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1  /*// -----
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4
5  Note that (numbers) (ex. (1), (2)) are cited documents below.
6  // -----
7  The following code function:
8  Create a binary tree that is sorted
9
10 With the tree being sorted, we are allowed to search the tree with a the average ↗
    case being  $O(\log n)$  and the
11 worst case being  $O(n)$ .(2)
12
13 // -----
14 Trees(data structure):
15 Similar to Linked Lists, we do not have random access. As a result we find ↗
    ourselves using a
16 linear search to traverse linked lists which are not ideal for some situations.
17
18 Trees help create a more efficient method for traversal of a linked list.
19
20 Trees come in different shapes and sizes, a binary tree can only have two paths ↗
    or nodes per previous existing ndoe.
21
22 Important things to know about a tree: ( "words" are definitions listed below )
23
24 Root:  The first/parent node of our tree. Similar to linked lists this will act ↗
    as our front and access point to the
25 rest of the tree.
26
27 Path:  There can be multiple paths in a tree. A binary tree can have two paths ↗
    per node, A N tree can have N paths, etc.
28      The length of a path is determined by the distance from the "root" to a ↗
    "leaf".
29
30 Height: The "height" of a tree can be determined by the length of the longest ↗
    "path". There are many methods to calculate
31 the "height" of a tree, but in our case we use our "root" as level 0, ↗
    next node in our tree as "level" 1, and so on
32 adding 1 to represent the next "level" in our tree.
33
34 Level:  A tree will have levels within it similar to the height of a tree. Levels ↗
    are directly proportional to the
35 height of a tree.
36
37 Leaf:  The last node in a "path". A leaf is not a "root" and is the last node in ↗
    a "path" that signifys the end
38 of a tree.
39
40 For more information or clarification: https://docs.google.com/document/ ↗
    d/1RmGQzEHF10mUlvhPCtBlHsUtp-LslpHk6qRUoqIMTBk/edit
41
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42 // -----
43 Cited Work:
44
45 Reference Document(1): BinaryTrees.cpp provided by prof.
46
47 Binary Search Tree Wikipedia(2): https://en.wikipedia.org/wiki/Binary\_search\_tree
48
49 Tree Traversal(3): https://www.geeksforgeeks.org/tree-traversals-inorder- ↗
    preorder-and-postorder/
50 */// -----
51 #include <iostream>
52 using namespace std;
53
54 // Blueprint for each node in our binary tree
55 class Node {
56 public:
57     int data;                // Data(int) stored in for this node
58     Node* left, * right;     // Addresses to the left or right ↗
59     node
60
61     Node() { left = right = 0; } // sets the address to the left or ↗
        right node to null(to symbolize a leaf)
62
63     Node(int d, Node* l = 0, Node* r = 0) { // assigns data and addresses
64         this->data = d;
65         left = l;
66         right = r;
67     }
68 };
69
70 class binaryTree {
71 public:
72     Node* root;
73
74     binaryTree() { root = 0; }
75
76     /*
77     Adds a node to our binary tree.
78
79     Organizes our nodes by data(int) size:
80     1. if larger -> we proceed down the right side of our tree
81     2. if smaller -> we proceed down the left side of our tree
82
83     The node is then placed at the end as a leaf of our tree
84     */
85     void addNode(int data) {
86         Node* newNode = new Node(data);
87
88         // Check if the tree is empty(no root), if so simply set the root to our ↗
            newNode
89         if (root == 0) {
90             root = newNode;
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90     }
91
92     Node* temp = root; // Since we dont want to alter/manipulate our root, we ↗
        create a copy to traverse our list
93
94     while (true) {
95         if (data < temp->data) {           // Starting at the root, we check if ↗
            newNode has a smaller int than our root,
96                                     // if so we proceed down the left side ↗
            of our tree
97
98             if (temp->left == 0) {         // We then check if our root has left ↗
                node already in place
99                 temp->left = newNode; // If not we set our root's left node ↗
                    to our newNode~~~~~
100                break;
101            }
102            else
103                temp = temp->left; // If our left node is taken, then we ↗
                    continue down the list
104        }
105        else if (data > temp->data) { // else if our newNode is larger than ↗
            the in in our root, we proceed down the
106                                     // right side of our tree
107
108            if (temp->right == 0) {         // Check if our root has a right node ↗
                in place
109                temp->right = newNode; // if not we set our root's right node ↗
                    to our newNode~~~~~
110                break;
111            }
112            else
113                temp = temp->right; // If our right node is taken, then we ↗
                    continue down the list
114        }
115        else if (data == temp->data) { // No duplicates should be entered as ↗
            written in ref doc(1)
116            break;
117        }
118    }
119 }
120 /*
121 prints tree in LVR
122 */
123 void print(Node* currentNode) {
124     if (currentNode != 0) {
125         print(currentNode->left);           // traverse left ↗
            subtree           L
126         cout << currentNode->data << " "; // evaluate (print) ↗
            current node     V
127         print(currentNode->right);         // traverse right ↗
            subtree           R

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128     }
129 }
130 };
131
132 int main()
133 {
134     binaryTree binTree1;
135     for (int x = 0; x < 7; x++) {
136         cout << "Adding (" << x << ") to the tree. . .\n";
137         binTree1.addNode(x);
138     }
139     cout << "Binary Tree in LVR: ";
140     binTree1.print(binTree1.root);
141     cin.get();
142 }
143
```