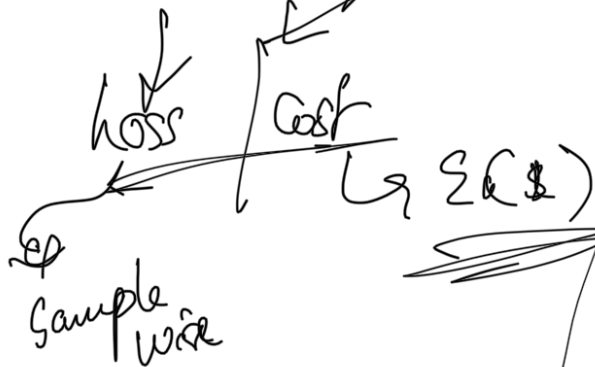


① Performance Metrics

② Naïve Bayes



Performance Metrics

Metric \rightarrow ~~✗~~
~~it~~ Understand the quality -

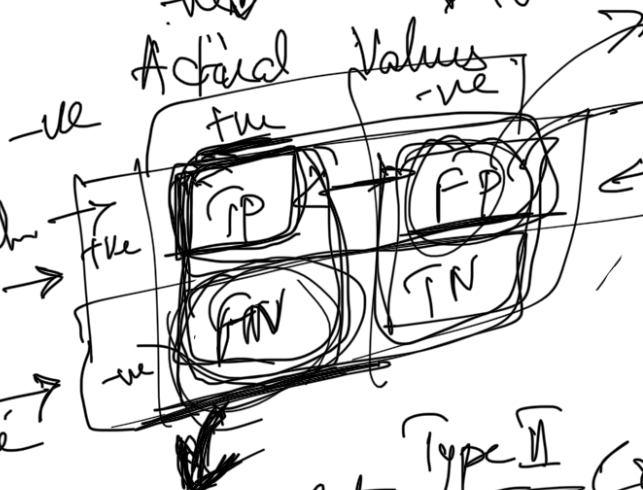
Regularisation $\rightarrow L1, L2, Elastic$

$$L + \lambda(\text{---}) + \alpha L(\text{---})$$

Actual Values
 \rightarrow true
 \rightarrow false

Man
 Woman

Predicted
 Value
 true
 false



Type I Error

\Rightarrow Pred. falsely pred.

\Rightarrow Actual as true model as true

Type II Error

wrongly predicted

① Actual was true Model predicted false

① Accuracy = $\frac{TP + TN}{TP + TN + FP + FN}$

Positiv
 10,000
 Negativ

TP

100

① Precision

how many of the correct cases actually are the

$$\text{Precision} = \frac{TP}{TP + FP}$$

Precision is Important
in some

Recommendation

FP - can cause churns

② Recall

How much actual positive cases were we able to predict correctly

$$\text{Recall} = \frac{TP}{TP + FN}$$

Recall is important
in some

cases
FN \Rightarrow Very Important

$$\text{F1-Score} \Rightarrow \frac{2}{\frac{1}{\text{Precision}} + \frac{1}{\text{Recall}}}$$

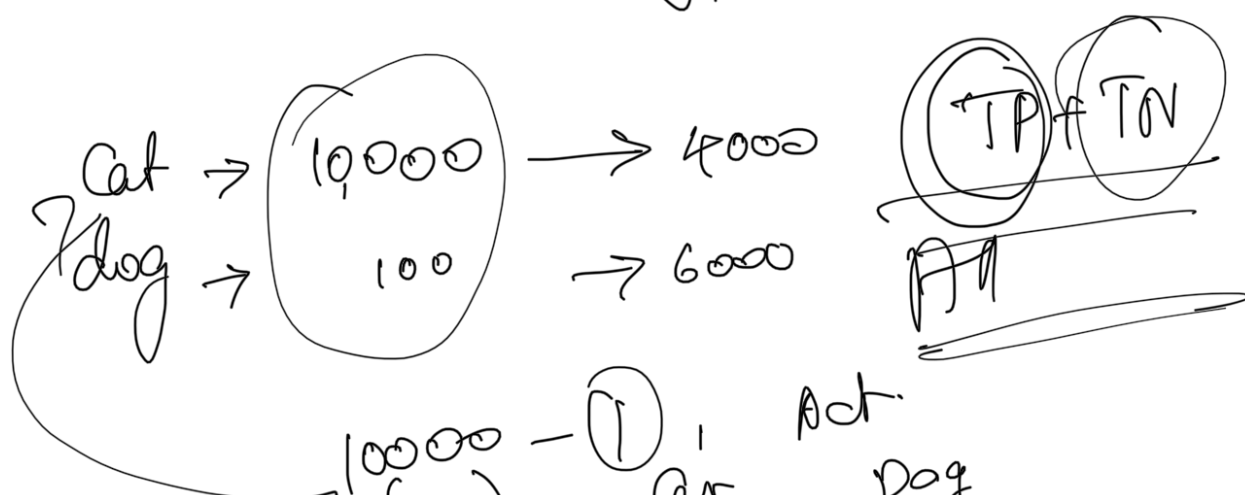
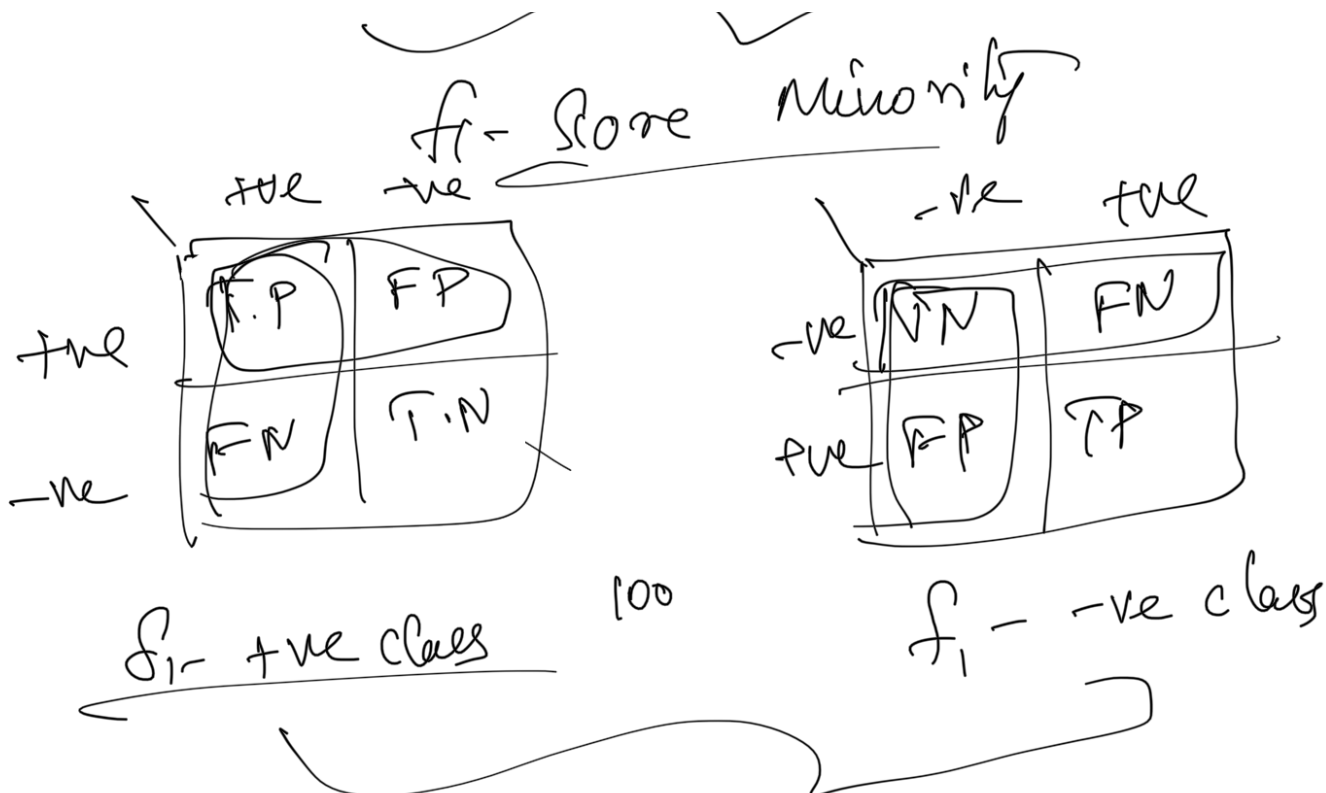
$$\frac{2 \times \text{Recall} \times \text{Precision}}{\text{Recall} + \text{Precision}}$$

Accuracy

↓
easy to interpret

as

F1-Score is a measure of performance
harmonic mean
Precision of majority &
Recall of any majority class.



10,000 - ① Act.

	Act. Cat	Act. Dog
Pred Cat	9,500	500
Pred Dog	500	0

Accuracy = 92. ...

$\frac{9500 + 0}{10500}$

Naive Bayes - ...

Probability

$$P(Y|X) = \frac{P(X/Y) P(Y)}{P(X)}$$

$$P(A|B) = \frac{P(B|A) P(A)}{P(B)}$$

x_1, x_2

⇒ Probability of A happening ^{given} B has occurred.

⇒ This evidence for A being hypothesis.

① Naive

② All predictors

Ind. variable will have an

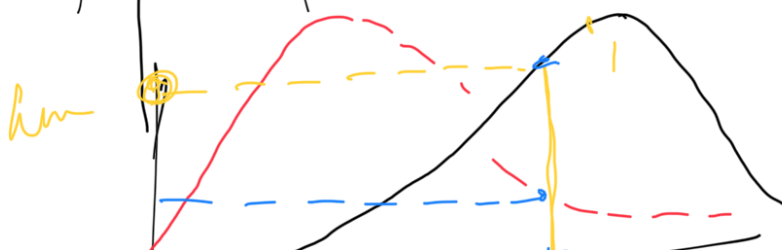
Equal effect in the outcome

⇒ Gaussian Naive Bayes

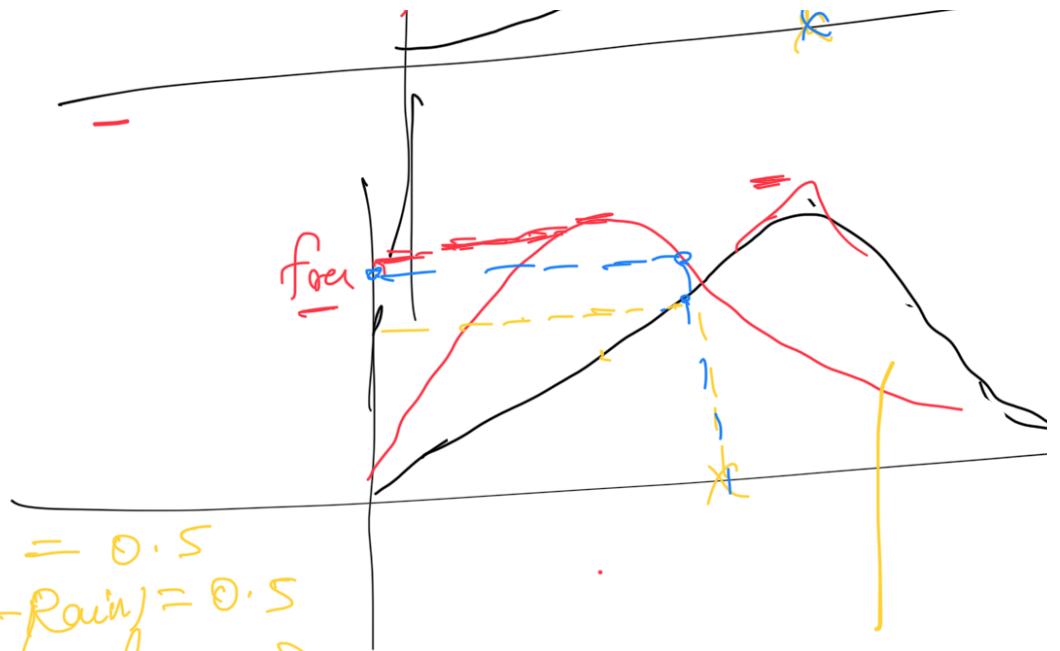
Rain/No	humidity	cloudy
	Yes	No
Yes	Yes	No
No	Yes	No

Conclusion

Rain
Yes ~~No~~ humidity



Cloudy
Yes No



$$P(\text{Rain}) = 0.5$$

$$P(\text{not-Rain}) = 0.5$$

$P(\text{Rain happens})$

$$\Rightarrow P(\text{Rain}) \times P(\text{humidity} | \text{Rain})$$

$$\times P(\text{cloudy} | \text{Rain})$$

$$\Rightarrow (0.5 \times 0.06 \times 0.0004)$$

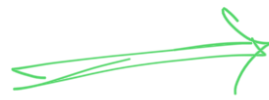
$$\log(0.5) + \log(0.06) + \log(0.0004)$$

When you are really small
log! To prevent underflow

$$-0.70 + -8.6 + -50 = -160$$

$$P(\text{No. Rain}) = 0.5$$

→ -60



No-Rain

greater.

P-value Sum:-

warranty of 5 years
C & T

→ Engineer believes the engine will malfunction < 5 years.

For cars \Rightarrow 4.8 yrs - 0.50

① State & alternate hypothesis

① $\bar{\mu} \geq 5$; H_0

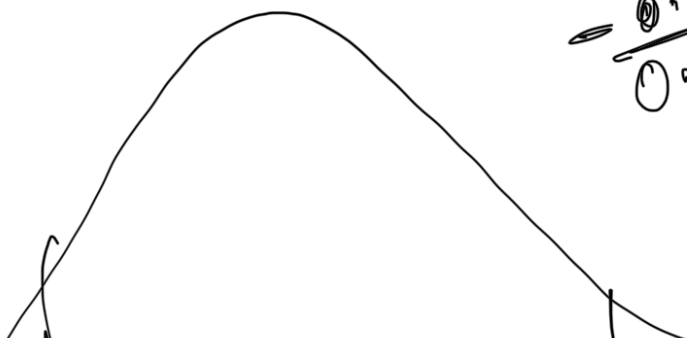
$\Rightarrow \bar{\mu} < 5$; H_1

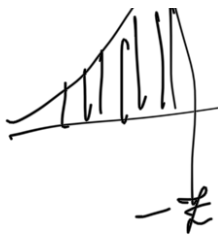
② $C.L = 95\%$

$n.O.S = 2.1$

$$\underline{\underline{t_c = \frac{4.8 - 5}{0.50 / \sqrt{40}}}}$$

$$= \frac{0.2}{0.079} = \underline{\underline{2.53}}$$





$\rightarrow 0.0057$

$0.0057 < 0.02$
 $(p\text{-value} < \alpha)$

Reject H_0

+ ROC-AUC

+ Ridge / Lasso / Elastic Net

+ Decision Trees \rightarrow Random Forest