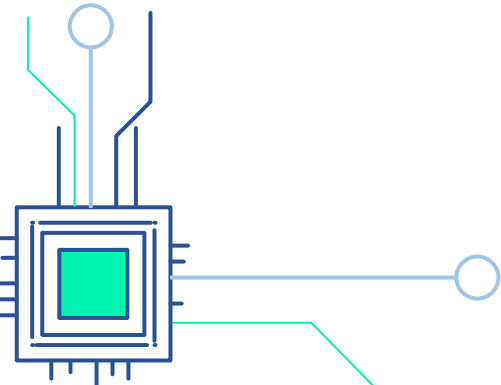




OS TASK 4 - INTERPROCESS COMMUNICATION USING PIPES

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PREVIOUS MISTAKES

- ❑ Missing Descriptions.
- ❑ Only 1 pipe used.
- ❑ Too much text per slide.
- ❑ `n_proc` was fixed to a value not correctly associated with machine's CPU.
- ❑ No valid justification for time decreases as N increases.



ROLES OF TEAM MEMBERS

Farah

- ☐ Sum
- ☐ Parallel Sum
- ☐ Presentation

Karim

- ☐ Sum
- ☐ Parallel Sum
- ☐ Presentation



PSEUDO-CODE OF SUM

```
sum(n)  
  s=0  
  for i=1 to i ← n  
    s=s+i
```





DESCRIPTION OF SUM

- ❑ Function takes positive integer N and returns the sum of numbers from 1 to N .
- ❑ S is initialized to 0.
- ❑ A for loop is used to calculate the sum using $s = s+i$.



PSEUDO CODE OF PARALLEL SUM

PART 1

```
parallel_sum_pipes(n_proc, n)
```

```
    Initialize:
```

```
    parent_pid = getpid()
```

```
    pid_t child_pid, wpid
```

```
    s = 0, inpipe_sum = 0
```

```
    status = 0
```



PSEUDO CODE OF PARALLEL SUM

PART 2

Initialize:

```
interval = n/n_proc
```

```
start = 1
```

```
end = interval
```

```
p[n_proc][2]
```

```
for i=0 to i  $\leftarrow$  n_proc
```

```
    if pipe p[i] is equal to -1
```

```
        print 'Failed to create pipe'
```

```
        exit
```



PSEUDO CODE OF PARALLEL SUM

PART 3

```
for i=0 to i ← n_proc
```

```
    if getpid() is equal to parent_pid AND child_pid = fork()  
    is equal to 0
```

```
        if i+1 is equal to n_proc  
            end = n
```

```
inpipe_sum = 0
```



PSEUDO CODE OF PARALLEL SUM

PART 4

```
for start ← end
    inpipe_sum = inpipe_sum + start
close(p[i][0])
write(p[i][1], &inpipe_sum, sizeof(unsigned long long int))
start = end + 1
end = end + interval
```



PSEUDO CODE OF PARALLEL SUM

PART 5

```
if get_pid is equal to parent_pid
    while wpid = wait(&status) is greater than 0
        for i=0 to i ← n_proc
            read(p[i][0], &inpipe_sum, sizeof(unsigned long long int))
            s = s + inpipe_sum
            close(p[i][0]), close(p[i][1])
else exit
```





DESCRIPTION OF PARALLEL SUM

- ❑ Function takes number of processes (n_{proc}) and a positive integer N .
- ❑ Interval is equal to N/n_{proc} .
- ❑ 2 pipes are used.
- ❑ Equal intervals are divided among partial sums.
- ❑ The partial sum for each interval is calculated.
- ❑ The total sum is calculated by summing all partial sums.



HOW TEST 1 WAS DESIGNED & WHY?

FIXING N_PROC

- Machine Name: Intel® Core™ i7-6700 CPU @ 3.40GHz × 8.
- Machine Specifications:
 - Number of cores = 4.
 - Number of threads = 8.
- Therefore $n_{\text{proc}} = 3$
- In order to obtain readings:
 - for ($n = 1$; $n < 1000000$; $n += 5000$)



HOW TEST 2 WAS DESIGNED & WHY?

FIXING N

- $n = 100000$.
- In order to obtain readings:
 - for ($j = 1; j < 150; j++$)

Note: j represents number of processes.

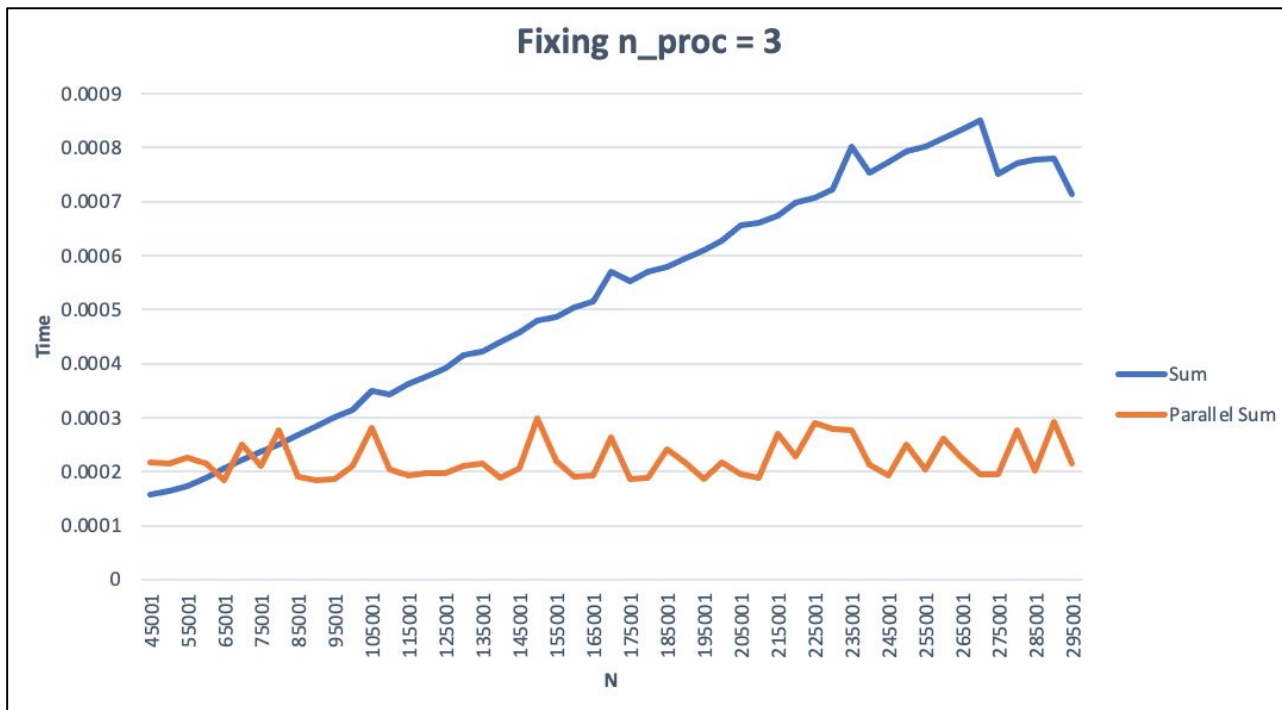




QUESTION 1

If we fix n_{proc} , then at which value of N does `parallel_sum` outperform `sum`?

GRAPH 1



ANSWER TO QUESTION 1

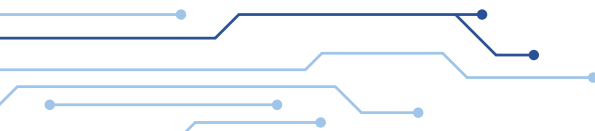
- ❑ $N = 85001$.
- ❑ Since N increases and the number of processes is the same, each process will have to handle a larger interval each time meaning that more time is needed to calculate the sum.
- ❑ Therefore, as the interval increases, time taken for execution using pipes is less than time taken using sum.



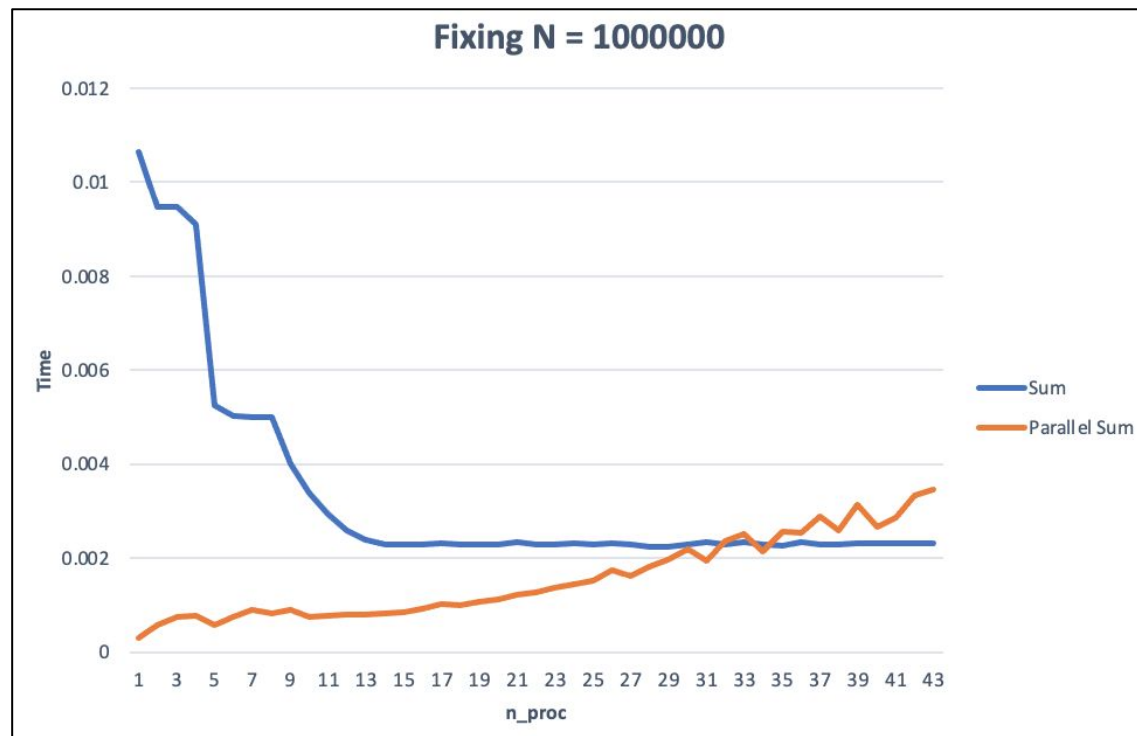


QUESTION 2

If we fix N to a large number, then at which value of `n_proc` does `sum` outperform `parallel_sum`?



GRAPH 2



ANSWER TO QUESTION 2

- ❑ `n_proc = 32`.
- ❑ As `n_proc` increases, the overhead of creating new processes increases which leads to more time needed to compute the sums. Therefore, time taken for execution using `sum` is takes the least time; followed by `memory`, `pipes`, and finally `threads`.

