

Computer Networks Final Exam

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Part A:

- | | | | |
|----------|-----------|-----------|-----------|
| 1. False | 6. False | 11. True | 16. False |
| 2. True | 7. False | 12. False | 17. True |
| 3. True | 8. True | 13. False | 18. False |
| 4. True | 9. True | 14. True | 19. True |
| 5. False | 10. False | 15. False | 20. True. |

Part B.

Question 1.

There are several differences between Go-Back-N and Selective Repeat. One of them is that in Go-Back-N, when a frame is found to be corrupted or lost, the receiver discards that frame and all future frames until the missing frame is retransmitted and received successfully. However in Selective Repeat, the receiver can accept and buffer out-of-order frames. This means that if a frame is lost or corrupted, only that specific frame needs to be transmitted, not all frames that were sent after it.

Another difference is that the receiver in Go-Back-N protocol only needs a buffer space for one frame because it can only accept frames in order. In Selective Repeat protocol needs to have a buffer space for more than one frame because it can accept frames that arrive out of order.

Question 2:

TCP flow control is like a conversation where you tell the other person to slow down if they're speaking too fast for you to understand. In TCP, the receiver tells the sender how much data it can accept, using a 'window size'. If the receiver can't process data quickly enough, it reduces the window size, telling the sender to slow down.

TCP congestion is like driving a car where you slow down in heavy traffic to avoid collisions. In TCP, if the network is congested and data packets are being lost, the sender slows down the data transmission to prevent further packet loss. Once the network is less congested, the sender can speed up again.

• day

• month

Question 3:

$$\begin{array}{r} 1011 \overline{) 101110} \\ \underline{-1011} \\ 01100 \\ \underline{-1011} \\ 0110 \\ \underline{-1011} \\ 01100 \\ \underline{-1011} \\ 011 \end{array}$$

The CRC result is 011

Question 4

Vertices $V = \{u, v, w, x, y, z\}$

Edges $E = \{(u, v), (u, w), (u, x), (v, w), (v, x), (w, x), (w, y), (w, z), (x, y), (y, z)\}$

We use BFS:

Dequeue $(u, [u])$:

- Visit neighbours of u : v, w, x
- ~~Enqueue~~ Enqueue $(v, [u, v]), (w, [u, w]), (x, [u, x])$.
- Visited: $\{u, v, w, x\}$

* Dequeue $(v, [u, v])$:

- Visited neighbours of v : w, x (already visited)
- This time no new vertices.

Dequeue $(w, [u, w])$:

- Visited neighbours of w : x, y, z
- Enqueue $(y, [u, w, y]), (z, [u, w, z])$
- Visited: $\{u, v, w, x, y, z\}$

Since we already reach z the path obtained is $[u, w, z]$

$\Rightarrow u \rightarrow w \rightarrow z$ is the shortest path from u to z .

Question 5.

Vertices $V = \{u, v, w, x, y, z\}$

Edges with costs:

$$c(u, v) = 2$$

$$c(u, w) = 5$$

$$c(u, x) = 1$$

$$c(v, w) = 3$$

$$c(v, x) = 2$$

$$c(w, x) = 3$$

$$c(w, y) = 1$$

$$c(w, z) = 5$$

$$c(x, y) = 1$$

$$c(y, z) = 2$$

Path reconstruction:

From z , backtrack using vertices $z \leftarrow y \leftarrow x \leftarrow u$

$$u \rightarrow x \rightarrow y \rightarrow z$$

$$\text{Total cost } 1(u \rightarrow x) + 1(x \rightarrow y) + 2(y \rightarrow z) = 4$$

It is total cost

Question 6Possible paths from u to z

$$- u \rightarrow v \rightarrow w \rightarrow x \rightarrow y \rightarrow z$$

$$- u \rightarrow v \rightarrow w \rightarrow y \rightarrow z$$

$$u \rightarrow w \rightarrow x \rightarrow y \rightarrow z$$

$$u \rightarrow x \rightarrow y \rightarrow z$$

Cost per path:

$$u \rightarrow v \rightarrow w \rightarrow x \rightarrow y \rightarrow z$$

$$\text{Cost} = 2(u \rightarrow v) + 3(v \rightarrow w) + 3(w \rightarrow x) + 1(x \rightarrow y) + 2(y \rightarrow z) = 11$$

$$u \rightarrow v \rightarrow w \rightarrow y \rightarrow z$$

$$\text{Cost} = 2(u \rightarrow v) + 3(v \rightarrow w) + 1(w \rightarrow y) + 2(y \rightarrow z) = 8$$

$$u \rightarrow w \rightarrow x \rightarrow y \rightarrow z$$

$$\text{Cost} = 5(u \rightarrow w) + 3(w \rightarrow x) + 1(x \rightarrow y) + 2(y \rightarrow z) = 11$$

$$u \rightarrow x \rightarrow y \rightarrow z$$

$$\text{Cost} = 1(u \rightarrow x) + 1(x \rightarrow y) + 2(y \rightarrow z) = 4$$

The largest path is $u \rightarrow v \rightarrow w \rightarrow x \rightarrow y \rightarrow z$
 OR $u \rightarrow w \rightarrow x \rightarrow y \rightarrow z$ with cost 11 each.