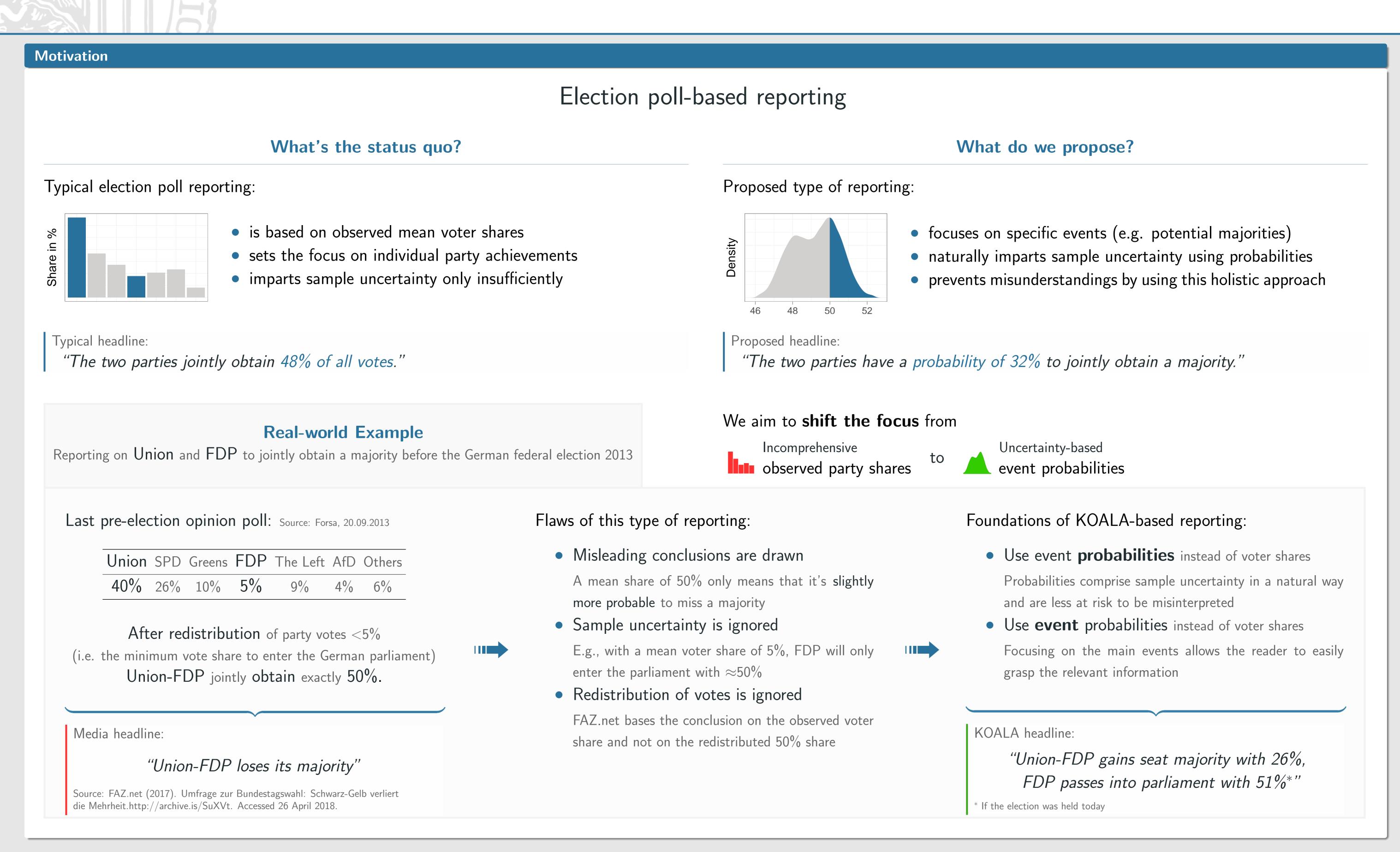


# KOALA: Estimating coalition probabilities in multi-party electoral systems

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## Event probability estimation

# **Estimating event probabilities**TODO: Den POE-Begriff einfuehrn

**1** Multinomial-Dirichlet model for the true party shares  $\theta_i$  (Gelman et al., 2013):

$$(\theta_1,\ldots,\theta_k)^T \sim Dirichlet(\alpha_1,\ldots,\alpha_k), \text{ with } \alpha_1=\ldots=\alpha_k=\frac{1}{2}$$

- Given one survey, we obtain a **Dirichlet posterior** with  $\alpha_j = x_j + \frac{1}{2}$  for each party  $j = 1, \ldots, k$  and its observed vote counts  $x_j$ .
- Using Monte Carlo simulations of election outcomes, we obtain obtain specific event probabilities by calculating the relative frequency of their occurrence.

### Pooling multiple surveys

We pool the most recent surveys within the past 14 days (one per polling agency) to reduce sample uncertainty. We adjust the uncertainty of the multinomially distributed summed number of votes per party by using an **effective sample size** (Hanley et al., 2003).

As polls from different polling agencies are correlated, **party-specific correlations** were estimated based on 20 surveys of polling agencies Emnid and Forsa, using

$$Cov(X_{Aj}, X_{Bj}) = \frac{1}{2} \cdot (Var(X_{Aj}) + Var(X_{Bj}) - Var(X_{Aj} - X_{Bj})),$$

with

- $X_{Sj}$  the observed votes for party j in survey S,
- $Var(X_{Ai})$ ,  $Var(X_{Bi})$  the theoretical variances of binomial distributions,
- $Var(X_{Aj} X_{Bj})$  estimated from the party share differences.

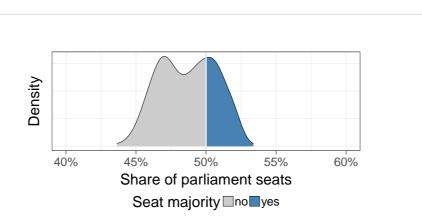
For simplicity, we set the correlation to a fixed value of 0.5.

The **effective sample size**  $n_{\text{eff}}$  is then defined as the ratio between the estimated variance for the pooled sample and the theoretical variance for a sample of size one:

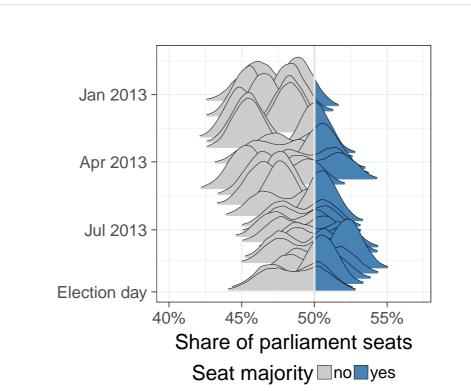
 $n_{\rm eff} = \frac{Var(pooled)}{Var(sample of size one)}$ 

### Visualization & Implementation

### Selected visualizations



**Density plots** are used to depict one simulated seat distribution



**Ridgeline plots** (Wilke, 2017) are used to depict the simulated seat distribution development over time

### **Implementation**





### Major building blocks

- The accompanying R package coalitions
- An automated fetch-and-update process for the website
- An automated bot tweeting new results

#### References

#### s KOALA-Paper

Bender, A. and Bauer, A. (2018). coalitions: Coalition probabilities in multi-party democracies. Journal of Open Source Software, 3(23), 606, https://doi.org/10.21105/joss.00606.