

Edge-Enabled Two-Stage Scheduling Based on Deep Reinforcement Learning for Internet of Everything

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Outline



- Introduction
- Related Work
- Problem Formulation
- System Architecture
- Algorithm
- Experiment and Analysis
- Pros and cons

Introduction



- Problem Statement:
 - Managing complex scheduling in IoE with multiple flowlines.
- Research Objectives:
 - Optimize Computing & Communication Resources
 - DRL-TSS for Efficiency
 - Makespan Minimization

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- Reinforcement Learning in IoT Systems
 - Heterogeneous networks
 - Internet of Vehicles (IoV)
 - NarrowBand IoT networks
 - Multiagent learning strategy
 - Markov decision process

- Task Scheduling for IoT Applications
 - Mixed linear programming method
 - Hybrid algorithm
 - Model-free scheduling
 - Enhanced deep Q-learning
 - Two-step scheduling

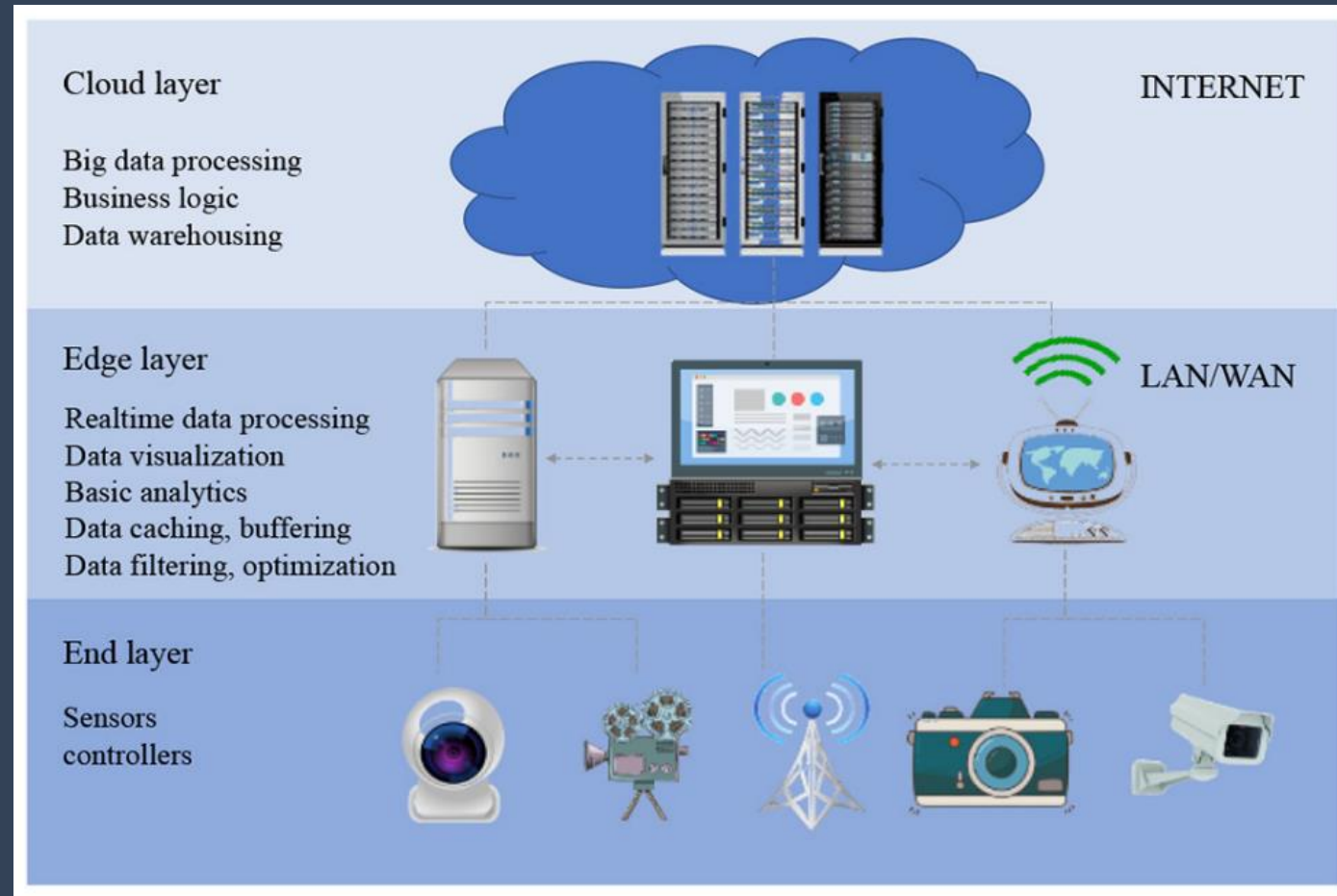
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Problem Formulation

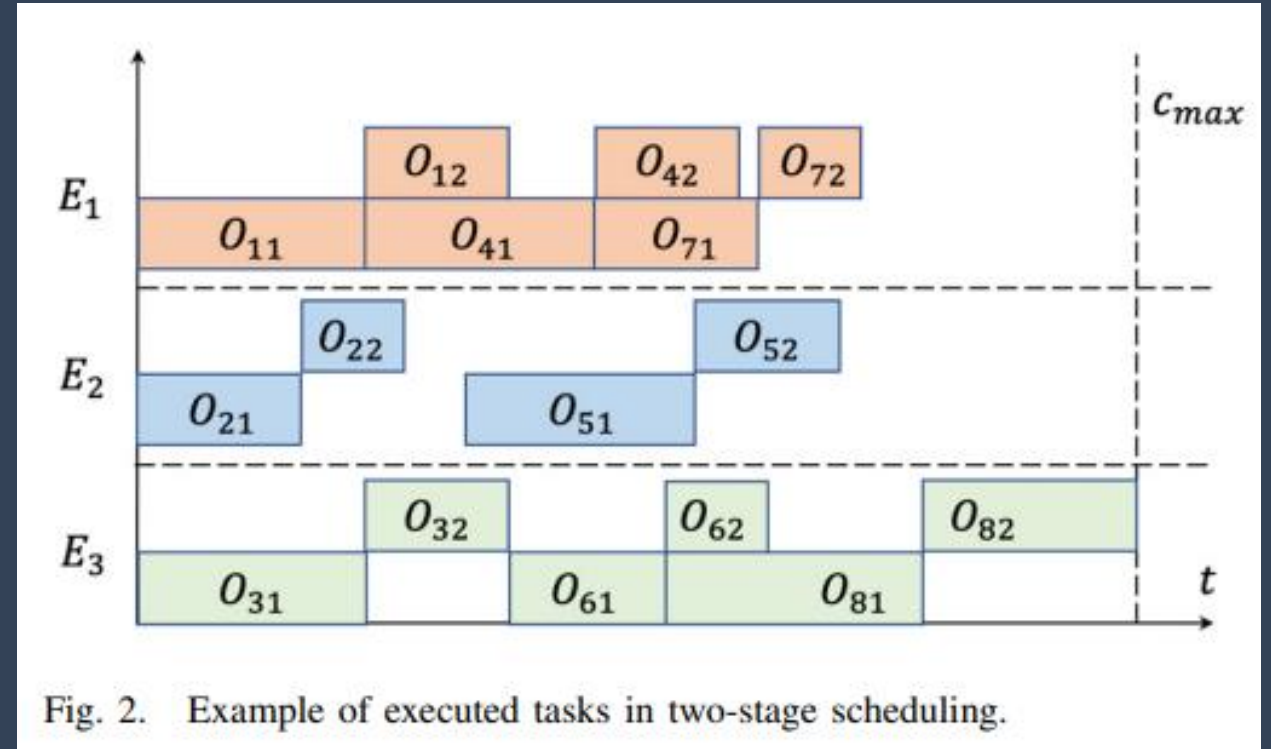
● End–Edge–Cloud IoT Systems



Problem Formulation

- Problem Formulation

- tasks $J=\{J1,J2,...,Jn\}$
- executors $E=\{E1,E2,...,Em\}$
- Each task J_i contains two operations $\{O_{i1},O_{i2}\}$ with the duration $\{d_{i1},d_{i2}\}$
- the completion time $\{c_{i1},c_{i2}\}$



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System Architecture

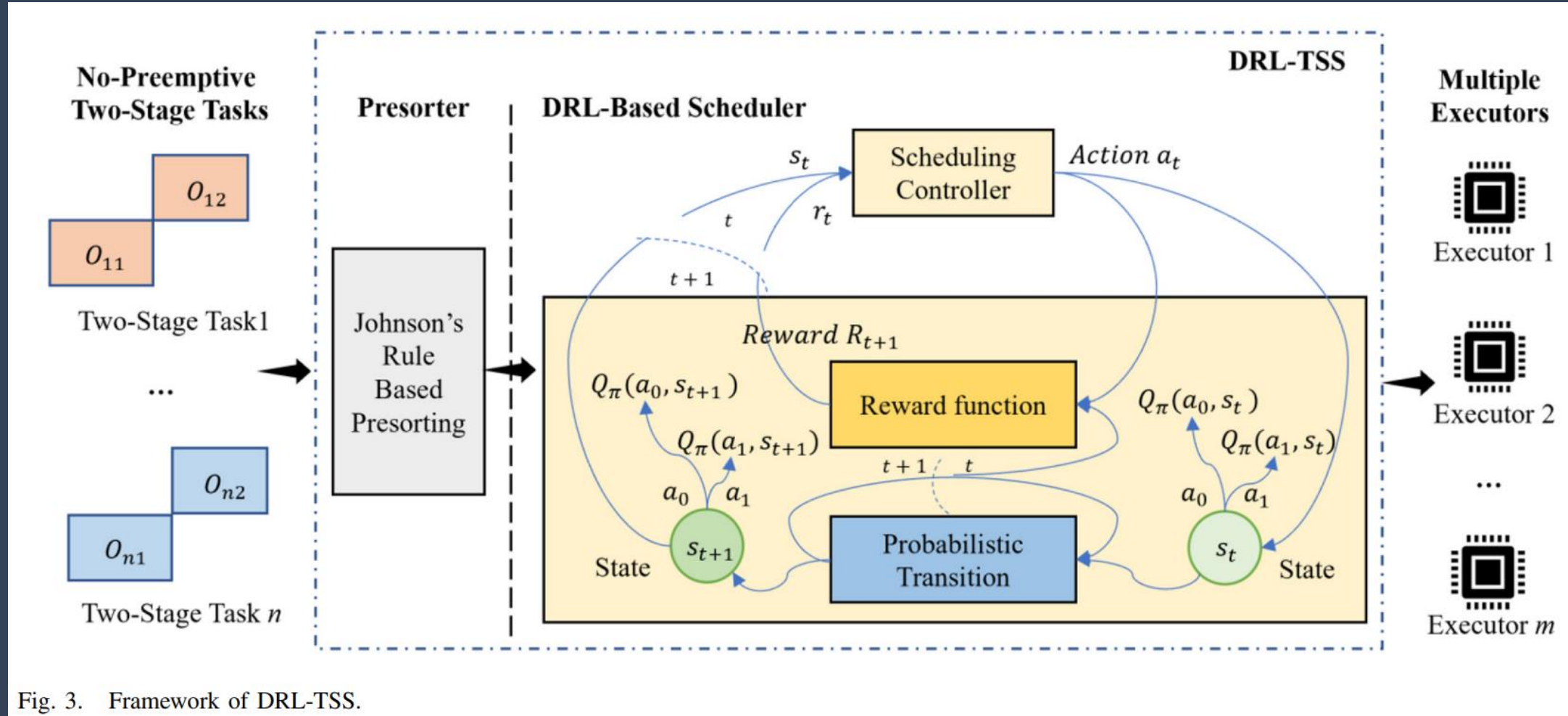


Fig. 3. Framework of DRL-TSS.

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- Johnson's Rule-Based Presorter
 - Theorem 1: Johnson's list is an optimal solution for a two-stage, single-executor scheduling problem.
 - Theorem 2: A subset of Johnson's list is also Johnson's list.

Algorithm 1 Johnson's Rule-Based Presorting

Input: Task list $J = \{J_1, J_2, \dots, J_i, \dots, J_n\}$, in which each task J_i contains two operations $\{O_{i1}, O_{i2}\}$ with execution durations $\{d_{i1}, d_{i2}\}$

Output: Sorted task list J' in Johnson's order

```
1:   Initialize two task groups  $G1 = \emptyset$ ,  $G2 = \emptyset$ , and  $J' = \emptyset$ 
2:   for each  $J_i$  in  $J$  do
3:       if  $d_{i1} \leq d_{i2}$  then  $G1 = G1 \cup J_i$ 
4:       else  $G2 = G2 \cup J_i$ 
5:       end if
6:   end for
7:   Sort all tasks in  $G1$  in ascending order based on the duration
   time  $d_{i1}$  for each task  $J_i \in G1$ 
8:   Sort all tasks in  $G2$  in descending order based on the duration
   time  $d_{i2}$  for each task  $J_i \in G2$ 
9:   Merge the two task lists by appending  $G2$  behind  $G1$  as
    $J' = G1 \cup G2$ 
10:  return  $J'$ 
```

● Deep Reinforcement Learning for Edge-Enabled Scheduling

Algorithm 2 Training of DRL-TSS

Input: Sorted task list $J = \{J_1, J_2, \dots, J_t, \dots, J_n\}$ in Johnson's order

Output: Two-stage scheduling model M

- 1: Initialize action value function Q and target action value function Q' with weights $\theta' = \theta$ by Eq. (9)
- 2: Initialize learning step σ , greedy exploration probability ϵ , and discounting factor γ
- 3: Initialize experience replay buffer set D
- 4: **for** episode $eps = 1$ to $MaxBatchSize$ **do**
- 5: **for** $t = 1$ to n **do**
- 6: Select random action a_t that assigns J_t to a random executor with probability ϵ , otherwise $a_t = \arg\max_a Q(s_t, a; \theta)$
- 7: Obtain state s_{t+1} by executing action a_t , and calculate reward r_t by Eq. (6)
- 8: Store transition (s_t, a_t, r_t, s_{t+1}) in replay buffer D
- 9: Sample random minibatch of transition (s_j, a_j, r_j, s_{j+1}) from D
- 10: Calculate
$$y_j = \begin{cases} r_j & \text{if } eps \text{ terminates at } (j+1) \\ r_j + \gamma \max_{a'} Q'(s_{j+1}, a'; \theta') & \text{otherwise} \end{cases}$$
- 11: Calculate error $e_j = (y_j - Q(s_j, a_j; \theta))^2$ and conduct gradient descent step by e_j
- 12: Reset $Q' = Q$ in every σ steps
- 13: **end for**
- 14: **end for**

Outline



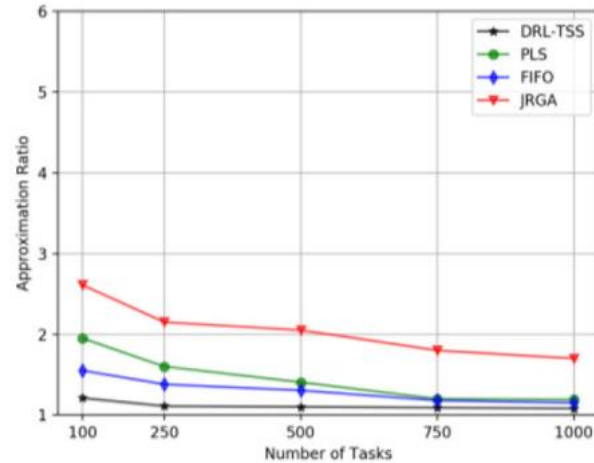
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Experiment and Analysis

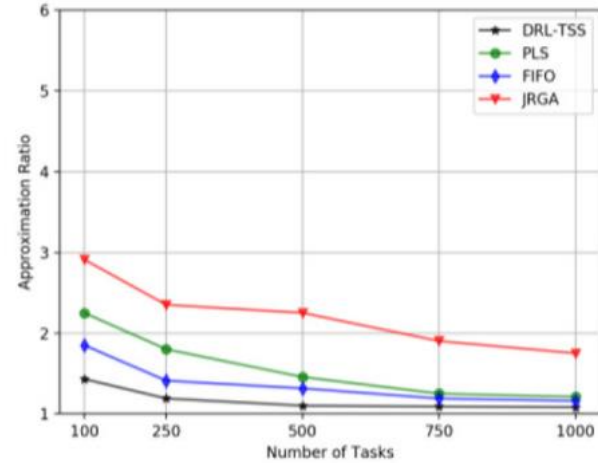


- Experiment Design Highlights:
 - Three task categories:
 - light (10-100 μ s), medium (100-1000 μ s), heavy (1000-10000 μ s)
 - Proportions: 30% light, 45% medium, 25% heavy
 - Random workload assigned to executors (10-100 μ s)

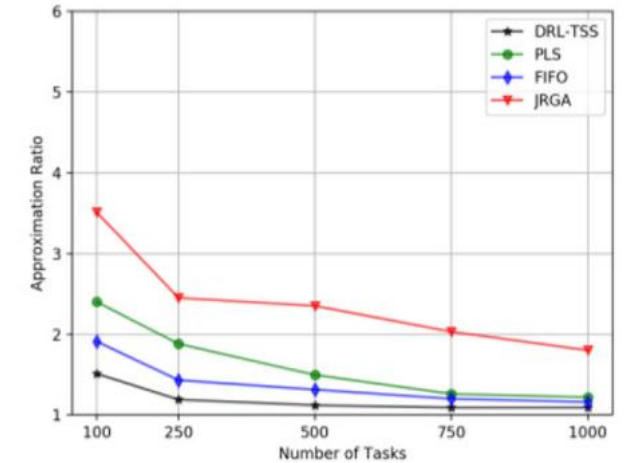
Experiment and Analysis



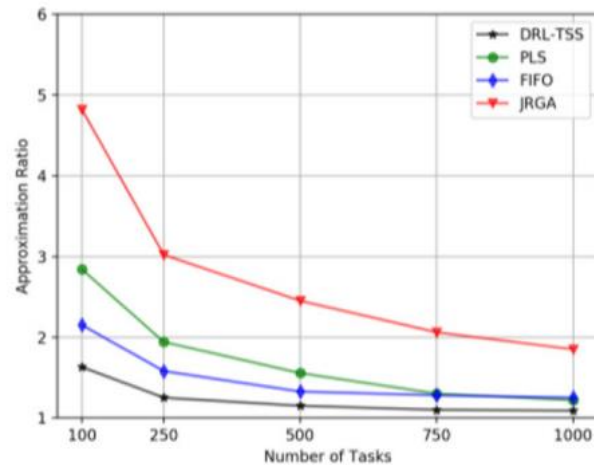
(a)



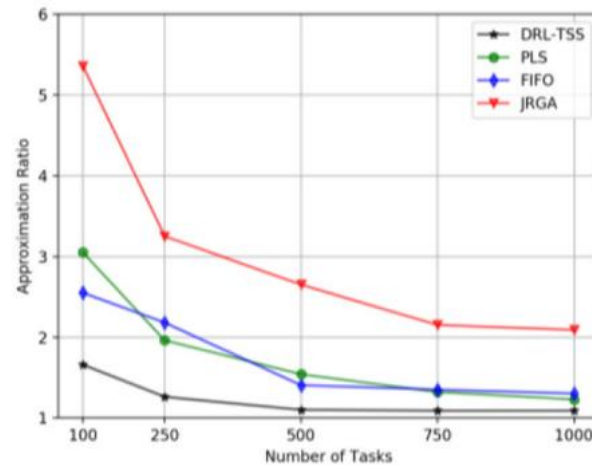
(b)



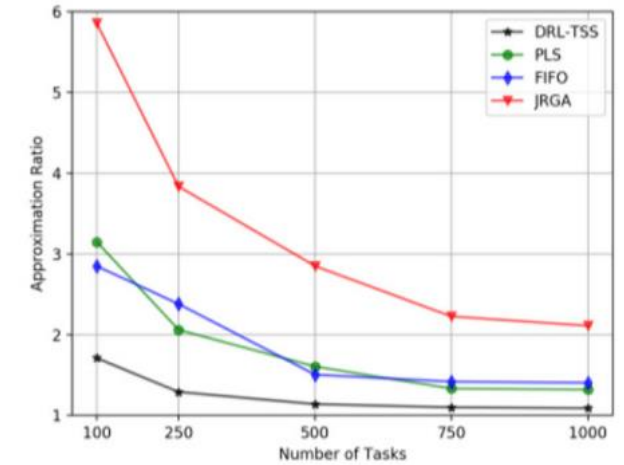
(c)



(d)



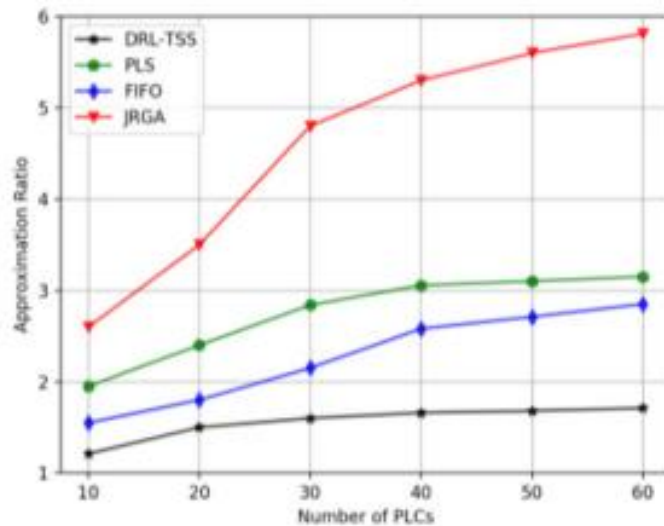
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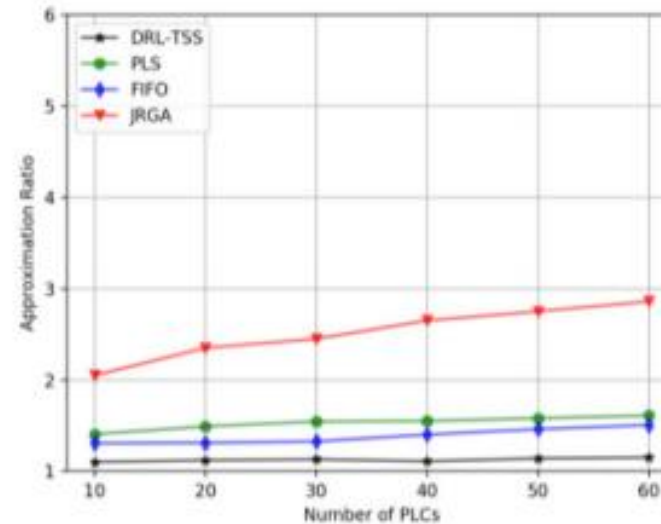
(f)

Experiment and Analysis

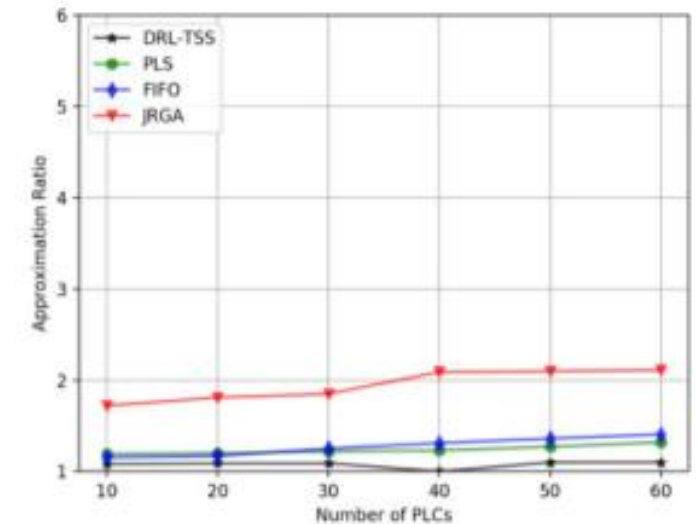
- Experiment Design Highlights:



(a)



(b)



(c)

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Pros and cons



- Pros:

- The introduction of DRL-TSS results in an approximation ratio close to the optimal makespan.
- It demonstrates strong performance even when dealing with a high number of tasks and multiple executors.

- Cons:

- The "Related Work" section lacks a detailed comparison with existing techniques.
- The paper's focus on industrial IoT scheduling challenges might limit its applicability in other domains.

Q & A

