The minimum sum is  ${\bf 1}+{\bf 3}+{\bf 5}+{\bf 7}={\bf 16}$  and the maximum sum is

3+5+7+9=24. The function prints

16 24

## **Function Description**

Complete the miniMaxSum function in the editor below.

miniMaxSum has the following parameter(s):

• arr: an array of **5** integers

## Print

Leaderboard

Print two space-separated integers on one line: the minimum sum and the maximum sum of  $\bf 4$  of  $\bf 5$  elements.

#### **Input Format**

A single line of five space-separated integers.

#### Constraints

 $1 \leq arr[i] \leq 10^9$ 

### **Output Format**

Print two space-separated long integers denoting the respective minimum and maximum values that can be calculated by summing exactly four of the five integers. (The output can be greater than a 32 bit integer.)

#### Sample Input

1 2 3 4 5

# Sample Output

10 14

# Explanation

The numbers are  ${\bf 1}, {\bf 2}, {\bf 3}, {\bf 4}$ , and  ${\bf 5}$ . Calculate the following sums using four of the five integers:

- 1. Sum everything except  ${f 1}$ , the sum is  ${f 2+3+4+5=14}$ .
- 2. Sum everything except  $\mathbf{2}$ , the sum is  $\mathbf{1} + \mathbf{3} + \mathbf{4} + \mathbf{5} = \mathbf{13}$ .
- 3. Sum everything except  ${f 3}$ , the sum is  ${f 1+2+4+5=12}$ .
- 4. Sum everything except  ${f 4}$ , the sum is  ${f 1+2+3+5=11}$ .
- 5. Sum everything except  ${\bf 5}$ , the sum is  ${\bf 1}+{\bf 2}+{\bf 3}+{\bf 4}={\bf 10}$ .

Hints: Beware of integer overflow! Use 64-bit Integer.

Need help to get started? Try the Solve Me First problem



