

return

Z X C V B N M &lt; &gt; ? / shift

#

Module 3

2.3  $B[8] = A[i-j]$  → sub \$t0, \$s3, \$s4 # $i-j$   
 A is in \$s6 add \$t0, \$t0, \$s6 #add the base to \$t0  
 B is in \$s7 lw \$t0, 0(\$t0) #load A[8] into \$t0  
 sw \$t0, 32(\$s7) #load \$t0 into B[8]

2.4 sll \$t0, \$s0, 2 # $t0 = 0x4$   
 add \$t0, \$s6, \$t0 # $t0 = \&A[f]$  and \$s6 has the base register  
 sll \$t1, \$s1, 2 # $t1 = 5 \times 4$  Shift left \$s1 by 2 which = a multiplication by 4  
 add \$t1, \$s7, \$t1 # $t1 = \&B[g]$  \$s7 the base of B  
 lw \$s0, 0(\$t0) # $f = A[f]$

$B[g] = A[f] + A[f+1]$  sw \$t0, 0(\$t1) store \$t0 in \$t1  
 where \$t1 is the memory address of  $B[g]$

2.9 i is in \$s3 so lets find the address of  $A[i]$  first

sll \$t0, \$s3, 2 # $t0 = i * 4$   
 add \$t0, \$t0, \$s6 # add the base addr of A  
 lw \$t0, 0(\$t0) # load value of  $A[i]$  into \$t0  
 sll \$t1, \$s4, 2 # same for j. j is in \$s4  
 add \$t1, \$t1, \$s6 # add base of A  
 lw \$t1, 0(\$t1) # load  $A[j]$  into \$t1  
 add \$t2, \$t0, \$t1 # add both values and store into \$t2  
 sw \$t2, 32(\$s7) # store \$t2 into B[8]

000000 0010 0001 0000 10000 00000 10000 00000 0010 0000  
 0p=0 rs=16 rs=16 rs=16 sham=0 funct=0x20 (add)

000000 10000 10000 10000 00000 100000  
 0p=0 rs=16 rs=16 rs=16 sham=0 funct=0x20 (add)  
 add \$s0, \$s0, \$s0 R-type



option : 2.15 |  $rw \$t_1, 32(\$t_2)$

<del>43</del>	10	9	32
101011	01010	01001	0000 0000 0010 0000
opcode	<del>sw</del>	<del>RT</del>	
<del>sw</del>	<del>43</del>		

I-type  $0xAD490020$

2.16 |  $op=0 \quad rs=3 \quad rt=2 \quad rd=3 \quad shamt=0 \quad funct=34$

~~sub~~ sub because of the ~~0~~ and 34

rs=3	: \$v1	$\boxed{\begin{array}{l} sub \$v1, \$v1, \\ \$v0 \end{array}}$ R-type
rt=2	: \$v0	
rd=3	: \$v1	

2.17 |  $op=0x23, rs=1, rt=2, const=0x4$  I-type  
~~hex=35~~       $\uparrow$        $\uparrow$        $\uparrow$        $\uparrow$        $\uparrow$        $\uparrow$   
~~\$at~~      \$at      \$v0      \$v0      \$v0      \$v0  
 $lw \$v0, 4(\$at)$

~~07~~  
~~1000011|00001|00010|0000000000000000100~~  
~~35~~      1      2      4  
~~0x23~~

2.19 |  $\$t_0 = 0x AAAA AAAA AA \quad \$t_1 = 0x 12345678$

2.19.1 |  $\$t_0$  in bytes = 1010 1010 1010 1010 1010 1010  
 $\$t_1$  in bytes = 0001 0010 0011 0100 0101 0110 0111 1000

SH result = 0x AAAA AAAA 0

$\$t_2 = 1010 1010 1010 1010 1010 \text{ (0000)} 1010 1010 0000$

$\$t_1$  or  $\$t_2 = 10101011 11101111 11101111 1000$

1011	A	B	E	F	F	F	8
0x	AB		E				

2.19.2

\$t2 1010 1010 1010 1010 1010 1010 1010 1010 0000

so \$t2 = 0xAAAA AAA0



andi \$t2, \$t2, -1 #

-1 = 1111 1111 1111 1111 1111 1111 1111 1111 1

\$t2 after andi = 1010 1010 1010 1010 1010 1010 1010 1010 0000

= 0xAAAA AAA0

2.19.3

srl \$t2, \$t2, 3

\$t2 0001 0101 0101 0101 0101 0101 0101 0101 0101

0x15555555

andi \$t2, \$t2, 0xFFE

0xFFE = 0000 0000 0000 0000 1111 1111 1110 1111

andi \$t2, \$t2 = 0000 0000 0000 0101 0101 0100 0101

0xFFE = 0000 0000 0000 0000 0000 0000 0000 0000