



Study of the quantum interference between singly and doubly resonant top-quark production in proton-proton collisions at the LHC with the ATLAS detector

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Introduction

The **top quark** is the heaviest known elementary particle of the Standard Model. It allows to explore unique physics domains, inaccessible otherwise:

One of them is the **quantum interference** between singly (NLO tW with an extra b-quark) and doubly (LO $t\bar{t}$) resonant top quark production, which can lead to identical WbWb final-states [1]. In **my thesis**, the measurement of the particle-level differential cross-section of the WbWb production in the dilepton channel is provided



The **measurement** is performed using the full ATLAS Run-2 dataset from proton-proton collisions at the LHC ($\sqrt{s} = 13 \text{ TeV}$ and L = 139 fb^{-1}):

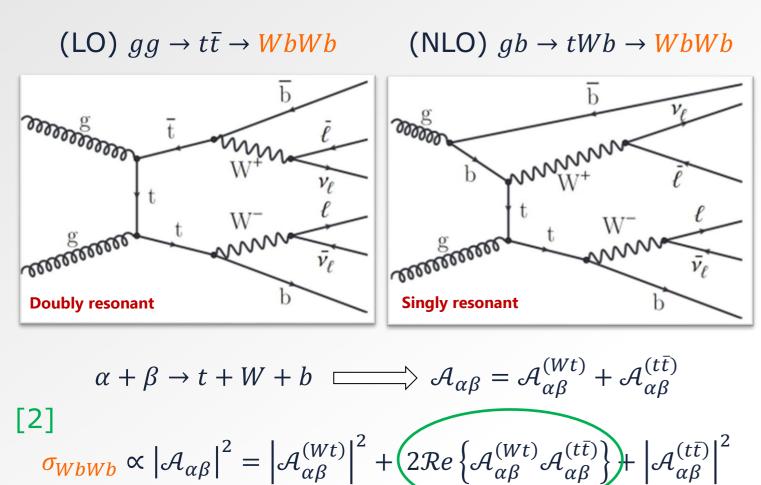
- The **single differential** cross-section has been measured as a function of two interference-sensitive variables, defined as m_{bl}^{minimax} and $\Delta R(b_1, b_2)$
- The **double differential** cross-section has been measured as a function of $m_{bl}^{minimax}$ in bins of $\Delta R(b_1, b_2)$.



Results have been compared to different prediction schemes: the Diagram Removal (DR) and the Diagram Subtraction (DS), that model in a different way the quantum interference description

Process production

Quantum interference between:



Event selection

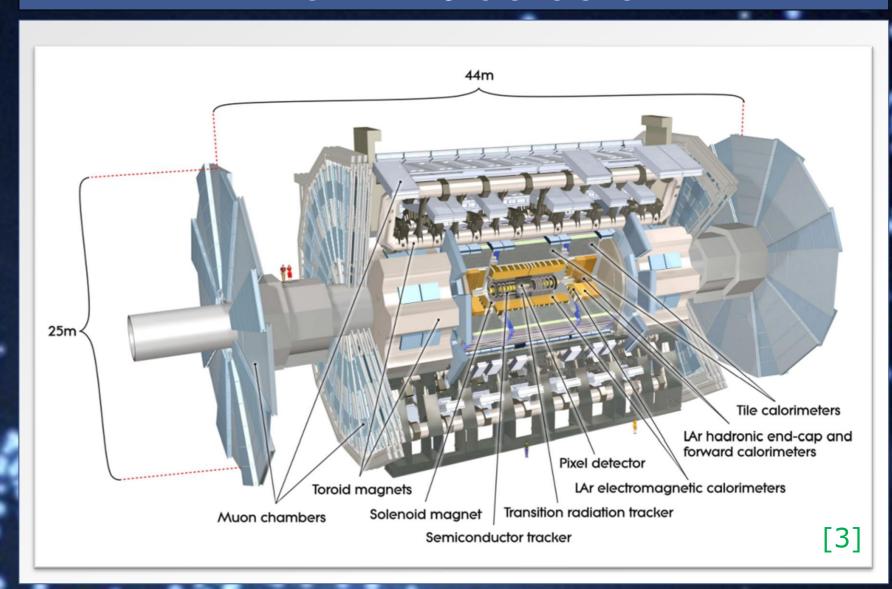
Dilepton Opposite-Sign (OS) channel (ee, $e\mu$ and $\mu\mu$):

$$pp \rightarrow WbWb \rightarrow l^+\nu_l l^- \bar{\nu}_l b\bar{b}$$

Requirements

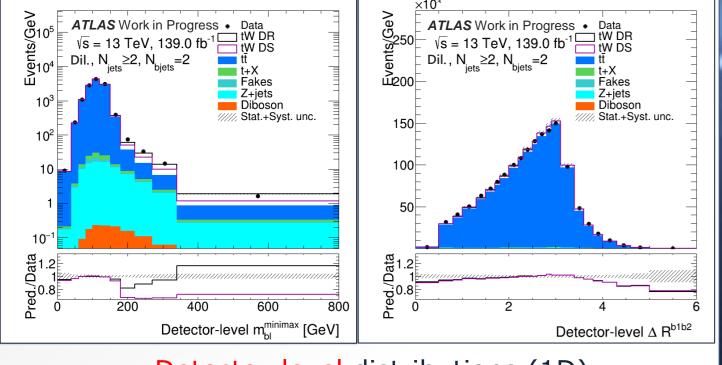
- Selection provided by e/μ triggers
- $p_T^{\mathrm{lepton}} > 28~GeV$, $p_T^{\mathrm{jets}} > 25~GeV$ and $|\eta| < 2.5$
- 2 b-tagged jets at 60% efficiency with veto on 3° b-tagged jet at 85% efficiency
- Interference taken into account with DR and DS schemes
- Comparison of data with NLO + PS predictions.

The ATLAS detector



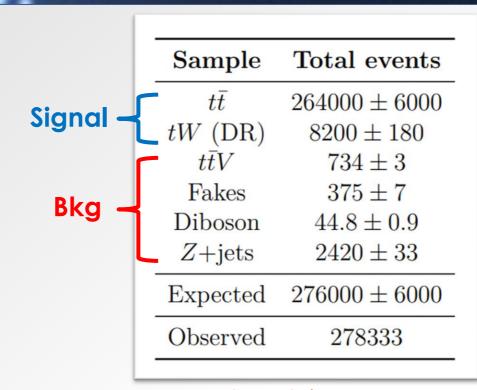
Observables of interest

- Cross-section extraction as a function of: 1) 1D: m_{bl}^{minimax} and $\Delta R(b_1, b_2)$
- 2) 2D: m_{bl}^{minimax} in bins of $\Delta R(b_1, b_2)$



Detector-level distributions (1D)

Event yields



ATLAS work-in-progress

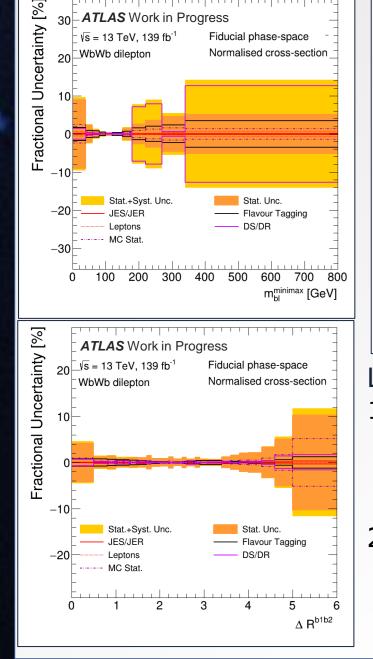
Unfolding procedure

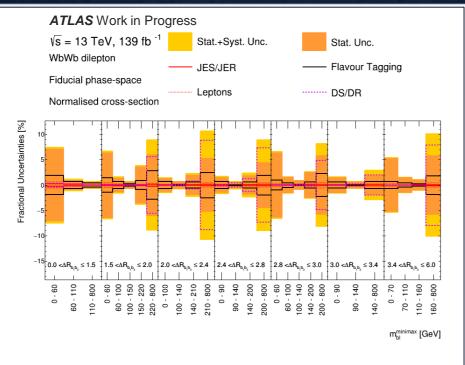
Unfolding is used to correct data for finite resolution and limited geometrical acceptance of the detector. It can be applied to several analyses for cross-section extractions. Final cross-sections are extracted through an **iterative Bayesian unfolding** method, using this equation [4]:

$$\frac{d\sigma^{\text{fid}}}{dX^{i}} \equiv \frac{1}{\mathcal{L} \cdot \Delta X^{i}} \cdot \frac{1}{\epsilon^{i}} \cdot \sum_{j} M^{-1} \cdot f_{\text{acc}}^{j} \cdot \left(N_{\text{obs}}^{j} - N_{\text{bkg}}^{j} \right) \Longrightarrow \frac{d\sigma^{\text{norm}}}{dX^{i}} = \frac{1}{\sigma^{\text{fid}}} \cdot \frac{d\sigma^{\text{fid}}}{dX^{i}}$$

Binning has been provided through **binning optimization** procedures (with additional resolution studies) and **closure tests** to ensure their stability

Systematic uncertainties (1D and 2D)





List of considered systematics:

- Detector-level: lepton reconstruction efficiency, JVT, b-tagging, pileup reweighting and luminosity
- Signal modelling: choice of removal scheme and finite sample statistics of MC generators

Fiducial σ

Total fiducial cross-section:

Sample	Fiducial cross-section [pb]
Data	7.49 ± 0.22
$t\bar{t} + tWb$ (Powheg+Pythia8, DS)	7.4671 ± 0.0017
$t\bar{t} + tWb$ (Powheg+Pythia8, DR)	7.4907 ± 0.0015

ATLAS work-in-progress

Uncertainties are related to the previous paragraph (see on the left panel).

Bibliography

[1] Morad Aaboud et al. In: *Phys. Rev. Lett.* 121.15 (2018), p.152002.
[2] Stefano Frixione et al. In: *Journal of High Energy Physics* (2008), p. 029.
[3] The ATLAS collaboration. In: *JINST* 3 S08003 (2008).

[4] Biondi, Silvia. In: *EPJ Web Conf.* 137 (2017), p. 11002.

Final Results (1D and 2D)



- 1. m_{bl}^{minimax} distribution: better described by DR than DR 2. $\Delta R(b_1, b_2)$ distribution: no evident discrimination
- between DR and DS schemes