Quiz 1

Due Feb 4 at 11:59pm **Points** 10 **Questions** 10 **Available** until Feb 4 at 11:59pm **Time Limit** None

Instructions

You have one attempt.

Questions might have more than one correct answer.

Attempt History

LATEST Attempt 1 1,041	1 minutes 8	3.17 out of 10

(!) Correct answers will be available on Feb 5 at 12am.

Score for this quiz: 8.17 out of 10

Submitted Feb 3 at 2:09pm

This attempt took 1,041 minutes.

Question 1	1 / 1 pts
How much of the total grade are the quizzes worth?	
15%	
○ 20%	
0 10%	
O 5%	

Question 2	1 / 1 pts
A rigid body can:	
Rotate	
Change its shape	
Change its volume	
Translate	
Question 3	1 / 1 pts
	space is an element belonging to
the same vector space.	space is an element belonging to
The addition of two elements of a vector the same vector space. True False	space is an element belonging to
the same vector space. True	space is an element belonging to
the same vector space. True False	1 / 1 pts

False

A basis is made of vectors that must be mutually orthogonal.	pts
○ True	
False	

Partial

Question 6 0.5 / 1 pts In a 3-D space, an orthonormal reference frame is characterized by: □ An origin □ A length between two points. ✓ A set of 3 linearly independent, mutually orthogonal versors. □ Any basis of the 3-D space.

Question 7	1 / 1 pts
Given a skew-symmetric matrix A, which statement is always to	rue?
(A' indicates the transpose of A; inv(A) indicates the inverse of	fA)
A = inv(A)	
✓ A = -A'	

Α	=	A'
, ,		, ,

Question 8	1 / 1 pts
The coordinate transformation matrix R _{BI} :	
☐ Is skew-symmetric	
☑ Is orthogonal	
Allows us to go from the I-RF coordinates to the B-RF coordinates	inates.
Is also known as Direction Cosine Matrix	

Incorrect

Question 9 0 / 1 pts

Consider a 3-D Coordinate Transformation Matrix R_{BI} . How many unique combinations of successive, independent elementary rotation matrices (R1, R2, R3) can we use to build R_{BI} ?

- 6
- 9
- 3
- 0 12

Partial

Question 10 0.67 / 1 pts

oordinates transformation from I-RF to B-RF can always be obtained forming the following sequences of elemental rotations:			
1-2-1			
3-1-3			
2-3-1			
2-2-1			

Quiz Score: 8.17 out of 10