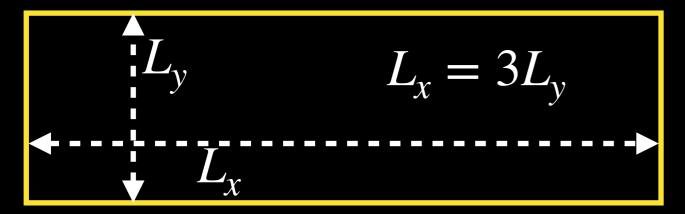
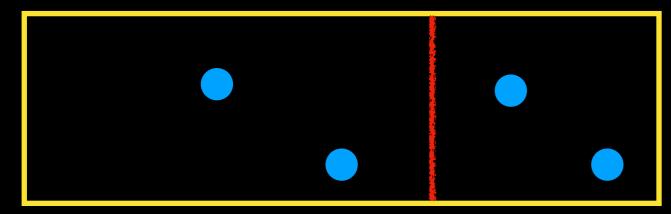
## Project 1) A dynamic processes (i.e. non-equilibrium, not stationary)

Choose an elongated box as shown in the picture below.



Separate the system by a vertical, moving wall.



This wall has  $v_y = 0$  at all times, but  $v_x \neq 0$  is non-zero and non-constant. Particles cannot cross this wall, but interact with purely elastic collisions. The wall has a finite mass and exchanges momentum with the particles following the rules of momentum and energy conservation.

## Attention!!!

If  $v_W$  is the wall speed in x direction and  $v_{i,x}$  is the velocity of particle i in x direction, then there is a condition which guarantees that the collision time between the moving wall and particle i is positiv. You must find this conditions, otherwise particles cross the moving wall.

Note: It is not necessary, that one and the same code does everything. You can write several codes, which do one specific measurement.

## Project 1)

Choose an initial configuration, where the moving wall is in the middle of the box but:

- (A) density in chamber 1 >> density in chamber 2
- (B) temperature in chamber 1 >> temperature in chamber 2

Note that the temperature in one chamber is set by the initial velocities you chose for the particles, as the total energy in one chamber is given by

 $E_{j} = \sum_{q=1}^{N_{j}} \frac{m_{q}}{2} \overrightarrow{v}_{q}^{2} = N_{j}k_{B}T_{j}$ (Ensemble equivalence)
We do NOT define  $k_{B} = 1.38 \cdot 10^{-1}$ 

( $N_j, T_j$  number of particles and temperature in chamber  $j = \{1,2\}$ ).

We do NOT define  $k_B=1.38\cdot 10^{-23}$ . We rather work with a variable k\_BT, which takes reasonable values, i.e. neither super large, nor super small.

Task: Measure the position of the moving wall, the temperature in both chambers and the density in both chambers as a function of time.

How long does it take for the system to reach a steady state (what characterizes the steady state)? Verify that the system reaches the same steady state if you exchange chamber 1 and 2 in (A) and (B). How does the mass of the wall influence the time evolution of the system and the steady state? What would change, if you would put smaller & lighter particles in chamber 2? How does the total number of particles influence the final result (you will see finite size effects)!

e) Task (optional): In the system without moving wall, verify that the steady state distribution of the speed follows the Maxwell-Boltzmann distribution

$$P(v_i) = \frac{m_i v_i}{k_B T} \exp\left(-\frac{m_i v_i^2}{2k_B T}\right).$$