

# 1 Convolutional Networks

This is a post written for the AI Helsinki study group *Image and Video Statistics*.  
It is based on the Chapter 9 of the book *Deep Learning*.

## 1.1 Definition

## 1.2 Use of Convolutional Networks

## 1.3 Benefits

## 1.4 Examples

## 1.5 Sparse Connectivity

## 1.6 Growing Receptive Fields

## 1.7 Parameter Sharing

## 1.8 Convolutional Network Components

## 1.9 Max Pooling

Pictures: Without Shift, Shifted

## 1.10 Example of Learned Invariances

## 1.11 Pooling with Down Sampling

## 1.12 Examples of Architectures

## 1.13 Convolution with Strides

## 1.14 Zero Padding Enables Deeper Networks

## 1.15 Comparison of Local Connections, Convolution, and Full Connections

Pictures: Local, Convolution, FC

## 1.16 Partial Connectivity Between Channels

## 1.17 Tiled Convolution

Pictures: Local Connection, Tiled Convolution, Traditional Convolution

### 1.18 Recurent Convolutional Network

### 1.19 Gabor Functions (optional)

### 1.20 Gabor-like Learned Kernels (optional)

## 2 Tensors

We adopt the Deep Learning book's convention of calling multidimensional arrays of real numbers as tensors.

Namely, 0-D tensors are just real numbers, 1-D tensors are arrays

$$T = (T_1, \dots, T_n)$$

of real numbers, 2-D tensors are arrays

$$T = ((T_{1,1}, \dots, T_{1,n}), \dots (T_{m,1}, \dots, T_{m,n}))$$

of arrays of real numbers (with mutually equal lenght), and so on.

Basically our tensors can be wiewed as D-dimensional grids of real numbers. Example in 2-D:

$$((1, 2, 3), (4, 5, 6), (7, 8, 9)) \simeq \begin{array}{c|c|c} 1 & 2 & 3 \\ \hline 4 & 5 & 6 \\ \hline 7 & 8 & 9 \end{array}$$

There are also more elaborate ways of defining tensors, that take into account the type of the tensor, but these are not needed for our purposes.

## 3 References/Links