

- (1) CLR 1.2-2, 1.2-3 same
- (2) CLR 1-1 Do $\lg n$, n^3 and 2^n only. same
- (3) CLR 2.1-1, 2.1-2, 2.1-3 same, same, same
- (4) CLR 2.2-2, 2.2-4 same, same
- (5) CLR 2.3-3, 2.3-4, 2.3-7 same, same (only changed from passive to active voice), same
- (6) CLR 2-2 same
- (7) CLR 2-4 same
- (8) CLR 3.1-2, 3.1-6, 3.1-7 all same
- (9) CLR 3.2-2, 3.2-3, 3.2-5 all same
- (10) CLR 3-2 same
- (11) CLR 3-3 same
- (12) CLR 3-4 same
- (13) CLR A.1-1, A.1-6, A.1-7 all same
- (14) CLR A.2-4, A.2-5 all same
- (15) CLR A-1 same

(1) CLR 4.1-6	→ 4.3-9	from $T(n) = 2T(\sqrt{n}) + 1$ $\rightarrow T(n) = 3T(\sqrt{n}) + \log n$	
(2) CLR 4.2-4	→ 4.4-8		
(3) CLR 4.2-5	→ 4.4-9		
(4) CLR 4.3-1	→ 4.5-1	FROM a. $4T(n/2) + n$	TO a. $2T(n/4) + 1$
(5) CLR 4.3-3	→ 4.5-3	b. $4T(n/2) + n^2$ c. $4T(n/2) + n^3$	b. $2T(n/4) + \sqrt{n}$ c. $2T(n/4) + n$ d. $2T(n/4) + n^2$
(6) CLR 4.3-4	→ 4.5-4		
(7) CLR 4.4-2	→ 4.6-2		
(8) CLR 4-1	→ 4-1	FROM	TO
(9) CLR 4-2	→ nothing similar	a. $2T(n/2) + n^3$	a. $2T(n/2) + n^4$
(10) CLR 4-4	→ 4-3	b. $T(9n/10) + n$	b. $T(7n/10) + n$
		c. $16T(n/4) + n^2$	c. $16T(n/4) + n^2$
		d. $7T(n/3) + n^2$	d. $7T(n/3) + n^2$
		e. $7T(n/2) + n^2$	e. $7T(n/2) + n^2$
		f. $2T(n/4) + \sqrt{n}$	f. $2T(n/4) + \sqrt{n}$
		g. $T(n-1) + n$	g. $T(n-2) + n^2$
		h. $T(\sqrt{n}) + 1$	
		FROM	TO
		a. $3T(n/2) + n \lg n$	a. $4T(n/3) + n \lg n$
		b. $5T(n/5) + n \lg n$	b. $3T(n/3) + n \lg n$
		c. same	c. same
		d. $3T(n/3+5) + n/2$	d. $3T(n/3-2) + n/2$
		e. same	
		f. same	
		g. same	
		h. same	
		i. $T(n-2) + 2 \lg n$	i. $T(n-2) + 1 \lg n$
		j. same	

- (1) CLR 5.1-3 *same*
- (2) CLR 5.2-1 *same*
- (3) CLR 5.2-3 *same*
- (4) CLR 5.2-4 *same*
- (5) CLR 5.3-3 *same*
- (6) CLR 5.3-5 *same*
- (7) CLR 5.4-4 *same*
- (8) CLR 5.4-6 *same*
- (9) CLR 6.1-6 *same*
- (10) CLR 6.2-6 *same*
- (11) CLR 6.4-2 *same*
- (12) CLR 6.5-8 *→ 6.5-9*
- (13) CLR 6-2 *same*

- (1) CLR 7.1-1 same
- (2) CLR 7.1-4 same
- (3) CLR 7.2-2 same
- (4) CLR 7.2-3 same
- (5) CLR 7.4-4 same
- (6) CLR 7.4-5 same (passive to active voice)
- (7) CLR 7-3(a, b, c) nothing similar
- (8) CLR 8.1-3 same
- (9) CLR 8.2-4 same
- (10) CLR 8.3-1 same
- (11) CLR 8.3-3 same
- (12) CLR 8.3-4 changed upper limit on integer range from n^2-1 to n^3-1
- (13) CLR 8.4-2 added detail that W.C. runtime is $\Theta(n^2)$, must explain why.
second part of question is same.
- (14) CLR 8-3 same
- (15) CLR 8-6 same

- (1) CLR 9.1-1 same
- (2) CLR 9.1-2 same
- (3) CLR 9.3-1 same
- (4) CLR 9.3-4 same
- (5) CLR 9-2 same
- (6) CLR 11.1-1 same
- (7) CLR 11.2-1 same
- (8) CLR 11.3-3 same
- (9) CLR 11.4-2 same
- (10) CLR 11.4-4 same
- (11) CLR 11-2 same

- (1) CLR 15.2-2 same
- (2) CLR 15.2-4 \rightarrow 15.2-5
- (3) CLR 15.2-5 \rightarrow 15.2-6
- (4) CLR 15.3-1 same
- (5) CLR 15.3-2 You need not draw the tree, just answer the question. same (slight reword)
- (6) CLR 15.3-3 same
- (7) CLR 15.3-4 nothing similar
- (8) CLR 15.4-2 same (slight reword)
- (9) CLR 15.4-3 same
- (10) CLR 15.4-5 same
- (11) CLR 15.5-2 same
- (12) CLR 15.5-3 same
- (13) CLR 15-5 same

- (1) CLR 16.1-3 \rightarrow 16.1-4
- (2) CLR 16.1-4 \rightarrow 16.1-3
- (3) CLR 16.2-1 same
- (4) CLR 16.2-2 same
- (5) CLR 16.2-5 same
- (6) CLR 16.3-2 \rightarrow 16.3-3
- (7) CLR 16.3-6 \rightarrow 16.3-7
- (8) CLR 16-1 same

- (1) CLR 22.1-6 same (slight rewording)
- (2) CLR 22.2-5 → 22.2-6
- (3) CLR 22.2-6 → 22.2-7
- (4) CLR 22.3-6 → 22.3-7
- (5) CLR 22.3-7 → 22.3-8
- (6) CLR 22.4-3 same
- (7) CLR 22.4-5 same
- (8) CLR 22.5-1 same
- (9) CLR 22.5-3 same
- (10) CLR 22.5-7 same
- (11) CLR 22-1 same

- (1) CLR 23.1-1 *same*
- (2) CLR 23.1-3 *same*
- (3) CLR 23.1-6 *same*
- (4) CLR 23.2-1 *same*
- (5) CLR 23-3 *same*

(1) CLR 24.1-3 The algorithm is not told m , but must terminate even so in $m+1$ passes.
same (reward of math, I assume its equivalent)

- (2) CLR 24.1-4 *same*
- (3) CLR 24.2-4 *same*
- (4) CLR 24.3-2 *same*
- (5) CLR 24.3-8 *→ 24.3-10*
- (6) CLR 24-2 *same*

- (7) CLR 25.1-9 *same*
- (8) CLR 25.2-6 *same*

(9) CLR 25.2-7 Just give the recursive formulation for the $\phi_{ij}^{(k)}$, omit the rest of the problem. Note that the formulation is allowed to use the $d_{ij}^{(k)}$ values. *same*

- (10) CLR 25-1 *same*

(1) Argue that the definition of NP given in class (the set of problems solvable by polynomial non-deterministic programs) is equivalent to that given in CLR.

- (2) CLR 34.1-1 *same*
- (3) CLR 34.1-6 *same (slight reward)*
- (4) CLR 34.2-1 *same*
- (5) CLR 34.2-3 *same*
- (6) CLR 34.3-2 *same*
- (7) CLR 34.3-3 *same*
- (8) CLR 34.3-8 *same*
- (9) CLR 34.5-1 *same*
- (10) CLR 34.5-2 *same*
- (11) CLR 34-3 *same*