

# **General Tree**

## General Tree

A general tree (a tree) is defined to be a nonempty finite set  $T$  of elements, called nodes such that

- (1)  $T$  contains a distinguished element  $R$ , called the root of  $T$ .
  - (2) The remaining elements of  $T$  form an ordered collection of zero or more disjoint trees  $T_1, T_2, \dots, T_m$ .
- The trees  $T_1, T_2, \dots, T_m$  are called subtrees of root  $R$  and the roots of  $T_1, T_2, \dots, T_m$  are called successors of  $R$ .
  - Example:

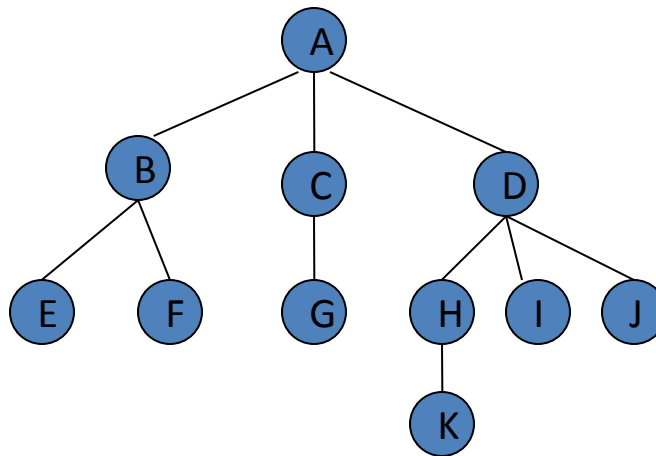
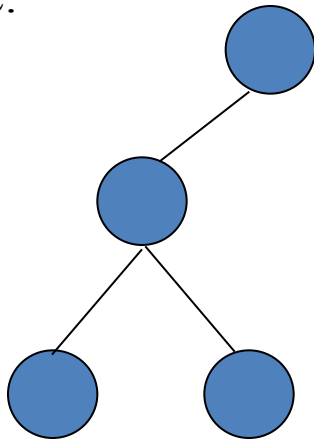


Figure: General Tree

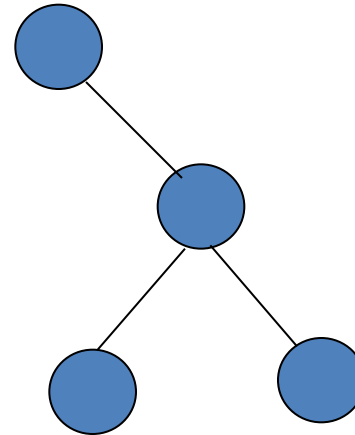
## Difference between General Tree and Binary Tree

- (1) A binary tree  $T'$  is not a special case of a general tree  $T$ .
- (2) Suppose a node  $N$  has only one child. Then the child is identified as a left child or right child in binary tree  $T'$ , but no such distinction exists in a general tree  $T$ .

Example:



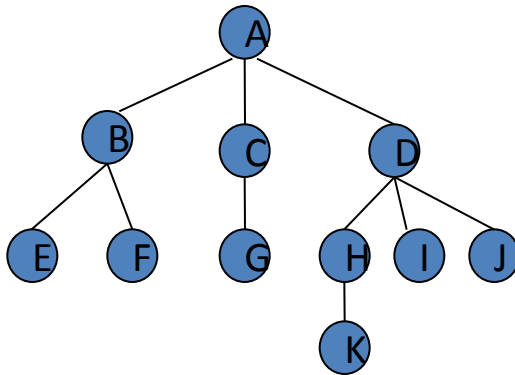
Tree T1



Tree T2

## Memory Representation of General Tree

- Suppose  $T$  is a general tree.  $T$  is maintained in memory by means of a linked representation that uses following three parallel arrays:
  1.  $\text{INFO}[K]$  = Information at node  $N$
  2.  $\text{CHILD}[K]$  = location of the first child of  $N$ .
  3.  $\text{SIBL}[K]$  = location of next sibling of  $N$
- Here  $K$  is the location of node  $N$  of  $T$ .
- Here  $\text{ROOT}$  is used as the root of  $T$ .
- Example:



**ROOT**

6

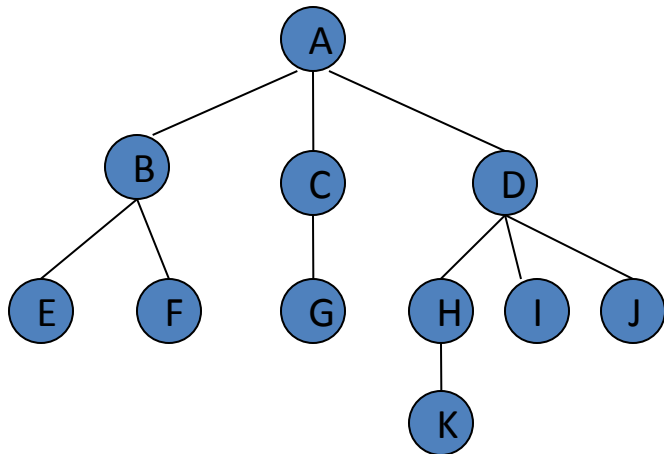
	INFO	CHILD	SIBL
1	C	3	13
2	B	5	1
3	G	0	0
4	K	0	0
5	E	0	9
6	A	2	0
7	I	0	12
8			
9	F	0	0
10			
11	H	4	7
12	J	0	0
13	D	11	0

Figure: General Tree and Its Memory Representation

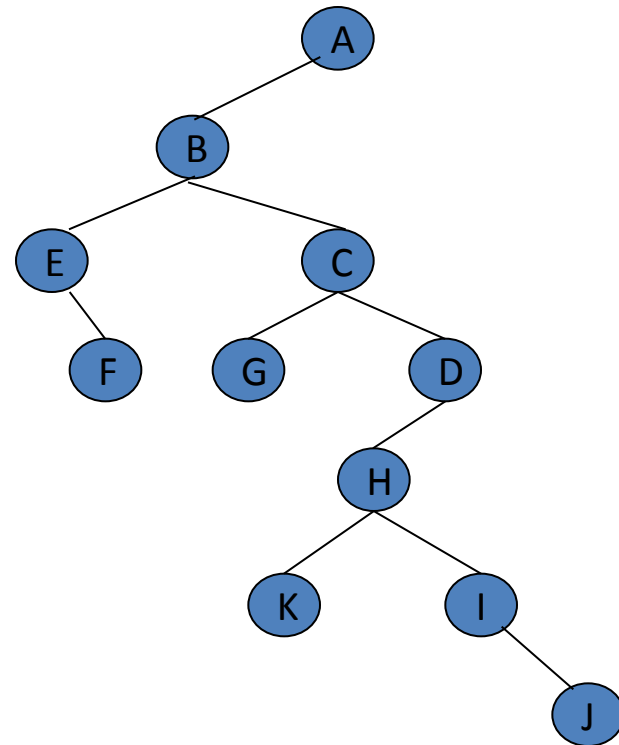
## Correspondence between General Tree and Binary Tree

- (1) The root of  $T'$  will be the root of  $T$ .
- (2) The left child of  $N'$  in  $T'$  will be the first child of node  $N$  in  $T$  and the right child of  $N'$  in  $T'$  will be the next sibling of  $N$  in  $T$ .

General Tree T



Binary Tree T'



END!!!