

module 2]

option

command

module 2 14 13 4 - 0 7 A 4 = 5 7 3 0
 3 1 1 5 E D 4 0000 0111 1010 0100 = 0101 0111 0011 0000
 0101 1110 1101 0100

3.2] 5 E P4 0101 1110 1101 0100
- 07 AL + 1111 R000 R001 R000
0000 0111 1010 0100

$$\begin{array}{r} 10100 \\ \times 101 \\ \hline 10100 \end{array}$$

sign bit not set so calculation same as above

33] 5 EP4 0101 1110 1101 0100

Each hexadecimal ~~digit~~ number = 4 bits, saves time and space. 1 byte = 2 hexa digits

$$\begin{array}{r}
 \boxed{3.4} \\
 - 341.2 \\
 \hline
 229.8 \\
 \end{array}
 \quad
 \begin{array}{r}
 \rightarrow 4 \cdot 8^3 \\
 \rightarrow 3 \cdot 8^3 \\
 \downarrow 8^1 \\
 \hline
 + 4 \cdot 8^2 \\
 + 1 \cdot 8^1 \\
 \hline
 - 180.2 \\
 \end{array}
 \quad
 \begin{array}{r}
 + 3 \cdot 8^2 \\
 + 6 \cdot 8^1 \\
 + 5 \cdot 8^0 \\
 \hline
 491.3580 \\
 \end{array}
 = \boxed{0.7338}$$

$$\begin{array}{r}
 \text{④ } 4365 \\
 - 3412 \\
 \hline
 \end{array}
 \quad \begin{array}{l}
 \text{base 10} \\
 \rightarrow 0100\ 0011\ 0110\ 0101 \rightarrow 2293
 \end{array}
 \quad \begin{array}{l}
 \text{base 8} \\
 \rightarrow 6011\ 0100\ 0001\ 1010 \rightarrow 1802
 \end{array}$$

$\begin{array}{r}
 000\ 011\ 010\ 011 \\
 \hline
 491
 \end{array}$
67538

$3 + 40 + 60 \cdot 7 = 491$

Encoded Oct	4365
Bin	100 011 110 101
Sign	1
Magnitude Bin	00 011 110 101
Oct	365

$$185 = 128 + 32 + 16 + 8 + 1 = 10111001$$

$$122 = 64 + 32 + 16 + 8 + 2 = 122 = \cancel{0}111100\ 0111010$$

00111111 heitter

$$\begin{array}{r}
 10111001 \\
 - 01111010 \\
 \hline
 111011
 \end{array}
 \qquad
 \begin{array}{r}
 1111010 \\
 \text{by } 32 \frac{1}{16} \frac{1}{4} \frac{1}{2} \\
 \hline
 122 \\
 \text{by } 64
 \end{array}$$

122
64
58
32
20
16
10

3.7) = 1815 01 011100

172 0111 1010
10011 0011 over/low

3.5 and 3.7
(at the end)

3.5
300

$$\begin{array}{r} \cancel{4} \cancel{1} \cancel{3} \cancel{6} \\ - \cancel{3} \cancel{4} \cancel{1} \cancel{2} \\ \hline 0 \cancel{7} \cancel{5} \cancel{3} \cancel{8} \end{array}$$

(at the end)

Yearly precipitation

Oct + 4365

Nov 1557

Dec - 845

Oct + 4365

Nov 1557

Dec - 845

Oct + 4365

Nov 1557

Dec - 845

Now do I convert to Octal
Octal 3277

control

option

command

d

option

$$3.8] A \ 185 \quad 10111001 \rightarrow -57$$

$$\frac{-57}{-122}$$

underflow

$$-B \ 122$$

$$01111010 \rightarrow 122$$

too small

$$\frac{122}{-179}$$

overflow

signed
(look at hints)
in module 2

two's complement

negative

$$3.9] 214 \quad \text{binary} \quad 11010110$$

two's

$$00101001 \rightarrow 00101010$$

$$151 \quad 10010111$$

$$01101000 \rightarrow 01101001$$

decimal

$$\rightarrow 105$$

$$\rightarrow -42$$

$$A \quad 00101010$$

$$01101001$$

$$10010011 \leftarrow -147 ?$$

$$185 \text{ in binary}$$

$$\begin{array}{r} 1 \ 0 \ 1 \ 1 \ 1 \ 0 \ 0 \\ 128 \ 64 \ 32 \ 16 \ 8 \ 4 \ 2 \ 1 \\ \hline 185 \\ 128 \\ 57 \\ 32 \\ 25 \end{array}$$

decimal \rightarrow binary conversion

$$214 \rightarrow 1 \ 0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 1$$

$$108 \ 64 \ 32 \ 16 \ 8 \ 4$$

$$84 \ 128$$

$$80 \ 64$$

$$20 \ 16$$

$$16 \ 12$$

$$12 \ 8$$

$$8 \ 4$$

$$4 \ 2$$

$$2 \ 1$$

$$1 \ 0$$

$$3.10) A @ 151 - 214$$

$$151 \quad \text{Binary} \quad 10010111$$

two's complement

$$01101000 + 1 \Rightarrow 01101001$$

$$214 \quad 11010110$$

$$00101001 + 1 \Rightarrow 00101010$$

$$\boxed{00111111} \rightarrow 63 \rightarrow -63$$

$$3.11] 151 \quad \text{binary} \quad 10010111$$

$$214 \quad 11010110$$

$$\text{add } 1) 01101101$$

$$\leftarrow \begin{array}{c} 365 \\ 214 \end{array}$$

Overflow

because last right

$$3.12) A, 3.984375 \times 10^{-1} = 1,1001100000 \times 2^{-2} \text{ (see side note)} \quad A + b = 10,1111000000 \times 2^{-2}$$

$$B, 3.4375 \times 10^{-1} = 1,011000000 \times 2^{-2}$$

$$C, 1.771 \times 10^3 = 1,1011101011 \times 2^{10}$$

$$\begin{array}{r} 0.0000000000 | 0111100000 \times 2^{10} \\ + 1,1011101011 | \\ \hline 1,1011101011 \end{array}$$

round

guard

$$1,1011101100 \times 2^{10}$$

$$= \boxed{11011101100_2} = 1772$$

$$3.984375 \times 10^{-1}$$

$$= 0.3984375 \leftarrow \text{convert to decimal}$$

$$\frac{51}{128} = \frac{110011}{2^7} = 110011 \times 2^{-7}$$

$$= 1,10011 \times 2^{-7}$$

$$\begin{aligned} \text{Q33)} \quad & 3.984375 \times 10^{-1} = 0.3984375 \text{ in decimal} \rightarrow \frac{51}{128} = \frac{110011}{2^7} = 110011 \times 2^{-7} \\ & = 1.10011 \times 2^{-2} \\ \\ & 3.4375 \times 10^{-1} = 34375 \text{ in decimal} \rightarrow \frac{11}{32} = \frac{1011}{2^5} = 1011 \times 2^{-5} \\ & = 1.011 \times 2^{-2} \end{aligned}$$

3.34] It does not equal, Not associative.

$$= \boxed{1771}$$

3.5) $4365 - 3412$ (base 8) is:

$$4 \cdot 8^3 + 3 \cdot 8^2 + 6 \cdot 8^1 + 5 \cdot 8^0 - (3 \cdot 8^3 + 4 \cdot 8^2 + 1 \cdot 8^1 + 2 \cdot 8^0)$$
$$4 \cdot 512 + 3 \cdot 64 + 48 + 5 - 3 \cdot 512 + 4 \cdot 64 + 8 + 2$$
$$2293 - 1802 = 491 \text{ in } \begin{array}{l} \text{decimal} \\ \text{binary} \end{array} \boxed{0753 \text{ in octal}}$$

3.7) $\begin{array}{r} 185 \\ + 122 \\ \hline 307 \end{array}$ signs so $10111001 = \cancel{101}-\cancel{00}57$ 10111001 is thus 6
 $01111010 = 122$ diff signs so $\begin{array}{r} 128 \\ - 66 \\ \hline 62 \end{array}$
 $= \cancel{00}65$ no overflow
result is in range
so no overflow

1010
0011
1101

$$\begin{array}{r} 10111001 \\ - 01111010 \\ \hline 00111011 \end{array}$$
$$\begin{array}{r} 10111001 \\ - 01111010 \\ \hline 111101 \end{array}$$
$$\begin{array}{r} 10111001 \\ + 10000110 \\ \hline 10011111 \end{array}$$

~~10111001
01111010
01111011~~

How do I add the binaries for $\cancel{-57}$ and 122, I get

$$\begin{array}{r} 10111001 \\ 01111010 \\ \hline 10011001 \end{array}$$
$$\begin{array}{r} 122 \\ - 57 \\ \hline 65 \end{array}$$

↑ this is too big, What am I doing wrong?

Can you help?

$$\boxed{65 = 01000001}$$