

TYPE No.	
DATE	/ /

Class : BE-IT

subject: JS lab

[illegible]

600 700 800 900

Assignment - 1 (A)

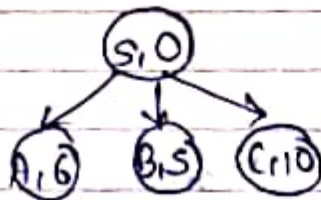
Q-1. Consider following definition of state space for some arbitrary problem. The number mentioned against the edges is cost to be incurred in moving from one node to other in any direction. The number is not mentioned against the node is heuristic function value.

Q1.1 Apply BFS on above graph.

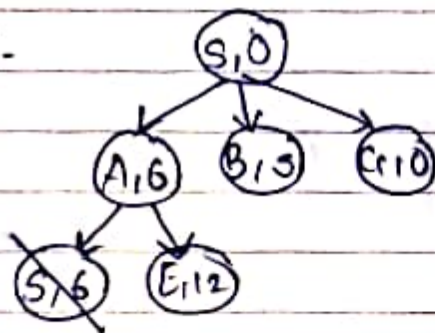
Step 0:-



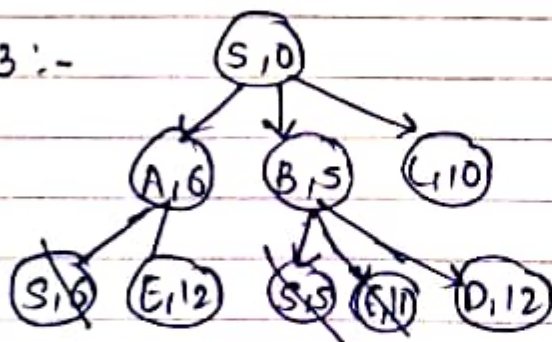
Step 1:-



Step 2:-



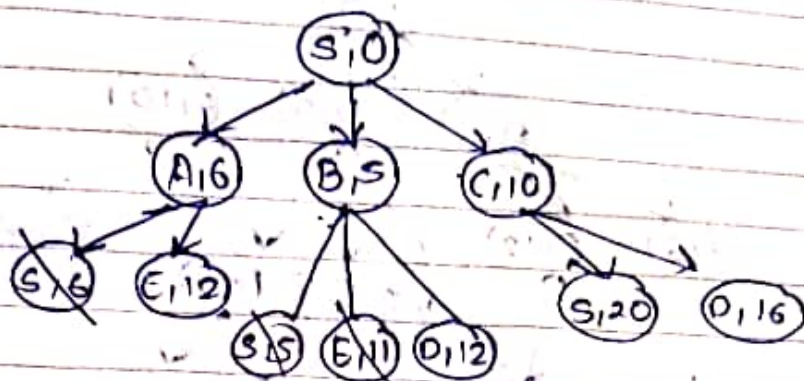
Step 3:-



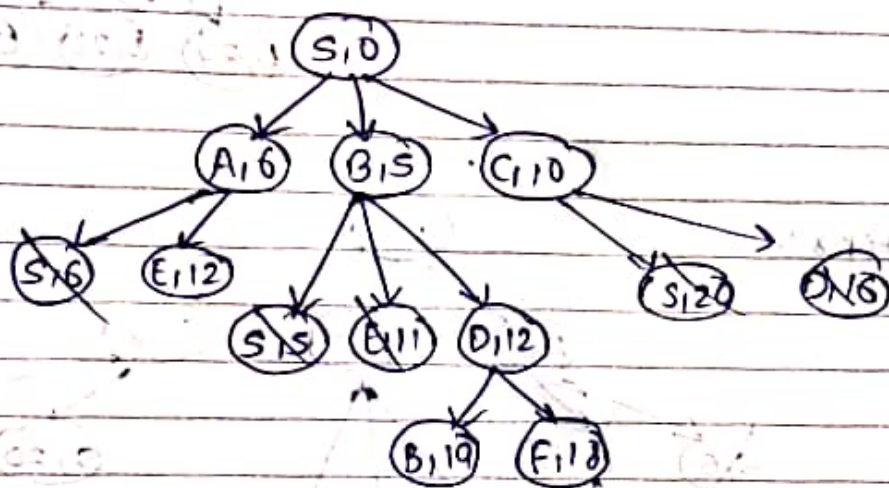
Step 4:-



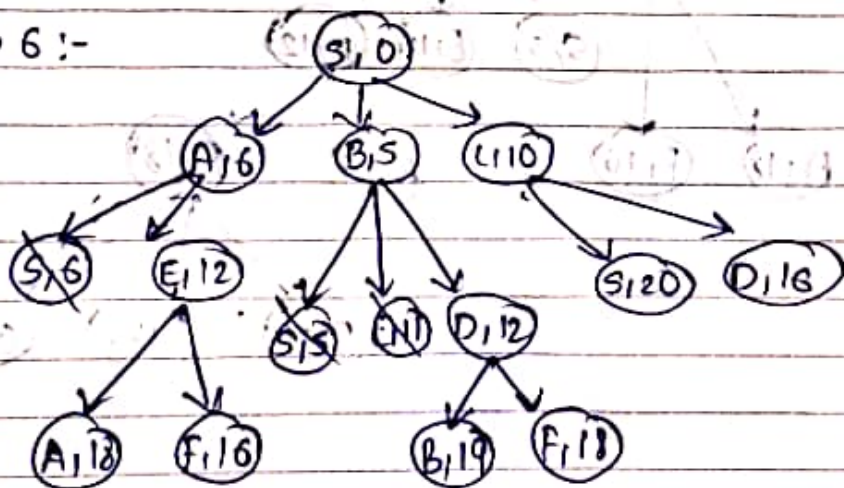
step 4 :-



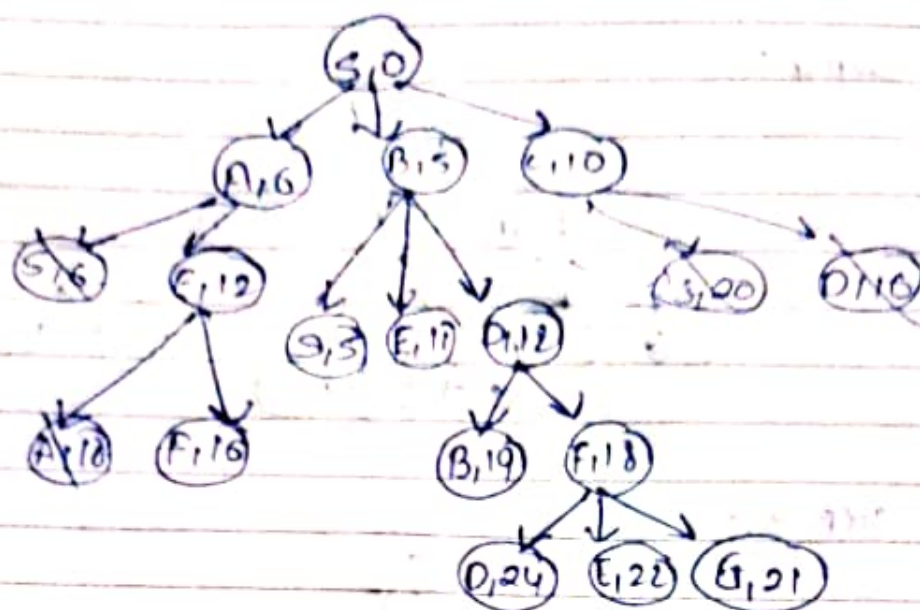
step 5 :-



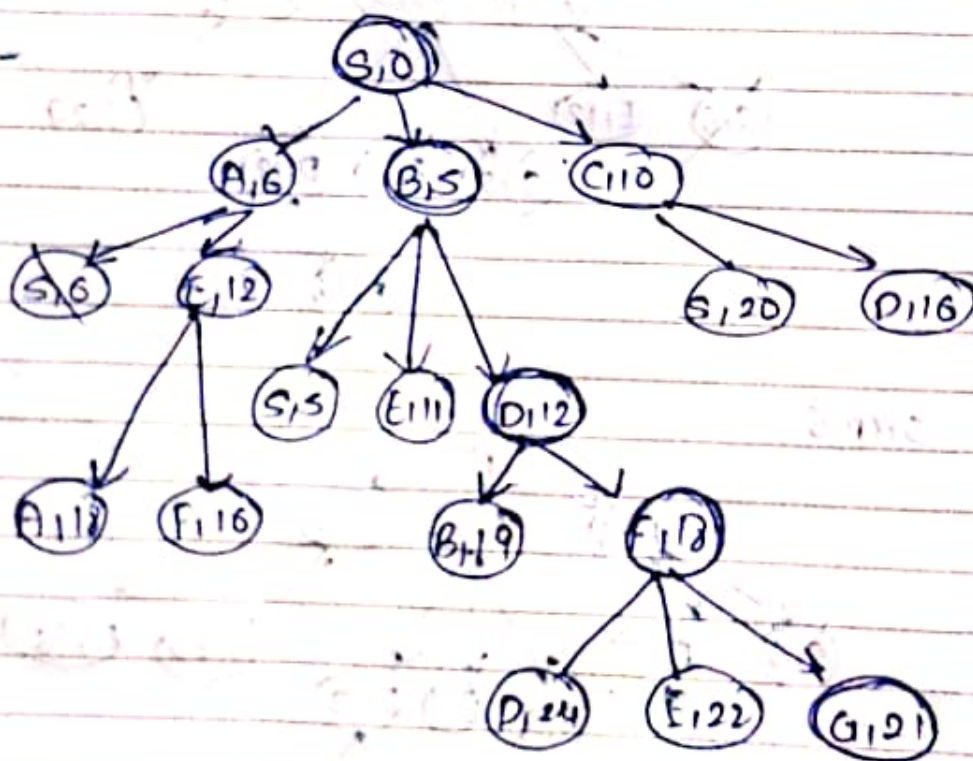
step 6 :-



Step 7 :-



Step 8 :-



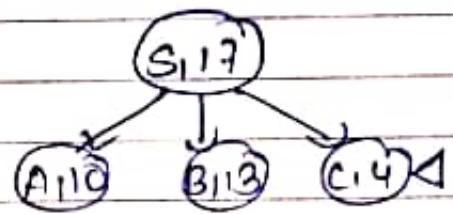
Q1.4. Apply Best First Search and Clearly show all the steps using search tree.

Initialization: Compute ~~and~~ f-score for S and put it in the Openlist.

F-source S: $f(S) = h(S) = 17$ (S, 17)

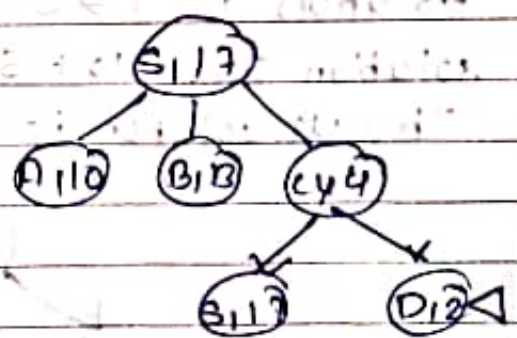
Step 1:- F-score of successors

$f(A) = h(A) = 10$
 $f(B) = h(B) = 13$
 $f(C) = h(C) = 4$



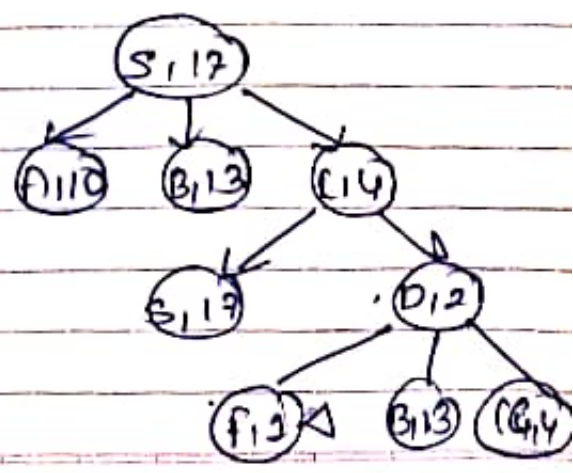
Step 2:- F-score of successors

$f(S) = h(S) = 17$
 $f(D) = h(D) = 2$



Step 3:- F-score of successors

$f(C) = h(C) = 4$
 $f(B) = h(B) = 13$
 $f(F) = h(F) = 1$

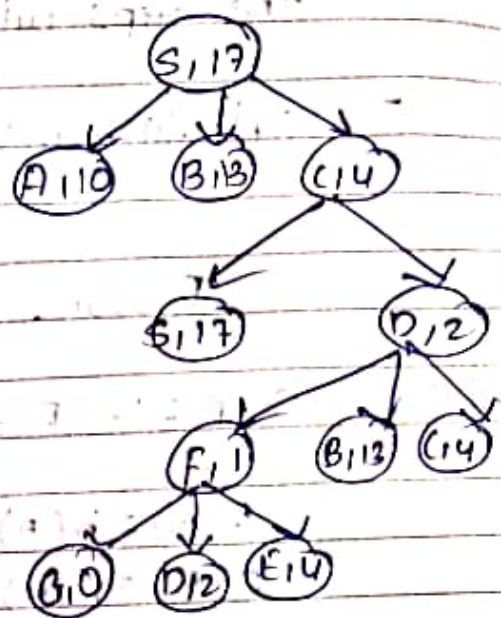


Step 4:- F-score of Succession

$$f(D) = h(D) = 2$$

$$f(E) = h(E) = 4$$

$$f(G) = h(G) = 0$$

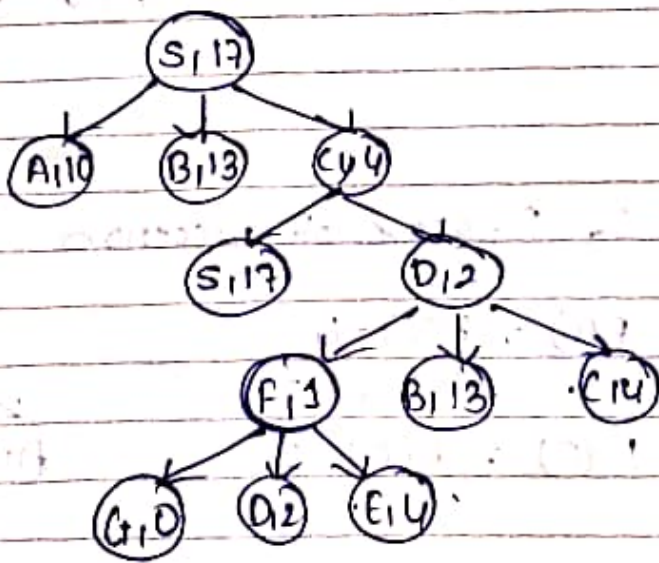


Step 5:-

solution is $S \rightarrow C \rightarrow D \rightarrow F \rightarrow G$ with

$$\text{solution cost} = 10 + 6 + 6 + 3 = 25$$

This is an optimal solution



Q.2.

- a. The lowest path cost $g(n)$ can be the cost to reach the goal configuration in least steps. In our case, we can reach the final configuration in at least four moves:-

UP, UP, LEFT, LEFT

Since all moves are equally costly, we compute

$g(n)$ as

$$g(n) = 1 + 1 + 1 + 1$$

$$g(n) = 4$$

Consider the following 8-puzzle instance:

8	7	6
2	1	5
-	3	4

Solution can be represented as:-

$\{\{8, 7, 6\}, \{2, 1, 5\}, \{-1, 3, 4\}\} \rightarrow \{\{8, 7, 6\}, \{2, 1, 5\}, \{3, -, 4\}\} \rightarrow$
 $\{\{8, 7, 6\}, \{2, 1, 5\}, \{3, 4, -\}\} \rightarrow \{\{8, 7, 6\}, \{2, 1, -3\}, \{3, 4, 5\}\}$
 $\rightarrow \{\{8, 7, -3\}, \{2, 1, 5\}, \{3, 4, 6\}\} \rightarrow \{\{8, -, 7\}, \{2, 1, 6\}, \{3, 4, 5\}\}$
 $\rightarrow \{\{-1, 8, 7\}, \{2, 1, 6\}, \{3, 4, 5\}\}$

Since all the moves are equally costly the cost would be

$$g(n) = 6.$$

problem

G.

8	7	6
2	1	5
3	4	-

Initial config.

left

8	7	6
2	1	5
3	-	4

up

8	7	6
2	1	-
3	4	5

left

8	7	6
2	1	5
-	3	4

up

8	7	6
2	-	5
3	1	4

right

8	7	6
2	1	5
3	4	-

up

8	7	-
2	-	1
3	4	5

left

8	7	6
2	-	1
3	4	5

down

8	7	6
2	1	5
3	4	-

left

8	-	7
2	1	6
3	4	5

down

8	7	6
2	1	-
3	4	5

left

-	8	7
2	1	6
3	4	5

down

8	1	7
2	-	6
3	4	5

right

8	7	-
2	1	6
3	4	5

Final configuration

c.

→

For $i = 1$, $n = \text{initial state}$

$h_1(\text{initial}) = \text{misplaced tile count except space}$

$$h_1(\text{initial}) = 4$$

$n = \text{goal state}$

$$h_1(\text{goal}) = 0$$

For $i = 2$, $n = \text{initial state}$

$h_2(\text{initial}) = \text{Currently explored tile count except space}$

$$h_2(\text{initial}) = 4$$

for $n = \text{goal state}$

$$h_2(\text{goal}) = 1$$

for $i = 3$, $n = \text{initial state}$

$h_3(\text{initial}) = \text{sum of Manhattan dist between current and correct position of all tiles except space}$

$$h_3(\text{initial}) = 0 + 0 + 0 + 0 + 1 + 1 + 1 + 1$$

$$= 4$$

for $n = \text{goal state}$

$$h_3(\text{goal}) = 0.$$