

# CaseStudy3

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## Setup

Setting up the dataset and the actual data realization information into accessible variables for analysis.

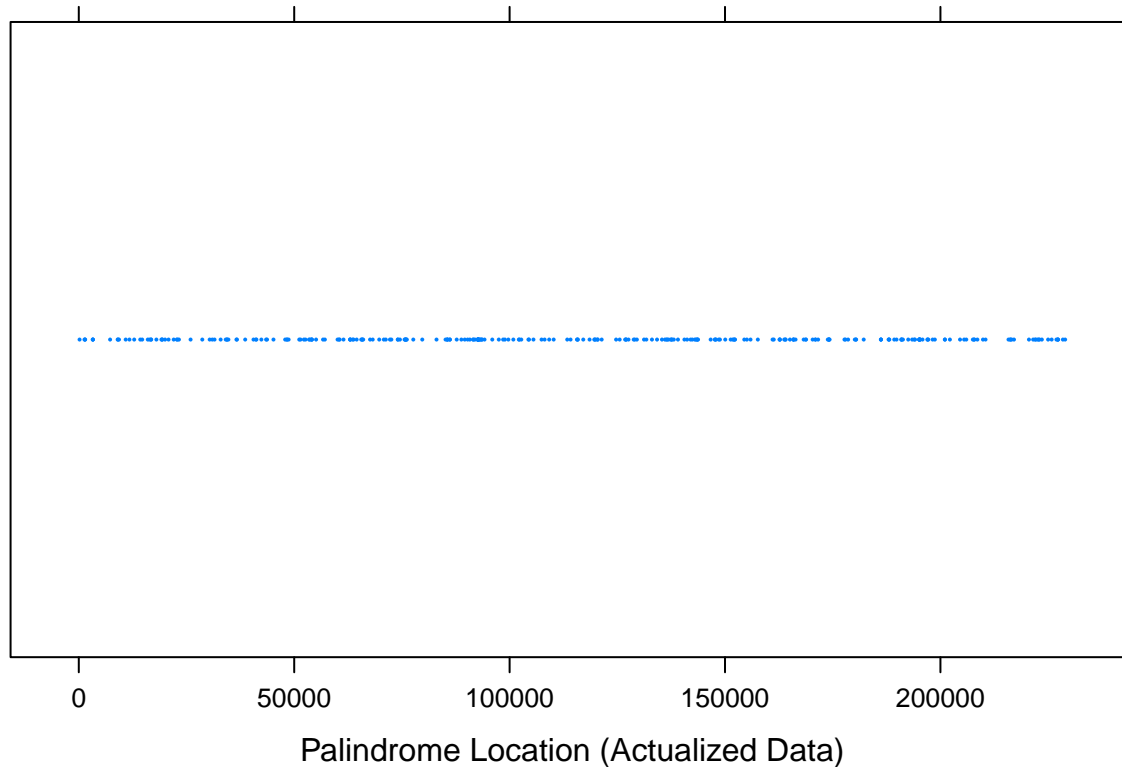
```
# Assuming the data is from the same working directory as this file
gene <- read.table("hcmv.txt", header=TRUE)
# Actual data
N <- 229354      # Population size
n <- 296         # Sample number of palindromes
editGene <- gene
site.random <- editGene[["location"]]
# Display the data
site.random
```

```
## [1] 177 1321 1433 1477 3248 3255 3286 7263 9023 9084
## [11] 9333 10884 11754 12863 14263 14719 16013 16425 16752 16812
## [21] 18009 19176 19325 19415 20030 20832 22027 22739 22910 23241
## [31] 25949 28665 30378 30990 31503 32923 34103 34398 34403 34723
## [41] 36596 36707 38626 40554 41100 41222 42376 43475 43696 45188
## [51] 47905 48279 48370 48699 51170 51461 52243 52629 53439 53678
## [61] 54012 54037 54142 55075 56695 57123 60068 60374 60552 61441
## [71] 62946 63003 63023 63549 63769 64502 65555 65789 65802 66015
## [81] 67605 68221 69733 70800 71257 72220 72553 74053 74059 74541
## [91] 75622 75775 75812 75878 76043 76124 77642 79724 83033 85130
## [101] 85513 85529 85640 86131 86137 87717 88803 89586 90251 90763
## [111] 91490 91637 91953 92526 92570 92643 92701 92709 92747 92783
## [121] 92859 93110 93250 93511 93601 94174 95975 97488 98493 98908
## [131] 99709 100864 102139 102268 102711 104363 104502 105534 107414 108123
## [141] 109185 110224 113378 114141 115627 115794 115818 117097 118555 119665
## [151] 119757 119977 120411 120432 121370 124714 125546 126815 127024 127046
## [161] 127587 128801 129057 129537 131200 131734 133040 134221 135361 136051
## [171] 136405 136578 136870 137380 137593 137695 138111 139080 140579 141201
## [181] 141994 142416 142991 143252 143549 143555 143738 146667 147612 147767
## [191] 147878 148533 148821 150056 151314 151806 152045 152222 152331 154471
## [201] 155073 155918 157617 161041 161316 162682 162703 162715 163745 163995
## [211] 164072 165071 165883 165891 165931 166372 168261 168710 168815 170345
## [221] 170988 170989 171607 173863 174049 174132 174185 174260 177727 177956
## [231] 178574 180125 180374 180435 182195 186172 186203 186210 187981 188025
## [241] 188137 189281 189810 190918 190985 190996 191298 192527 193447 193902
## [251] 194111 195032 195112 195117 195151 195221 195262 195835 196992 197022
## [261] 197191 198195 198709 201023 201056 202198 204548 205503 206000 207527
## [271] 207788 207898 208572 209876 210469 215802 216190 216292 216539 217076
## [281] 220549 221527 221949 222159 222573 222819 223001 223544 224994 225812
## [291] 226936 227238 227249 227316 228424 228953
```

## The Data

Here a strip plot is shown to visualize where palindromes are distributed, by laying out all possible palindrome location sites and displaying binary values representative of palindrome occurrences.

```
library(lattice)
stripplot(site.random, pch=16, cex=0.25, xlab="Palindrome Location (Actualized Data)")
```



## Testing

### Uniform Random Distribution by Simple Random Sampling

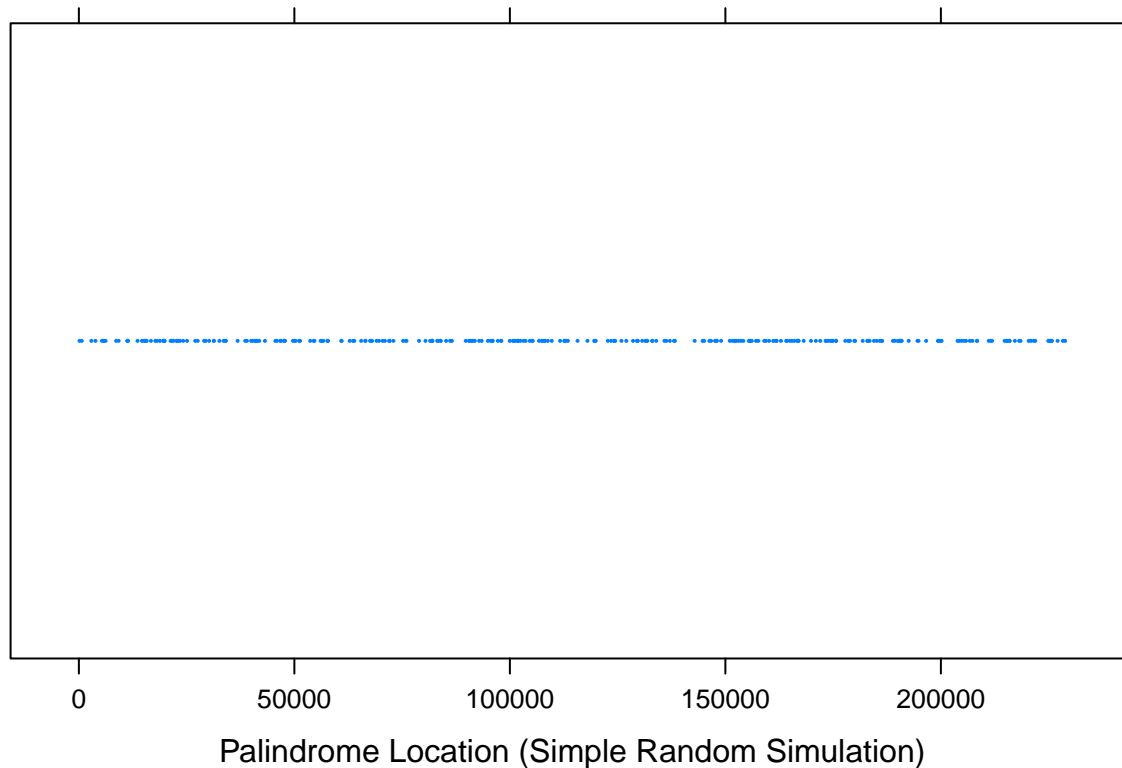
```
# Pseudo data for simulation
set.seed(22217) # Setting seed for the date at which this analysis was performed
gene <- seq(1, N)
# Produce simple random sample
site.random <- sample.int(N, size=n)
site.random
```

```
## [1] 174949 85198 54658 83367 72973 91865 106758 15113 19546 119591
## [11] 96009 164114 157638 70997 220364 144722 131728 181859 53671 90823
## [21] 130697 124433 72012 190519 183051 95948 123480 224920 204215 225734
## [31] 6201 26994 215341 172002 131893 142875 15731 186370 206710 15320
## [41] 89768 133009 196581 215916 97206 135873 57820 16730 21534 72088
## [51] 175670 100715 91087 148991 129680 189277 47631 157104 70484 63601
## [61] 105306 41189 63919 124143 67861 225315 204752 2902 208373 225741
## [71] 208412 82017 18803 90473 86555 166688 194563 677 23050 154151
```

```
## [81] 199346 151015 112659 67559 221899 188870 91449 136312 118009 112991
## [91] 177821 22628 40832 174562 133071 174368 190177 107483 98033 25099
## [101] 156135 146687 43177 56412 54455 46738 29438 190864 207306 166013
## [111] 24206 23508 83949 161648 199413 15621 60911 225348 101947 153596
## [121] 38596 40275 165459 80415 133956 78921 190555 211874 108806 183468
## [131] 166963 138078 194812 111652 41423 81951 103166 62846 173352 47548
## [141] 185794 217170 56090 34055 38986 92882 147599 51325 32614 19815
## [151] 76009 107916 146298 101794 19782 5773 93454 119658 170997 179921
## [161] 152061 102443 5355 205314 164279 199427 81979 119920 169866 19893
## [171] 50119 127009 30217 128574 125884 184474 11390 113468 131415 145078
## [181] 57659 129479 152350 104617 138299 178905 166946 105186 29061 227086
## [191] 39966 66443 18149 31320 166789 75231 218477 100994 183115 5768
## [201] 214790 148054 17754 27584 205823 36830 215960 152500 153030 159426
## [211] 173815 112666 46851 49676 161107 69637 11329 221523 228302 86128
## [221] 180094 124225 220926 31336 41832 34085 8653 101249 72057 159021
## [231] 33585 160137 190886 147808 45605 162896 50239 47843 211100 60943
## [241] 192546 83934 13614 81505 151623 182934 215324 211606 228835 168165
## [251] 115714 45974 75841 9223 40997 155648 203873 186298 99977 109712
## [261] 94906 97925 103631 161921 65500 199918 129636 3849 101848 11221
## [271] 175712 22927 163 51070 95523 69072 164911 173253 68029 218164
## [281] 189971 107415 21279 185108 178498 155443 137114 14635 56735 200160
## [291] 21943 66517 122735 83140 155824 108215
```

Plotting the uniform random distribution with a strip plot, we can compare it to the actualized data above.

```
library(lattice)
stripplot(site.random, pch=16, cex=0.25, xlab="Palindrome Location (Simple Random Simulation)")
```



It's easy to notice that while although similar, the actualized data may appear to have a couple more dense clusters than what was generated via the simple sample. We will need to perform more testing to confirm

whether these apparent clusters are statistically significant within the actualized data.

## Monte Carlo Uniform Simulation

### Generating the samples

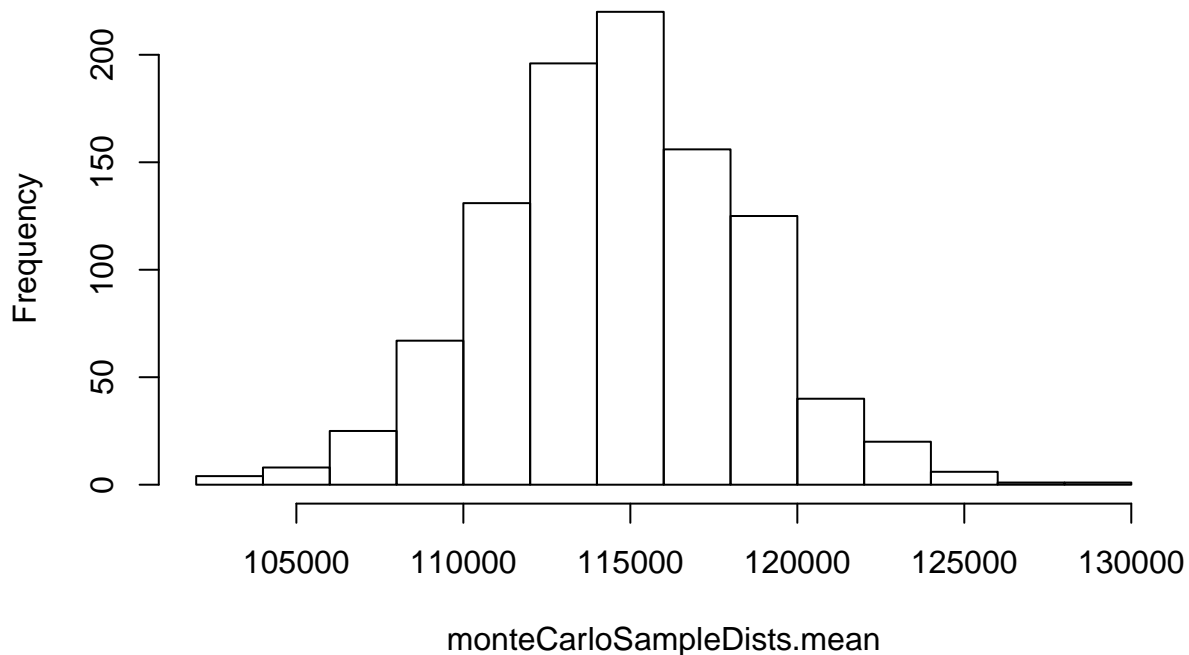
Here we are generating one thousand instances of 296 simple randomly chosen uniformly distributed variables, in order to acquire distributions of desired parameters for testing.

```
B <- 1000 # 1000 bootstrap uniform samples
monteCarloSampleDists <- matrix(data = NA, ncol = n, nrow = B)
monteCarloSampleDists.mean <- vector(mode="logical", length = B)
for (i in 1:B) {
  # Row is overall sample, column is data per sample
  monteCarloSampleDists[i,] <- sample.int(N,n)
  # Need to sort them in order to check consecutive palindromes
  monteCarloSampleDists[i,] <- monteCarloSampleDists[i,order(monteCarloSampleDists[i,])]
  monteCarloSampleDists.mean[i] <- mean(monteCarloSampleDists[i,])
}

#print(monteCarloSampleDists[1,])

hist(monteCarloSampleDists.mean)
```

**Histogram of monteCarloSampleDists.mean**



### Expected Consecutive Palindrome Occurences

Now, we want to build some statistics surrounding the randomly distributed monte carlo simulation. Here we will count the longest string of consecutive palindromes using the sorted data, and more.

```

counts <- matrix(data = NA, nrow = B, ncol = 2)
for (i in 1:B) {
  indexHighestCount <- 0
  tempFirstIndex <- 0
  # 0 indicates false, 1 indicates true
  booleanIsConsecutiveNow <- 0
  # Counting the amount of consecutive palindromes
  count <- 1 # Initialized to one since we're counting backwards down below in loop
  highestCount <- 1 # Used to track the highest count overall
  # Inefficient, but stable
  # Starts from 2 to compare to last element
  for (j in 2:n) {
    #monteCarloSampleDists[i,j]
    if (monteCarloSampleDists[ i, (j - 1) ] == ((monteCarloSampleDists[i,j]) - 1)) {
      if(booleanIsConsecutiveNow == 0) {
        tempFirstIndex <- (j - 1) # Index at first palindrome in at least 2 consecutive occurrences
      }
      count <- (count + 1)
      booleanIsConsecutiveNow <- 1
    }
    else {
      if (count > highestCount) {
        highestCount <- count
        indexHighestCount <- tempFirstIndex
      }
      count <- 1
      tempFirstIndex <- 0
      booleanIsConsecutiveNow <- 0
    }
  }
  # Store highest count into the counts array
  counts[i,1] <- highestCount
  # Store the index at which highestCount occurred into the array also.
  counts[i,2] <- indexHighestCount
}

## THE REST IS DEMONSTRATIVE THAT THIS WORKS AT THE INITIAL SEED
#summary(counts)
threePalindromes <- which(counts[,1] == 3)
threePalindromes

## [1] 814
monteCarloSampleDists[814, 215:218]

## [1] 176144 176145 176146 176177
counts[814,]

## [1] 3 215

```

## Chi-Squared Test

```
regionsplit <- function(n.region, gene, site){
  count.int <- table(cut(site, breaks = seq(1, length(gene), length.out=n.region+1), include.lowest=TRUE))
  count.vector <- as.vector(count.int)
  count.tab <- table(count.vector)
  return (count.tab)
}

n.region <- 50
regionsplit(n.region, gene, site.random)

## count.vector
##  2  3  4  5  6  7  8  9 10 11
##  2  2  5 18  6  6  5  3  2  1

chisqtable <- function(n.region, site, N){
  n <- length(site)
  # lambda estimate
  lambda.est <- n/n.region
  # cut into n.region number of non-overlapping intervals
  count.int <- table(cut(site, breaks = seq(1, length(gene), length.out=n.region+1), include.lowest=TRUE))
  # get the count levels range
  count.vector <- as.vector(count.int)
  count.range <- max(count.vector) - min(count.vector) + 1

  # create contingency table
  table <- matrix(rep(NA, count.range*3), count.range, 3)
  for (i in 1:count.range){
    offset <- min(count.vector) - 1
    # first column = count level
    table[i, 1] <- i + offset
    # second column = observed count
    table[i, 2] <- sum(count.vector == i + offset)
    # third column = expected count
    if ((i + offset == min(count.vector)) && (min(count.vector) != 0))
      table[i, 3] <- ppois(i+offset, lambda.est)*n.region
    else if (i + offset == max(count.vector))
      table[i, 3] <- 1 - ppois(i + offset - 1, lambda.est)
    else
      table[i, 3] <- (ppois(i+offset, lambda.est) - ppois(i + offset - 1, lambda.est))*n.region
  }
  return (table)
}

site.random.tabtemp <- chisqtable(n.region, site.random, N)

site.random.tab <- matrix(rep(NA, 7*2), 7, 2)
site.random.tab[1,] <- colSums(site.random.tabtemp[1:2, 2:3])
site.random.tab[2:6,] <- site.random.tabtemp[3:7, 2:3]
site.random.tab[7,] <- colSums(site.random.tabtemp[8:10, 2:3])
site.random.stats <- sum((site.random.tab[,2] - site.random.tab[,1])^2/site.random.tab[,2])
pchisq(site.random.stats, 7 - 2, lower.tail=FALSE) #if lower.tail=TRUE then you're testing something else

## [1] 0.009900061
```