

# Cipher Vault

Here is the key of a encrypted message.

98151498813131977173101883203504166719706399428311396129431191982310745746042714306  
68983218116781079340367213869387223562879740208350405852694699478021549

factor the key into its two prime factors and use them to compute the modular inverse of 848 modulo  $\phi(n)$ .

## Step 1: Factoring the Key

Factorize the key into its two prime factors.

## Step 2: Computing the Modular Inverse

Now use factored key into its two prime factors, we can use those factors to compute the value of  $\phi(n)$  and then use that value to compute the modular inverse of 848 modulo  $\phi(n)$ . The formula for  $\phi(n)$  is:  
$$\phi(n) = (p - 1) * (q - 1)$$

Using the values of  $p$  and  $q$  that was found in Step 1.

With the Extended Euclidean Algorithm to compute the modular inverse of 848 modulo  $\phi(n)$ .

Then you will get the private RSA Key, use the key to decrypt the ciphertext.