

## Kanishk Singh- SE21UCAM005 (CAM)

### Lab 5- Greedy Algorithm Implementation

Functions used:-

1. One function to generate random problems for Knapsack

```
def generate_random_knapsack_problem(n):
```

```
    weights = []
```

```
    values = []
```

```
    for _ in range(n):
```

```
        weight = random.randint(1, 200)
```

```
        value = random.randint(1, 500)
```

```
        weights.append(weight)
```

```
        values.append(value)
```

```
    capacity = random.randint(1, 1000)
```

```
    return weights, values, capacity
```

2. Then we have the Knapsack solver using greedy approach

```
def knapsack_greedy(weights, values, capacity):
```

```
    n = len(weights)
```

```
    value_per_weight = [(values[i] / weights[i], weights[i], values[i]) for i in range(n)]
```

```
    value_per_weight.sort(reverse=True)
```

```
    max_value = 0
```

```
    knapsack = []
```

```
    for _, weight, value in value_per_weight:
```

```
        if capacity == 0:
```

```
            break
```

```
        if weight <= capacity:
```

```
            max_value += value
```

```
            knapsack.append((weight, value, 1.0))
```

```
            capacity -= weight
```

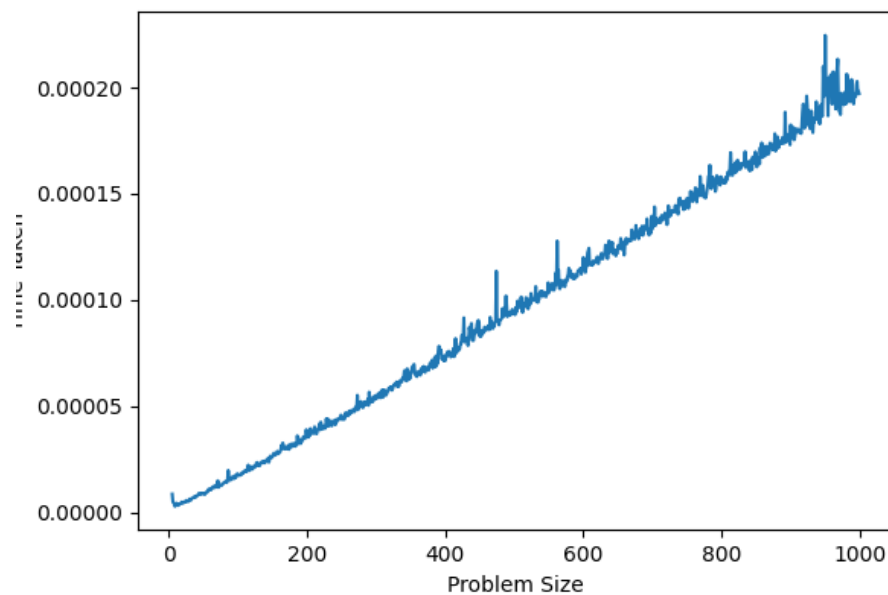
```
        else:
```

```
            fraction = capacity / weight
```

```
max_value += fraction * value
knapsack.append((weight, value, fraction))
capacity = 0
```

```
return max_value, knapsack
```

Graph:-



Conclusion: As we can see that the graph looks very linear and looks like  $O(n)$  but in theory it should be  $O(n \log n)$ . This could be because of our limited data set and computation power.