Introduction;

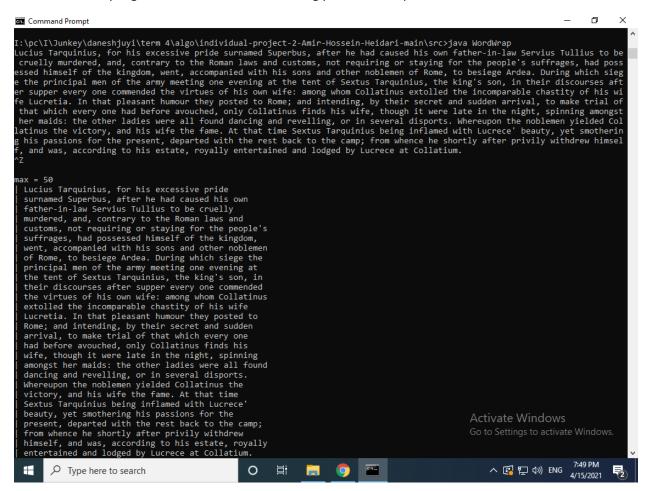
This is a project to wrap a given text in lines with length of 50 and making the spacing the minimum by Amir Hossein Heidari from K.N Toosi University using Java.

It consists of a class by the name of "WordWrap.

Implementation;

In the beginning user ought to enter a text and by pushing ENTER and then Ctrl z and again an ENTER, the program starts the computation and printing it out.

Here is an example given on how it works on a long poet of Shakspears.



To find the minimum of the spacing I have used dynamic programming a bottom-up approach:

 $0 \hspace{1cm} if j=0 \\ \\ Cost[j] = \\ \\ Min \left(\, Cost[i-1] + lineCost[i][j] \, \right) \hspace{1cm} if \hspace{1cm} j>0 \\ \\ \\ \end{array}$

In the above formula i refers to the count of words in the previous lines and j-i is the count of words in the current line

This is how it is implemented:

```
private static int[] wordWrap (int[] input, int M){
    int n = input.length;
    int[][] extraSpace = new int[n][n];
    int[][] lineCost = new int[n][n];
    int[] cost = new int[n+1];
    int[] track = new int[n];
    for(int i=0;i<n;i++){</pre>
       extraSpace[i][i] = M - input[i];
        for(int j=i+1;j<n;j++)</pre>
            extraSpace[i][j] = extraSpace[i][j-1] - input[j] - 1;
    for(int i=0;i<n;i++){
        for(int j=i;j<n;j++){</pre>
            if(extraSpace[i][j]<0)</pre>
                lineCost[i][j] = Integer.MAX_VALUE;
            else if(j==n-1)
                lineCost[i][j] = 0;
                lineCost[i][j] = extraSpace[i][j]*extraSpace[i][j];
    }
    cost[0] = 0;
    for(int j=0;j<n;j++){</pre>
        cost[j+1] = Integer.MAX_VALUE;
        for(int i=0;i<=j;i++){
            if(cost[i]!=Integer.MAX_VALUE && lineCost[i][j]!=Integer.MAX_VALUE &&
            (cost[i] + lineCost[i][j] < cost[j+1])){</pre>
                cost[j+1] = cost[i] + lineCost[i][j];
                track[j] = i;
    return track;
```

The time complexity and the memory complexity;

```
The time complexity is:
```

```
T(n) = 3 * n(n+1)/2 = O(n^2)
and the memory complexity is :
S(n) = n*n + n*n + n+1 + n = O(n^2)
```

Suggested improvements;

Changing the fixed value 50 to a final integer and get it from a user /* which is an easy job do it. :) */