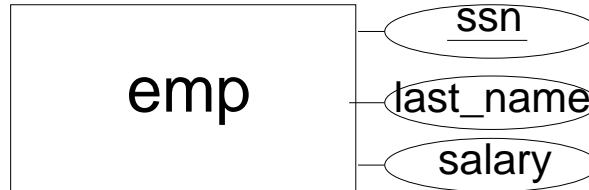


- Focus first on the entities, then the relationships, and finally the generalization hierarchies.
- Use the following guidelines...

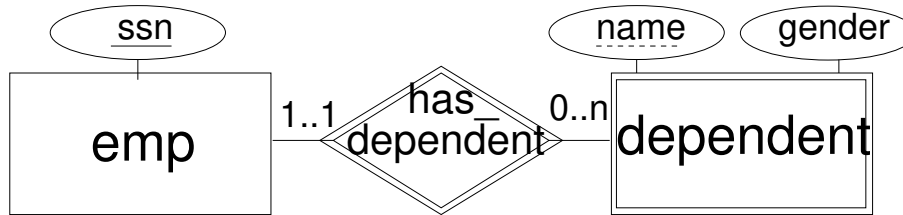


- Create a relation;  
Copy the simple attributes and basic components of a composite attribute.  
Choose one of the key attributes as PK.

**emp**(ssn, last\_name, salary)

# Weak Entity plus identifying relationship

3



Create a relation

Copy attributes as before...

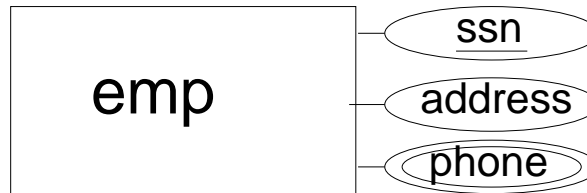
Add Owner's PK as FK.

Primary key is that FK plus partial key(s)

**dependent**(ssn, name, sex)

FK: ssn refers to **emp**.ssn.

- *Multi-valued Attribute*  $A$  of an entity  $E$ :



Create a separate relation.

Attributes:  $A$  plus PK of (the reln. corresp. to)  $E$ .

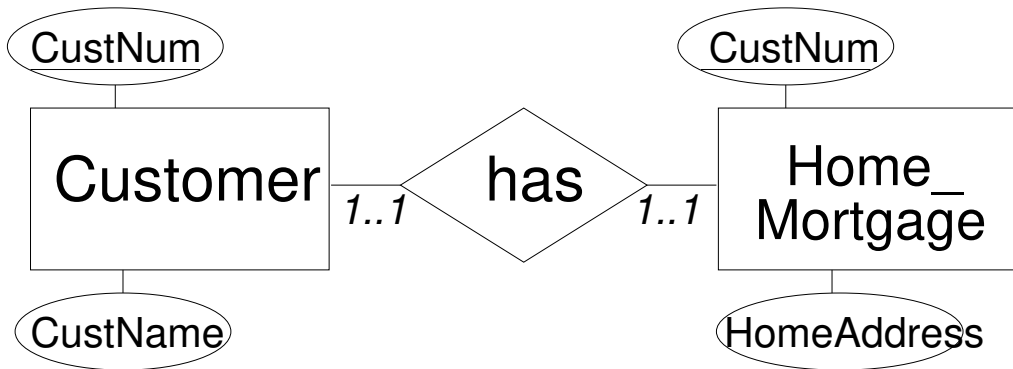
**phone**(**essn**, **phone\_number**)

What about PK? ... and FK

- *Total* participation of *both* entities  
 $\Rightarrow$  collapse into one relation?  
Yes, if they do not participate in other relationships or do participate in those that can benefit from such integration.
- *Same PK* for both  $\Rightarrow$  choose *it* as *the* PK
- *Different PKs*  $\Rightarrow$  choose one as PK

## 1-1 Binary Relationship $R$ between $E_1$ and $E_2$

6



Replace **Customer**(CustNum, CustName) and **Home\_Mortgage**(CustNum, HomeAddress) by

**CustomerHomeMortgage**(CustNum,  
CustName, HomeAddress)

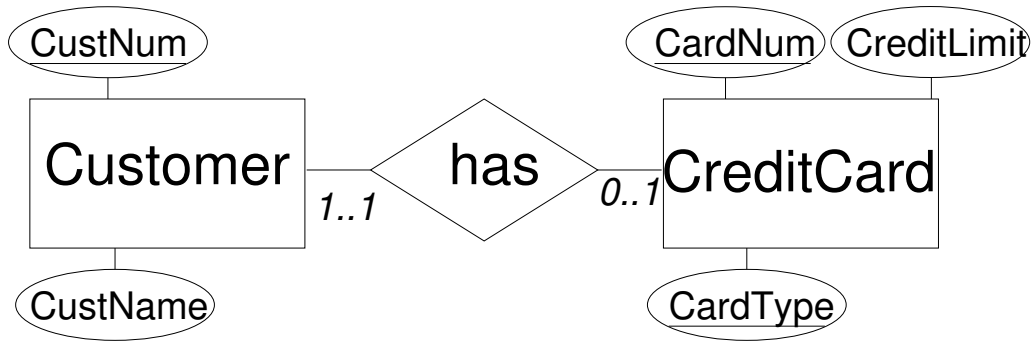
## 1-1 Binary Relationship $R$ between $E_1$ and $E_2$

7

- Only one entity  $E_1$  has partial participation
  - Let the other entity  $E_2$  represent  $R$
  - Attributes: Add PK of  $E_1$  as FK plus simple attributes of  $R$ .

## 1-1 Binary Relationship $R$ between $E_1$ and $E_2$

8



**Customer**(CustNum, CustName)

**CreditCard**(CardNum, CardType,  
CreditLimit, CustNum)

FK: CustNum refers to **Customer**.CustNum.



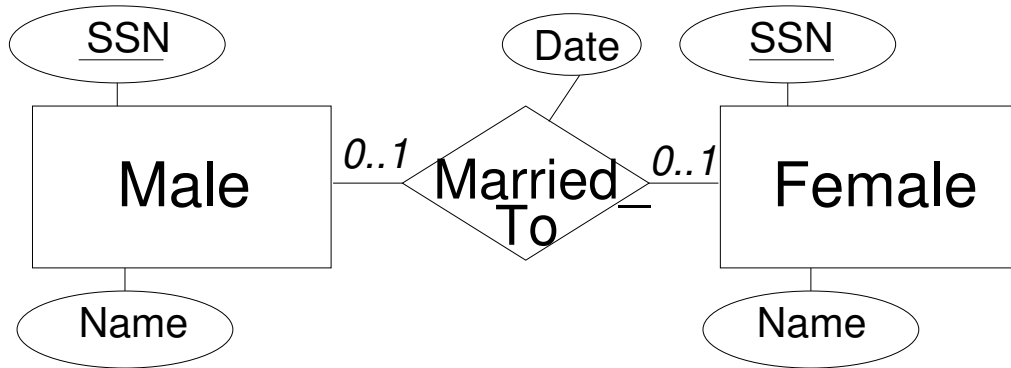
## 1-1 Binary Relationship $R$ between $E_1$ and $E_2$

9

- Both entities have partial participation
  - Copy PKs from both and choose one as the PK.

## 1-1 Binary Relationship $R$ between $E_1$ and $E_2$

10



**Male**(MaleSSN, Name)

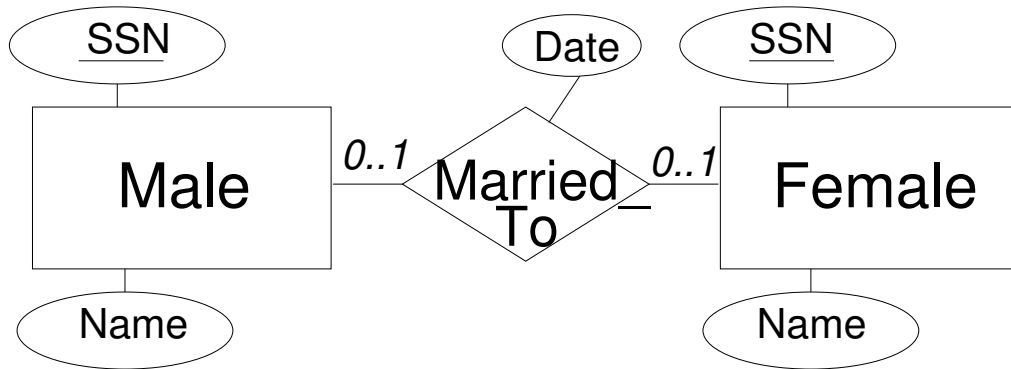
**Female**(FemaleSSN, Name)

**Married\_To**(MaleSSN, FemaleSSN, Date)

*Unique* constraint on *FemaleSSN*

## 1-1 Binary Relationship $R$ between $E_1$ and $E_2$

11



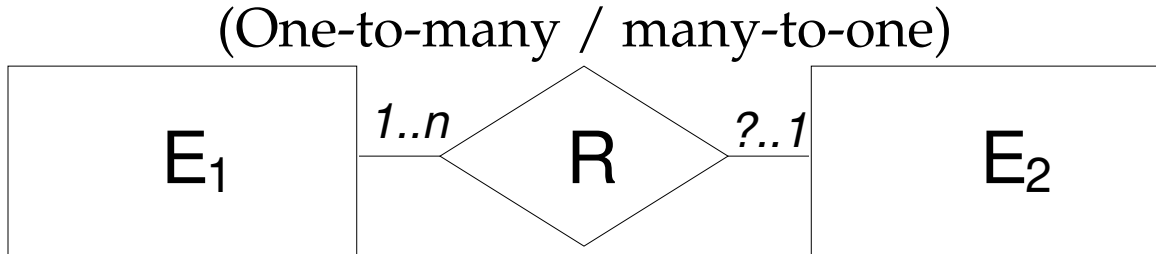
OR

Male(MaleSSN, Name)

Female(FemaleSSN, Name)

Married\_To(MaleSSN, FemaleSSN, Date)

*Unique* constraint on *MaleSSN*



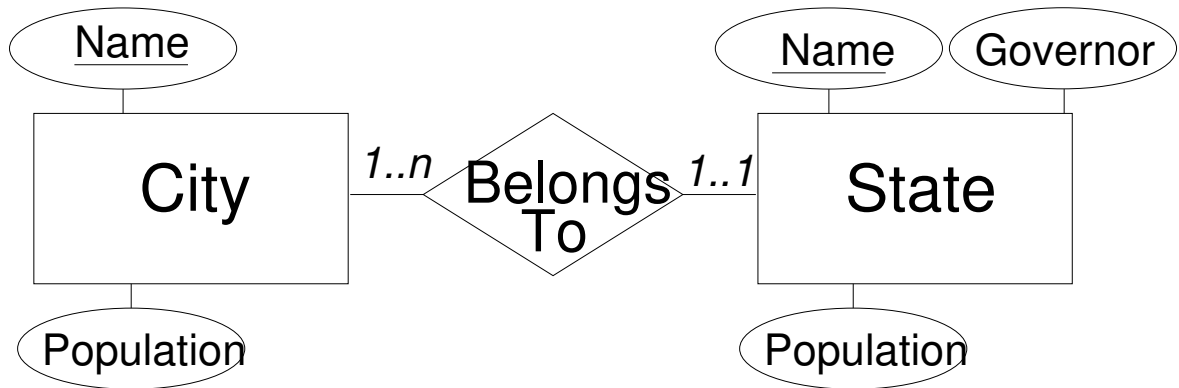
- We will consider two values of  $?$  :  
1 and 0, i.e.,  
 $E_1$ 's participation is *total* and *partial* respectively.

1.  $E_1$  has total participation

- Let  $E_1$  represent  $R$ :
- Attributes: PK of  $E_2$  as FK plus simple attributes of  $R$ .

## Many-to-One Binary Relationship

14



**State**(StateName, Population, Governor)

**City**(CityName, Population, StateName)

FK: StateName refers to **State**.StateName

What about the min. cardinality of 1 for **State**?

It has not been captured.

For it, we need an *Inclusion Dependency* constraint

$$\text{State.StateName} < \text{City.StateName}$$

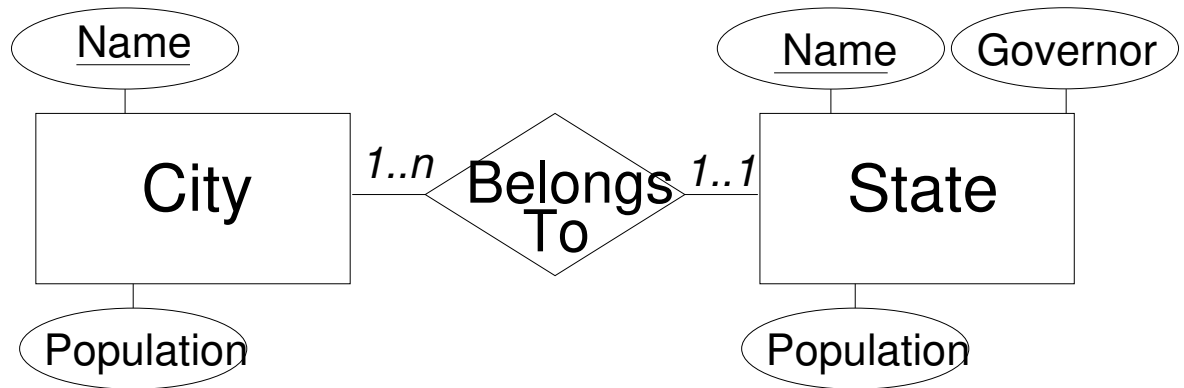
which translates into

$$\Pi_{\text{StateName}} \text{State} \subseteq \Pi_{\text{StateName}} \text{City}$$

Putting it all together...

## Many-to-One Binary Relationship

16



**State**(StateName, Population, Governor)

**City**(CityName, Population, StateName)

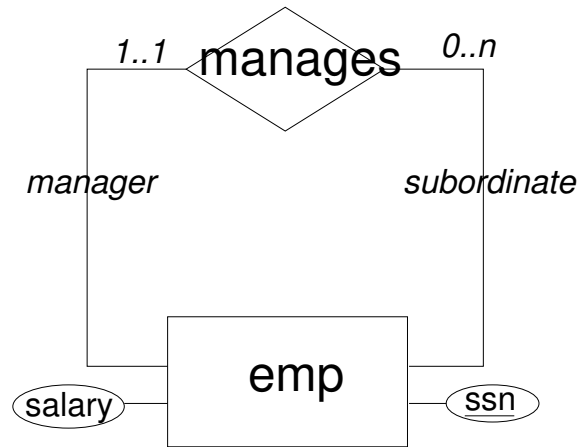
FK: StateName refers to **State**.StateName

Incl. Dep.: **State**.StateName < **City**.StateName



# Many-to-One Binary Relationship

17



$\text{emp}(\underline{\text{ssn}}, \text{salary}, \text{mgrssn})$

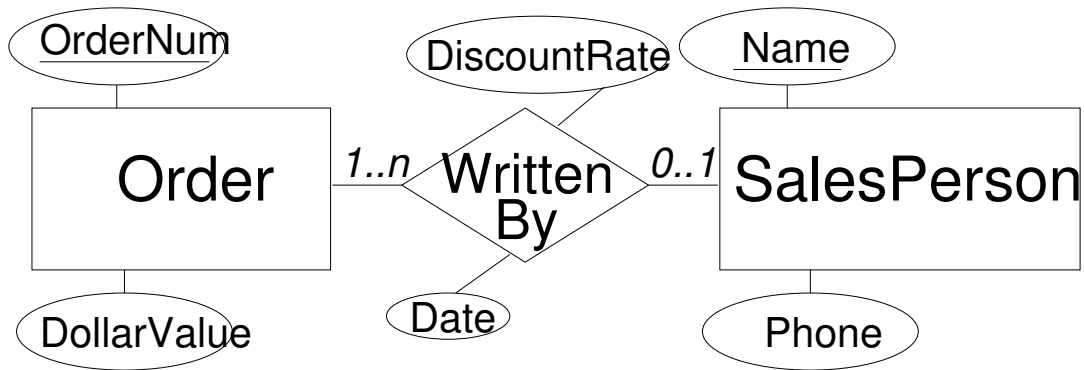
FK:  $\text{mgrssn}$  refers to  $\text{emp.ssn}$

### 2. $E_1$ has partial participation

- Previous scheme  $\Rightarrow$  null values are possible.
- These null values are not acceptable  
 $\Rightarrow$  define a separate relation with PK from  $E_1$ .  
Add attributes of  $R$

# Many-to-One Binary Relationship

19



**SalesPerson**(SalesPersonName, Phone)

**Order**(OrderNum, DollarValue)

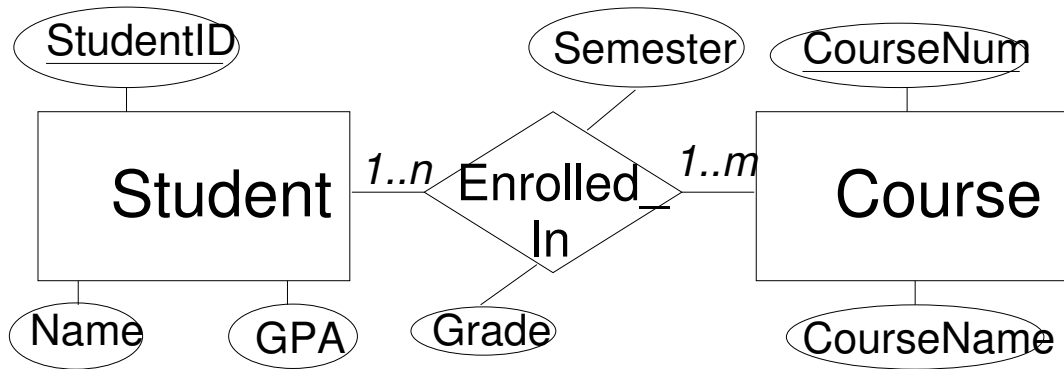
**OrderWritten**(OrderNum, SalesPersonName,  
DiscountRate, Date)

SalesPerson.SalesPersonName < OrderWritten.SalesPersonName  
(Inclusion Dependency)

- Create a new relation.  
Copy PKs of both entities, each as FK.  
Together they form the PK.  
Add attributes of  $R$ .

## Many-to-Many Binary relationship

21



Student(StudentID, Name, GPA)

Course(CourseNum, CourseName)

Enrolment(StudentID, CourseNum, Semester, Grade)

We also need 2 inclusion dependencies for the two min. cardinalities of 1...

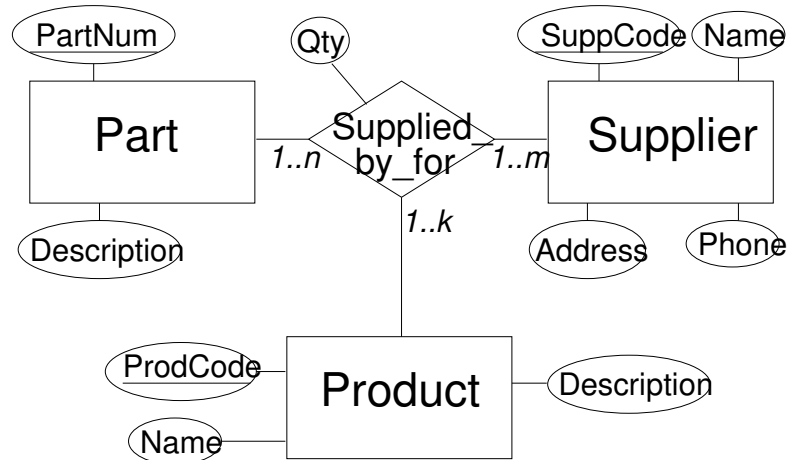
Student(StudentID, Name, GPA)

Course(CourseNum, CourseName)

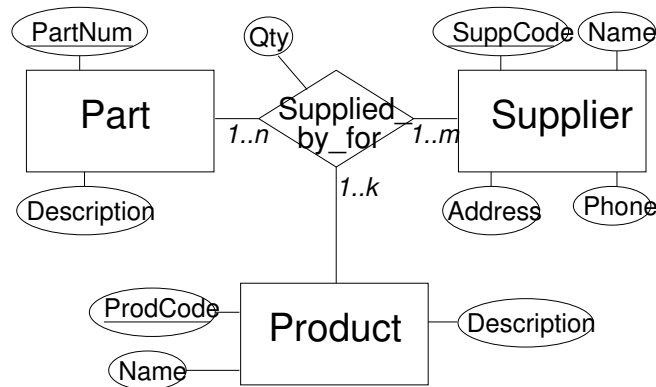
Enrolment(StudentID, CourseNum, Semester,  
Grade)

Student.StudentID < Enrolment.StudentID

Course.CourseNum < Enrolment.CourseNum



- Follow the strategy of Many-to-Many relationships.



Part(PartNum, Description)

Supplier(SuppCode, Name, Address, Phone)

Product(ProdCode, Name, Description)

Supply(PartNum, ProdCode, SuppCode, Qty)

Plus 3 inclusion dependencies ...



Part(PartNum, Description)

Supplier(SuppCode, Name, Address, Phone)

Product(ProdCode, Name, Description)

Supply(PartNum, ProdCode, SuppCode, Qty)

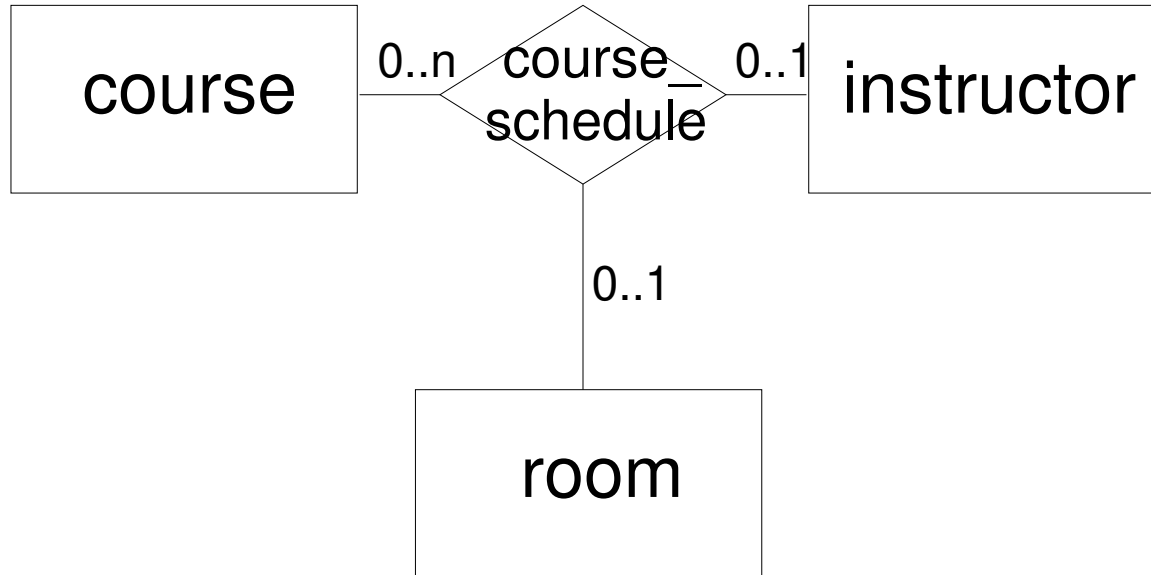
Part.PartNum < Supply.PartNum

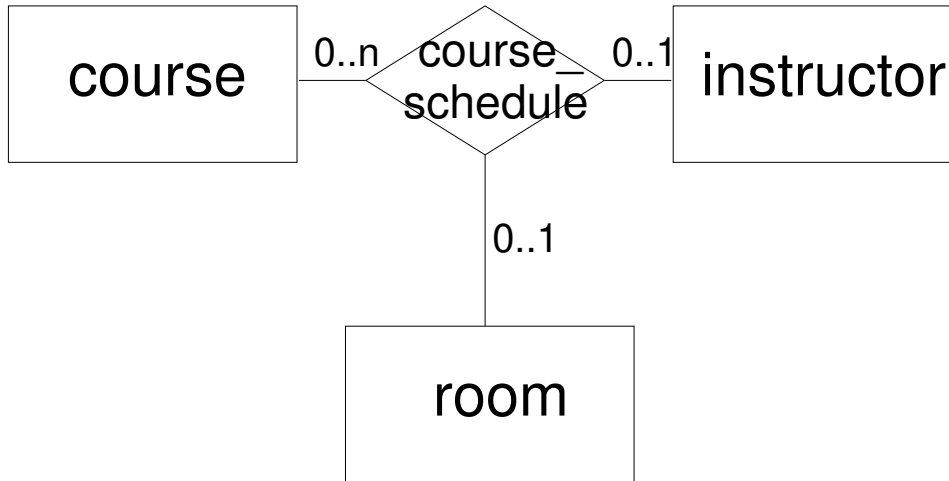
Product.ProdCode < Supply.ProdCode

Supplier.SuppCode < Supply.SuppCode

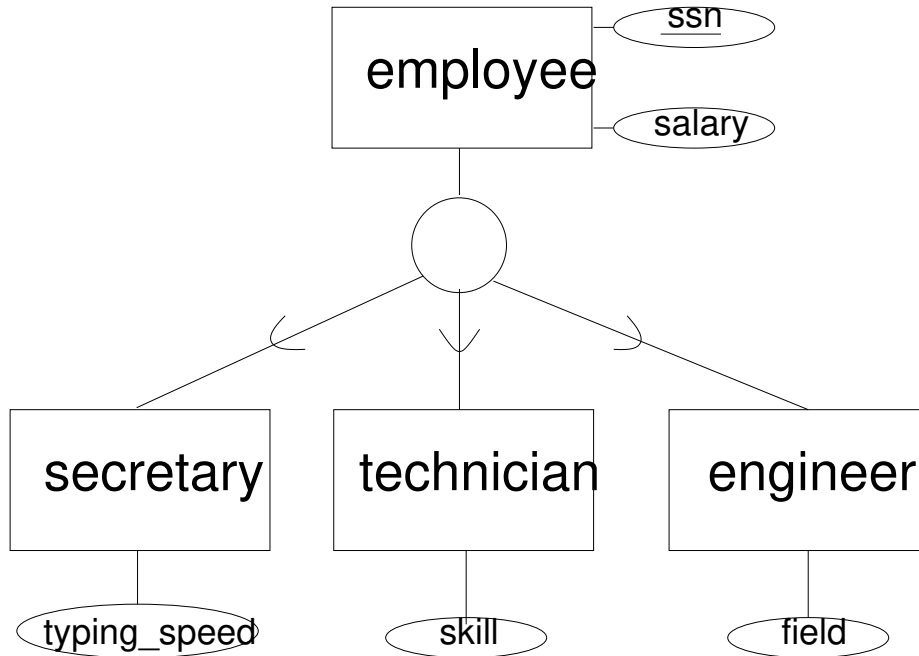
## Special case 1

26



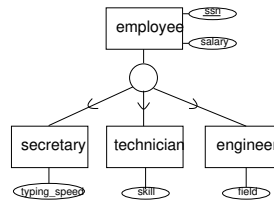


Additional constraint: every course is taught by exactly one instructor in exactly one room.



- Generalization Hierarchy must be eliminated.
- How?

- Keep all the entities:



**emp**(ssn, salary)

**secy**(secy\_ssn, typing\_speed) FK: secy\_ssn refers to emp.ssn

**tech**(tech\_ssn, skill) FK: tech\_ssn refers to emp.ssn

**enr**(enr\_ssn, field) FK: enr\_ssn refers to emp.ssn

Also need disjointness constraints:

**R.A** disjoint from **S.B**

translates into

$$\Pi_A(R) \cap \Pi_B(S) = \emptyset$$

emp(ssn, salary)

secy(secy\_ssn, typing\_speed) FK: secy\_ssn refers to emp.ssn

tech(tech\_ssn, skill) FK: tech\_ssn refers to emp.ssn

engr(engr\_ssn, field) FK: engr\_ssn refers to emp.ssn

secy.sec\_y\_ssn disjoint from tech.tech\_ssn

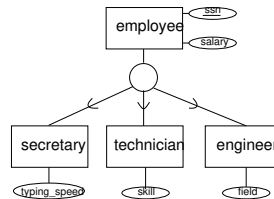
tech.tech\_ssn disjoint from engr.engr\_ssn

engr.engr\_ssn disjoint from secy.sec\_y\_ssn



- A relation per possible subtree of the hierarchy

- When is the following appropriate?



**secy**(secy\_ssn, salary, typing\_speed)

**tech**(tech\_ssn, salary, skill)

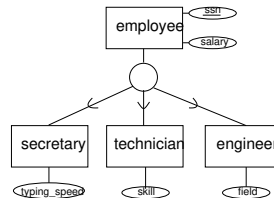
**engr**(engr\_ssn, salary, field)

**secy**.secy\_ssn disjoint from **tech**.tech\_ssn

**tech**.tech\_ssn disjoint from **engr**.engr\_ssn

**engr**.engr\_ssn disjoint from **secy**.secy\_ssn

- When is the following appropriate?



**other\_emp**(otherssn, salary)

**secy**(secy\_ssn, salary, typing\_speed)

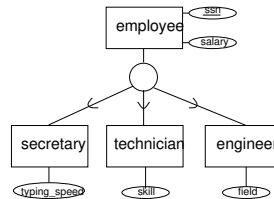
**tech**(tech\_ssn, salary, skill)

**engr**(engr\_ssn, salary, field)

Plus 6 disjointness constraints...

- How many subtrees can there be?

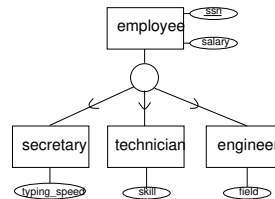
- Collapse into a single relation:



**emp**(ssn, salary, kind\_of,  
typing\_speed, skill, field )

where kind\_of  $\in \{0, 1, 2, 3, \text{NULL}\}$

- Collapse into a single wide relation:



**emp**(ssn, salary, typing\_speed, skill,  
field, is\_secy, is\_tech, is\_engr)

where is\_xxxx: boolean

Given: a relationship  $R$  between superclasses  $S_1, S_2$ .

Implementation has a table for $S_1$ ?	Implementation has a table for $S_2$ ?	(Recursively) replace $R$ by a copy between
Yes	Yes	N/A
Yes	No	$S_1$ and each child of $S_2$
No	Yes	$S_2$ and each child of $S_1$
No	No	each child of $S_1$ with each child of $S_2$

Question: Total coverage?