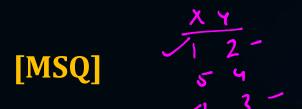
CS & IT ENGINEERING

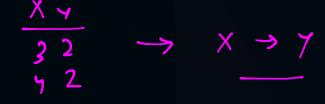
Database Management System

DBMS



DPP 01 Discussion Notes

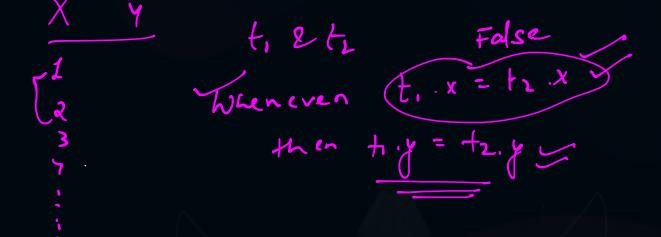






#Q. In a relation R(X,Y), we can say that a functional dependency $X \to Y$ holds if:





All values of Y are unique in R

For every pair of tuples in R, if the X values are the same, then the Y values are also the same

For every pair of tuples in R, if the Y values are the same, then the X values are also the same



#Q. Given A \rightarrow B, which of the following can be inferred using augmentation?

$$\begin{array}{c} \chi \rightarrow \gamma - + ne \\ \chi_Z \rightarrow \gamma_Z + ne \end{array}$$

- $\begin{array}{|c|c|} \hline \textbf{A} & \textbf{B} \rightarrow \textbf{A} \end{array}$
- $\begin{array}{c} C \longrightarrow A \end{array}$

- $AC \rightarrow BC$
- $AB \to C$



#Q. Relation R(A, B, C, D) has FDs:

Relation R(A, B, C, D) has FDS:

$$A \rightarrow B$$
, $A \rightarrow C$ \Rightarrow $A \rightarrow BC$ \Rightarrow $AD \rightarrow BCD$ (ang mentation)

$$B \rightarrow C$$

Which of the following is NOT derivable using Armstrong's axioms?



$$AD \rightarrow BCD$$

$$C \to A$$





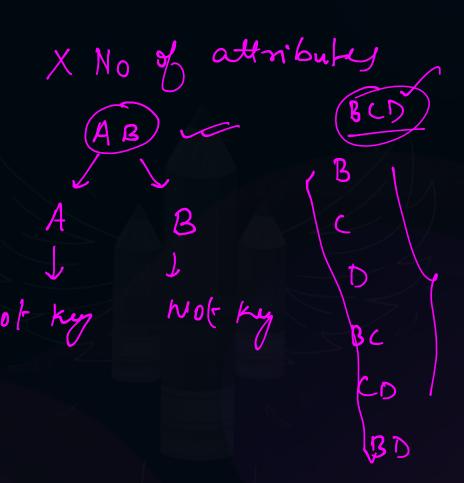


#Q. Consider relation R(A, B, C, D) with candidate keys: {AB}, {BCD}.

Which of the following best explains why {AB} is considered a minimal key?

- Because {AB} has fewer attributes than {BCD}
 - Because no proper subset of {AB} is a key
- Because {AB} determines all att<u>ributes of R</u>
- None of the above







#Q. Consider a relation R(A, B, C, D) with the following functional dependencies:



$$A \rightarrow B$$

$$A \rightarrow B$$

$$C \rightarrow D$$

$$C^{+} = \{A, B\}$$

$$C^{+} = \{C, D\}$$

$$C \rightarrow D$$

$$AC \rightarrow BCD$$

Which of the following is a candidate key of R?



AC



ABC Super hy

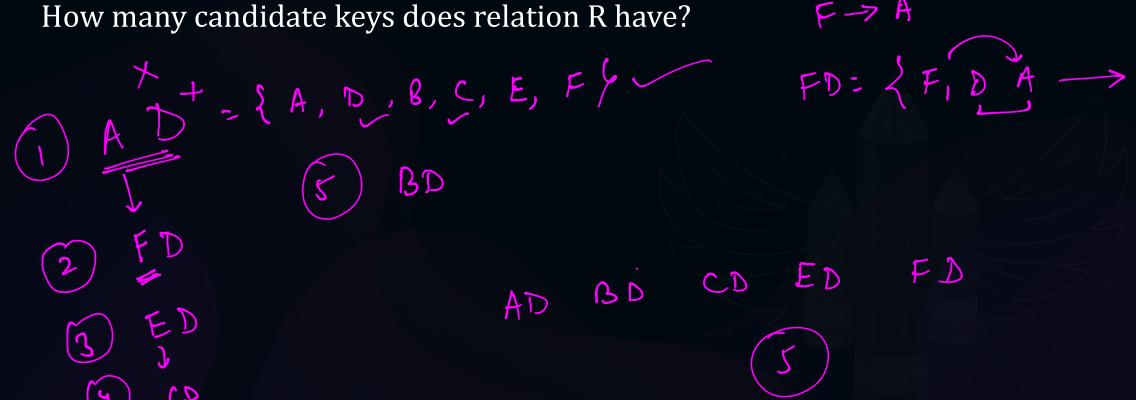
[NAT]

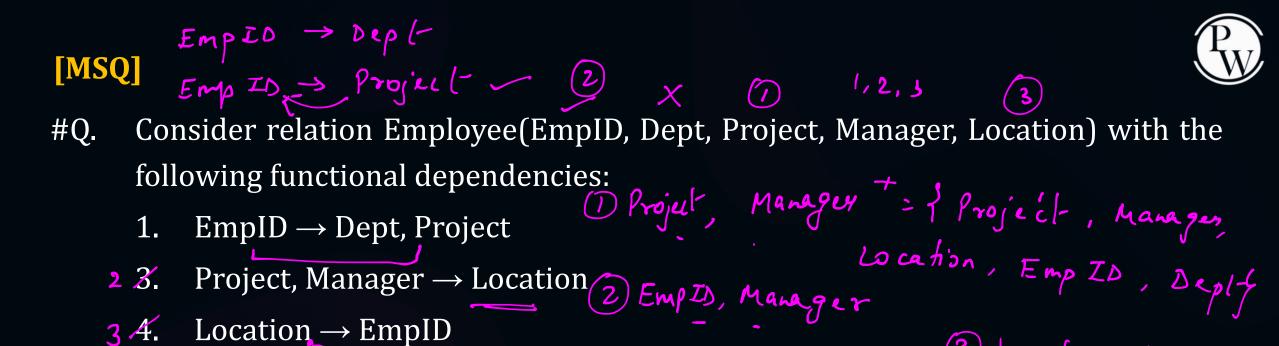


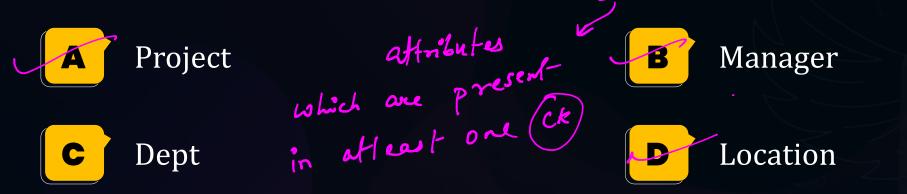
Consider a relation R(A, B, C, D, E, F) with the following set of functional #Q. dependencies: AD-> AOCDEF

$$F = \{A \rightarrow B, B \rightarrow C, CD \rightarrow E, E \rightarrow F, F \rightarrow A\}$$

How many candidate keys does relation R have?







Which of the following is/are prime attribute of Employee?





Consider a relation R(A, B, C, D, E) with the following set of functional #Q. dependencies F:

a.
$$A \rightarrow B$$

a.
$$A \rightarrow B$$

b. $B \rightarrow C$
c. $CD \rightarrow E$

c.
$$CD \rightarrow E$$

$$A^{+} = \{A,B,C\}$$

Which of the following FDs is/are NOT the member of F⁺ (i.e., implied by the given FD set)?



$$A \rightarrow C$$

$$A \to E$$



$$AB \rightarrow C$$

$$\bigvee \mathbf{D} \quad \mathrm{BD} \rightarrow \stackrel{\frown}{\mathbf{E}}$$



#Q. Consider relation R(A, B, C, D, E) with the following two FD sets:

F1:

1.
$$A \rightarrow BC$$

- 2. $B \rightarrow D$
- 3. $\left(CD \rightarrow E \right)$

F2:

$$\begin{array}{ccc}
 & A \rightarrow B \\
 & 2. & A \rightarrow C \\
 & 3. & B \rightarrow D
\end{array}$$

4. $C \longrightarrow E, D \longrightarrow E$

$$CD \rightarrow E$$

$$C^{+} = \{C, \}$$

$$D^{+} = \{D\}$$



Which of the following is correct?





F1 and F2 are equivalent (i.e., they imply the same set of FDs)



 $F1 \subseteq F2$ (F1 is a subset of F2, but not equivalent)



 $F2 \subseteq F1$ (F2 is a subset of F1, but not equivalent)



F1 and F2 are not comparable

[NAT]



Consider relation R(P, Q, R, S, T) with the following functional dependencies: #Q.

a.
$$P \rightarrow Q$$
 (b. $R \rightarrow S$ c. $P \rightarrow T$

b.
$$R \rightarrow S$$

c.
$$P \rightarrow T$$

How many superkeys does R have?



THANK - YOU