## dSbus dV (Calls: 1400, Time: 0.869 s)

Generated 29-Dec-2021 16:49:38 using performance time. Function in file <u>D:\MatlabLibrary\matpower7.1\lib\dSbus\_dV.m</u>
Copy to new window for comparing multiple runs

#### Parents (calling functions)

Function Name	Function Type	Calls
jacobian_power_flow_half	Function	1400

### Lines that take the most time

Line Number	Code	Calls	Total Time (s)	% Time	Time Plot
119	dSbus_dV2 = diagV * conj(Ybus * diagVnorm) + con	1400	0.331	38.1%	
118	dSbus_dV1 = 1j * diagV * conj(diagIbus - Ybus *	1400	0.316	36.4%	
104	diagVnorm = sparse(1:n, 1:n, V./abs(V), n, n);	1400	0.083	9.5%	
101	diagV = sparse(1:n, 1:n, V, n, n);	1400	0.051	5.9%	1
102	<pre>diagIbus = sparse(1:n, 1:n, Ibus, n, n);</pre>	1400	0.039	4.5%	I
All other lines			0.049	5.7%	8
Totals			0.869	100%	

## Children (called functions)

No children

#### Code Analyzer results

No Code Analyzer messages.

#### Coverage results

## Show coverage for parent folder

Total lines in function	120
Non-code lines (comments, blank lines)	95
Code lines (lines that can run)	25
Code lines that did run	17
Code lines that did not run	8
Coverage (did run/can run)	68.00 %

## **Function listing**

# Time Calls Line

```
1 function [dSbus_dV1, dSbus_dV2] = dSbus_dV(Ybus, V, vcart)
    %DSBUS DV Computes partial derivatives of power injection w.r.t. voltage.
 2
 3
    8
 4
    9
        The derivatives can be take with respect to polar or cartesian coordinates
 5
        of voltage, depending on the 3rd argument.
 6
    9
 7
    2
        [DSBUS_DVA, DSBUS_DVM] = DSBUS_DV(YBUS, V)
        [DSBUS_DVA, DSBUS_DVM] = DSBUS_DV(YBUS, V, 0)
 8
    0,0
 9
10
       Returns two matrices containing partial derivatives of the complex bus
   8
   % power injections w.r.t voltage angle and voltage magnitude, respectively
11
12
   9
        (for all buses).
13
   do
14
   9
        [DSBUS_DVR, DSBUS_DVI] = DSBUS_DV(YBUS, V, 1)
15
        Returns two matrices containing partial derivatives of the complex bus
16
        power injections w.r.t the real and imaginary parts of voltage,
17
    95
18
   2
        respectively (for all buses).
19
20
   8
        If YBUS is a sparse matrix, the return values will be also. The following
21
        explains the expressions used to form the matrices:
```

```
22 %
23 %
       S = diag(V) * conj(Ibus) = diag(conj(Ibus)) * V
24
25 % Polar coordinates:
26
   9
        Partials of V & Ibus w.r.t. voltage magnitudes
27
           dV/dVm = diag(V./abs(V))
           dI/dVm = Ybus + dV/dVm = Ybus + diag(V./abs(V))
28
29
         Partials of V & Ibus w.r.t. voltage angles
30
   8
31 %
          dV/dVa = j * diag(V)
          dI/dVa = Ybus * dV/dVa = Ybus * j * diag(V)
32 %
33 %
34
   8
         Partials of S w.r.t. voltage magnitudes
35
           dS/dVm = diag(V) * conj(dI/dVm) + diag(conj(Ibus)) * dV/dVm
36
                  = diag(V) * conj(Ybus * diag(V./abs(V)))
    8
                                           + conj(diag(Ibus)) * diag(V./abs(V))
37
   8
38
   8
         Partials of S w.r.t. voltage angles
39 %
40
   9
          dS/dVa = diag(V) * conj(dI/dVa) + diag(conj(Ibus)) * dV/dVa
                   = diag(V) * conj(Ybus * j * diag(V))
47
                                           + conj(diag(Ibus)) * j * diag(V)
                  = -j * diag(V) * conj(Ybus * diag(V))
43
                                           + conj(diag(Ibus)) * j * diag(V)
44
   8
45
   8
                  = j * diag(V) * conj(diag(Ibus) - Ybus * diag(V))
46
47
   9
      Cartesian coordinates:
         Partials of V & Ibus w.r.t. real part of complex voltage
48
49
           dV/dVr = diag(ones(n,1))
50
          dI/dVr = Ybus * dV/dVr = Ybus
   2
51
   8
52 %
        Partials of V & Ibus w.r.t. imaginary part of complex voltage
53 %
          dV/dVi = j * diag(ones(n,1))
5.4
   8
          dI/dVi = Ybus * dV/dVi = Ybus * j
55
   9
         Partials of S w.r.t. real part of complex voltage
56
           dS/dVr = diag(V) * conj(dI/dVr) + diag(conj(Ibus)) * dV/dVr
57
    8
58
   2
                   = diag(V) * conj(Ybus) + conj(diag(Ibus))
59 %
60
   2
         Partials of S w.r.t. imaginary part of complex voltage
          dS/dVi = diag(V) * conj(dI/dVi) + diag(conj(Ibus)) * dV/dVi
61 %
                  = j * (conj(diag(Ibus)) - diag(V) conj(Ybus))
62
   0
63
64
    9
        Examples:
            [Ybus, Yf, Yt] = makeYbus(baseMVA, bus, branch);
65
   8
66
   8
            [dSbus_dVa, dSbus_dVm] = dSbus_dV(Ybus, V);
            [dSbus dVr, dSbus dVi] = dSbus dV(Ybus, V, 1);
67
68
   Q.
69
        For more details on the derivations behind the derivative code used
        in MATPOWER information, see:
70
71
        [TN2] R. D. Zimmerman, "AC Power Flows, Generalized OPF Costs and
72
   9
73 %
               their Derivatives using Complex Matrix Notation", MATPOWER
74
   8
               Technical Note 2, February 2010. [Online]. Available:
75
              https://matpower.org/docs/TN2-OPF-Derivatives.pdf
   8
              doi: 10.5281/zenodo.3237866
76
        [TN4] B. Sereeter and R. D. Zimmerman, "AC Power Flows and their
77
78
               Derivatives using Complex Matrix Notation and Cartesian
79
              Coordinate Voltages," MATPOWER Technical Note 4, April 2018.
   91
80
              [Online]. Available: https://matpower.org/docs/TN4-OPF-Derivatives-Cartesian.pdf
   8
              doi: 10.5281/zenodo.3237909
81
82
   % MATPOWER
83
84
       Copyright (c) 1996-2019, Power Systems Engineering Research Center (PSERC)
       by Ray Zimmerman, PSERC Cornell
        and Baljinnyam Sereeter, Delft University of Technology
```

```
87 %
               88 % This file is part of MATPOWER.
               89 % Covered by the 3-clause BSD License (see LICENSE file for details).
               90
                  % See https://matpower.org for more info.
               91
              92 %% default input args
< 0.001 1400 93 if nargin < 3
< 0.001 1400 94 vcart = 0; %% default to polar coordinates
< 0.001 1400 <u>95</u> end
              96
< 0.001 1400 97 n = length(V);
 0.034
      1400 <u>98</u> Ibus = Ybus * V;
              99
                                    %% sparse version (if Ybus is sparse)
< 0.001 1400 <u>100</u> if issparse (Ybus)
0.051 1400 101 diagV = sparse(1:n, 1:n, V, n, n);
 0.039 1400 102 diagIbus = sparse(1:n, 1:n, Ibus, n, n);
< 0.001 1400 <u>103</u>
                     if ~vcart
 0.083
       1400 <u>104</u> diagVnorm = sparse(1:n, 1:n, V./abs(V), n, n);
< 0.001 1400 105
                  end
             106 else
                                          %% dense version
             107 diagV = diag(V);
                    diagIbus = diag(Ibus);
             108
             109
                     if ~vcart
                      diagVnorm = diag(V./abs(V));
             110
             111
                     end
       1400 <u>112</u> end
< 0.001
             113
< 0.001
      1400 114 if vcart
                     dSbus_dV1 = conj(diagIbus) + diagV * conj(Ybus); %% dSbus/dVr
             115
                     dSbus_dV2 = 1j * (conj(diagIbus) - diagV * conj(Ybus)); %% dSbus/dVi
             116
< 0.001 1400 <u>117</u> else
 0.316
        1400 118 dSbus_dVl = 1j * diagV * conj(diagIbus - Ybus * diagV);
                                                                                          %% dSbus/dVa
 0.331
       1400 119 dSbus_dV2 = diagV * conj(Ybus * diagVnorm) + conj(diagIbus) * diagVnorm; %% dSbus/dVm
 0.006
      1400 <u>120</u> end
```

Local functions in this file are not included in this listing.