	Maifreya Kanithar BE-IT 8084
	MLA Assignment 2
	Title:-
	Principal Component Analysis
	Aim:-
	Finding principal components, variance and standard deviation calculations of principal components.
	deviation calculations of principal components.
	Theory:-
91)	Explain dimensionality reduction.
→	Dimensionality reduction is the process of reducing the humber of random variables under consideration, by obtaining a set of principal values.
	There are two components of dimensionality reduction-
	a) Feature selection-
	In this, we try to find a subset of the original set of rariables, or features, to get a smaller subset which can be used to model the problem.
	b) Feature extraction-
	b) Feature extraction— This reduces the data in a high dimensional space to a lower dimension space
	Dimensionality reduction may be both linear or non-linear depending upon the method used.

The various methods used for dimensionality reduction

- a) Principal Component Analysis (PCA)
 b) Linear Discriminant Analysis (LBA)
 c) Generalized Discriminant Analysis (GBA)

(92) Explain Forward selection and Backward selection methods.

-> Forward selection-

Forward selection is a type of stepuise regression which begins with an empty model and adds in variables one by one. In each forward step you add the one variable that gives the single best improvement to your model.

It typically begins with only an intercept. One tests the various variables that may be relevant, and the 'best' variable is added to the model. As the model Continues to improve we continue the process, adding one variable at a time and testing at each step. Once the model no longer improves with adding more variables, the process stops.

Back ward selection -

In backward selection you start with a model that includes every possible variable and eliminate the extraheous variables one by one.

In each step feature is removed one by one and the error is checked. Process continues until significant decrease in error occurs

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	Pifferentiate between Feature selection and Feature extraction.		
The the demonstrate to be experienced assistant	A CONTROL OF THE STATE OF THE S		
	Feature selection	Feature extraction	
	It finds a smaller subset of	It involves transforming n	
	It finds a smaller subset of n-dimensional data set to create a data model.	dimensional data into spaces of Jewer dimensions.	
anitro Company and an experimental and			
6)	It is the technique of finding	It is a technique of finding a	
	k features of the of dimension	new set of k dimensions that are	
alignar bligt och betimen som bliver) open engagtiva som	that gives us the most information		
	and discard the other (d-k)	dimensions.	
i iris silanur lipterine MacAMMARA anadMurgur elike daeline	dimensions.		
ري	Subset selection is one of the	The best known and most widely	
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- <u>All months out that the season was the</u> opposite extension	Jeature selection method.	is Principal Component Analysis.	
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gajana kalancen kapan galangan kalancen kalan kala			
Q4)	Explain Principal Component Analysis.		
	& Simil Course L A Logic		
on till film til frihansen som som til store og en fil storetiskligte fræstenhilde for	Principal Component Analysis, or PCA, is a dimensionality reduction method that is often used to reduce the dimensionality of large datessets, by transforming a large set of variables into smaller ones that still contain most of		
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ili Sul salatierakat o liina vallenina kortona (liinaaloitala			
eri etaren ilasaren igizi ilalgingarilegi.	the information in the large set.		
ai etaroni arramentaja saajarjariidad	the Information in the large set.		

Reducing the number of variables of a data set notionally comes at the expense of accuracy, but the trick in dimensionally reduction is to trade a little accuracy for simplicity. Because smaller datasets are easier to explore and visualize and make analyzing data much easier and faster for machine learning algorithms without extraneous variables to process.

Steps of PCAi) Standardization
ii) (ovariance matrix computation
iii) (ompute eigen values and eigen vectors of the covariance matrix to identify the principal components.

INPUT:-

```
#loading iris dataset
data(iris)
summary(iris)
```

#covariance matrix cov_matrix=cov(iris[1:4]) cov_matrix

#eigen values and eigen vectors
cov_eigen=eigen(cov_matrix)
cov_eigen

#princomp and prcomp
princomp_pca=princomp(iris[1:4])
summary(princomp_pca)

prcomp_pca=prcomp(iris[1:4])
summary(prcomp_pca)

Comparing variance values cov_eigen\$values princomp_pca\$sdev^2 prcomp_pca\$sdev^2

#plotting the data(princomp)
plot(princomp_pca)
screeplot(princomp_pca, type = "lines")
biplot(princomp_pca)

#plotting the data(prcomp)
plot(prcomp_pca)
screeplot(prcomp_pca, type = "lines")
biplot(prcomp_pca)

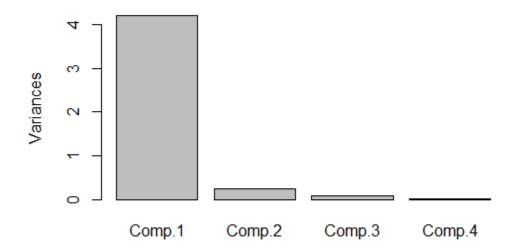
OUTPUT:-

```
> #loading iris dataset
> data(iris)
> summary(iris)
Sepal.Length Sepal.Width
                            Petal.Length Petal.Width
                                                          Species
Min. :4.300 Min. :2.000 Min. :1.000 Min. :0.100 setosa :50
1st Qu.:5.100 1st Qu.:2.800 1st Qu.:1.600 1st Qu.:0.300 versicolor:50
Median: 5.800 Median: 3.000 Median: 4.350 Median: 1.300 virginica: 50
Mean :5.843 Mean :3.057 Mean :3.758 Mean :1.199
3rd Qu.:6.400 3rd Qu.:3.300 3rd Qu.:5.100 3rd Qu.:1.800
Max. :7.900 Max. :4.400 Max. :6.900 Max. :2.500
>
>
> #covariance matrix
> cov_matrix=cov(iris[1:4])
> cov_matrix
       Sepal.Length Sepal.Width Petal.Length Petal.Width
Sepal.Length 0.6856935 -0.0424340 1.2743154 0.5162707
Sepal.Width -0.0424340 0.1899794 -0.3296564 -0.1216394
Petal.Length 1.2743154 -0.3296564 3.1162779 1.2956094
Petal.Width 0.5162707 -0.1216394 1.2956094 0.5810063
>
>
> #eigen values and eigen vectors
> cov eigen=eigen(cov matrix)
> cov_eigen
eigen() decomposition
$values
[1] 4.22824171 0.24267075 0.07820950 0.02383509
$vectors
             [,2]
                     [,3]
                           [,4]
      [,1]
[1,] 0.36138659 -0.65658877 -0.58202985 0.3154872
[2,] -0.08452251 -0.73016143 0.59791083 -0.3197231
[3,] 0.85667061 0.17337266 0.07623608 -0.4798390
[4,] 0.35828920 0.07548102 0.54583143 0.7536574
> #princomp and prcomp
> princomp_pca=princomp(iris[1:4])
> summary(princomp pca)
Importance of components:
```

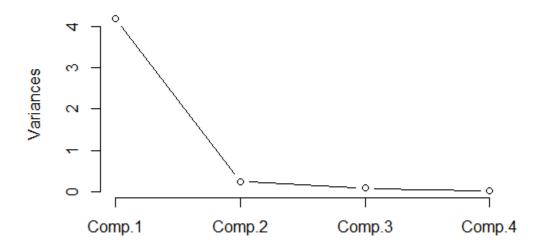
Comp.1 Comp.2 Comp.3 Comp.4 Standard deviation 2.0494032 0.49097143 0.27872586 0.153870700 Proportion of Variance 0.9246187 0.05306648 0.01710261 0.005212184 Cumulative Proportion 0.9246187 0.97768521 0.99478782 1.000000000 > > prcomp_pca=prcomp(iris[1:4]) > summary(prcomp_pca) Importance of components: PC1 PC2 PC3 PC4 Standard deviation 2.0563 0.49262 0.2797 0.15439 Proportion of Variance 0.9246 0.05307 0.0171 0.00521 Cumulative Proportion 0.9246 0.97769 0.9948 1.00000 > # Comparing variance values > cov eigen\$values [1] 4.22824171 0.24267075 0.07820950 0.02383509 > princomp_pca\$sdev^2 Comp.1 Comp.2 Comp.3 Comp.4 4.20005343 0.24105294 0.07768810 0.02367619 > prcomp pca\$sdev^2 [1] 4.22824171 0.24267075 0.07820950 0.02383509 > #plotting the data(princomp)

> plot(princomp_pca)

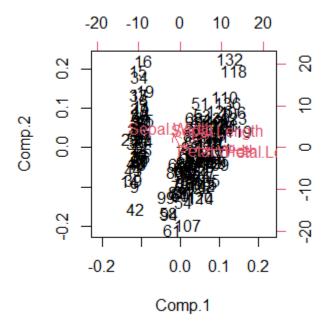
princomp_pca



princomp_pca

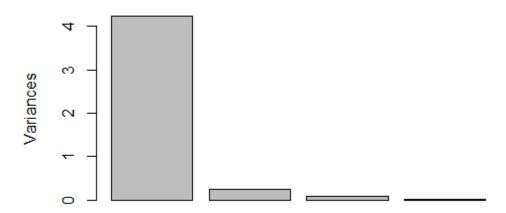


> biplot(princomp_pca)



- > #plotting the data(prcomp)
- > plot(prcomp_pca)

prcomp_pca



> screeplot(prcomp_pca, type = "lines")

prcomp_pca

