

# A Framework for Applying Neural Networks to Eddy Covariance Data

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# Eddy Covariance

Ecosystem-scale fluxes  
energy, water, and trace  
gases.

- Voluminous data sets
  - Noisy & gap-prone
- Ideally suited for machine learning!



Burns Bog EC Station  
Delta, BC

# Neural Networks

**Universal approximators:** they can map any continuous function to an arbitrary degree accuracy.

- With sufficient hidden nodes, they will fit **any pattern** in a dataset
  - Care must be taken to ensure the patterns are real
    - Have often been treated as “black boxes”
- Well suited for non-linear, multi-variate response functions
  - Capable *interpolation* and **extrapolation**

# Commonly Cited Limitations

Issue	Solutions
Over-fitting	<ul style="list-style-type: none"><li>* Model ensembles</li><li>* 3-way cross validation</li><li>* pruning</li></ul>
Black boxes models	<ul style="list-style-type: none"><li>* Plot partial derivatives</li><li>* feature importance</li></ul>
Computationally expensive	<ul style="list-style-type: none"><li>* Tensorflow</li><li>* GPU processing</li></ul>

# Objective

Provide a framework for applying NN models can be applied to EC data for both descriptive analysis and inferential modelling.

- The [github repository](#) linked to this presentation has functional examples that can be used to apply NN models.
  - Runs in Python and Tensorflow: *GPU support not required*

# Example Data

BB1 EC station

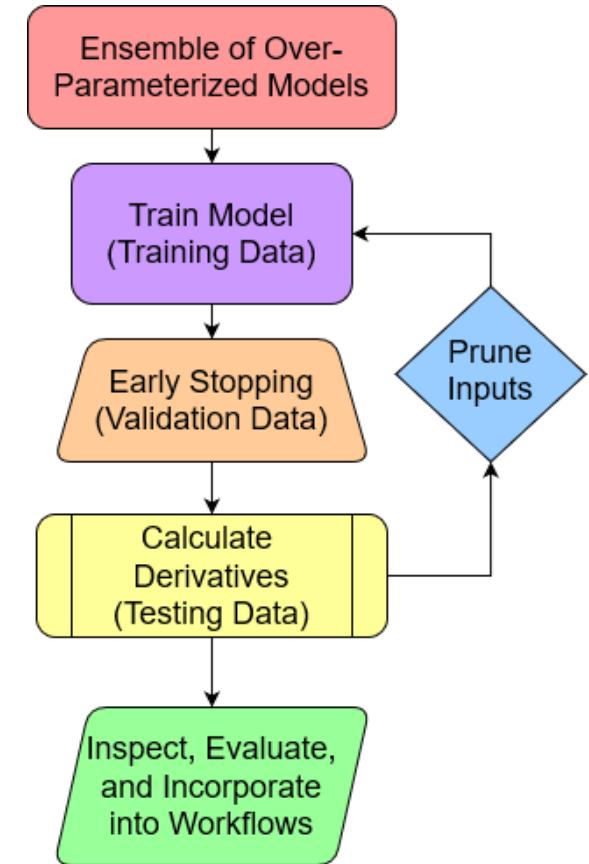
- Beakrush-Sphagnum ecosystem undergoing active restoration
- 8+ years of CO<sub>2</sub> and CH<sub>4</sub> flux observations



# Training Procedures

An iterative process:

- Three way cross-validation
  - Train & validate - random split by model
  - Test - consistent between models
- Ensemble-size
  - Larger ensemble > more robust model
  - $N = 10$  likely suitable for most applications

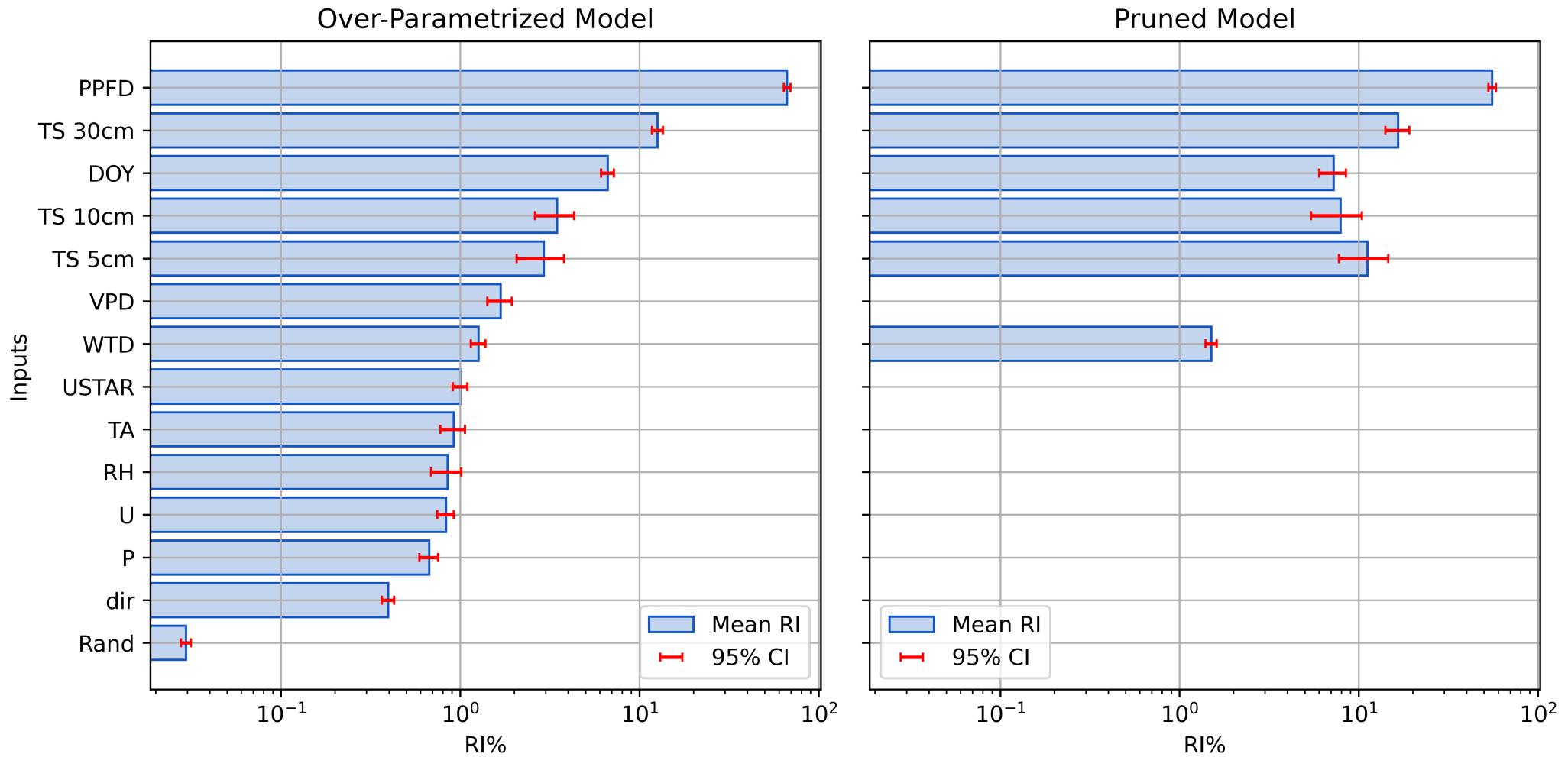


# How to Prune a Model

Calculate partial first derivative of the output with respect to each input over test data domain.

- **Relative Influence (RI):** Normalized Sum of squared derivatives (SSD)
- Iteratively prune inputs with RI below a reference threshold
  - Random input assess base-level performance
- Train final model without random scalar

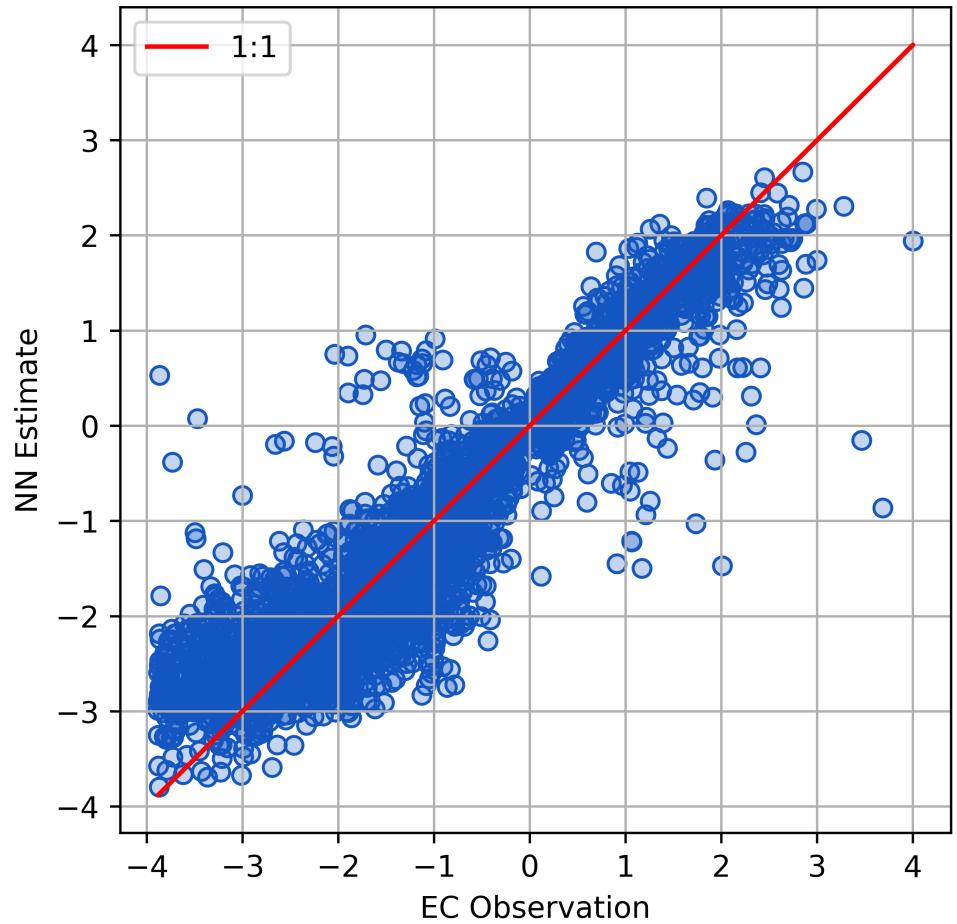
# Pruning a FCO<sub>2</sub> Model



# Model Inspection

Plot the model outputs using the test data.

Metric	Score
RMSE	$0.59 \mu\text{mol m}^{-2}\text{s}^{-1}$
$r^2$	0.86

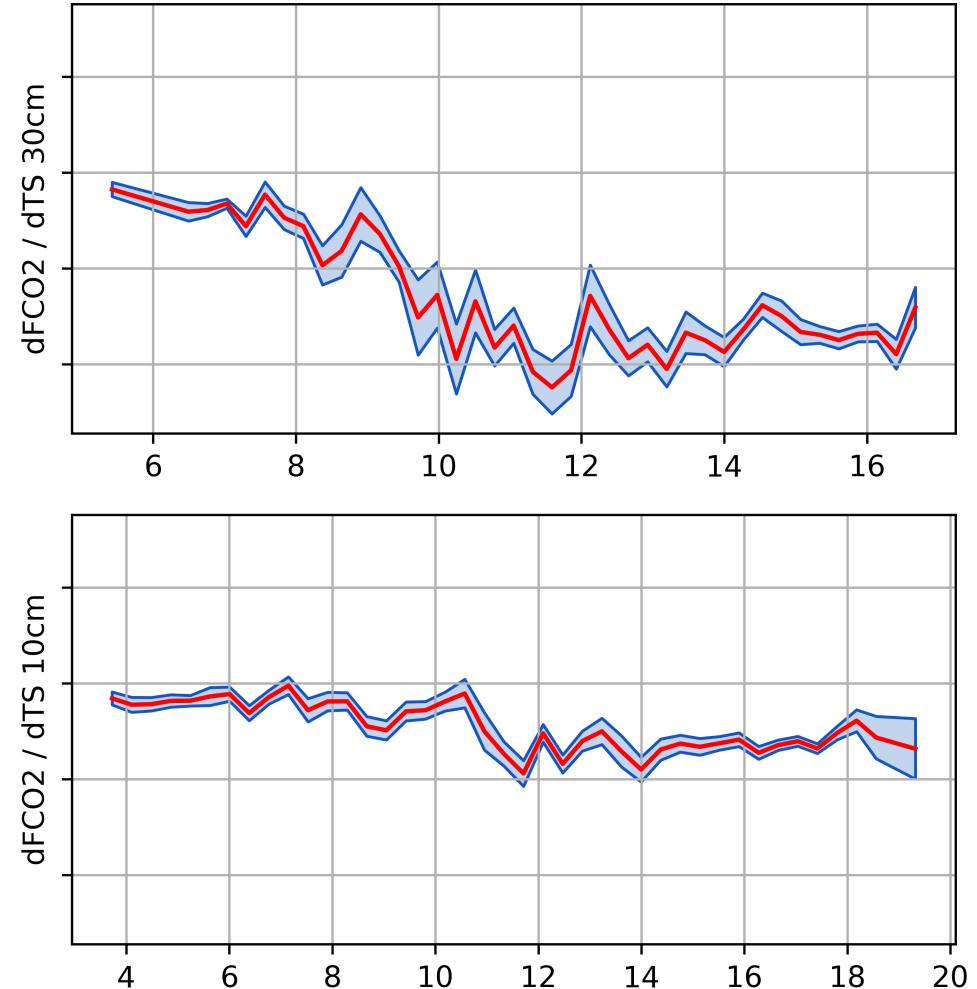
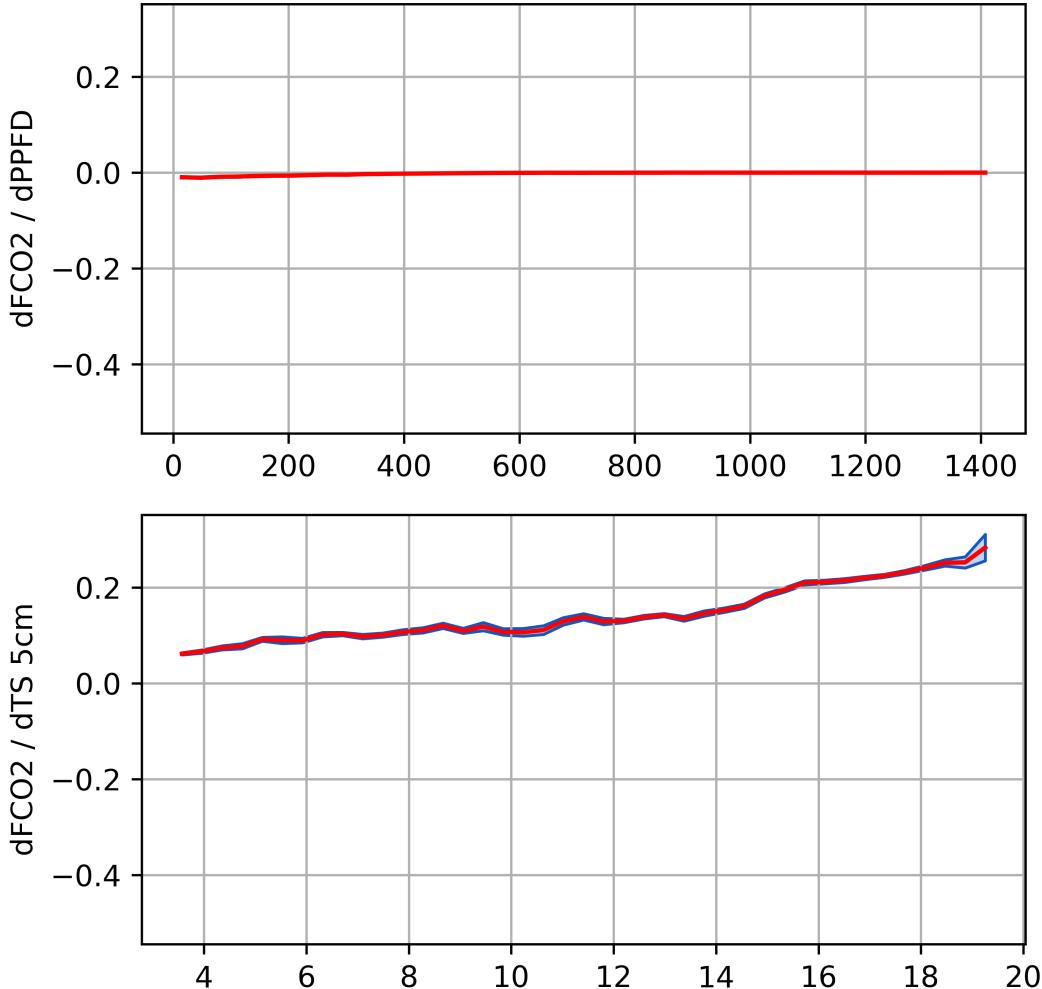


# Plotting Derivatives

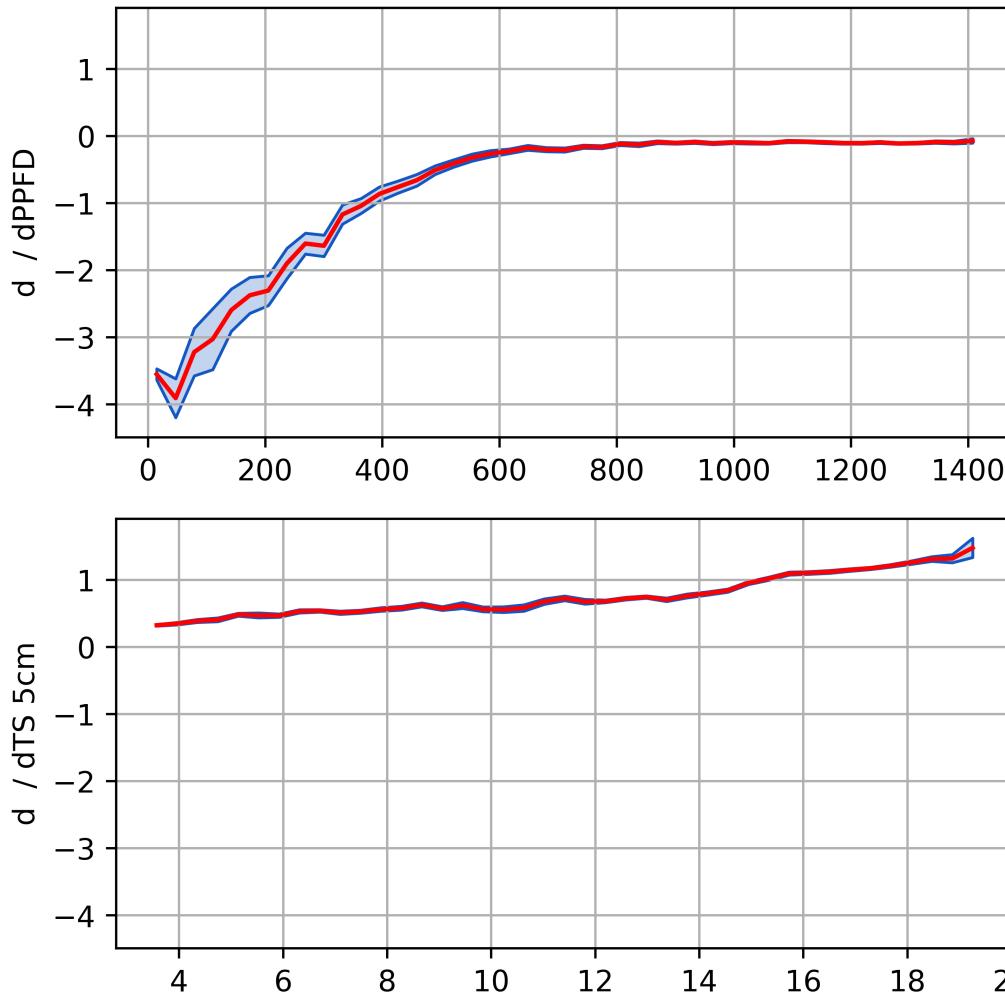
Help ensure mapped relationships are physically plausible

- An essential step and key advantage NN models
- Raw derivatives show true feature responses
  - 95% confidence intervals indicate model confidence in relationships
- Normalized derivatives scaled by input variance
  - View relative on common scale

# Partial Derivatives of FCO<sub>2</sub>



# Normalized Partial Derivatives



# Next Steps

- Custom NN architecture: Separating input layers may allow us partition fluxes.
  - FCO<sub>2</sub> into GPP and ER
  - FCH<sub>4</sub> into methanogenesis, methanotrophy, transport
- Flux footprint analysis: Models can help account for spatial heterogeneity within a footprint
  - NN could also be trained to calculate/classify footprints!
- u\* filtering: Partial derivatives of u\* could give thresholds for filtering

# Thank You

Questions?

# Why not use a Random Forest?

RF models are great! ... for classifying discrete objects

- But, it's my view that applying them to continuous data is misguided
- They are **poorly suited** for interpolation and incapable of extrapolation