

Master Thesis Report

Process Enhancement by Incorporating Negative Instances in Model Repair

Final Report

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Outlines

- **Problem Review**
- **Demo Presentation**
- **Algorithm & Implementation**
 - Add long-term dependency
 - Create dfg model
- **Evaluation**
- **Appendix**
 - Reference

Problem Introduction

- **Description**

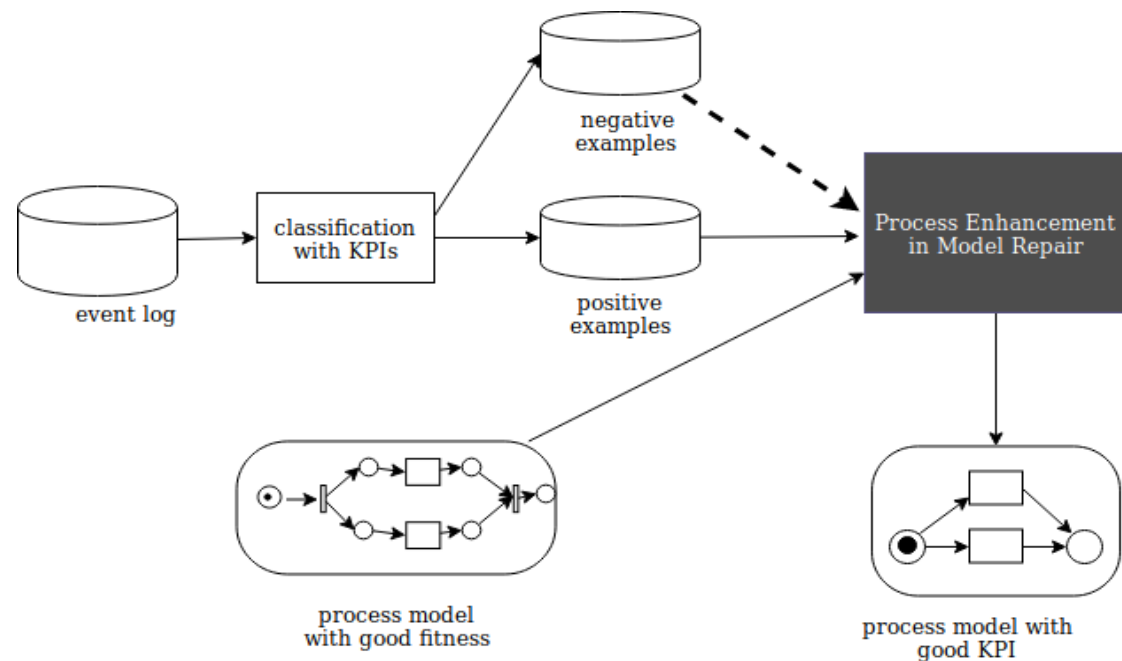
- Given **event log**, **process model** and **KPIs**, how to incorporate negative KPIs outcomes to repair the process model for better performance?

- **Input**

- Event log
- Existing process model
- KPIs

- **Output**

- Repaired process model



Demo Representation

- **Repair Model**
 - Sequence
 - And
 - Nested xor
- **Evaluate Model**
 - Confusion matrix

Algorithm – generate dfg model

- **Directly-follows relation**

- Existing model, positive and negative event log

$$W(A, B) := W(E_{G_{ext}}(A, B)) + W(E_{G_{pos}}(A, B))$$

$$- W(E_{G_{neg}}(A, B)), \text{ with}$$

$$W(E_{G_{ext}}(A, B)) = C_{ext} \cdot \frac{1}{|*|}, \text{ *the set of all possible activities}$$

after A, $|*|$ is the size of this set.

C_{ext} is the control weight on existing model from Plugin.

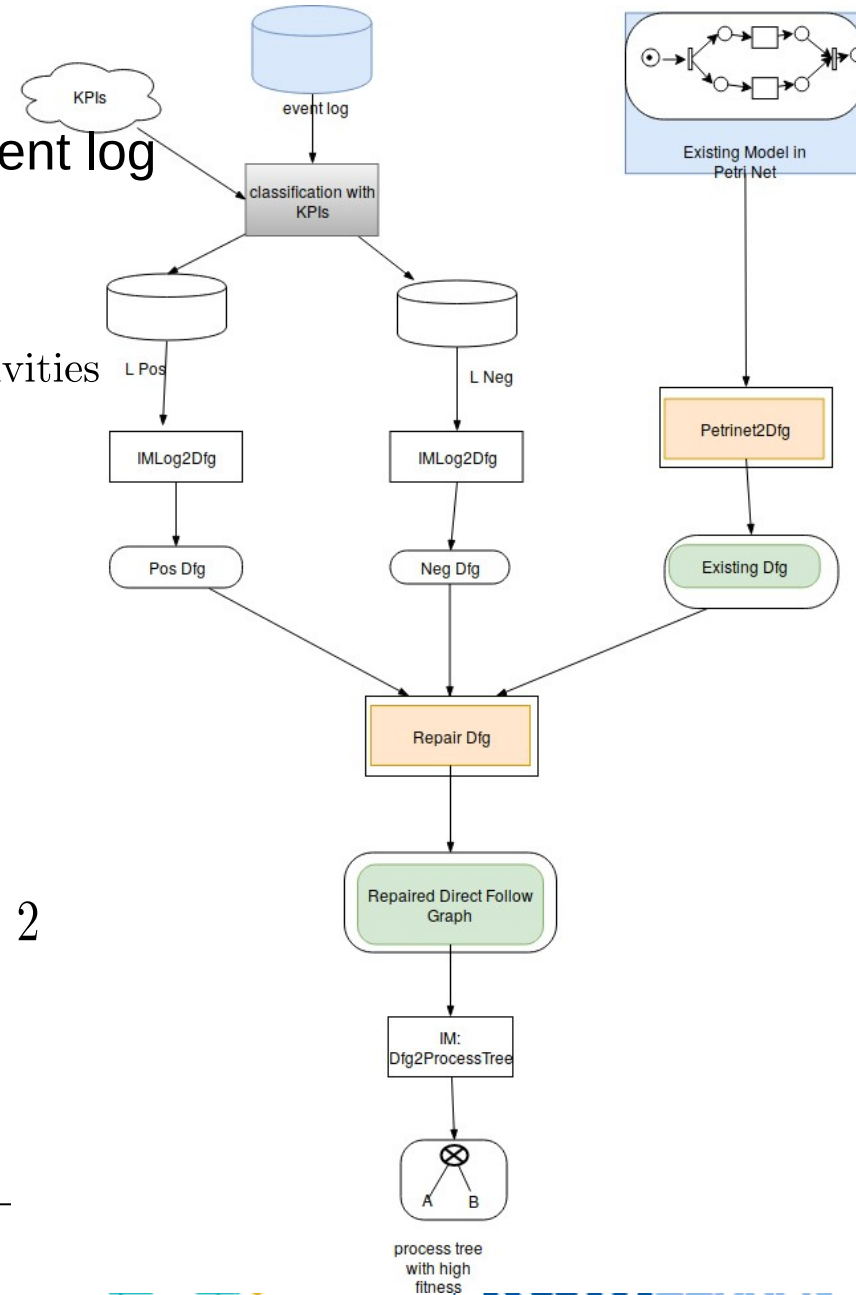
$$W(E_{G_{pos}}(A, B)) = C_{pos} \cdot \frac{Cardinality_{pos}(E(A, B))}{Cardinality_{pos}(E(A, *))},$$

$$W(E_{G_{neg}}(A, B)) = C_{neg} \cdot \frac{Cardinality_{neg}(E(A, B))}{Cardinality_{neg}(E(A, *))},$$

- Keep this directly-follows relation if

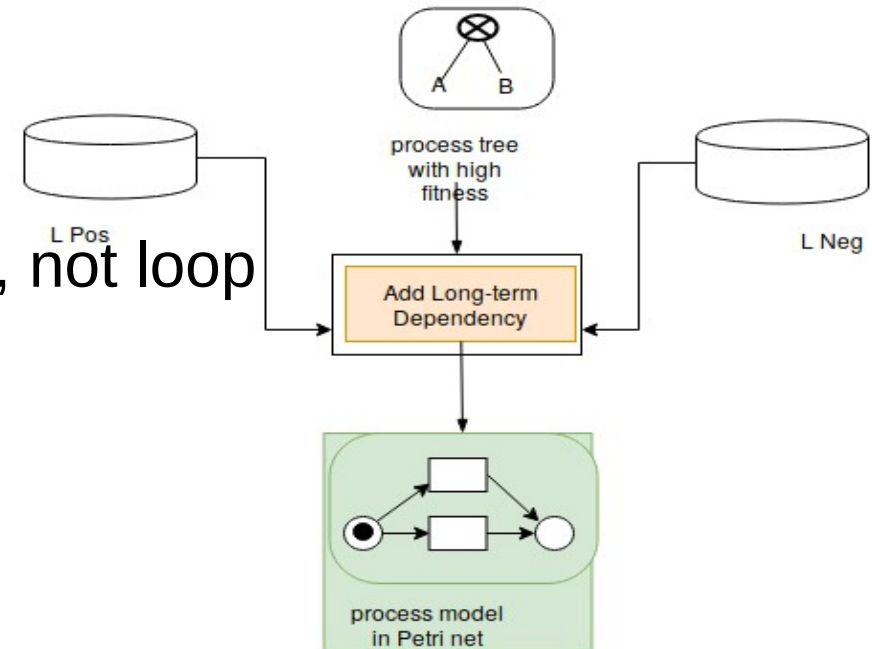
$$W(A, B) > threshold, \text{ with } -1 < W(A, B) < 2$$

- Choose, threshold=0.5



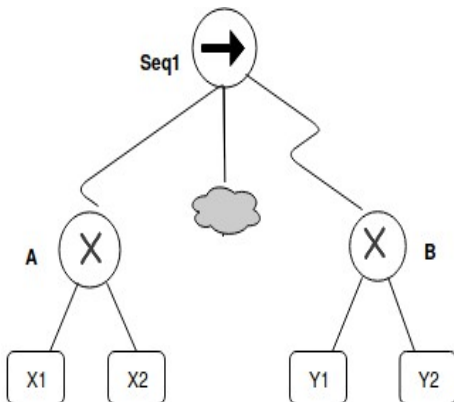
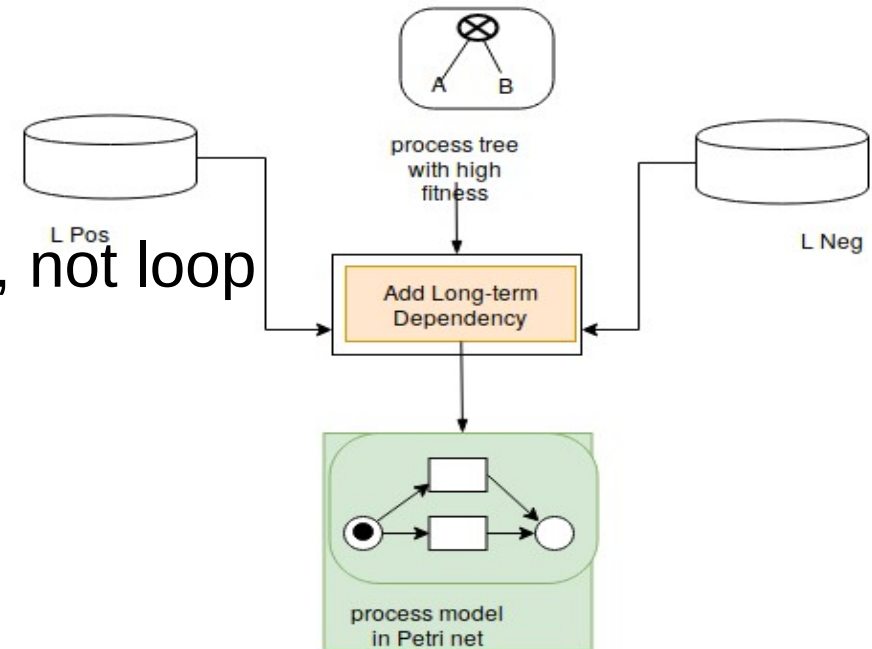
Algorithm – add long-term dependency

- **Long-term dependency**
 - Choices Dependency
 - ✓ exclusive blocks \Rightarrow xor block, not loop
 - Relation xor branches
 - ✓ Significant correlation
 - Connected but not complete



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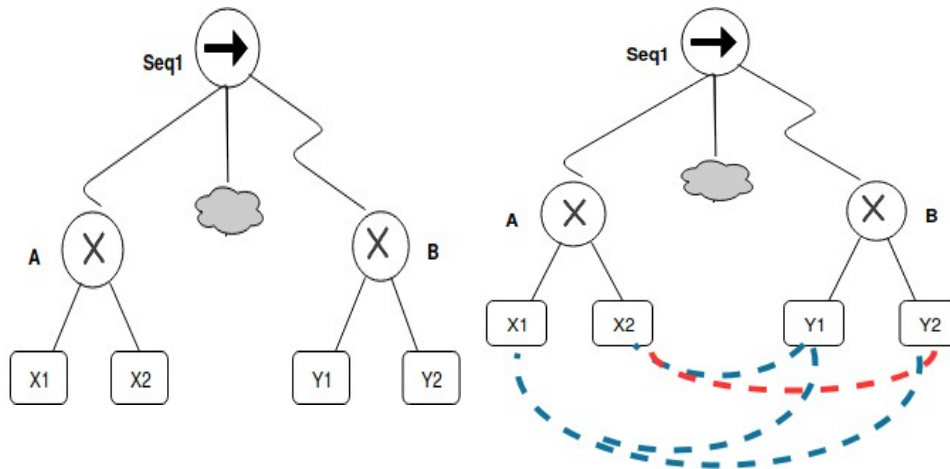
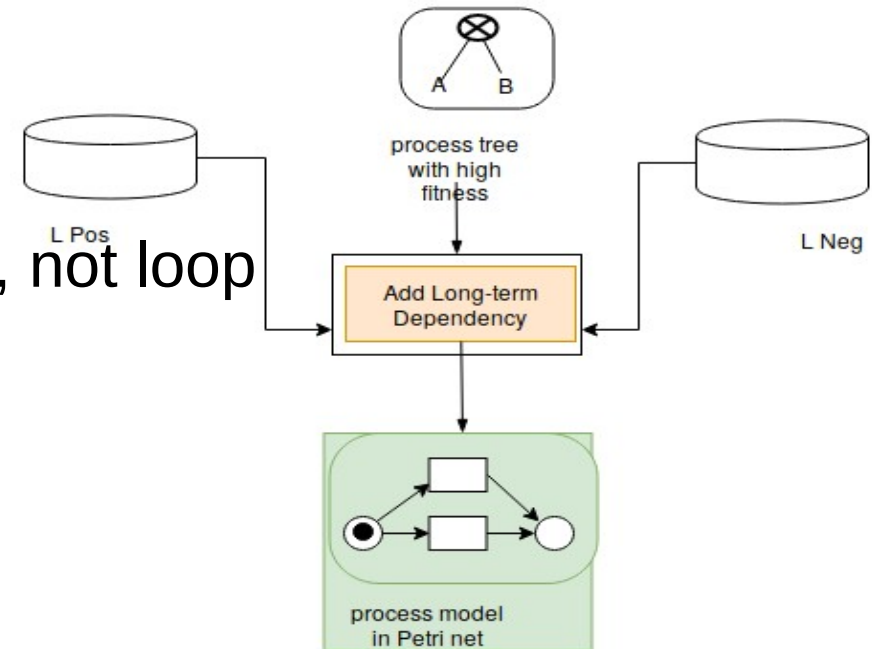
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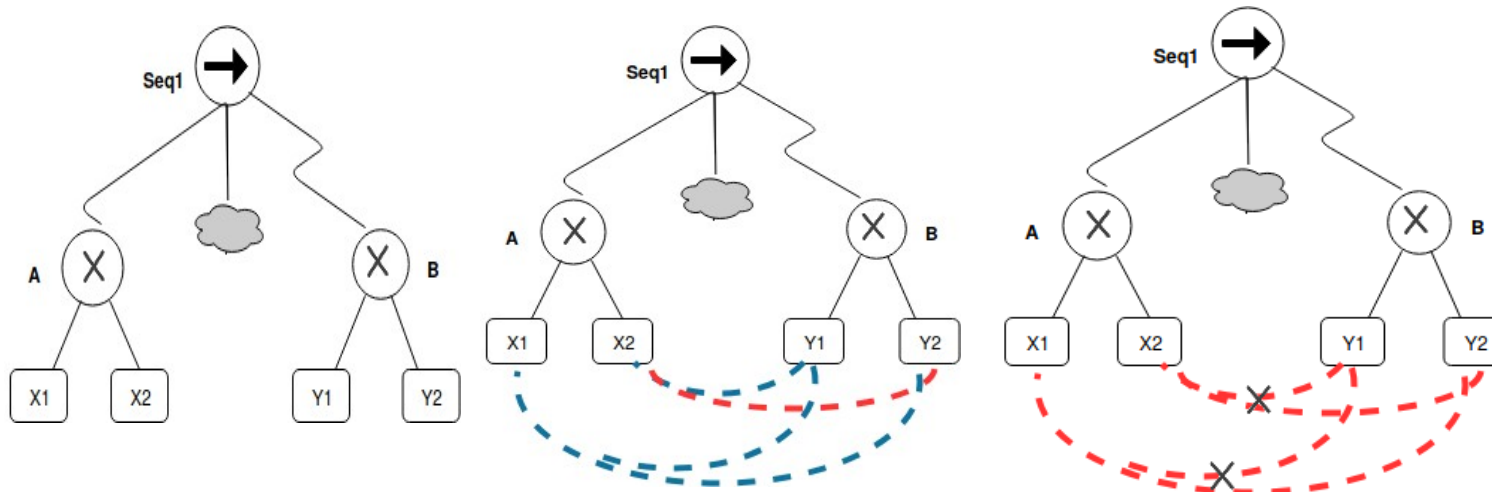
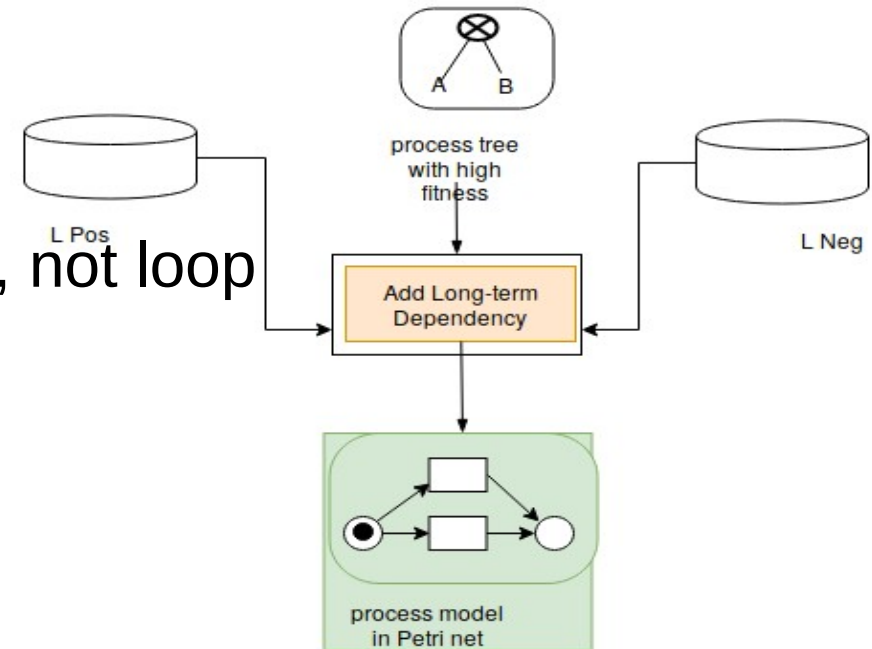
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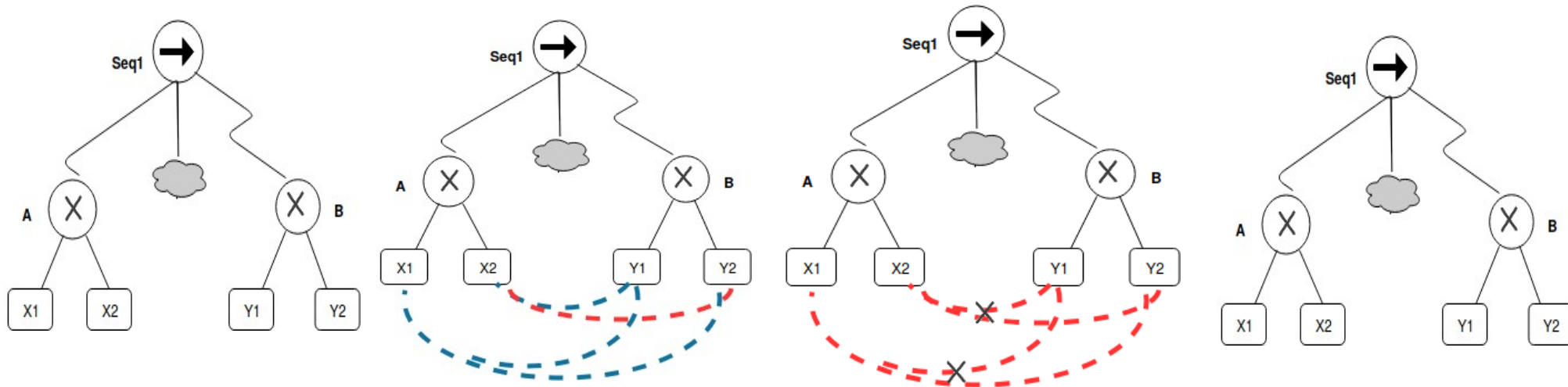
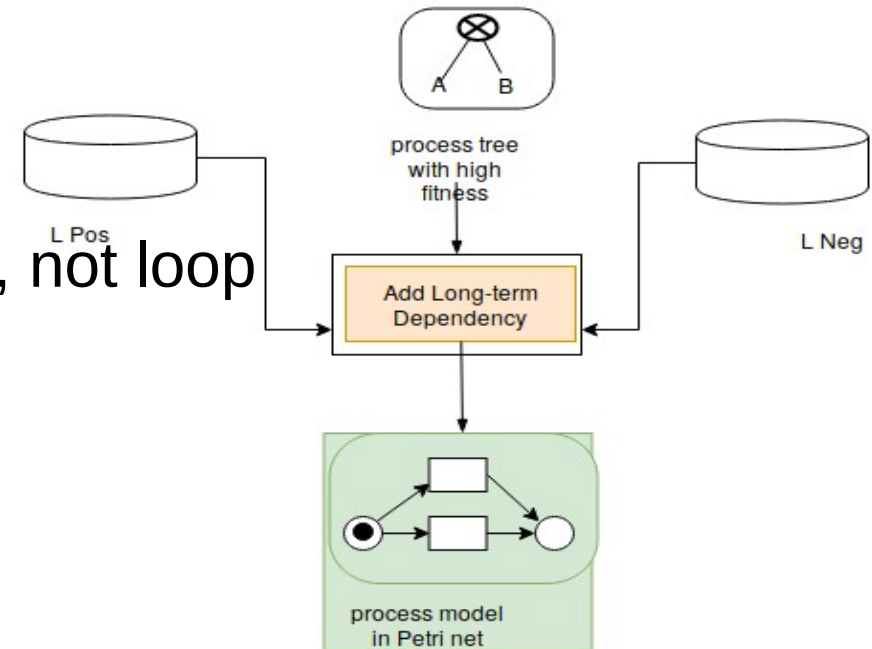
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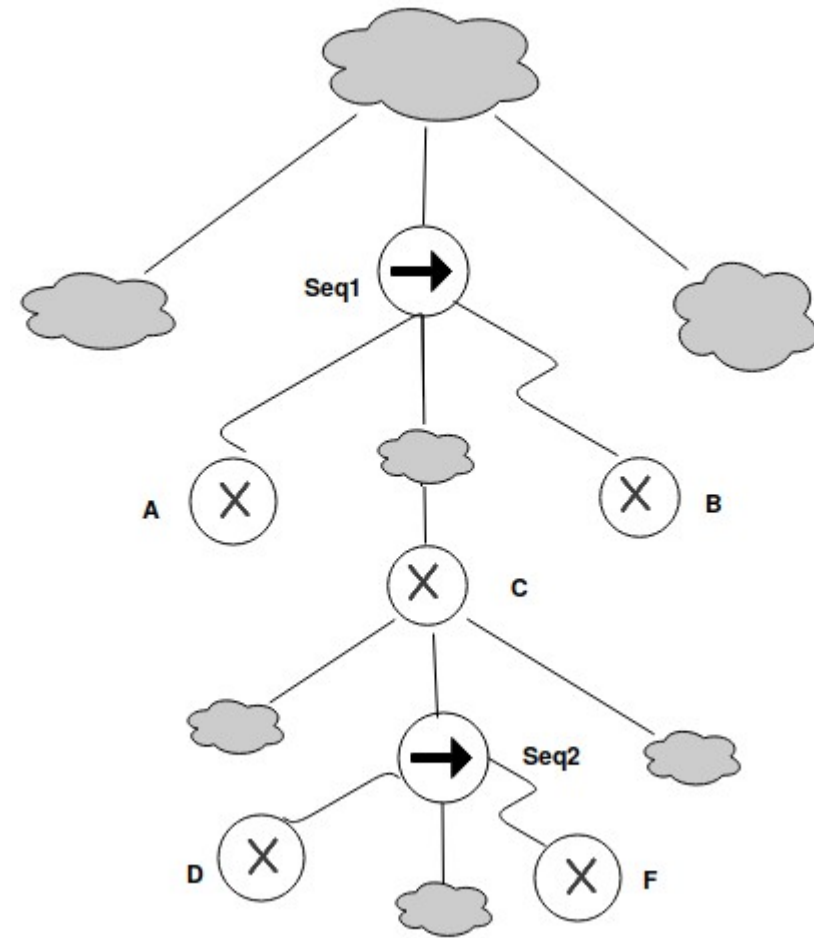
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Algorithm – add long-term dependency

- Long-term dependency
 - Partial Order
 - ✓ Least Common Ancestor is Seq
 - $A < C < B$, $D < F$
 - ✓ In same level
 - A,B,C pair
 - D,F pair
 - Expressed On Petri net
 - ✓ Add silent transition
 - ✓ Add places



Algorithm – add long-term dependency

- **Rephrased Correlation**

- New generated model, positive and negative event log

$$Wlt(XORB_X, XORB_Y) = Wltext(XORB_X, XORB_Y) + Wltpos(XORB_X, XORB_Y) - Wltneg(XORB_X, XORB_Y), \text{ with}$$

$$Wltext(XORB_X, XORB_Y) = C_{model} \bullet \frac{1}{|XORB_*|}, XORB_*$$

* is the set of all xor branches from $XORB_X$

$$Wltpos(XORB_X, XORB_Y) = C_{pos} \bullet \frac{F_{pos}(XORB_X, XORB_Y)}{F_{pos}(XORB_X, *)}$$

$$Wltneg(XORB_X, XORB_Y) = C_{neg} \bullet \frac{F_{neg}(XORB_X, XORB_Y)}{F_{neg}(XORB_X, *)}$$

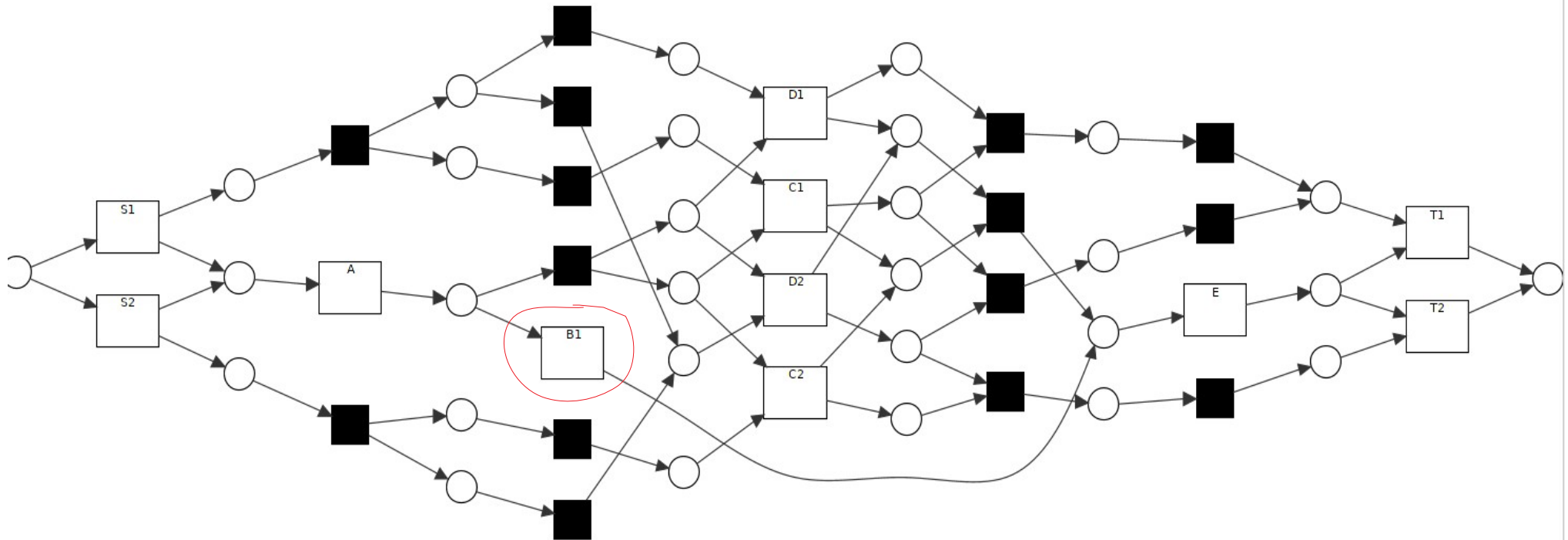
$F_{pos}(XORB_X, XORB_Y), F_{neg}(XORB_X, XORB_Y)$ are the frequency of coexistence of $XORB_X, XORB_Y$

- **Significant Correlation**

$$Wlt(XORB_X, XORB_Y) > \text{lt-threshold}, \quad \text{with } -1 < Wlt(XORB_X, XORB_Y) < 1.5$$

Algorithm – Problem

- Unsound model



Algorithm – add long-term dependency

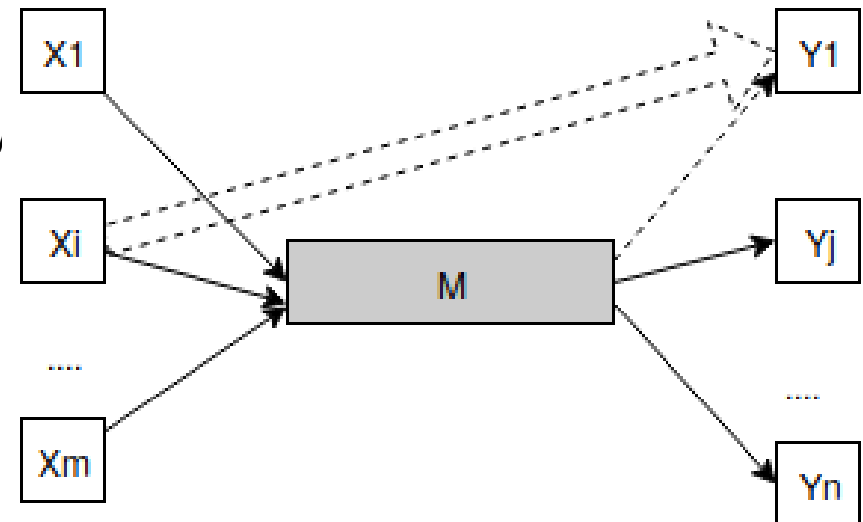
- **Key Problem to Solve**

- Given a process tree, a pair of xor block A,B, the obligatory part between A,B are M, what's the relation of threshold and lt-threshold, such that?

$\forall XORB_{Yj} \in B, if W(M, XORB_{Yj}) > threshold$, there exists one $XORB_{Xi} \in B_A$ with $Wlt(XORB_{Xi}, XORB_{Yj}) > lt\text{-threshold}$

- **Situations**

- Xor branch kept due to existing model, but not frequency in positive and negative
==> add lt dependency on it
- Only in negative
==> choose the rest parts to connect
- Only in positive
==> keep lt
- In positive and negative
==> how to decide ??



Appendix – references
