1.

a)

$$R = \begin{pmatrix} 0 & 0 & 0 & 0 \\ 0 & 7 & 5 & 0 \\ 1 & 0 & 0 & 2 \\ 0 & 0 & 2 & 0 \\ 0 & 6 & 4 & 2 \end{pmatrix}, A = (1, 5, 2, 0)$$

b)
$$P_0 \qquad P_2 \qquad P_1 \qquad P_3 \qquad P_4 \\ A=(1,5,2,0) \Rightarrow (1,5,3,2) \Rightarrow (2,8,8,6) \Rightarrow (3,8,8,6) \Rightarrow (3,14,11,8) \Rightarrow (3,14,12,12)$$

c) Sol)

If granted, the snap shot will be change to

$$R = \begin{pmatrix} 0 & 0 & 0 & 0 \\ 0 & 3 & 3 & 0 \\ 1 & 0 & 0 & 2 \\ 0 & 0 & 2 & 0 \\ 0 & 6 & 4 & 2 \end{pmatrix}, C = \begin{pmatrix} 0 & 0 & 1 & 2 \\ 1 & 4 & 2 & 0 \\ 1 & 3 & 5 & 4 \\ 0 & 6 & 3 & 2 \\ 0 & 0 & 1 & 4 \end{pmatrix}, A = (1 & 1 & 0 & 0)$$

$$P_0$$
 P_2 P_1 P_3 P_4 A= $(1, 1, 0, 0) \Rightarrow (1, 1, 1, 2) \Rightarrow (2, 4, 6, 6) \Rightarrow (3, 8, 8, 6) \Rightarrow (3, 14, 11, 8) \Rightarrow (3, 14, 12, 12)$

2.

a.

- Maximum virtual address space = 2^{32} = $2^{22} \times 2^{10}$ = 2^{22} KB
- :. Maximum # of pages per a process = virtual space / a page size = $2^{22}/4 = 2^{20}$ pages .
- Maximum size of page table per a process = number of page \times one entry size = $2^{20} \times 64$ bits = $(2^{20} \times 64)/8$ Byte= $2^{20} \times 8$ byte= **8 MB**

b.

need calculate the number of page frame # of page frame = size of RAM / size of page = 8GB / 4KB = 8×2^{30} / 4×2^{10} = 2^{21} page frames ∴ 21 bits for page frame number.

3.

a.

A multilevel page table reduces the number of actual pages of the page table that need to be in memory because of its hierarchic structure. In fact, in a program with lots of instruction and data locality, we only need the top level page table (one page), one instruction page, and one data page.

b.

- Since page size = $16KB = 2^{14}$, 14 bit for offset. That leaves 24 bits for the page fields.
- Since each entry is 4 bytes, one page can hold $2^{14}/4 = 2^{12}$ page table entries and therefore requires 12 bits to index one page. So allocating 12 bits for each of the page fields will address all 2^{38} bytes.
- 12 + 12 + 14

4.

a.

- Mutual exclusion
- Hold-and Wait
- No preemption
- Circular wait

b.

- Ignore
- Detection and recovery
- Avoidance with dynamic allocation
- By attacking one of necessary deadlock condition

c.

Sol) a segment is a logical entity.

- If the segments are large, to keep them in the physical memory might be wasting memory space.
- If a segment's virtual space is larger than physical space, it is not even possible to keep them in the physical memory.

5.

a.

```
Size of bit-map = 2 \times 2^{10} \times 2^{16} Byte = 2 \times 2^{10} \times 2^{16} \times 8 Bit = 2^{30} bit.
There are 2^{30}blocks
Total disk size = 2^{30} \times 2 \times 2^{10} = 2^{41} Byte = 2 TB
```

b.

sol) # of block information per block = (block size / bit used for a block #) -1 = $8 \times 2 \times 2^{10}$ / 32 bit = $2^9 - 1 = 512 - 1 = 511$ total # block number = 511×2^{20} total disk size = $511 \times 2^{20} \times 2 \times 2^{10} = 511 \times 2^{31}$ Byte = about $2^9 \times 2^{31}$ Byte = 1 TB.

- 6.
- a. files are cached in the RAM when it is opened.
- b.
- In LSF, each i-node is not at a fixed location; they are written to the log.
- LFS <u>uses a data structure</u> called an **i-node map** <u>to maintain the current location of each i-node</u>.
- Opening a file consists of using the map to locate the i-node for the file.
- 7.
- a) Page 3
- b) Page 0
- c) Page 0
- d) Page 1
- 8.

Sol) since 1 block is 2KB, and 4 Byte per block address, it can save $2 \times 2^{10} / 4 = 2^9 = 512$ block information

Total = 512 + 10 = 522 block information.

Since a block size is 2KB, largest file will be 2KB × 522 = 1044 KB

- 9.
- Total Overhead(P) = Average page table size + the wasted memory in th last page of process $= \frac{S}{P} \times E + \frac{P}{2}$
- b.

a.

Overhead
$$(P) = -\frac{SE}{P^2} + \frac{1}{2} = 0$$

 $P = \sqrt{2SE}$: optimal page size

- 10.
 - a. Sol) 1 block = $2 \times 2^{10} \times 8 = 16384$ bit, 16384/32 = 512-1 = 511 block numbers /block 128 GB = $(128 \times 2^{30})/(2 \times 2^{10}) = 2^{26}$ blocks (number of blocks in 128 GB) Needs $(2^{26})/511 = 131328.5 = 131229$ blocks

b.

Sol) 128 GB = $(128 \times 2^{30})/(2 \times 2^{10}) = 2^{26}$ blocks (number of blocks in 128 GB) System need one bit per block, the bit map size is 2^{26} bits.

$$2^{26}$$
 bits = $(2^{26})/8 = 2^{23}$ Byte

Since each block size is 2KB, need (2^{23})/ (2×2^{10})= 4096 blocks to save free block information.

c.

- Since this system use 32bit disk block number, this system support 2³² blocks
- Maximum disk size = $2^{32} \times 2 \times 2^{10}$ Byte = 8×2^{40} = 8 TB

11.

- Maintains an internal array M that keep track of the state of memory.
- M has as many as virtual memory pages n.
- Top *m* entries contain all the pages currently in the memory (page frames).
- Bottom *n m* entries contains all the pages that have been referenced once but have been page out and are not currently in memory

12.

- a. **Phase 1:** begins at the starting directory and examines all the entries in it. For each modified file, its i-node is marked in the bitmap. Each directory is also marked and recursively inspected.
- b. **Phase 2:** unmarking any directories that have no modified files or directories in them or under them.
- c. Phase 3: all marked directory is dumped
- d. Phase 4: all marked files is dumped

13. (5 pt.)

a)

 \mathbf{p}_3

A=(2,1,0,0) -> (2,2,2,0) Deadlock

b)

14.

Sol) In LINUX system, size of a block and number of blocks information are saved in super block in the partition. Since used block information for a file is saved in it's i-node, we can get used blocks information by scanning all i-nodes.

```
Create new bitmap (size of bit = number of block from super block)
Reset (set as 0)
For each i-node do
For each entry of i-node do
Set bitmap to 1 (based on used block information)
```

15.

Solution 1)

Attacking hold and wait, starvation

Solution 2)

Attacking circular wait,
If a process need two resource at a same time, this solution have problem