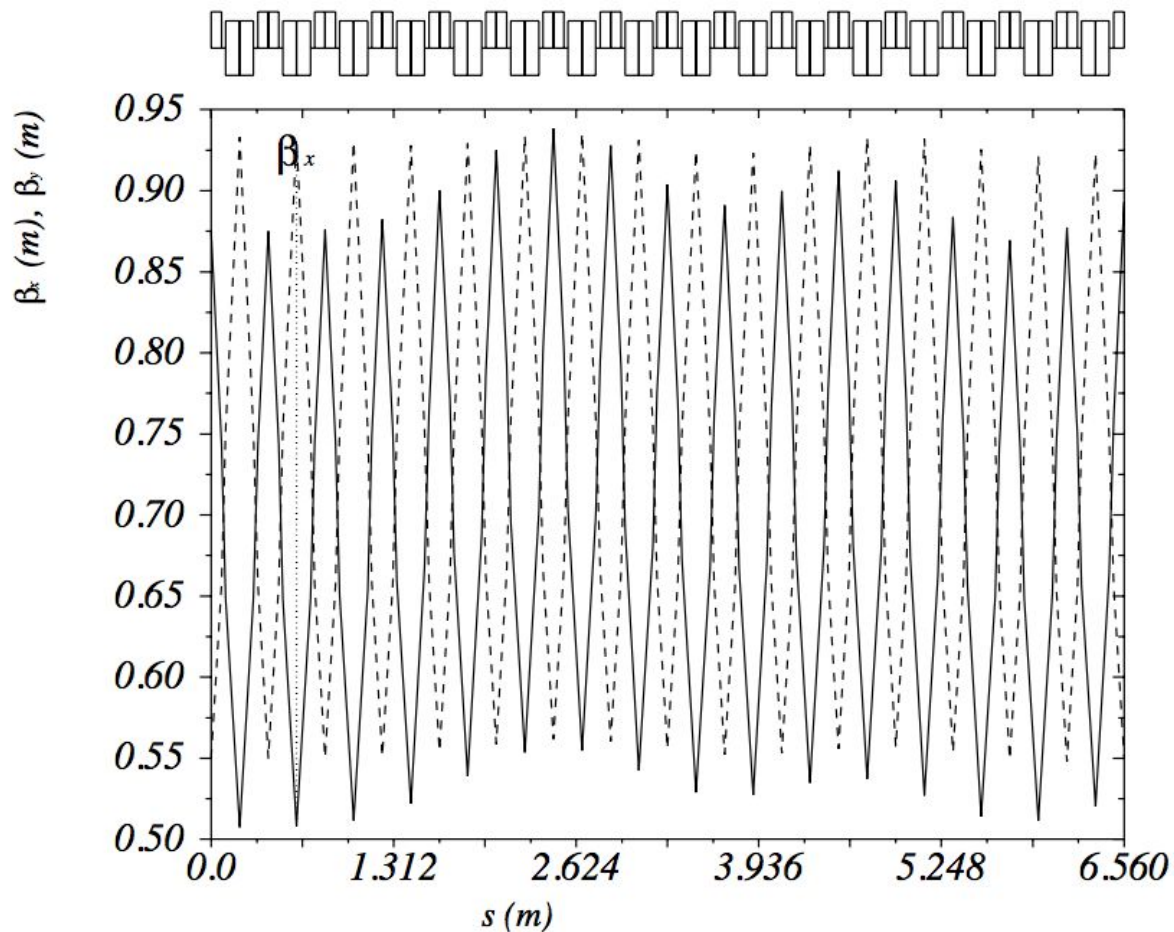
Transition

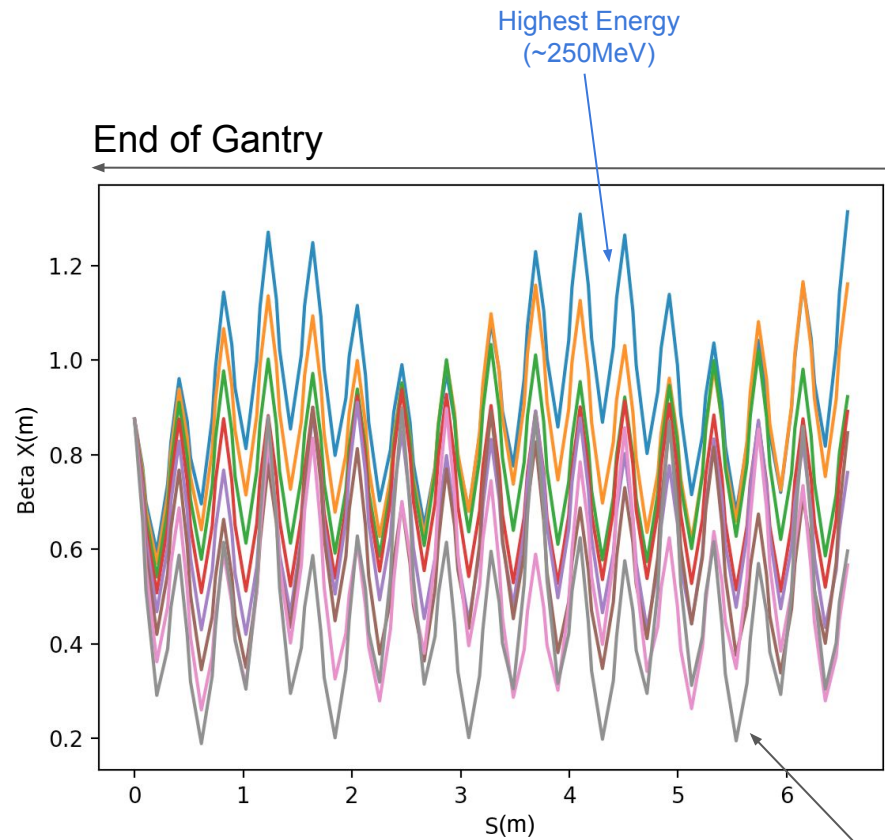
Final 90 Degree Arc

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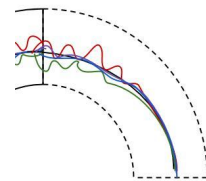
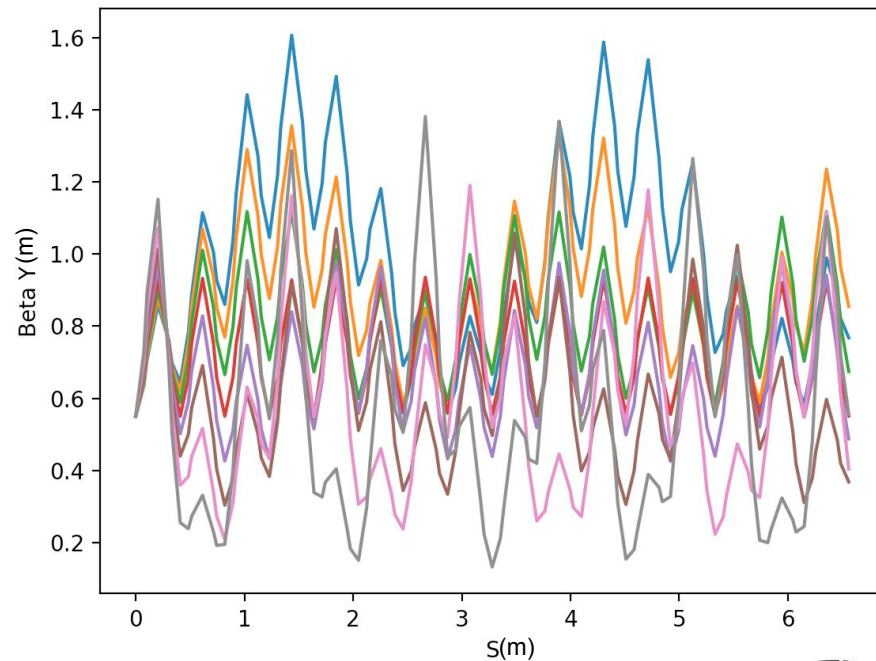
Final 90 Degree Arc Constraints

- Uniform Bend Angle
- Constraints of magnets based upon D_x
- Merger of orbits

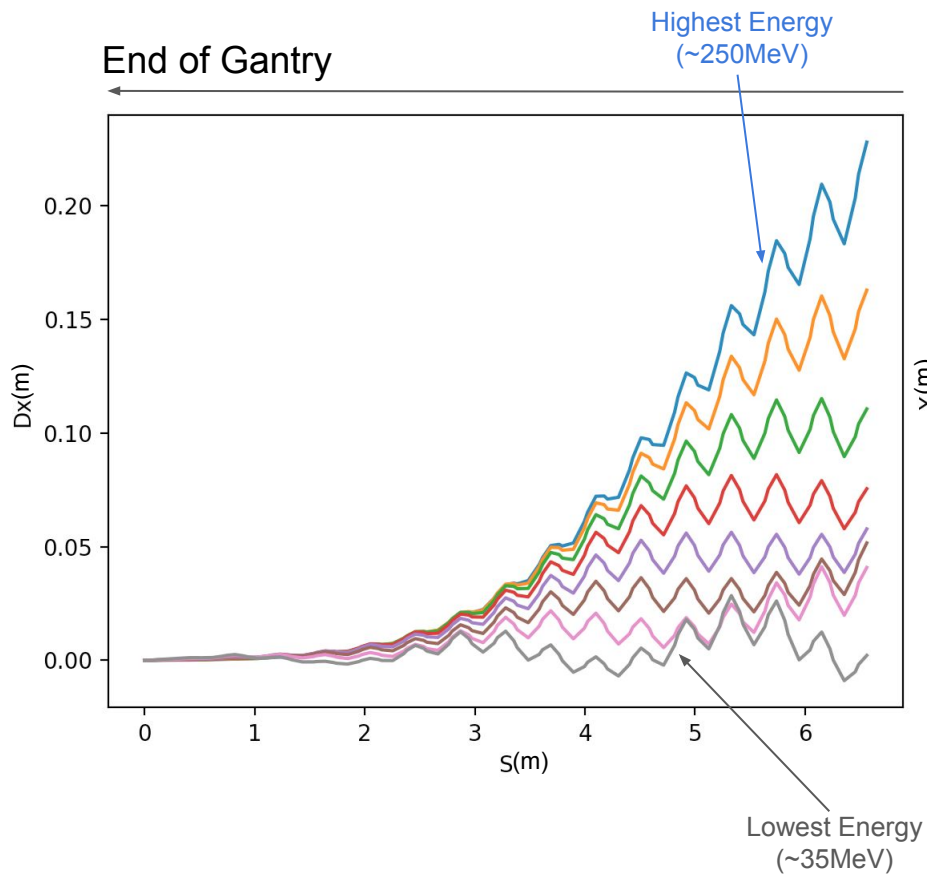




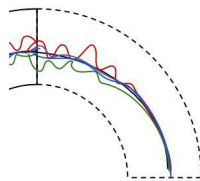
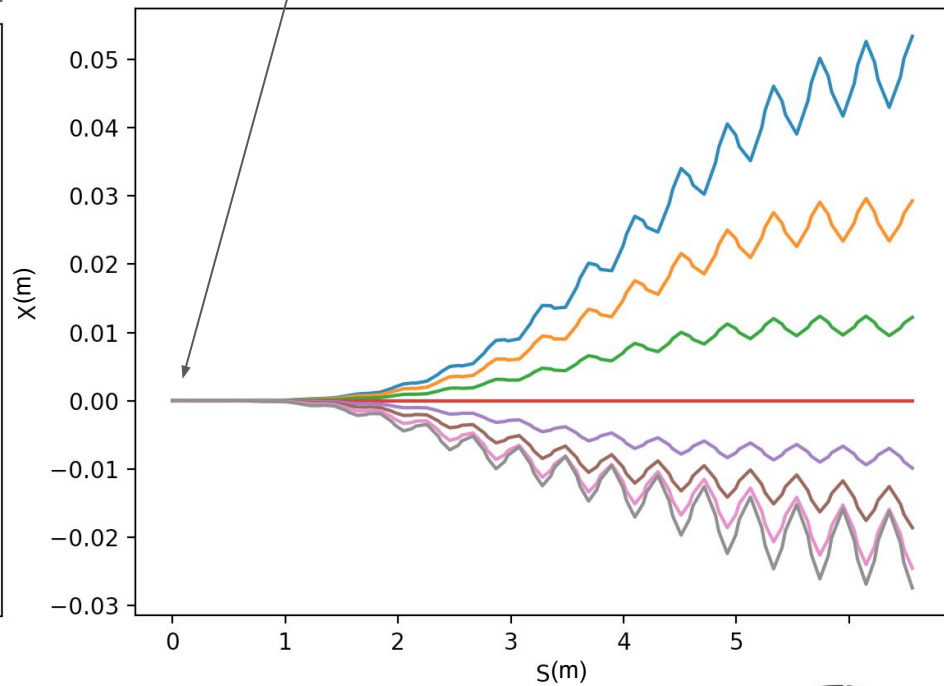
Lowest Energy
(~35MeV)



End of Gantry



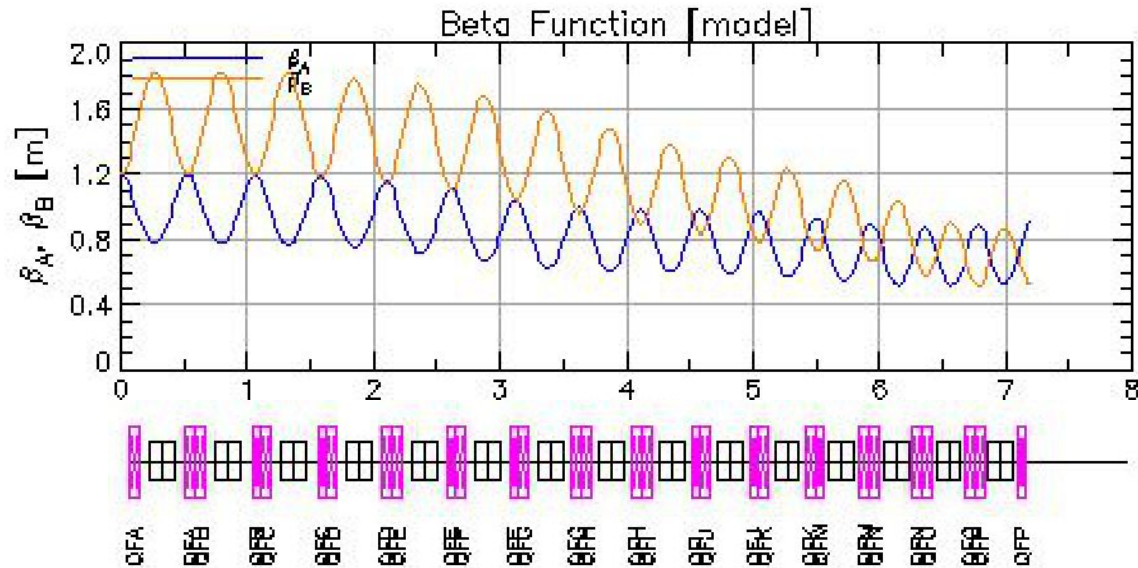
Potential for
Traditional
Scanning Magnets?



Conclusions

and Future Work

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Future Work

- Decrease the size
 - Use of stronger magnets
- Transition over the inflection point
- Use a more suitable code
 - Optimised for Fixed-Field Accelerators

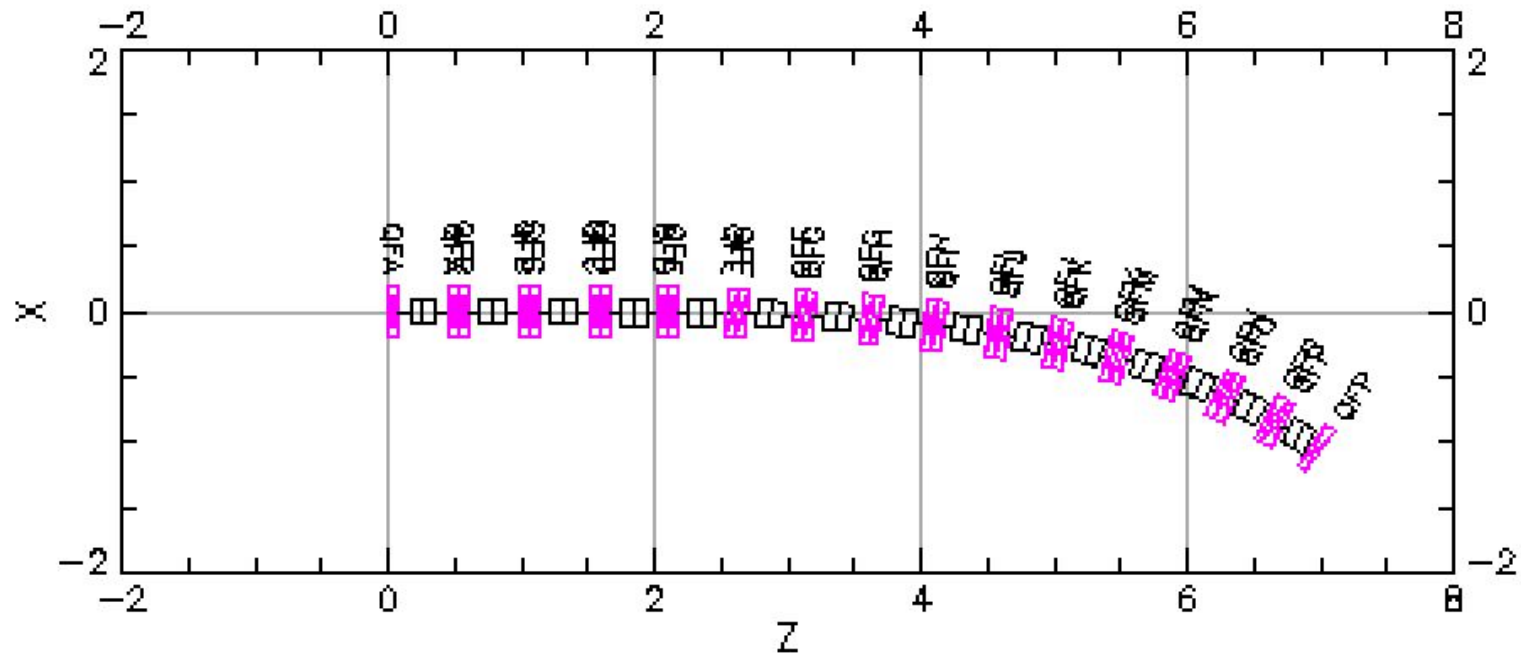
Conclusions

- Developed a unit cell to cover all energies
- Applied method of adiabatic variance to constraints
- Used unit cell to make a transition
 - Matched to constraints
 - Over entire energy range





Thank You!

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Appendix: A1



Appendix: A2

1	 $f(x) = \frac{1}{2} + \left(x - \frac{1}{2}\right) \sum_{n=0}^3 \frac{(2n)!}{(n!)^2} x^n (1-x)^n$	×
2	 $\frac{d}{dx} [f(x)]$	×
3	 $g(x) = \sin\left(\frac{\pi}{2}x\right)^2$	×
4	 $\frac{d}{dx} [g(x)]$	×

