

#### AI 최신 기술은 어떻게 찾아 보고 계신가요?

모두의연구소 박은수 Research Director

# 최신 트렌드 따라가 보는 방법



- 테리의 딥러닝 토크
  - #0.3. SNS로 딥러닝 소식 팔로우 하는 법 (1/2)
    - https://youtu.be/Z1OdPpq9w0o
  - #0.4. SNS로 딥러닝 소식 팔로우 하는 법 (2/2)
    - https://youtu.be/w1oQQmu8NKo

#### 몇가지 좋은 AI 뉴스레터들을 정리해 놓은 곳



- Artificial Intelligence Newsletters to Subscribe to
- 5 Must-Read AI Newsletters
- My Curated List of AI and Machine Learning Resources from Around the Web



• 메일로 소식 받기 : AI Valley



Top Posts This Week

매주 툐요일 새벽 따끈 따끈한 AI소식을 묶어서 보내줍니다

얼마나 따끈따끈한지 살펴보죠

#### Al That Creates Al

Video - 128 shares

Next-Level Surveillance: China Embraces Facial Recognition

Video - 1224 shares

Will the Future Be Human?

Video - 2559 shares

Building a Deep Neural Net In Google Sheets

Article - 71 shares

Will Artificial Intelligence Replace Doctors?

Video - 50 shares

RedditSota/state-of-the-art-result-for-machine-learningproblems

Repo - 5921 stars

Deep Generative Models

Article - 19 shares

Machine Learning From Scratch - eriklindernoren/ML-From-Scratch

Repo - Yotiti stars



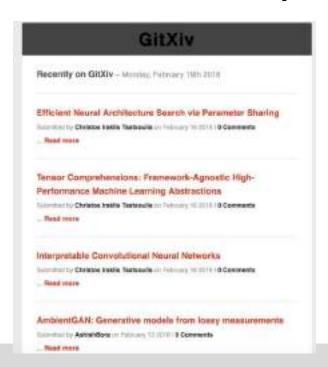
#### **AI Valley**

제목만 봐도 재밌고 좋은 글들이 많은 것 같습니다



• 메일로 소식 받기 : GitXiv Top Posts





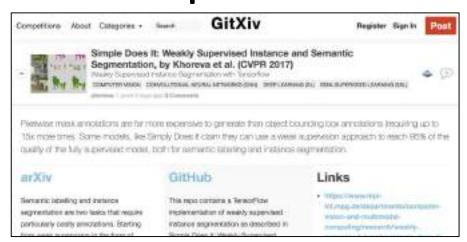
매주 월요일 GitXiv의 소식을 전해 줍니다



#### • 메일로 소식 받기 : GitXiv Top Posts



논문을 볼 수 있음



- 1. 논문을 볼 수 있음
- 2. 코드를 볼 수 있음
- 3. 기타 관련 링크를 볼 수 있음

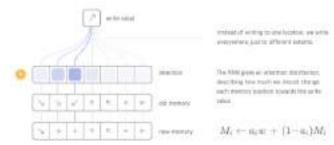


새로운 형태의 논문 : Distill



#### 

내용을 이해하기 좋게 상호작용 할 수 있는 요즘 시대에 맞는 형태의 출간 형태로 보시면 됩니다

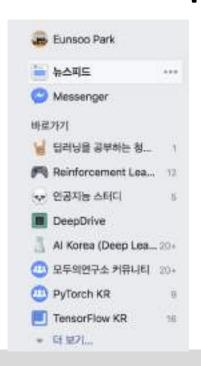


직접 조작가능

But how do NTMs decide which positions in memory to focus their attention on? They actually use a combination of two different methods: content-based attention and location-based attention. Content-based attention allows NTMs to search through their memory and focus on places that match what they're looking for, while location-based attention allows relative movement in memory, enabling the NTM to loop.



• SNS로 소식받기: 페이스북



아마 이미 여러분은 저보다 더 많이 가입하셨을것 같습니다



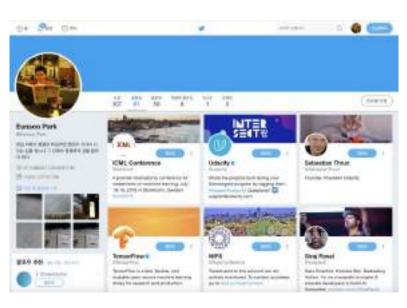
#### • SNS로 소식받기: 페이스북

전 소심해서 나만보기로 공유해서 스크랩 해 두고 거의 보지 않는 수백(천?)개의 글이 쌓여있습니다





• SNS로 소식받기: 트위터









#### • SNS로 소식받기: 트위터











• SNS로 소식받기: 트위터는 메일도 보내줘요 \*\*\*\*\*\*\*





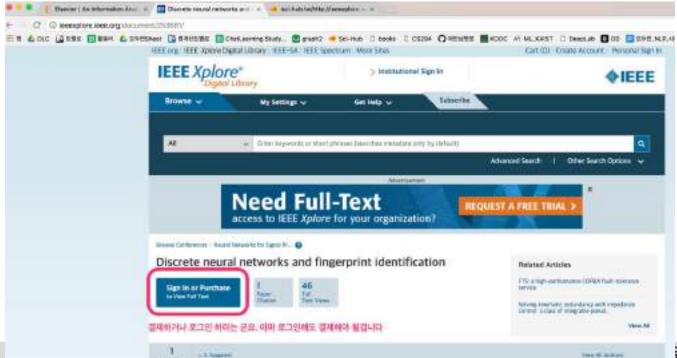
• Arxiv 논문 필터링 (<u>http://www.arxiv-</u> <u>sanity.com/</u>)

사용법: https://youtu.be/S2GY3gh6qC8



• 좋은 논문이 있는데 결재하라고 해요~

Assessor



Time III Jackson



• 좋은 논문이 있는데 결재하라고 해요~

4-5-Sourced

Assessed.



Time III Jackson

- 좋은 논문이 있는데 결재하라고 해요~
  - SCI-Hub : <a href="http://sci-hub.tw/">http://sci-hub.tw/</a>



- 좋은 논문이 있는데 결재하라고 해요~
  - SCI-Hub : <a href="http://sci-hub.tw/">http://sci-hub.tw/</a>



성공



#### • 추천하는 연구주제 : OpenAI Research 2.0



Wither releasing a new batch of seven unsolved problems which have come up in the course of our research at OpenAI. Like our original Requests for Research (which resulted in several papers), we expect these problems to be a fun and meaningful way for new people to enter the field, as well as for practitioners to hone their skills (it's also a great way to get a job at OpenAI). Many will require inventing new ideas. Please small us with questions or solutions you'd like us to publicize!

[Also, if you don't have deep learning background but want to learn to solve problems like these, please apply for our Fellowship programs]

Parameter Averaging in Distributed RL. Explore the effect of parameter averaging schemes on sample complexity and amount of communication in RL algorithms. While the simplest solution is to average the gradients from every worker on every update, you can save on communication bandwidth by independently updating workers and then infrequently inversign parameters. In RL, this may have another benefit at any given time we'll have agents with different parameters, which could lead to better exploration behavior. Another possibility is use algorithms like EASCS that bring parameters partly together each update.

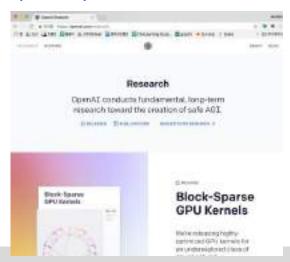
#### in in in Transfer Learning Between Different Games via Generative Models. Proceed as follows:

- Train 17 good policies for Ti Atori games. Generate 10,000 trajectories of 1,000 steps each from the policy for each game.
- Fit a generative model (such as the "timulormus") to the trajectories produced by 10 of the games.
- Then fine-Tune that model on the Tith-game.
- Your goal is to quantify the benefit from pre-training on the 10 games.
   How large does the model need to be for the pre-training to be useful?
   How does the size of the effect change when the amount of data from the 11th game is reduced by 10x? By 100x?

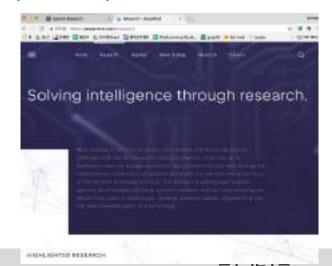


• OpenAI research나 Deep Mind 의 research 도 좋습니다

https://openai.com/research/



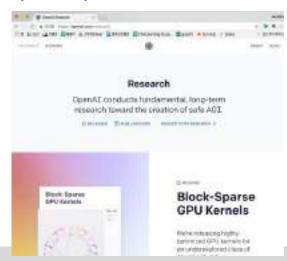
https://deepmind.com/research/



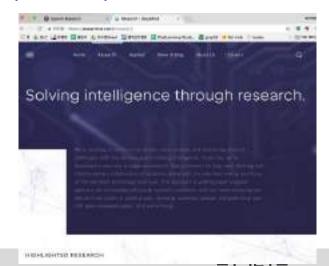


• 이들의 연구주제는 대부분 Artificial General Intelligence 입니다 (AGI)

https://openai.com/research/



https://deepmind.com/research/



# 제가 하는 것들... 정리



- 메일로 소식 받기 (예시 2개)
  - AI valley
  - Gitxiv
  - Arxiv-sanity (arxiv 논문 필터링)
- 페이스북 커뮤니티 활동하기
- 트위터로 유명인, 유명회사, 유명 컨퍼런스 팔로윙 하기
- 기타
  - 새로운 형태의 인터렉티브 논문 : Distill
  - 논문결재 돈 요구 : SCI-hub (<u>http://sci-hub.tw/</u>)
  - OpenAI, DeepMind 등의 연구 따라가 보기
  - Research 2.0 주제 확인해 보기



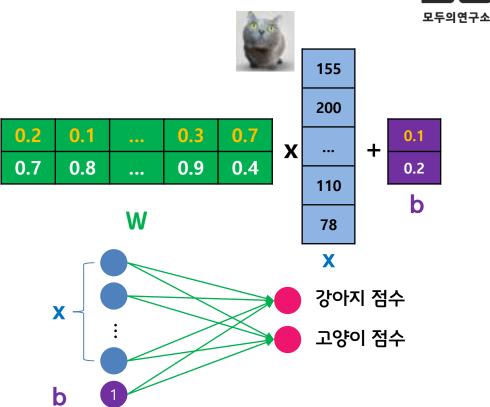
# 지난시간 Review

모두의연구소 박은수 Research Director



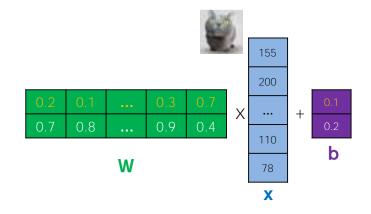
- 분류기의 구성
  - Score function
  - Loss function
  - Optimization

고양이가 입력이면 고양이 점수가 높아야 함





- 분류기의 구성
  - Score function
  - Loss function
  - Optimization



Cross-entropy loss (Softmax)

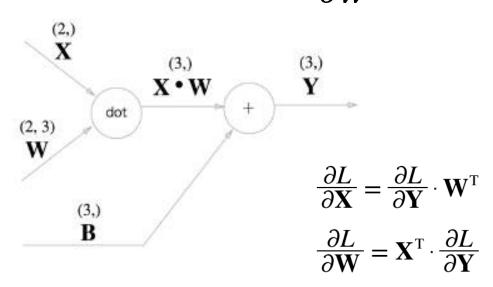


현재의 분류기는 3.5만큼 안 좋음. 이 loss 값을 줄이는게 목표

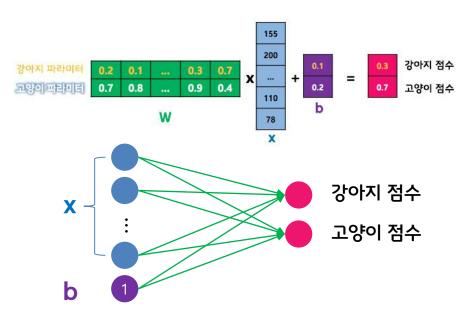


- 분류기의 구성
  - Score function
  - Loss function
  - Optimization

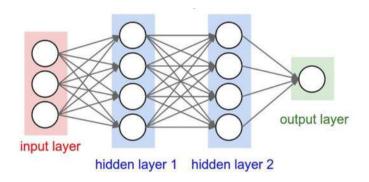
$$w = w - \eta \frac{\partial L}{\partial w}$$







Before



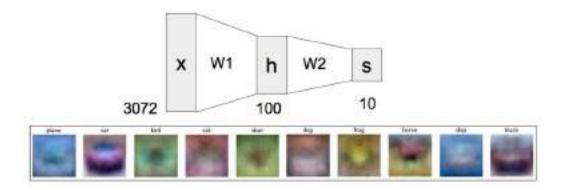
레이어를 쌓아서 더 깊게

**Neural Networks** 

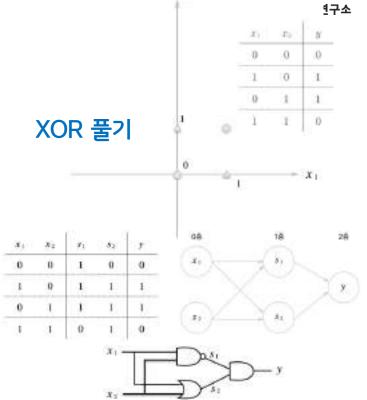
Now



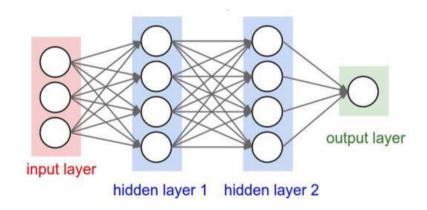
• 레이어를 쌓는 다는 것은 ...



Cifar-10 파라미터 시각화







output layer = 
$$W_2(W_1x) = W_2W_1x = Wx$$

레이어를 하나 쌓는 것 과 같음

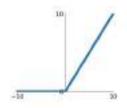
비선형 Activation function 이 필요



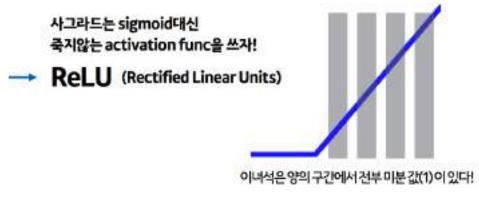
(Before) Linear score function: f = Wx

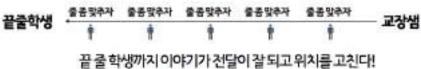
(Now) 2-layer Neural Network  $f = W_2 \max(0, W_1 x)$  or 3-layer Neural Network

 $f = W_3 \max(0, W_2 \max(0, W_1 x))$ 



ReLU (Rectified Linear Unit)







#### Momentum

$$\mathbf{v} \leftarrow \alpha \mathbf{v} - \eta \, \frac{\partial L}{\partial \mathbf{W}}$$
$$\mathbf{W} \leftarrow \mathbf{W} + \mathbf{v}$$

#### Gradient 이동누적 스러운 방법

업데이트 1) 
$$\mathbf{v_1} \leftarrow \alpha * 0 - K_o$$
 :  $-K_o$  \* 1)  $\mathbf{W} \leftarrow \mathbf{W} + \mathbf{v_1}$  업데이트 2)  $\mathbf{v_2} \leftarrow \alpha \mathbf{v_1} - K_1$  :  $-\alpha K_o - K_1$  \* 2)  $\mathbf{W} \leftarrow \mathbf{W} + \mathbf{v_2}$  업데이트 3)  $\mathbf{v_3} \leftarrow \alpha \mathbf{v_2} - K_2$  :  $-\alpha^2 K_o - \alpha K_1 - K_2$  \* 3)  $\mathbf{W} \leftarrow \mathbf{W} + \mathbf{v_3}$  업데이트 4)  $\mathbf{v_4} \leftarrow \alpha \mathbf{v_3} - K_3$  :  $-\alpha^3 K_o - \alpha^2 K_1 - \alpha K_2 - K_3$  \* 4)  $\mathbf{W} \leftarrow \mathbf{W} + \mathbf{v_4}$ 

#### Adagrad

$$\mathbf{h} \leftarrow \mathbf{h} + \frac{\partial L}{\partial \mathbf{W}} \odot \frac{\partial L}{\partial \mathbf{W}}$$

$$\mathbf{W} \leftarrow \mathbf{W} - \eta \frac{1}{\sqrt{\mathbf{h}}} \frac{\partial L}{\partial \mathbf{W}}$$

RMSprop

$$\mathbf{h} \leftarrow \alpha \mathbf{h} + (1 - \alpha) \left( \frac{\partial L}{\partial \mathbf{W}} \odot \frac{\partial L}{\partial \mathbf{W}} \right)$$
$$\mathbf{W} - \mathbf{W} - \eta \frac{1}{\sqrt{\mathbf{h}}} \frac{\partial L}{\partial \mathbf{W}}$$

업데이트 1) 
$$\frac{1}{K_0^2}K_0$$
 업데이트 2)  $\frac{1}{K_1^2+K_0^2}K_1$  업데이트 3)  $\frac{1}{K_3^2+K_1^2+K_0^2}K_3$  업데이트 4)  $\frac{1}{K_4^2+K_3^2+K_1^2+K_0^2}K_4$ 

Gradient Normalization 스러운 방법

업데이트 1) 
$$\mathbf{h}_1 = (1-a)\mathbf{K}_1^2$$
  
업데이트 2)  $\mathbf{h}_2 = a(1-a)\mathbf{K}_1^2 + (1-a)\mathbf{K}_2^2$   
업데이트 3)  $\mathbf{h}_3 = a^2(1-a)\mathbf{K}_1^2 + a(1-a)\mathbf{K}_2^2 + (1-a)\mathbf{K}_3^2$   
업데이트 4)  $\mathbf{h}_4 = a^3(1-a)\mathbf{K}_1^2 + a^2(1-a)\mathbf{K}_2^2 + a(1-a)\mathbf{K}_3^2 + (1-a)\mathbf{K}_4^2$ 



모두의연구소

#### Momentum

$$\mathbf{v} \leftarrow \alpha \mathbf{v} - \eta \, \frac{\partial L}{\partial \mathbf{W}}$$
$$\mathbf{W} \leftarrow \mathbf{W} + \mathbf{v}$$

업데이트 1) 
$$\mathbf{v}_1 \leftarrow \alpha * 0 - K_o : -K_o$$
 업데이트 2)  $\mathbf{v}_2 \leftarrow \alpha \mathbf{v}_1 - K_1 : -\alpha K_o - K_1$  업데이트 3)  $\mathbf{v}_3 \leftarrow \alpha \mathbf{v}_2 - K_2 : -\alpha^2 K_o - \alpha K_1 - K_2$  업데이트 4)  $\mathbf{v}_4 \leftarrow \alpha \mathbf{v}_3 - K_3 : -\alpha^3 K_o - \alpha^2 K_1 - \alpha K_2 - K_3$ 

#### Adagrad

$$\mathbf{h} \leftarrow \mathbf{h} + \frac{\partial L}{\partial \mathbf{W}} \odot \frac{\partial L}{\partial \mathbf{W}}$$

$$\mathbf{W} \leftarrow \mathbf{W} - \eta \frac{1}{\sqrt{\mathbf{h}}} \frac{\partial L}{\partial \mathbf{W}}$$

# 업데이트 1) $\frac{1}{\sqrt{K_0^2}} K_0$ 업데이트 2) $\frac{1}{\sqrt{K_1^2 + K_0^2}} K_1$ 업데이트 3) $\frac{1}{\sqrt{K_3^2 + K_1^2 + K_0^2}} K_3$

#### 두 방법의 같이쓰자 Adam

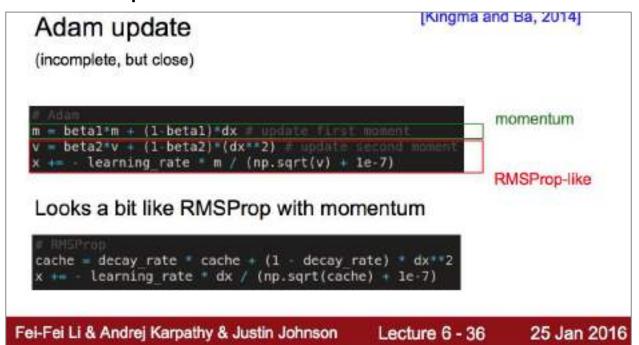
#### RMSprop

$$\mathbf{h} \leftarrow \alpha \mathbf{h} + (1 - \alpha) \left( \frac{\partial L}{\partial \mathbf{W}} \odot \frac{\partial L}{\partial \mathbf{W}} \right)$$
$$\mathbf{W} - \mathbf{W} - \eta \frac{1}{\sqrt{\mathbf{h}}} \frac{\partial L}{\partial \mathbf{W}}$$

업데이트 4) 
$$\frac{1}{\sqrt{K_4^2 + K_3^2 + K_1^2 + K_0^2}} K_4$$

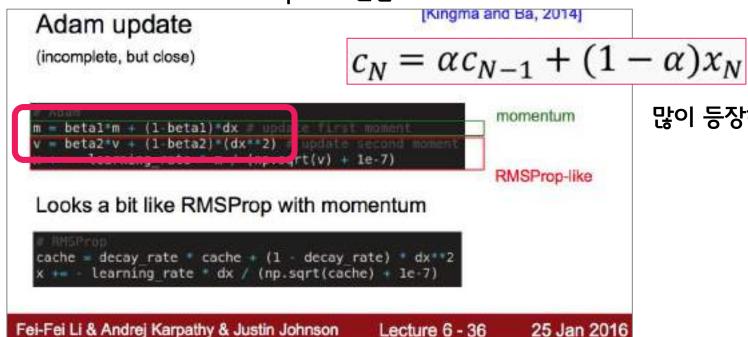
업데이트 1) 
$$\mathbf{h}_1 = (1-a)\mathbf{K}_1^2$$
  
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업데이트 3)  $\mathbf{h}_3 = a^2(1-a)\mathbf{K}_1^2 + a(1-a)\mathbf{K}_2^2 + (1-a)\mathbf{K}_3^2$   
업데이트 4)  $\mathbf{h}_4 = a^3(1-a)\mathbf{K}_1^2 + a^2(1-a)\mathbf{K}_2^2 + a(1-a)\mathbf{K}_3^2 + (1-a)\mathbf{K}_4^2$ 

- Adam
  - RMSProp + 모멘텀



모두의연구소

- Adam
  - RMSProp + 모멘텀



많이 등장하는 패턴이군요



# N개의 sample에 대한 평균 $c_N$ 을 구해보자.

$$c_N = \frac{1}{N}(x_1 + x_2 + x_3 + \dots + x_N)$$
$$= \frac{1}{N} \sum_{i=1}^{N} x_i$$



$$c_{N} = \frac{1}{N} \sum_{i=1}^{N} x_{i}$$

$$= \frac{1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \left( \sum_{i=1}^{N-1} x_{i} + \frac{1}{N} x_{N} \right)$$

$$= \alpha c_{N-1} + (1-\alpha)x_{N} \quad 0 \quad \alpha \quad 1$$





$$c_{N} = \frac{1}{N} \sum_{i=1}^{N} x_{i}$$

$$= \frac{1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \sum_{i=1}^{N-1} x_{i} + \frac{1}{N} x_{N}$$

$$= \alpha c_{N-1} + (1-\alpha)x_{N} \quad 0 \ \alpha \ 1$$

$$c_{N} = \frac{1}{N} \sum_{i=1}^{N} x_{i}$$

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$$= \frac{N-1}{N} \frac{1}{N-1} \sum_{i=1}^{N-1} x_{i} + \frac{1}{N} x_{N}$$

$$= \alpha c_{N-1} + (1-\alpha)x_{N} \quad 0 \quad \alpha \quad 1$$



$$\alpha = \frac{N-1}{N}$$

$$1 - \alpha = 1 - \frac{N - 1}{N}$$

$$c_{N} = \frac{1}{N} \sum_{i=1}^{N} x_{i}$$

$$= \frac{1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \frac{1}{N-1} \sum_{i=1}^{N-1} x_{i} + \frac{1}{N} x_{N}$$

$$= \alpha c_{N-1} + (1-\alpha) x_{N} \quad 0 \ \alpha \ 1$$



$$\alpha = \frac{N-1}{N}$$

$$1-\alpha=1-\frac{N-1}{N}$$

$$1-\alpha=\frac{N}{N}-\frac{N-1}{N}=\frac{1}{N}$$

$$c_{N} = \frac{1}{N} \sum_{i=1}^{N} x_{i}$$

$$= \frac{1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \frac{1}{N-1} \sum_{i=1}^{N-1} x_{i} + \frac{1}{N} x_{N}$$

 $= \alpha c_{N-1} + (1-\alpha)x_N \quad 0 \langle \alpha \langle 1$ 



$$\alpha = \frac{N-1}{N} = 1 - \frac{1}{N}$$

α 가 크다는 것은?

Nol?

$$c_{N} = \frac{1}{N} \sum_{i=1}^{N} x_{i}$$

$$= \frac{1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \left( \sum_{i=1}^{N-1} x_{i} + \frac{1}{N} x_{N} \right)$$

$$= \alpha c_{N-1} + (1-\alpha)x_{N} \quad 0 \quad \alpha \quad 1$$



$$\alpha = \frac{N-1}{N} = 1 - \frac{1}{N}$$

α 가 크다는 것은?

N이 ? 이전 결과의 반영 비율 크

$$c_{N} = \frac{1}{N} \sum_{i=1}^{N} x_{i}$$

$$= \frac{1}{N} \left( \sum_{i=1}^{N-1} x_{i} + x_{N} \right)$$

$$= \frac{N-1}{N} \frac{1}{N-1} \sum_{i=1}^{N-1} x_{i} + \frac{1}{N} x_{N}$$

$$= \alpha c_{N-1} + (1-\alpha)x_{N} \quad 0 \ \alpha \ 1$$



$$\alpha = \frac{N-1}{N} = 1 - \frac{1}{N}$$

 $\alpha$  가 크다는 것은?

N이 ? 커야 겠군요

- 1. 더 많은 이동평균을 고려한 관점이라고 해 석할 수 있을 것 같아요 <sup>평균의 관점에서</sup>
- 2. 이전의 평균값에 더 많은 가중치를 준 합이라고 볼 수 있네요 (수식 그대로 해석)

# 지난시간 돌아보기 ...



#### **Batch Normalization**

[loffe and Szegedy, 2015]

**Input:** Values of x over a mini-batch:  $\mathcal{B} = \{x_{1...m}\}$ ; Parameters to be learned:  $\gamma$ ,  $\beta$ 

**Output:**  $\{y_i = BN_{\gamma,\beta}(x_i)\}$ 

$$\mu_{\mathcal{B}} \leftarrow \frac{1}{m} \sum_{i=1}^{m} x_i$$
 // mini-batch mean

$$\sigma_{\mathcal{B}}^2 \leftarrow \frac{1}{m} \sum_{i=1}^m (x_i - \mu_{\mathcal{B}})^2$$
 // mini-batch variance

$$\widehat{x}_i \leftarrow \frac{x_i - \mu_{\mathcal{B}}}{\sqrt{\sigma_{\mathcal{B}}^2 + \epsilon}}$$
 // normalize

$$y_i \leftarrow \gamma \widehat{x}_i + \beta \equiv \text{BN}_{\gamma,\beta}(x_i)$$
 // scale and shift

Note: at test time BatchNorm layer functions differently:

The mean/std are not computed based on the batch. Instead, a single fixed empirical mean of activations during training is used.

(e.g. can be estimated during training with running averages)

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Lecture 6 - 60

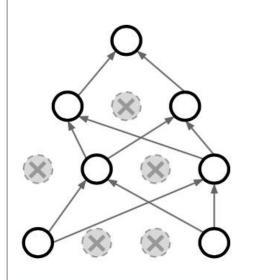
April 20, 2017

# 지난시간 돌아보기 ...



### Regularization: Dropout

How can this possibly be a good idea?



Another interpretation:

Dropout is training a large **ensemble** of models (that share parameters).

Each binary mask is one model

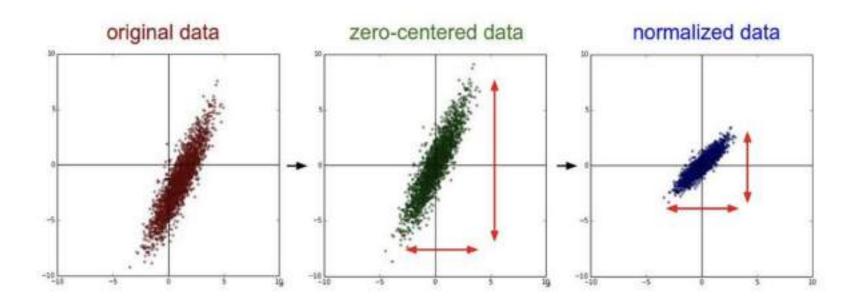
An FC layer with 4096 units has  $2^{4096} \sim 10^{1233}$  possible masks! Only  $\sim 10^{82}$  atoms in the universe...

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Lecture 7 - 63

April 25, 2017

# Last time: Data Preprocessing



# Last time: Data Preprocessing

After normalization: less sensitive to small Before normalization: classification loss changes in weights; easier to optimize very sensitive to changes in weight matrix; hard to optimize

# 지난시간 돌아보기 ...



### Summary

#### **TLDRs**

We looked in detail at:

- Activation Functions (use ReLU)
- Data Preprocessing (images: subtract mean)
- Weight Initialization (use Xavier init)
- Batch Normalization (use)
- Babysitting the Learning process
- Hyperparameter Optimization (random sample hyperparams, in log space when appropriate)

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Lecture 6 - 88

April 20, 2017



# Training Neural Networks - 2

모두의연구소 박은수 Research Director

# 오늘의 계획

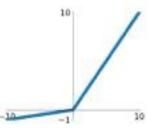


- 좀 더 자세히 (from : cs231n)
  - Activation Functions
  - Fancier Optimization
  - Regularization: Data augmentation

Transfer Learning

### Sigmoid $\sigma(x) = \frac{1}{1+e^{-x}}$

### Leaky ReLU $\max(0.1x, x)$



### tanh

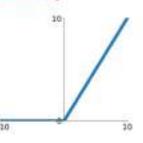


### Maxout

 $\max(w_1^T x + b_1, w_2^T x + b_2)$ 

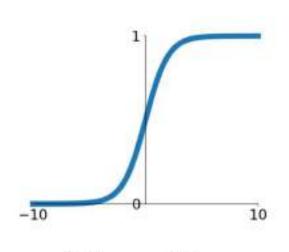
### ReLU

 $\max(0,x)$ 



# ELU

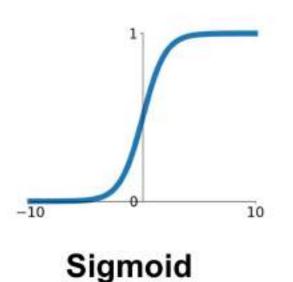




Sigmoid

$$\sigma(x)=1/(1+e^{-x})$$

- Squashes numbers to range [0,1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron

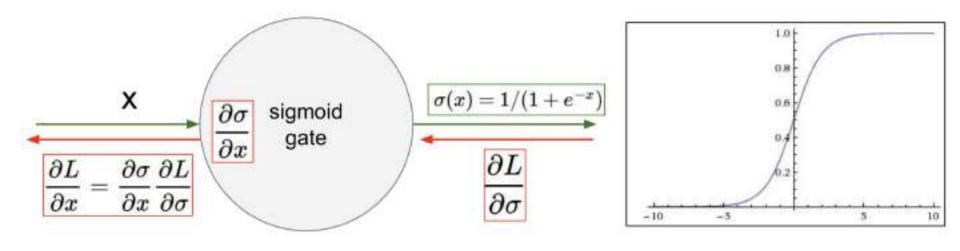


$$\sigma(x) = 1/(1 + e^{-x})$$

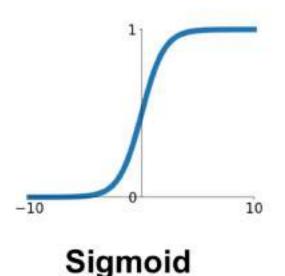
- Squashes numbers to range [0,1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron

3 problems:

 Saturated neurons "kill" the gradients



What happens when x = -10? What happens when x = 0? What happens when x = 10?



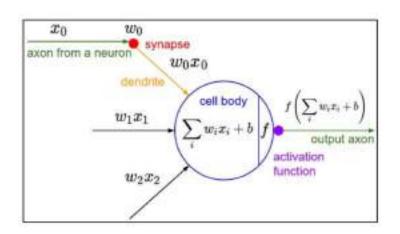
$$\sigma(x) = 1/(1 + e^{-x})$$

- Squashes numbers to range [0,1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron

#### 3 problems:

- Saturated neurons "kill" the gradients
- Sigmoid outputs are not zero-centered

Consider what happens when the input to a neuron (x) is always positive:

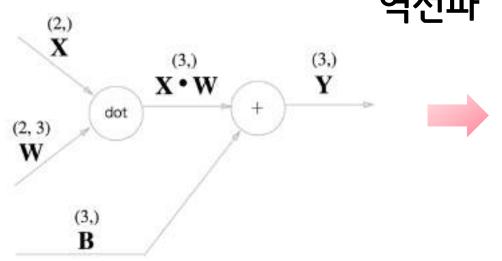


$$f\left(\sum_{\pmb{i}} w_{\pmb{i}} x_{\pmb{i}} + b
ight)$$

What can we say about the gradients on w?



### 역전파



$$\frac{\partial L}{\partial \mathbf{X}} = \frac{\partial L}{\partial \mathbf{Y}} \cdot \mathbf{W}^{\mathrm{T}}$$

$$\frac{\partial L}{\partial \mathbf{W}} = \mathbf{X}^{\mathrm{T}} \cdot \frac{\partial L}{\partial \mathbf{Y}}$$



• 내적연산

$$\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$$

$$w_{11}x_1 + w_{12}x_2 = y_1$$

$$[x_1 \ x_2] \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$

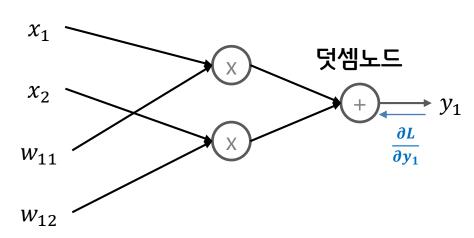
Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w_{12}} = x_2$$

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$
$$\frac{\partial y_1}{\partial x_2} = w_{12}$$

같은 벡터단위로 살펴봅시다





#### • Affine 계층

$$w_{11}x_1 + w_{12}x_2 = y_1$$

#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w_{12}} = x_2$$

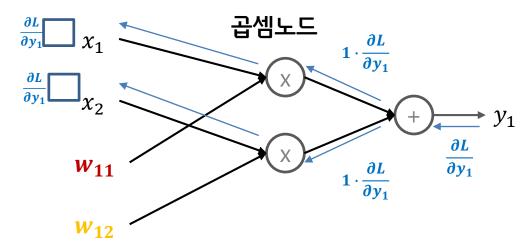
#### Gradient **x**

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$

$$\frac{\partial y_1}{\partial x_2} = w_{12}$$

#### $\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$

$$\begin{bmatrix} x_1 & x_2 \end{bmatrix} \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$





$$\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$$

$$[x_1 \ x_2] \times {w_{11} \brack w_{12}} = y_1$$

$$w_{11}x_1 + w_{12}x_2 = y_1$$

$$\frac{\partial L}{\partial \mathbf{x}} = \begin{bmatrix} \frac{\partial L}{\partial y_1} \mathbf{w_{11}} & \frac{\partial L}{\partial y_1} \mathbf{w_{12}} \end{bmatrix} = \frac{\partial L}{\partial y_1} \cdot \begin{bmatrix} \mathbf{w_{11}} & \mathbf{w_{12}} \end{bmatrix} = \frac{\partial L}{\partial y_1} \cdot \mathbf{w^T}$$

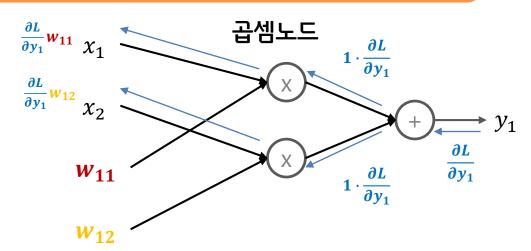
#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w_{11}} = x_2$$

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$

$$\frac{\partial y_1}{\partial x_2} = w_{12}$$





$$\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$$
 같은형태로 나오게  $\begin{bmatrix} x_1 & x_2 \end{bmatrix} \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$ 

$$w_{11}x_1 + w_{12}x_2 = y_1$$

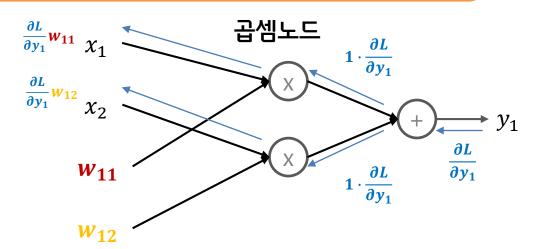
$$\frac{\partial L}{\partial \mathbf{x}} = \left[ \frac{\partial L}{\partial y_1} \mathbf{w_{11}} \quad \frac{\partial L}{\partial y_1} \mathbf{w_{12}} \right] = \frac{\partial L}{\partial y_1} \cdot \left[ \mathbf{w_{11}} \quad \mathbf{w_{12}} \right] = \frac{\partial L}{\partial y_1} \cdot \mathbf{w^T}$$

#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w_{12}} = x_2$$

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$
$$\frac{\partial y_1}{\partial x_2} = w_{12}$$





$$\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$$

$$[x_1 \ x_2] \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$
 같은형태로 나오게

$$w_{11}x_1 + w_{12}x_2 = y_1$$

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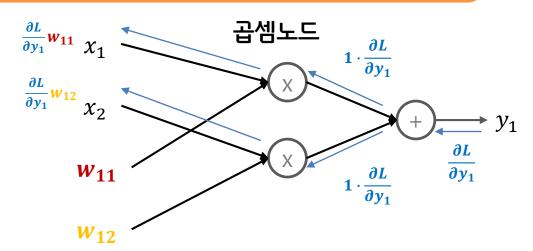
#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w} = x_2$$

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$

$$\frac{\partial y_1}{\partial x_2} = w_{12}$$





$$\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$$

$$\begin{bmatrix} x_1 & x_2 \end{bmatrix} \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$

$$w_{11}x_1 + w_{12}x_2 = y_1$$

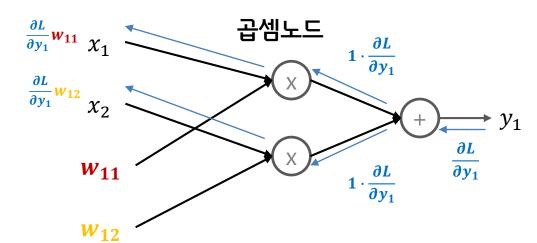
$$\frac{\partial L}{\partial \mathbf{x}} = \frac{\partial L}{\partial y_1} \cdot \mathbf{w}^{\mathrm{T}}$$

#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w_{12}} = x_2$$

$$\frac{\partial x_1}{\partial x_1} = w_{11}$$
$$\frac{\partial y_1}{\partial x_2} = w_{12}$$





#### • Affine 계층

$$w_{11}x_1 + w_{12}x_2 = y_1$$

#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

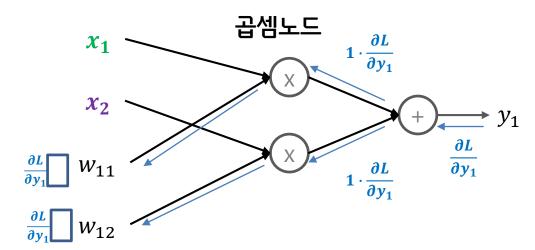
$$\frac{\partial y_1}{\partial w_{12}} = x_2$$

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$
$$\frac{\partial y_1}{\partial x_2} = w_{12}$$

$$x^T \mathbf{w} = \mathbf{y}$$

$$\frac{\partial L}{\partial \mathbf{x}} = \frac{\partial L}{\partial y_1} \cdot \mathbf{w}^{\mathrm{T}}$$

$$\begin{bmatrix} x_1 & x_2 \end{bmatrix} \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$





$$\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$$

$$\begin{bmatrix} x_1 & x_2 \end{bmatrix} \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$

$$w_{11}x_1 + w_{12}x_2 = y_1$$

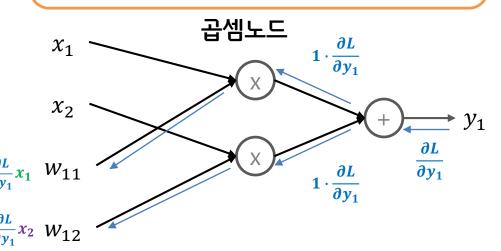
$$\frac{\partial L}{\partial \mathbf{w}} = \begin{bmatrix} \frac{\partial L}{\partial y_1} \mathbf{x}_1 \\ \frac{\partial L}{\partial y_1} \mathbf{x}_2 \end{bmatrix} = \begin{bmatrix} \mathbf{x}_1 \\ \mathbf{x}_2 \end{bmatrix} \cdot \frac{\partial L}{\partial y_1} = \mathbf{x}^{\mathsf{T}} \cdot \frac{\partial L}{\partial y_1}$$

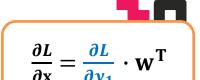
#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w_{12}} = x_2$$

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$
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$$x^{T}\mathbf{w} = \mathbf{y}$$

$$[x_{1} \ x_{2}] \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_{1}$$

$$w_{11}x_{1} + w_{12}x_{2} = y_{1}$$

같은형태로 나오게

$$\frac{\partial L}{\partial \mathbf{w}} = \begin{bmatrix} \frac{\partial L}{\partial y_1} x_1 \\ \frac{\partial L}{\partial y_1} x_2 \end{bmatrix} = \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} \cdot \frac{\partial L}{\partial y_1} = \mathbf{x}^{\mathsf{T}} \cdot \frac{\partial L}{\partial y_1}$$

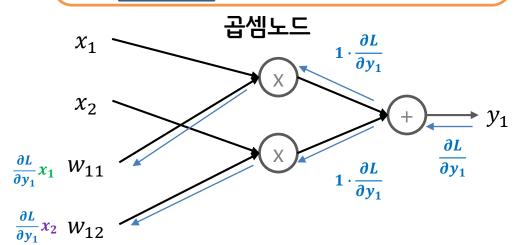
#### Gradient w

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$$\mathbf{x}^{\mathrm{T}}\mathbf{w} = \mathbf{y}$$

$$\boxed{[x_1 \ x_2]} \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$

$$w_{11}x_1 + w_{12}x_2 = y_1$$

같은 표현으로

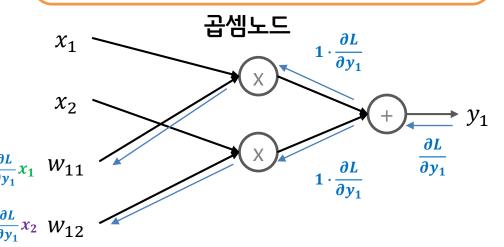
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#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

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$$\frac{\partial y_1}{\partial x_1} = w_{11}$$
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$$x^T w = y$$

$$\begin{bmatrix} x_1 & x_2 \end{bmatrix} \times \begin{bmatrix} w_{11} \\ w_{12} \end{bmatrix} = y_1$$

$$w_{11}x_1 + w_{12}x_2 = y_1$$

# $\frac{\partial L}{\partial \mathbf{x}} = \frac{\partial L}{\partial y_1} \cdot \mathbf{w}^{\mathrm{T}}$

$$\frac{\partial L}{\partial \mathbf{w}} = \mathbf{x}^{\mathrm{T}} \cdot \frac{\partial L}{\partial y_1}$$

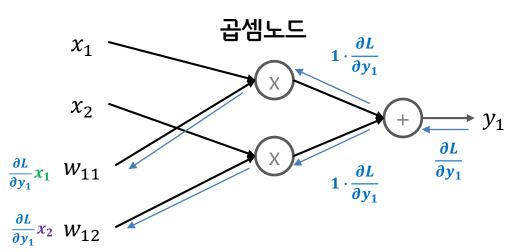
#### Gradient w

$$\frac{\partial y_1}{\partial w_{11}} = x_1$$

$$\frac{\partial y_1}{\partial w_{12}} = x_2$$

$$\frac{\partial y_1}{\partial x_1} = w_{11}$$

$$\frac{\partial y_1}{\partial x_2} = w_{12}$$



Consider what happens when the input to a neuron is always positive...

$$f\left(\sum_i w_i x_i + b
ight)$$

What can we say about the gradients on w?

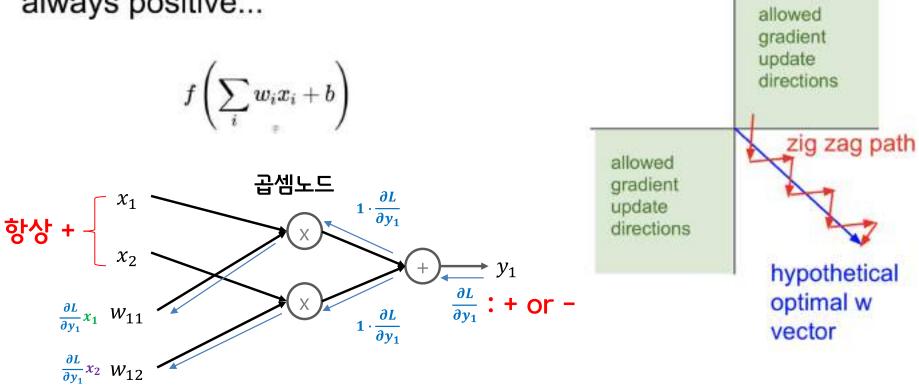
Always all positive or all negative :(

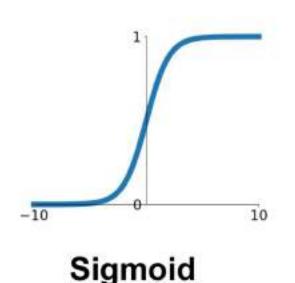
(this is also why you want zero-mean data!)

allowed gradient update directions zig zag path hypothetical optimal w vector

allowed gradient update directions Consider what happens when the input to a neuron is

always positive...



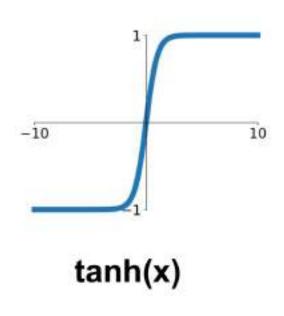


$$\sigma(x)=1/(1+e^{-x})$$

- Squashes numbers to range [0,1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron

#### 3 problems:

- Saturated neurons "kill" the gradients
- Sigmoid outputs are not zero-centered
- 3. exp() is a bit compute expensive



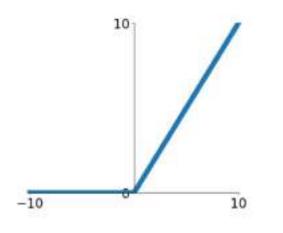
- Squashes numbers to range [-1,1]
- zero centered (nice)
- still kills gradients when saturated :(

[LeCun et al., 1991]

Computes f(x) = max(0,x)



- Does not saturate (in +region)
- Very computationally efficient
- Converges much faster than sigmoid/tanh in practice (e.g. 6x)
  - Actually more biologically plausible than sigmoid



ReLU (Rectified Linear Unit)

[Krizhevsky et al., 2012]

# sigmoid/tanh in practice (e.g. 6x)

**Activation Functions** 

(Rectified Linear Unit)

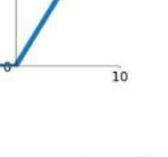
-10

ReLU

Does not saturate (in +region) Very computationally efficient

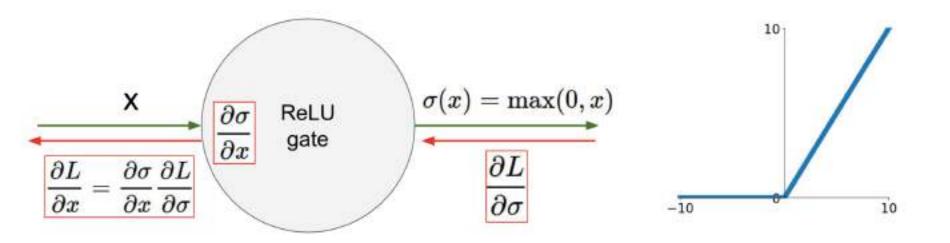
Computes f(x) = max(0,x)

- Converges much faster than
- Actually more biologically plausible than sigmoid

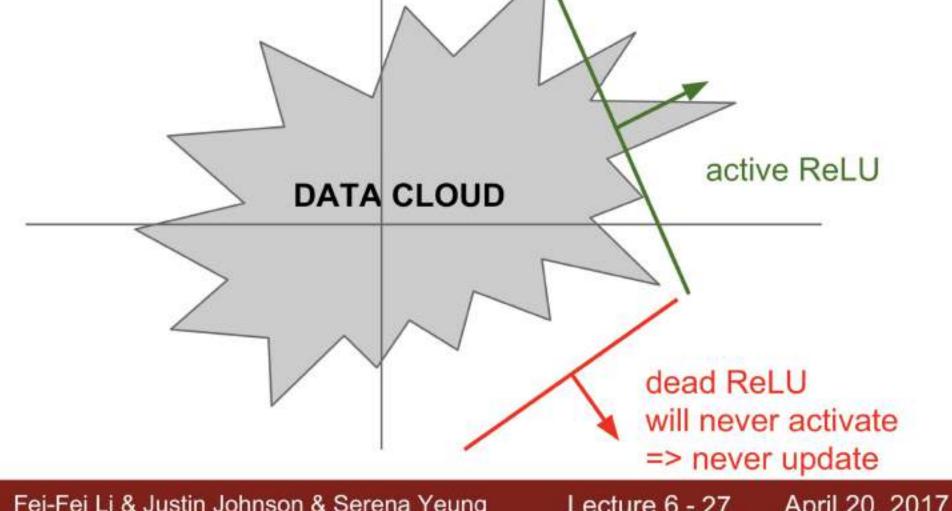


- Not zero-centered output
- An annoyance:

hint: what is the gradient when x < 0?



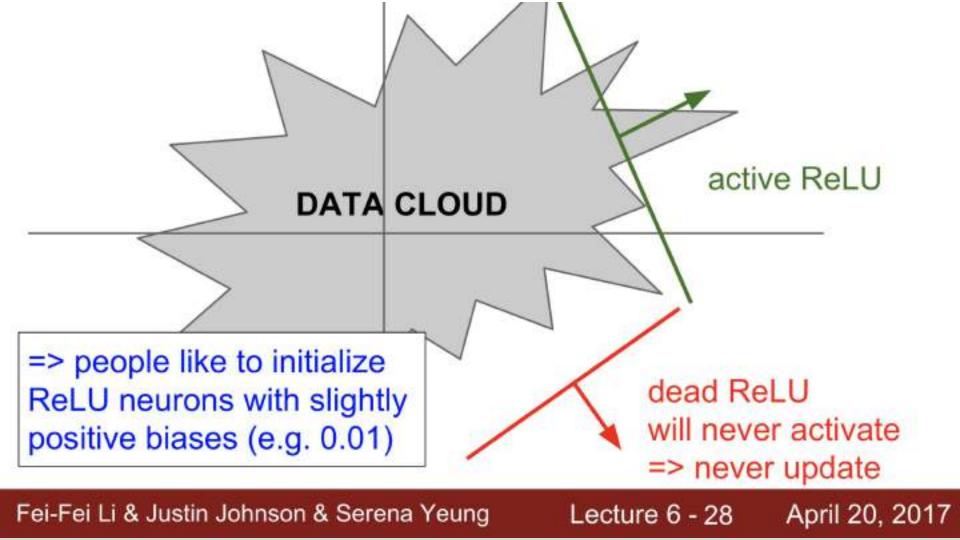
What happens when x = -10? What happens when x = 0? What happens when x = 10?



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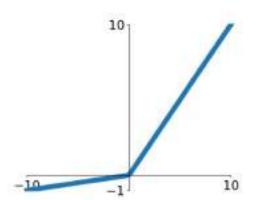


### **Activation Functions**

Does not saturate
Computationally efficient

[Mass et al., 2013]

[He et al., 2015]



- Computationally efficient
   Converges much faster than
- sigmoid/tanh in practice! (e.g. 6x)
- will not "die".

#### Leaky ReLU

$$f(x) = \max(0.01x, x)$$

### Gradient 가 0 : 업데이트가 발생하지 않음



$$\frac{\partial L}{\partial \mathbf{w}} = \mathbf{x}^{\mathsf{T}} \cdot \frac{\partial L}{\partial y_1}$$

- Update: 
$$\mathbf{w} = \mathbf{w} - \eta \frac{\partial L}{\partial \mathbf{w}}$$

### Activation Functions

tition /DDaL III

[Mass et al., 2013]

[He et al., 2015]



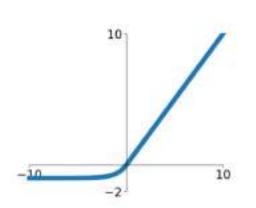
10

- Leaky ReLU  $f(x) = \max(0.01x, x)$
- $f(x) = \max(0.01x, x)$

- Does not saturate
- Computationally efficient
- Converges much faster than sigmoid/tanh in practice! (e.g. 6x)
- will not "die".

# Parametric Rectifier (PReLU) $f(x) = \max(\alpha x, x)$ backprop into \alpha (parameter)

#### **Exponential Linear Units (ELU)**



$$f(x) = \begin{cases} x & \text{if } x > 0 \\ \alpha (\exp(x) - 1) & \text{if } x \le 0 \end{cases}$$

- All benefits of ReLU
- Closer to zero mean outputs
- Negative saturation regime compared with Leaky ReLU adds some robustness to noise

- Computation requires exp()

- Does not have the basic form of dot product -> nonlinearity
- Generalizes ReLU and Leaky ReLU
- Linear Regime! Does not saturate! Does not die!

$$\max(w_1^T x + b_1, w_2^T x + b_2)$$

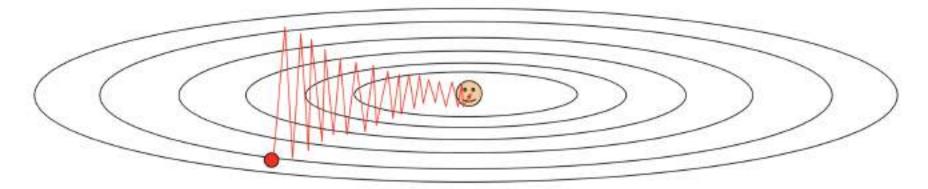
Problem: doubles the number of parameters/neuron:(

#### TLDR: In practice:

- Use ReLU. Be careful with your learning rates
- Try out Leaky ReLU / Maxout / ELU
- Try out tanh but don't expect much
- Don't use sigmoid

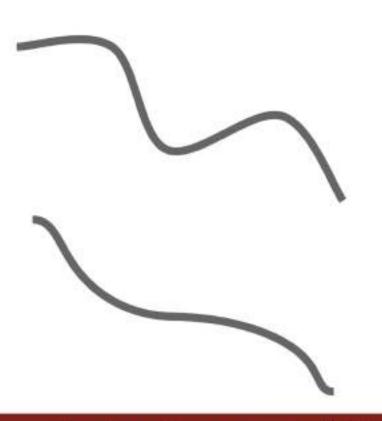
What if loss changes quickly in one direction and slowly in another? What does gradient descent do?

Very slow progress along shallow dimension, jitter along steep direction



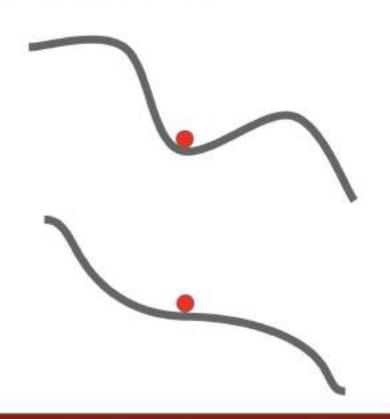
Loss function has high **condition number**: ratio of largest to smallest singular value of the Hessian matrix is large

What if the loss function has a local minima or saddle point?



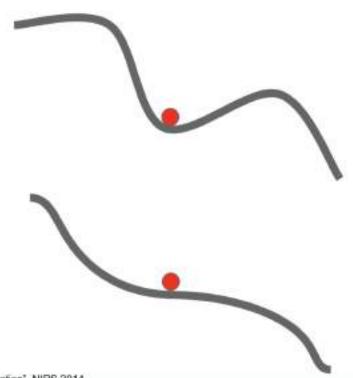
What if the loss function has a local minima or saddle point?

Zero gradient, gradient descent gets stuck



What if the loss function has a local minima or saddle point?

Saddle points much more common in high dimension

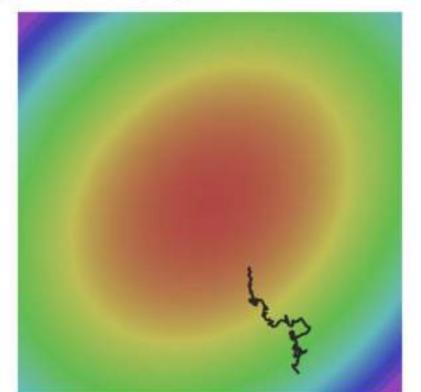


Dauphin et al, "Identifying and attacking the saddle point problem in high-dimensional non-convex optimization", NIPS 2014

Our gradients come from minibatches so they can be noisy!

$$L(W) = \frac{1}{N} \sum_{i=1}^{N} L_i(x_i, y_i, W)$$

$$\nabla_W L(W) = \frac{1}{N} \sum_{i=1}^{N} \nabla_W L_i(x_i, y_i, W)$$



#### SGD + Momentum

#### SGD

```
x_{t+1} = x_t - \alpha \nabla f(x_t)
```

```
while True:
    dx = compute_gradient(x)
    x += learning_rate * dx
```

#### SGD+Momentum

```
v_{t+1} = \rho v_t + \nabla f(x_t)x_{t+1} = x_t - \alpha v_{t+1}
```

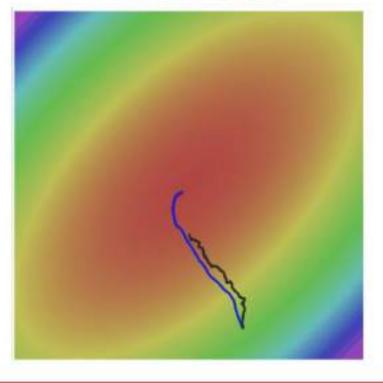
```
vx = 0
while True:
   dx = compute_gradient(x)
   vx = rho * vx + dx
   x += learning_rate * vx
```

- Build up "velocity" as a running mean of gradients
- Rho gives "friction"; typically rho=0.9 or 0.99

#### SGD + Momentum

Local Minima Saddle points **Poor Conditioning** 

**Gradient Noise** 



### 지난시간 돌아보기 ...



#### Momentum

$$\mathbf{v} \leftarrow \alpha \mathbf{v} - \eta \, \frac{\partial L}{\partial \mathbf{W}}$$
$$\mathbf{W} \leftarrow \mathbf{W} + \mathbf{v}$$

업데이트 1) 
$$\mathbf{v_1} \leftarrow \alpha * 0 - K_o$$
 :  $-K_o$  업데이트 2)  $\mathbf{v_2} \leftarrow \alpha \mathbf{v_1} - K_1$  :  $-\alpha K_o - K_1$  업데이트 3)  $\mathbf{v_3} \leftarrow \alpha \mathbf{v_2} - K_2$  :  $-\alpha^2 K_o - \alpha K_1 - K_2$  업데이트 4)  $\mathbf{v_4} \leftarrow \alpha \mathbf{v_3} - K_3$  :  $-\alpha^3 K_o - \alpha^2 K_1 - \alpha K_2 - K_3$ 

#### Adagrad

$$\mathbf{h} \leftarrow \mathbf{h} + \frac{\partial L}{\partial \mathbf{W}} \odot \frac{\partial L}{\partial \mathbf{W}}$$

$$\mathbf{W} \leftarrow \mathbf{W} - \eta \frac{1}{\sqrt{\mathbf{h}}} \frac{\partial L}{\partial \mathbf{W}}$$

업데이트 1) 
$$\frac{1}{\sqrt{K_0^2}} K_0$$
 업데이트 2)  $\frac{1}{\sqrt{K_1^2 + K_0^2}} K_1$  업데이트 3)  $\frac{1}{\sqrt{K_3^2 + K_1^2 + K_0^2}} K_3$ 

#### 두 방법의 같이쓰자 Adam

2) W ← W + v.

. 3) W ← W + va

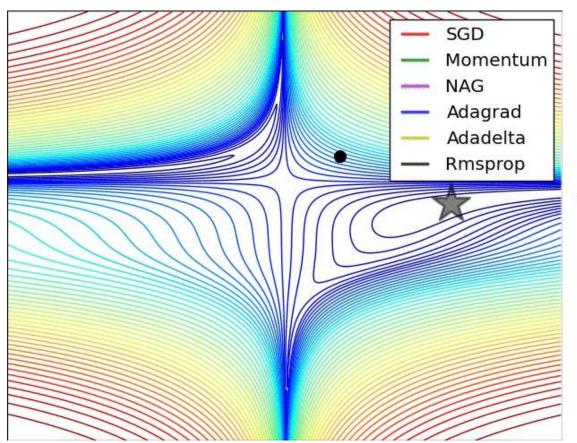
4) W ← W + v<sub>4</sub>

#### RMSprop

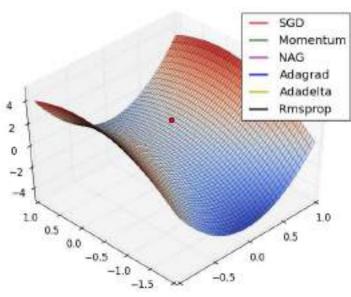
$$\mathbf{h} \leftarrow \alpha \mathbf{h} + (1 - \alpha) \left( \frac{\partial L}{\partial \mathbf{W}} \odot \frac{\partial L}{\partial \mathbf{W}} \right)$$
$$\mathbf{W} - \mathbf{W} - \eta \frac{1}{\sqrt{\mathbf{h}}} \frac{\partial L}{\partial \mathbf{W}}$$

업데이트 4) 
$$\frac{1}{\sqrt{K_4^2 + K_3^2 + K_1^2 + K_0^2}} K_4$$

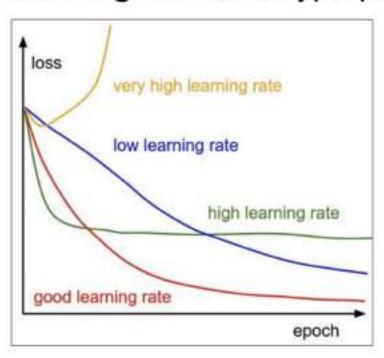
업데이트 1) 
$$\mathbf{h}_1 = (1-a)\mathbf{K}_1^2$$
  
업데이트 2)  $\mathbf{h}_2 = a(1-a)\mathbf{K}_1^2 + (1-a)\mathbf{K}_2^2$   
업데이트 3)  $\mathbf{h}_3 = a^2(1-a)\mathbf{K}_1^2 + a(1-a)\mathbf{K}_2^2 + (1-a)\mathbf{K}_3^2$   
업데이트 4)  $\mathbf{h}_4 = a^3(1-a)\mathbf{K}_1^2 + a^2(1-a)\mathbf{K}_2^2 + a(1-a)\mathbf{K}_3^2 + (1-a)\mathbf{K}_4^2$ 







# SGD, SGD+Momentum, Adagrad, RMSProp, Adam all have learning rate as a hyperparameter.



#### => Learning rate decay over time!

#### step decay:

e.g. decay learning rate by half every few epochs.

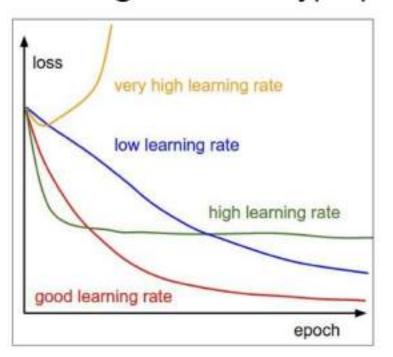
#### exponential decay:

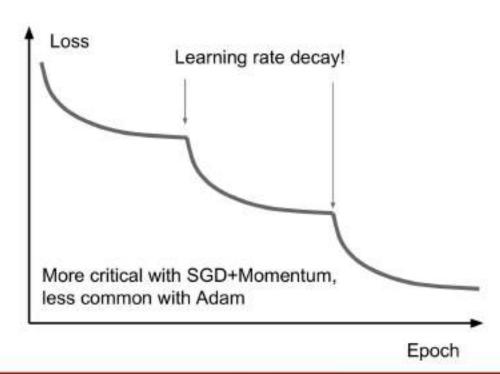
$$\alpha = \alpha_0 e^{-kt}$$

#### 1/t decay:

$$\alpha = \alpha_0/(1+kt)$$

#### SGD, SGD+Momentum, Adagrad, RMSProp, Adam all have learning rate as a hyperparameter.





### 지난 시간엔 ...



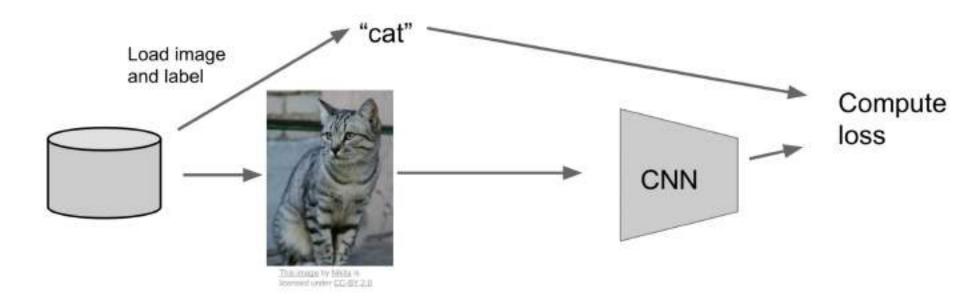
- Regularization
  - Weight Decay
  - Batch normalization
  - Dropout

### 지난 시간엔 ...

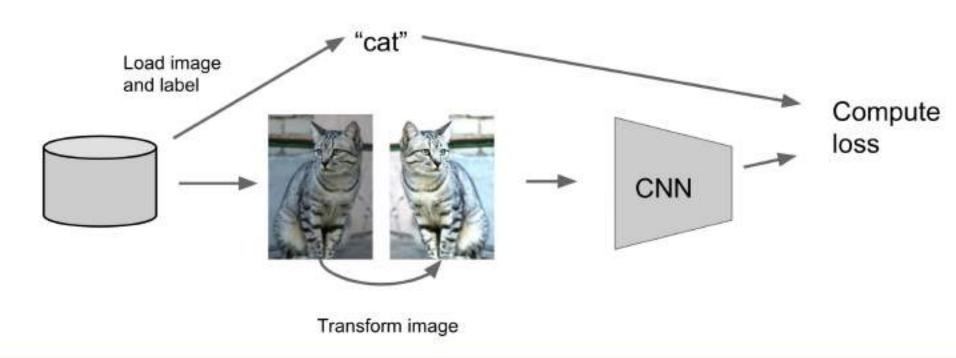


- Regularization
  - Weight Decay
  - Batch normalization
  - Dropout
  - Data augmentation

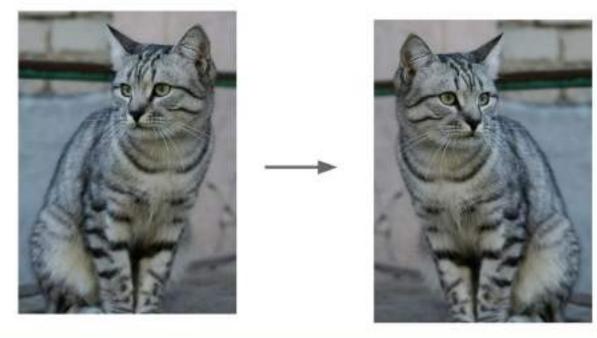
### Regularization: Data Augmentation



### Regularization: Data Augmentation



### Data Augmentation Horizontal Flips



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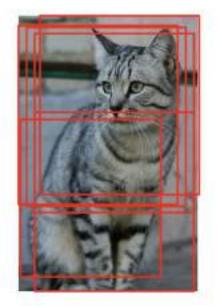
# Data Augmentation

#### Random crops and scales

Training: sample random crops / scales

ResNet:

- 1. Pick random L in range [256, 480]
- Resize training image, short side = L
- Sample random 224 x 224 patch

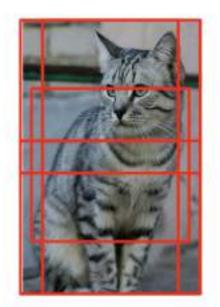


### Data Augmentation

#### Random crops and scales

**Training**: sample random crops / scales ResNet:

- 1. Pick random L in range [256, 480]
- Resize training image, short side = L
- 3. Sample random 224 x 224 patch



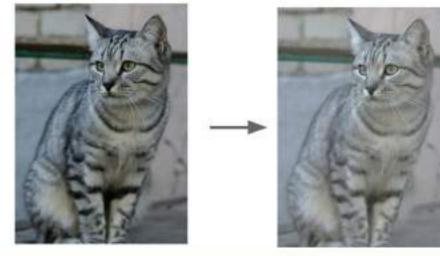
Testing: average a fixed set of crops

ResNet:

- Resize image at 5 scales: {224, 256, 384, 480, 640}
- 2. For each size, use 10 224 x 224 crops: 4 corners + center, + flips

# Data Augmentation Color Jitter

Simple: Randomize contrast and brightness



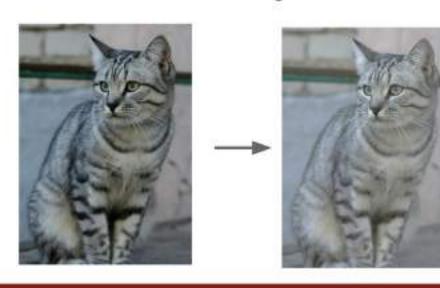
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### Data Augmentation Color Jitter

Simple: Randomize contrast and brightness



#### More Complex:

- 1. Apply PCA to all [R, G, B] pixels in training set
- Sample a "color offset" along principal component directions
- Add offset to all pixels of a training image

(As seen in [Krizhevsky et al. 2012], ResNet, etc)

# Data Augmentation

Get creative for your problem!

Random mix/combinations of :

- translation
- rotation
- stretching
- shearing,
- lens distortions, ... (go crazy)

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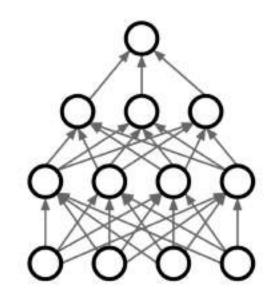
### Regularization: A common pattern

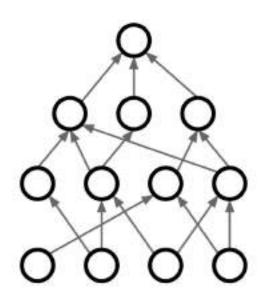
Training: Add random noise

Testing: Marginalize over the noise

#### Examples:

Dropout
Batch Normalization
Data Augmentation
DropConnect





Wan et al, "Regularization of Neural Networks using DropConnect", ICML 2013

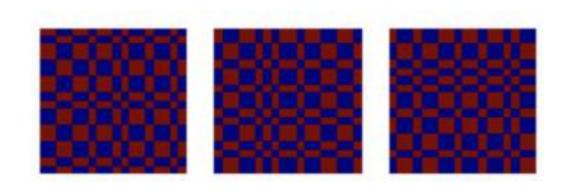
### Regularization: A common pattern

Training: Add random noise

Testing: Marginalize over the noise

#### Examples:

Dropout
Batch Normalization
Data Augmentation
DropConnect
Fractional Max Pooling



Graham, "Fractional Max Pooling", arXiv 2014

### Regularization: A common pattern

Training: Add random noise

Testing: Marginalize over the noise

#### Examples:

Dropout

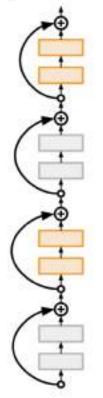
**Batch Normalization** 

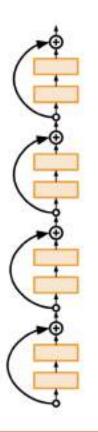
Data Augmentation

DropConnect

Fractional Max Pooling

Stochastic Depth





Huang et al, "Deep Networks with Stochastic Depth", ECCV 2016

# **Transfer Learning**

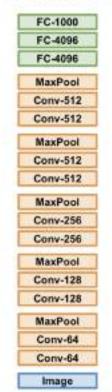
"You need a lot of a data if you want to train/use CNNs"

## Transfer Learning

"You need a lot of a data if you want to train/(Se CNNs"

#### Transfer Learning with CNNs

Train on Imagenet



Donahue et al, "DeCAF: A Deep Convolutional Activation Feature for Generic Visual Recognition", ICML 2014 Razavian et al, "CNN Features Off-the-Shelf: An Astourding Baseline for Recognition", CVPR Workshops 2014

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#### Transfer Learning with CNNs

Train on Imagenet

FC-1000 FC-4096 FC-4096 MaxPool Conv-512 Conv-512 MaxPool Conv-512 Conv-512 MaxPool Conv-256 Conv-256 MaxPool Conv-128 Conv-128 MaxPool Conv-64 Conv-64

Image

Small Dataset (C classes)



Donahus et al, "DeCAF: A Deep Convolutional Activation Feature for Generic Visual Recognition", ICML 2014 Razavian et al, "CNN Features Off-the-Shelf: An Astounding Baseline for Recognition", CVPR Workshops 2014

#### Transfer Learning with CNNs

Train on Imagenet

FC-1000 FC-4096 FC-4096 MaxPool Conv-512 Conv-512 MaxPool Conv-512 Conv-512 MaxPool Conv-256 Conv-256 MaxPool Conv-128 Conv-128 MaxPool Conv-64 Conv-64

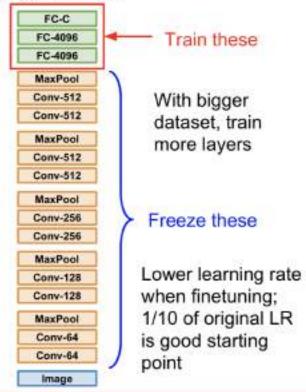
Image

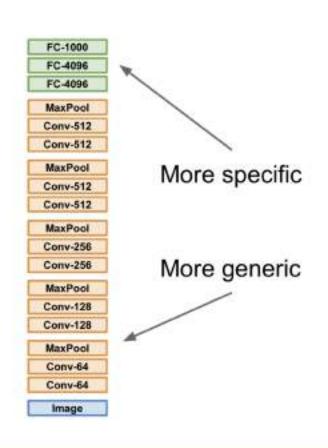
2. Small Dataset (C classes)



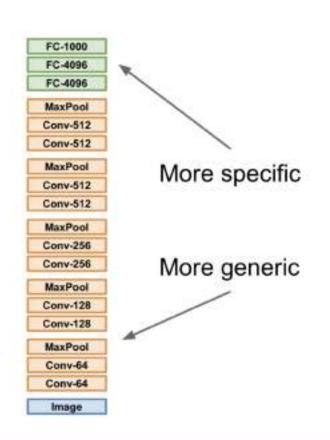
Donahue et al, "DeCAF: A Deep Convolutional Activation Feature for Generic Visual Recognition", ICML 2014 Razavian et al, "CNN Features Off-the-Sheff: An Astounding Baseline for Recognition", CVPR Workshops 2014

Bigger dataset

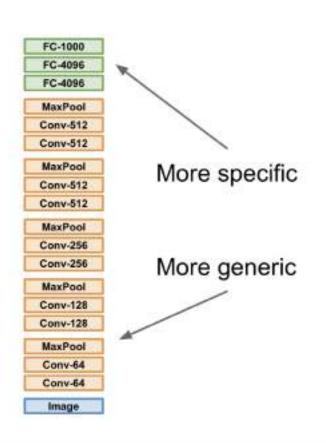




	very similar dataset	very different dataset
very little data	?	?
quite a lot of data	?	?



	very similar dataset	very different dataset
very little data	Use Linear Classifier on top layer	?
quite a lot of data	Finetune a few layers	?



	very similar dataset	very different dataset
very little data	Use Linear Classifier on top layer	You're in trouble Try linear classifier from different stages
quite a lot of data	Finetune a few layers	Finetune a larger number of layers

#### Transfer learning with CNNs is pervasive... (it's the norm, not an exception)

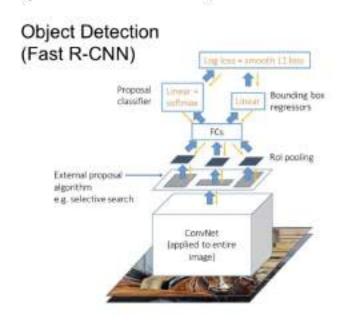
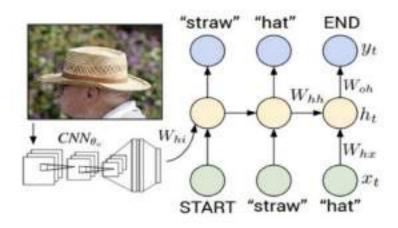
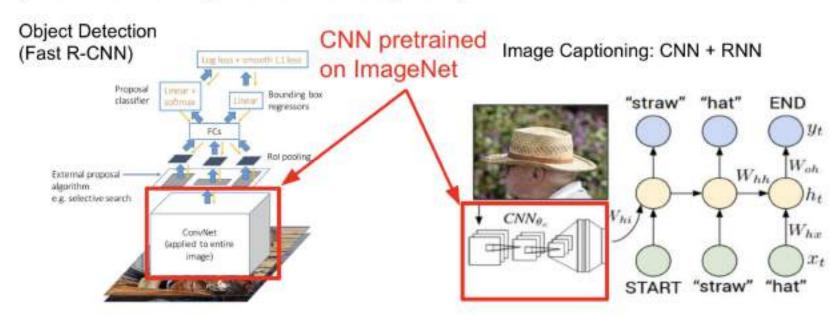


Image Captioning: CNN + RNN



Girshick, 'Fast R-CNN', ICCV 2015 Figure copyright Ross Girshick, 2015. Reproduced with permission. Karpathy and Fei-Fei, "Deep Visual-Semantic Alignments for Generating Image Descriptions", CVPR 2015 Figure copyright IEEE, 2015. Reproduced for educational purposes.

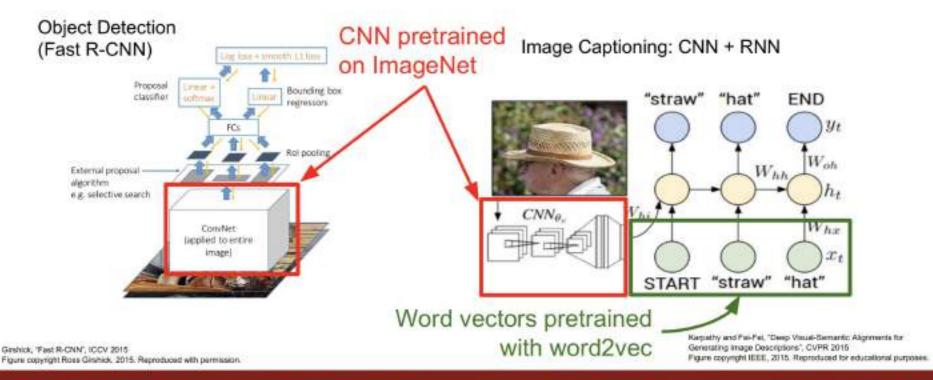
# Transfer learning with CNNs is pervasive... (it's the norm, not an exception)



Gimhick, "Fast R-CNN", ICCV 2015 Figure copyright Ross Girshick, 2015. Reproduced with permission Karpathy and Fei-Fei, "Deep Visual-Semantic Aligements for Generating Image Descriptions", CVPR 2015 Figure copyright IEEE, 2015. Reproduced for educational purposes.

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#### Transfer learning with CNNs is pervasive... (it's the norm, not an exception)



#### Takeaway for your projects and beyond:

Have some dataset of interest but it has < ~1M images?

- Find a very large dataset that has similar data, train a big ConvNet there
- 2. Transfer learn to your dataset

Deep learning frameworks provide a "Model Zoo" of pretrained models so you don't need to train your own

Caffe: https://github.com/BVLC/caffe/wiki/Model-Zoo

TensorFlow: <a href="https://github.com/tensorflow/models">https://github.com/tensorflow/models</a>

PyTorch: https://github.com/pytorch/vision

### Summary

- Optimization
  - Momentum, RMSProp, Adam, etc
- Regularization
  - Dropout, etc
- Transfer learning
  - Use this for your projects!





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