



Int64[5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, more

```

• begin
•     dataset_test = readlm(path_dataset * "test/X_test_new.txt", ' ')
•     X_test = dataset_test[:, 1:561]
•     y_test = Int.(dataset_test[:,563])
• end

```

2947×561 Array{Float64,2}:

```

0.257178 -0.0232852 -0.0146538 -0.938404 ... -0.720009 0.276801 -0.0579783
0.286027 -0.0131634 -0.119083 -0.975415 -0.698091 0.281343 -0.083898
0.275485 -0.0260504 -0.118152 -0.993819 -0.702771 0.280083 -0.0793462
0.270298 -0.0326139 -0.11752 -0.994743 -0.698954 0.284114 -0.077108
0.274833 -0.0278478 -0.129527 -0.993852 -0.692245 0.290722 -0.0738568
0.27922 -0.0186204 -0.113902 -0.994455 ... -0.689816 0.294896 -0.0684707
0.279746 -0.018271 -0.104 -0.995819 -0.690085 0.295282 -0.0670653
⋮
0.192275 -0.0336426 -0.105949 -0.354841 -0.646754 0.28215 0.181152
0.310155 -0.0533913 -0.0991087 -0.287866 -0.651732 0.274627 0.184784
0.363385 -0.039214 -0.105915 -0.305388 -0.655181 0.273578 0.182412
0.349966 0.0300774 -0.115788 -0.329638 -0.655357 0.274479 0.181184
0.237594 0.0184669 -0.0964989 -0.323114 ... -0.659719 0.264782 0.187563
0.153627 -0.0184365 -0.137018 -0.330046 -0.66008 0.263936 0.188103

```

• X\_test

Int64[5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, more

• y\_test

## Utilisation de PCA pour réduire la dimension des données

Algorithme :

1. Centrer les données
2. Construire la matrice de covariance  $\Sigma$
3. Décomposer cette matrice en vecteur propres, valeur propres  $\{v_i, \lambda_i\}$
4. Ordonner les valeurs propres par ordre décroissant
5. Le sous-espace de dimension  $q$  qui représente 99% de la variance des données est utilisé pour le modèle ANN

```

• md"#### Utilisation de PCA pour réduire la dimension des données
•
• Algorithme :
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• 3. Décomposer cette matrice en vecteur propres, valeur propres  $\{v_i, \lambda_i\}$ 
• 4. Ordonner les valeurs propres par ordre décroissant
• 5. Le sous-espace de dimension  $q$  qui représente 99% de la variance des données est
    utilisé pour le modèle ANN
• "

```

$\mu$  = 1×561 Array{Float64,2}:

```

0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147

```

```

• # Calcul de la moyenne de chaque colonne
•  $\mu$  = mean(X_train, dims=1)

```

**M** = 7352×561 Array{Float64,2}:

```
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
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0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
⋮
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
0.274488 -0.0176954 -0.109141 -0.605438 ... -0.489547 0.058593 -0.0565147
```

• **M** = repeat( $\mu$ , length(**y\_train**), 1)

**X̄** = 7352×561 Array{Float64,2}:

```
0.0140964 -0.00259874 -0.0237641 ... -0.3517 0.121348 -0.00211222
0.00393071 0.00128486 -0.0143792 ... -0.35524 0.121696 0.00219799
0.00516494 -0.00177173 -0.00432067 ... -0.359386 0.122044 0.00739689
0.00468582 -0.00850522 -0.0141415 ... -0.359102 0.123342 0.00885152
0.00214065 0.00112577 -0.00622083 ... -0.358318 0.126558 0.0126224
0.00271065 0.00759758 0.00400377 ... -0.360084 0.126229 0.0143883
0.00496576 -0.00194535 -0.00088113 ... -0.362603 0.123577 0.0135047
⋮
-0.0365216 0.0166076 -0.0391849 ... -0.307725 0.176403 0.105422
0.0251772 -0.039498 -0.072092 ... -0.302336 0.180011 0.106334
-0.000635415 0.0099461 -0.0383273 ... -0.282292 0.194083 0.106567
-0.00110075 0.000684811 0.0641192 ... -0.289585 0.190552 0.0973259
0.015166 -0.00114762 -0.0491396 ... -0.295634 0.187839 0.0818542
0.0770153 0.00527231 -0.0947261 ... -0.29372 0.188215 0.0932095
```

• *# Centrage des données*  
• **X̄** = **X\_train** - **M**

1×561 Array{Float64,2}:

```
-2.22286e-17 2.02353e-18 5.07392e-18 ... 4.25243e-17 -4.83231e-19 -3.86585e-18
```

• mean(**X̄**, dims=1) *# La moyenne de chaque colonne est bien proche de 0*

**Σ** = 561×561 Array{Float64,2}:

```
0.00493665 0.000424552 -0.00102248 ... 0.00071841 0.000553863
0.000424552 0.0016655 -0.000182059 ... 1.27823e-5 -0.000158369
-0.00102248 -0.000182059 0.00320754 ... -0.000257575 -0.000357949
1.95065e-5 -0.000827027 -0.000513799 ... 0.0628822 0.0494525
-0.00077354 -0.000921444 -0.000473728 ... 0.0782923 0.0607733
-0.00131251 -0.000850007 -0.000199433 ... 0.059287 0.0564256
0.00018742 -0.000764614 -0.000450244 ... 0.0588409 0.0462727
⋮
0.00038342 -0.000247742 -0.00101143 ... -0.0017324 -0.00219228
0.00160038 0.000446035 -0.00219142 ... -0.0022809 -0.00337941
0.000968681 0.00147623 -0.000921396 ... -0.000834531 -0.0007546
-0.00126785 -0.000110889 0.000248914 ... -0.119343 -0.0919504
0.00071841 1.27823e-5 -0.000257575 ... 0.0884944 0.0493952
0.000553863 -0.000158369 -0.000357949 ... 0.0493952 0.0779092
```

• *# Construction la matrice de covariance Σ*  
• **Σ** = cov(**X̄**) *# Ou B'\*B/(length(y\_train) - 1)*

Eigen{Float64,Float64,Array{Float64,2},Array{Float64,1}}  
values:

561-element Array{Float64,1}:  
-2.3818397070201475e-16  
-1.803340291544898e-16  
-3.718746783291804e-17  
-1.4953023566224664e-17

```
-8.448811245005369e-18
-6.961354641112536e-18
-6.576259941595891e-18
⋮
0.7081523037131603
0.9435170027830603
1.0437752946684833
2.2943928417169275
2.7350462652009018
34.82363040636593
```

vectors:

561×561 Array{Float64,2}:

```
1.13183e-9 -1.05098e-9 -5.56484e-10 ... 0.00325696 7.15327e-5
-7.71805e-10 6.19934e-10 -1.79635e-9 -0.000422311 0.000299848
3.11581e-10 -7.50608e-10 -5.01163e-10 -0.000839509 0.000231385
1.43788e-8 -2.07142e-8 -1.88137e-8 0.0171947 -0.0728429
-1.30439e-8 -1.02185e-8 4.46897e-8 -0.0109697 -0.0830195
7.89386e-9 6.9804e-9 -1.16705e-8 ... -0.0240049 -0.0657876
1.10704e-10 5.47116e-11 3.31847e-9 0.0180022 0.0684675
```

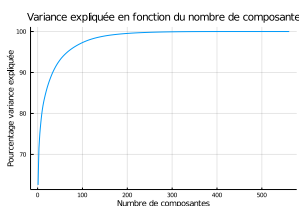
- *# Décomposer cette matrice en vecteur propres, valeur propres { $v_i$ ,  $\lambda_i$ }*
- $\lambda$ ,  $v$  = `eigen( $\Sigma$ )`

order =

```
Int64[561, 560, 559, 558, 557, 556, 555, 554, 553, 552, 551, 550, 549, 548, 547, 546, 545, 544, 543, 542, 541, 540, 539, 538, 537, 536, 535, 534, 533, 532, 531, 530, 529, 528, 527, 526, 525, 524, 523, 522, 521, 520, 519, 518, 517, 516, 515, 514, 513, 512, 511, 510, 509, 508, 507, 506, 505, 504, 503, 502, 501, 500, 499, 498, 497, 496, 495, 494, 493, 492, 491, 490, 489, 488, 487, 486, 485, 484, 483, 482, 481, 480, 479, 478, 477, 476, 475, 474, 473, 472, 471, 470, 469, 468, 467, 466, 465, 464, 463, 462, 461, 460, 459, 458, 457, 456, 455, 454, 453, 452, 451, 450, 449, 448, 447, 446, 445, 444, 443, 442, 441, 440, 439, 438, 437, 436, 435, 434, 433, 432, 431, 430, 429, 428, 427, 426, 425, 424, 423, 422, 421, 420, 419, 418, 417, 416, 415, 414, 413, 412, 411, 410, 409, 408, 407, 406, 405, 404, 403, 402, 401, 400, 399, 398, 397, 396, 395, 394, 393, 392, 391, 390, 389, 388, 387, 386, 385, 384, 383, 382, 381, 380, 379, 378, 377, 376, 375, 374, 373, 372, 371, 370, 369, 368, 367, 366, 365, 364, 363, 362, 361, 360, 359, 358, 357, 356, 355, 354, 353, 352, 351, 350, 349, 348, 347, 346, 345, 344, 343, 342, 341, 340, 339, 338, 337, 336, 335, 334, 333, 332, 331, 330, 329, 328, 327, 326, 325, 324, 323, 322, 321, 320, 319, 318, 317, 316, 315, 314, 313, 312, 311, 310, 309, 308, 307, 306, 305, 304, 303, 302, 301, 300, 299, 298, 297, 296, 295, 294, 293, 292, 291, 290, 289, 288, 287, 286, 285, 284, 283, 282, 281, 280, 279, 278, 277, 276, 275, 274, 273, 272, 271, 270, 269, 268, 267, 266, 265, 264, 263, 262, 261, 260, 259, 258, 257, 256, 255, 254, 253, 252, 251, 250, 249, 248, 247, 246, 245, 244, 243, 242, 241, 240, 239, 238, 237, 236, 235, 234, 233, 232, 231, 230, 229, 228, 227, 226, 225, 224, 223, 222, 221, 220, 219, 218, 217, 216, 215, 214, 213, 212, 211, 210, 209, 208, 207, 206, 205, 204, 203, 202, 201, 200, 199, 198, 197, 196, 195, 194, 193, 192, 191, 190, 189, 188, 187, 186, 185, 184, 183, 182, 181, 180, 179, 178, 177, 176, 175, 174, 173, 172, 171, 170, 169, 168, 167, 166, 165, 164, 163, 162, 161, 160, 159, 158, 157, 156, 155, 154, 153, 152, 151, 150, 149, 148, 147, 146, 145, 144, 143, 142, 141, 140, 139, 138, 137, 136, 135, 134, 133, 132, 131, 130, 129, 128, 127, 126, 125, 124, 123, 122, 121, 120, 119, 118, 117, 116, 115, 114, 113, 112, 111, 110, 109, 108, 107, 106, 105, 104, 103, 102, 101, 100, 99, 98, 97, 96, 95, 94, 93, 92, 91, 90, 89, 88, 87, 86, 85, 84, 83, 82, 81, 80, 79, 78, 77, 76, 75, 74, 73, 72, 71, 70, 69, 68, 67, 66, 65, 64, 63, 62, 61, 60, 59, 58, 57, 56, 55, 54, 53, 52, 51, 50, 49, 48, 47, 46, 45, 44, 43, 42, 41, 40, 39, 38, 37, 36, 35, 34, 33, 32, 31, 30, 29, 28, 27, 26, 25, 24, 23, 22, 21, 20, 19, 18, 17, 16, 15, 14, 13, 12, 11, 10, 9, 8, 7, 6, 5, 4, 3, 2, 1]
```

- *# Ordonner les valeurs propres par ordre décroissant*
- `order = sortperm( $\lambda$ , rev=true)`

- *# Recherche du nombre de composant permettant de conserver au moins 99% de la variance*
- `begin`
- `ebolli = float([0 for idx in 1:561])`
- `$\lambda\_drec = \lambda[order]$`
- `total = sum( $\lambda\_drec$ )`
- `for i in 1:561`
- `som_i = sum( $\lambda\_drec[1:i]$ )`
- `ebolli[i] = som_i / total * 100`
- `end`
- `end`



- `plot(1:561, eboli, legend=false, xlabel="Nombre de composantes", ylabel="Pourcentage variance expliquée", title="Variance expliquée en fonction du nombre de composante")`

- `begin`
- `print("Le pourcentage de la variance conservée avec 155 composantes est : ")`
- `print(eboli[155])`
- `end`
- *# Nous allons donc utiliser 155 composantes*

$\theta$  = 561×155 Array{Float64,2}:

```
7.15327e-5 0.00325696 0.00245574 ... -0.0222156 -0.0262348 0.00365807
0.000299848 -0.000422311 0.000624522 -0.00314018 -0.0166945 -0.0141309
0.000231385 -0.000839509 -0.00036828 0.0348822 0.0449157 0.0243496
-0.0728429 0.0171947 -0.0131377 0.0243761 0.0160184 -0.00331693
-0.0830195 -0.0109697 -0.00976856 -0.0093758 -0.0112564 -0.0237074
-0.0657876 -0.0240049 -0.0140109 ... -0.0108822 -0.00753059 0.00606941
```

- *# Le sous-espace de dimension q qui représente 99 de la variance*
- $\theta = v[:, \text{order}[1:155]]$

- $X_{\text{train\_acp}} = \bar{X} * \theta$

```

• begin
•     WALKING = (y_train .== 1)
•     WALKING_UPSTAIRS = (y_train .== 2)
•     WALKING_DOWNSTAIRS = (y_train .== 3)
•     SITTING = (y_train .== 4)
•     STANDING = (y_train .== 5)
•     LAYING = (y_train .== 6)
• end

```



5/8

## Utilisation d'un modèle RNN

```
Y_train = 6x7352 Flux.OneHotMatrix{Array{Flux.OneHotVector,1}}:
0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 ... 0 0 0 0 0 0 0 0 0 0 0 0
0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 1 1 1 1 1 1 1 1 1 1 1 1
0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 0 0 0 0 0 0 0 0 0 0 0 0
0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 ... 0 0 0 0 0 0 0 0 0 0 0 0
```

```
initialLoss = 1.8093129f0
```

- *# Perte initiale*
- **initialLoss = loss(X\_train\_acp', Y\_train)**

```
optimizer = ADAM(0.001, (0.9, 0.999), IdDict())
```

- *# Création de l'optimizer (Adam)*
- **optimizer = ADAM()**

```
train (generic function with 2 methods)
```

- *# Fonction d'entraînement*
- **function train(numEpochs=20)**
- **with\_terminal() do**
- **@epochs numEpochs Flux.train!(loss, θ\_rnn, [(X\_train\_acp', Y\_train)],**
- **optimizer; cb = () -> println(loss(X\_train\_acp'[:,1:100], Y\_train[:,1:100]))**
- **end**
- **end**

```
[ Info: Epoch 1
1.5748048
[ Info: Epoch 2
1.5664421
[ Info: Epoch 3
1.5580957
[ Info: Epoch 4
1.5498137
[ Info: Epoch 5
1.5415965
[ Info: Epoch 6
1.5334213
[ Info: Epoch 7
1.5252517
[ Info: Epoch 8
1.5170434
[ Info: Epoch 9
1.5087519
[ Info: Epoch 10
1.5003394
[ Info: Epoch 11
1.4920471
```

- **train(500)**

```
accuracy (generic function with 1 method)
```

- **accuracy(x, y) = mean(Flux.onecold(model(x)) .== y)**

```
training_accuracy = 0.9884385201305768
```

- **training\_accuracy = accuracy(X\_train\_acp', y\_train)**

- *Enter cell code...*

```
2947×155 Array{Float64,2}:
 2.68674  -1.21682   0.722075   ...   0.150705   -0.11832   -0.090125
 4.33126  -0.766327   1.1284     ...   0.0511199  -0.0464086 -0.0395244
 4.98536   0.371301   1.65686    ...  -0.0189005  -0.0728856  0.0297086
 5.09988   0.243743   1.8027     ...  -0.108666   0.00685633  0.051577
 5.023     -0.518739   1.87108    ...  -0.0384146  -0.0326229  -0.0581086
 4.94571   -0.522905   1.92607    ...  -0.0320561  -0.0779267  -0.0146738
 5.17886   0.0320224   2.02087    ...  -0.0409423  -0.0154981  0.0489421
 ⋮
-3.99997  -1.63732   -0.00991198 ...   0.0123996   0.0361222  -0.097927
-4.44716  -1.52173   -0.0984233 ...   0.118933   -0.115774  -0.0899958
-5.02465  -1.01597   -0.0568313 ...   0.0361636  -0.0707252  -0.101399
-4.5557   -1.07662   -0.153593 ...   0.15428     0.121027  -0.207373
-3.76462  -1.29442    0.0238255 ...   0.0592178   0.0133272  -0.128423
-3.9924   -1.04278    0.0857618 ...  -0.0905952  -0.0769914  -0.0726717
```

```
• # Application de acp sur les données de test  
• begin  
•     M_test = repeat(μ, length(y_test), 1)  
•      $\bar{X}$ _test = X_test - M_test  
•     X_test_acp =  $\bar{X}$ _test * θ  
• end
```

```
test_accuracy = 0.9474041398031897
```

```
• test_accuracy = accuracy(X_test_acp', y_test)
```