

Principles of Compiler Construction

Lecturer: 常会友

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Lecture 9. Semantic Analysis and Intermediate Code Generation

- 1. Introduction
- 2. Types and Declarations
- 3. Assignments and Expressions
- 4. Type Checking
- 5. Boolean Expressions
- Backpatching and Flow-of-Control Statements

1. Introduction

- Review
 - Front end vs. back end
 - \circ $m \times n$: m front ends and n back ends.
 - Interface between front ends and back ends
 - Intermediate representation
 - Why IR ? Extendability and optimization.
 - Semantic (static) analysis
 - The most common analysis
 - Type checking
 - Other static checking
 - Unreachable code
 - Use of uninitialized variables
 - etc.

Static Checking

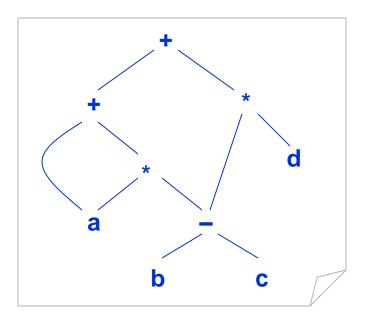
- Semantic analysis also focuses on the well-formness of source code
 - Due to the expressiveness power of Context-Free Grammars.
 - For example,
 - Number matching of actual parameters.
 - Context sensitive requirements cannot be specified using a context free grammar.
 - break statement must be in a loop or switch.
 - Requires a complicated and unnatural context free grammar.

Intermediate Representation

- High level intermediate representations
 - AST and DAG
 - Suitable for tasks like static type checking
- Low level intermediate representations
 - 3-address code: x = y op z
 - Suitable for machine-dependent tasks, such as register allocation and instruction selection.
- IR choice/design are application specific
 - C language is commonly used (AT&T Bell Lab Advanced C++)

Three-Address Code

- Compiler-generated temporary variables
 - x + y * z
 - $t_1 = y * z$ $t_2 = x + t_1$
- An example
 - $t_1 = b c$ $t_2 = a * t_1$ $t_3 = a + t_2$ $t_4 = t_1 * d$ $t_5 = t_3 + t_4$



Addresses

- Addresses in 3-address code
 - Name (variables in source code)
 - May be implemented as a pointer or reference to its entry in the symbol table.
 - Constant
 - Type conversions must be considered.
 - Compiler-generated temporary
 - Useful for optimization.
 - Register allocation.

Instructions

Common 3-address instructions

```
• x = y op z // arithmetic and logical
                // negation and conversion
  x = op y
                   // copy
  x = y
 goto L
         // unconditional jump
  if x goto L // conditional jump
  ifFalse x goto L // conditional jump
  if x op y goto L // relational operation
                   // parameter passing
param X<sub>1</sub>
  param X<sub>2</sub>
  param X<sub>n</sub>
  call p, n
                   // procedure call
  y = call p, n // function call
                 // return a value
  return y
```

Instructions (cont')

Common 3-address instructions

```
x = y[i] // indexed copy, i is the offset
x[i] = y
x = &y // address and pointer assignment
x = *y
*x = y
```

Three-Address Code: Example

Source code

```
do i = i + 1;while (a[i] < v);</li>
```

Translation to 3-address code (symbolic labels)

```
• L: t_1 = i + 1

i = t_1

t_2 = i * 8

t_3 = a[t_2]

if t_3 < v goto L
```

Another translation form (position numbers)

```
• 100: t_1 = i + 1

101: i = t_1

102: t_2 = i * 8

103: t_3 = a[t_2]

104: if t_3 < v goto 100
```

Implementations of Three-Address Code

- Quadruples (quads)
 - Pros and cons ?
- Triples
 - Pros and cons ?
- Indirect triples
 - Pros and cons ?

Space consuming Flexibility to optimizations

1) Quadruples

- Source code
 - a = b * c + b * c
- Three-address code

•
$$t_1 = minus c$$

 $t_2 = b * t_1$
 $t_3 = minus c$
 $t_4 = b * t_3$
 $t_5 = t_2 + t_4$
 $a = t_5$

Quads

	ор	arg_1	arg ₂	result
0	minus	С		t_1
1	*	b	t_1	t_2
2	minus	С		t_3
3	*	b	t_3	$t_{\scriptscriptstyle{4}}$
4	+	t_2	$t_{\scriptscriptstyle{4}}$	$t_{\scriptscriptstyle{5}}$
5		t ₅		а
	•••			

2) Triples

Three-address code

•
$$t_1 = minus c$$

 $t_2 = b * t_1$
 $t_3 = minus c$
 $t_4 = b * t_3$
 $t_5 = t_2 + t_4$
 $a = t_5$

	ор	arg ₁	arg ₂
0	minus	С	
1	*	b	(0)
2	minus	С	
3	*	b	(2)
4	+	(1)	(3)
5	II	а	(4)
:			

3) Indirect Triples

Three-address code

•
$$t_1 = minus$$
 C
 $t_2 = b * t_1$
 $t_3 = minus$ C
 $t_4 = b * t_3$
 $t_5 = t_2 + t_4$
 $a = t_5$

35 (0) 36 (1) 37 (2) 38 (3) 39 (4) 40 (5)

	ор	arg ₁	arg ₂
0	minus	С	
1	*	b	(0)
2	minus	С	
3	*	b	(2)
4	+	(1)	(3)
5	=	а	(4)

In Java, array of instruction objects

Static Single-Assignment Form

$$p_1 = a + b$$
 $q_1 = p_1 - c$
 $p_2 = q_1 * d$
 $p_3 = e - p_2$
 $q_2 = p_3 + q_1$

Static Single-Assignment Form

```
if (flag) x = -1; else x = 1; y = x * a; if (flag) x_1 = -1; else x_2 = 1; x_3 = \phi(x_1, x_2);
```

2. Types and Declarations

- Declaration
 - Literals: implicitly
 - Variables: explicitly
 - Other names: explicitly
- Type checking in strong-typing languages
 - Type compatibility
 - Type inference
 - Implicit type conversion
 - Resolving overloading operators

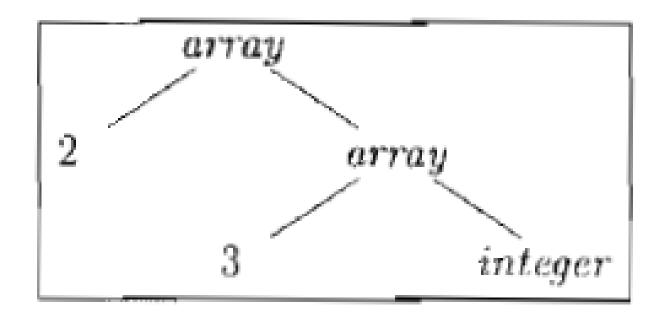


Type Expressions

Declare only one name at a time

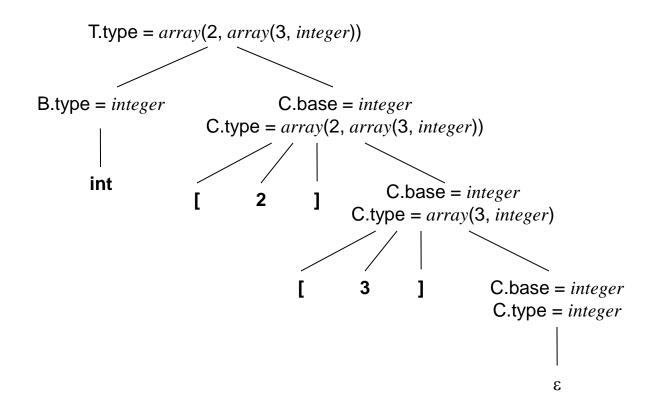
```
Basic Type;
Type name;
Array type constructor;
Record; (Struct, Union)
Type constructor ->;
Cartesian product;
Type expression contain variables whose values
  are type expressions.
```

Type Expressions



Type Structures (cont')

Type structure for int[2][3]



Type Equivalence

- The same basic type;
- Formed by applying the same constructor to structurally equivalent types;
- One is a type name that denotes the other.

Simplified Grammar

Declare only one name at a time

```
D \rightarrow T id; D | \epsilon
T \rightarrow B C | record { D }
B \rightarrow int | double
C \rightarrow [ num ] C | \epsilon
```

Translation of Type Declarations

Computing types and their widths

```
 \begin{array}{lll} T \rightarrow B & \{t = B.type; \ w = B.width \} \\ & C & \{T.type = C.type; \ T.width = C.width \} \\ & B \rightarrow \textbf{int} & \{B.type = INTEGER; \ B.width = 4 \} \\ & B \rightarrow \textbf{double} & \{B.type = DOUBLE; \ B.width = 8 \} \\ & C \rightarrow \textbf{[ num ] C}_1 & \{C.type = array(\textbf{num}.value, C_1.type); \\ & C.width = \textbf{num}.value \times C_1.width \} \\ & C \rightarrow \epsilon & \{C.type = t; \ C.width = w \} \\ \end{array}
```

Just try it: int[2][3] What is T.type and T.width?

Type expression

Translation of Type Declarations (cont')

Computing relative addresses

```
\begin{array}{c} P \to \\ D \end{array} \hspace{0.5cm} \{ \hspace{0.1cm} \text{offset} = 0 \hspace{0.1cm} \} \hspace{0.5cm} \text{top denotes the current symbol table} \\ \\ D \to T \hspace{0.1cm} \text{id} \hspace{0.1cm} ; \hspace{0.1cm} \{ \hspace{0.1cm} \text{top.put(id.lexeme, T.type, offset);} \\ \\ \hspace{0.1cm} \text{offset} \hspace{0.1cm} += \text{T.width} \hspace{0.1cm} \} \\ \\ D \to \epsilon \end{array} \\ \hspace{0.1cm} Embedded \hspace{0.1cm} \text{actions can be removed with markers} \end{array}
```

Another Example

Enter types and their widths

```
\begin{array}{l} P \rightarrow & \{ \text{ offset } = 0 \ \} \\ D \rightarrow D \  \, D \\ D \rightarrow \text{id} : T \\ V \rightarrow \text{id} : T \\ V \rightarrow \text{integer} \\ V \rightarrow \text{real} \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num ] of } V \\ V \rightarrow \text{array [ num
```

Just try it: **k: array [5] of ^real**What are the side effects?

Another Example (cont')

Field names in records

3. Assignments and Expressions

- Intermediate code generation
 - Code concatenation

```
o gen(...)
```

- 0
- No side effects
- Incremental generation

```
DBv1: emit(...)
```

- DBv2: overloading gen(...)
- Side effects

Example:

$$a = b + -c$$

$$t_1 = minus c$$

$$t_2 = b + t_1$$

$$a = t_2$$

Translation of Expressions

Code concatenation (syntax-directed definition)

	Productions	Semantic Rules
1	$S \rightarrow id = E;$	S.code = E.code gen(top.get(id .lexeme) '=' E.addr)
2	$E \to E_1 + E_2$	E.addr = new Temp(); E.code = E_1 .code E_2 .code gen(E.addr '=' E_1 .addr '+' E_2 .addr)
3	$E \rightarrow - E_1$	E.addr = new Temp(); E.code = E_1 .code gen(E.addr '=' ' minus ' E_1 .addr)
4	$E \rightarrow (E_1)$	$E.addr = E_1.addr;$ $E.code = E_1.code$
5	E → id	E.addr = top.get(id .lexeme); E.code = ' '

Translation of Expressions (cont')

Incremental translation (translation scheme)

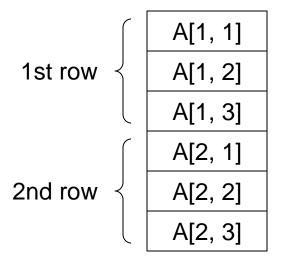
Another Example

Declared variables

```
S \rightarrow id := E; { p = symbolTable.lookup(id.name);
                       if (p == null) throw new SomeException();
                       emit(p '=' E.place) }
E \rightarrow E_1 + E_2 { E.place = new Temp();
                       emit(E.place '=' E<sub>1</sub>.place '+' E<sub>2</sub>.place) }
\mathsf{E} \rightarrow \mathsf{E}_1
                     { E.place = new Temp();
                       emit(E.place '=' 'minus' E<sub>1</sub>.place) }
E \rightarrow (E_1) { E.place = E_1.place }
\mathsf{E} \to \mathsf{id}
                     { p = symbolTable.lookup(id.name);
                        if (p == null) throw new SomeException();
                        E.place = p }
```

Addressing Array Elements

- 2-dimensional array layout
 - Row major vs. column major



1st column {	A[1, 1]
	A[2, 1]
2nd column {	A[1, 2]
	A[2, 2]
3rd column {	A[1, 3]
	A[2, 3]

Addressing Array Elements

- Relative address of array elements
 - A[i]

```
    base + (i - low) × w
    i × w + (base - low × w)

Constant for optimization
```

A[i₁, i₂]

```
o base + ((i_1 - low_1) \times n_2 + i_2 - low_2) \times w
```

$$\circ ((i_1 \times n_2) + i_2) \times w + (base - (low_1 \times n_2 + low_2) \times w)$$

A[i₁, i₂, ..., i_k]

o
$$((...((i_1 \times n_2 + i_2) \times n_3 + i_3)...) \times n_k + i_k) \times w + base - ((...((low_1 \times n_2 + low_2) \times n_3 + low_3)...) \times n_k + low_k) \times w$$

Addressing Tips

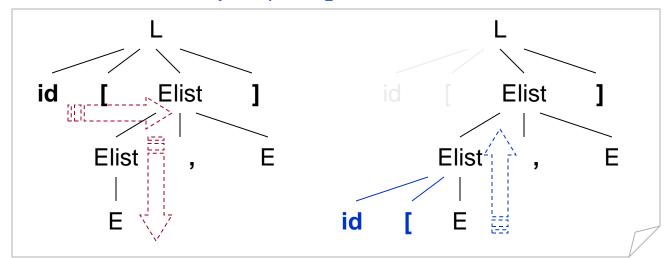
 For each increment of a new dimension, addressing is calculated recursively, e.g. from k to k + 1

```
• For variable part V: V \times n_{k+1} + i_{k+1}
```

• For constant part C: $C \times n_{k+1} + low_{k+1}$

Grammar for Array References

- Array references in Pascal: a[2, 3]
 - L \rightarrow id [Elist] | id
 - Elist \rightarrow Elist, E | E
- Grammar transformation (why ?)
 - L \rightarrow Elist] | id
 - Elist → Elist, E | id [E



Translation Scheme

Addressing array elements in Pascal

```
(1) S \rightarrow L := E
                     { if (L.offset == null) emit(L.place '=' E.place)
                        else emit(L.place '[' L.offset ']' '=' E.place) }
(2) E \rightarrow E_1 + E_2 { E.place = new Temp();
                        emit(E.place '=' E<sub>1</sub>.place '+' E<sub>2</sub>.place) }
(3) E \rightarrow (E_1) { E.place = E_1.place }
(4) E \rightarrow L
                     { if (L.offset == null) E.place = L.place
                        else {
                        E.place = new Temp();
                        emit(E.place '=' L.place '[' L.offset ']')
                        } }
(5) L \rightarrow Elist
                      { L.place = new Temp();
                        emit(L.place '=' constant(Elist.array));
                        L.offset = new Temp();
                        emit(L.offset '=' Elist.place '*' width(Elist.array) }
(6) L \rightarrow id
                      { L.place = id.place;
                        L.offset = null }
                                                           L.place = base - C * w
```

L is a simple id (if L.offset is null) or an array reference

L.offset = V * w

Translation Scheme (cont')

Addressing array elements in Pascal (cont')

Elist.array = base Elist.place = V Elist.ndim = dimensions

Another Translation Scheme

- Array references in C/C++: a[2][3]
 - For all n, $low_n = 0$
 - Addressing formula
 - A[i]
 - base + i × w
 - A[i₁][i₂]
 - base + $i_1 \times w_1 + i_2 \times w_2$
 - w₁ is the width of a row
 - w₂ is the width of an element in a row
 - A[i₁][i₂]...[i_k]
 - base + $i_1 \times w_1 + i_2 \times w_2 + ... + i_k \times w_k$

Java does NOT use row-major storage for arrays

Another Translation Scheme (cont')

Translation scheme

```
S \rightarrow id = E; { gen(top.get(id.lexeme) '=' E.addr) }
              S \rightarrow L = E; { gen(L.array.base '[' L.addr ']' '=' E.addr) }
              E \rightarrow E_1 + E_2 { E.addr = new Temp();
                                      gen(E.addr '=' E_1.addr '+' E_2.addr) }
              \mathsf{E} \to \mathsf{id}
                                  { E.addr = top.get(id.lexeme) }
              \mathsf{E} \to \mathsf{L}
                                   { E.addr = new Temp();
                                      gen(E.addr '=' L.array.base '[' L.addr ']') }
              L \rightarrow id [E] { L.array = top.get(id.lexeme);
                                      L.type = L.array.type.element;
                                      L.addr = new Temp();
                                      gen(L.addr '=' E.addr '*' L.type.width) }
              L \rightarrow L_1 [ E ] { L.array = L_1.array;
                                      L.type = L_1.type.element;
                                      t = new Temp();
L only for array reference
   E.addr = E.place
                                      L.addr = new Temp();
 L.array.base = L.place
                                      gen(t '=' E.addr '*' L.type.width);
    L.addr = L.offset
                                      gen(L.addr '=' L_1.addr '+' t)
```

4. Type Checking

- Strong typing vs. weak typing
 - Strongness is relative
- Type definitions
 - Primitive types: enumeration of constant
 - Composite types: type expressions
 - Type of functions: signatures
 - if f has type s → t and x has type s
 then expression f(x) has type t

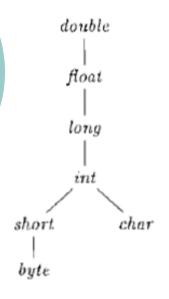
Translation Scheme: An Example

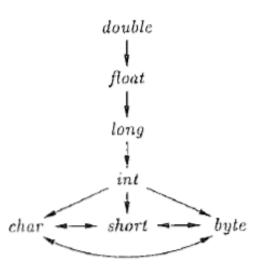
Type checking, inference and implicit casting

```
E \rightarrow E_1 * E_2  { E.place := new Temp();
                  if (E_1.type == TK_INT \&\& E_2.type == TK_INT) {
                     emit(E.place '=' E_1.place '*<sub>int</sub>' E_2.place);
                     E.type = TK INT;
                  } elsif (E_1.type == TK_REAL && E_2.type == TK_REAL) {
                     emit(E.place '=' E_1.place '*<sub>real</sub>' E_2.place);
                     E.type = TK REAL;
                  } elsif (E_1.type == TK_INT && E_2.type == TK_REAL) {
                    t := new Temp();
                     emit(t '=' 'int2real' E_1.place);
                     emit(E.place '=' t '*<sub>real</sub>' E<sub>2</sub>.place);
                     E.tvpe = TK REAL;
                  } elsif (...) { ... }
```

- Type synthesis
- Type inference

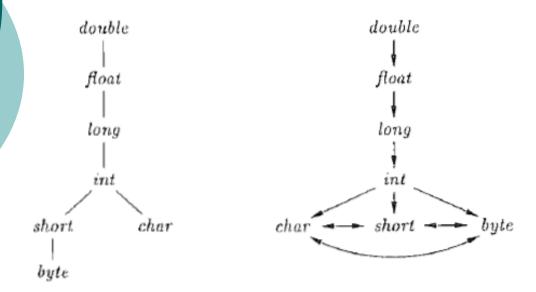
Type Conversion





```
Addr widen(Addr a, Type t, Type w)
if ( t = w ) return a;
else if ( t = integer and w = float ) {
    temp = new Temp();
    gen(temp '=' '(float)' a);
    return temp;
}
else error;
}
```

Type Conversion



```
E \rightarrow E_1 + E_2  { E.type = max(E_1.type, E_2.type); a_1 = widen(E_1.addr, E_1.type, E.type); a_2 = widen(E_2.addr, E_2.type, E.type); E.addr = \mathbf{new} \ Temp(); gen(E.addr'='a_1'+'a_2); }
```

Overloading of Functions and Operators

```
void err() { ··· }
void err(String s) { ··· }
```

```
if f 可能的类型为 s_i \rightarrow t_i (1 \le i \le n),其中,s_i \ne s_j (i \ne j) and x 的类型为 s_k (1 \le k \le n) then 表达式 f(x) 的类型为 t_k
```

5. Boolean Expressions

- Boolean expressions are used in
 - Flows of control
 - Computing logical values

Example

ifFalse x goto after

```
对 expr 求值并将结
果存放到 x 中的代码
ifFalse x goto after
stmt<sub>1</sub> 的代码
```

```
class If extends Stmt {
          Expr E; Stmt S;
          public If(Expr x, Stmt y) { E = x; S = y; after = newlabel(); }
          public void gen() {
                Expr n = E.rvalue();
                emit( "ifFalse " + n.toString() + " goto " + after);
                S.gen();
                emit(after + ":");
        }
}
```

after-

Computing Logical Values

a < b equals to if (a < b) then 1 else 0

```
E \rightarrow E_1 \text{ or } E_2 { E.place = new Temp();
                            emit(E.place '=' E_1.place 'or' E_2.place) }
E \rightarrow E_1 and E_2 { E.place = new Temp();
                            emit(E.place '=' E_1.place 'and' E_2.place) }
E \rightarrow not E_1 { E.place = new Temp();
                            emit(E.place '=' 'not' E<sub>1</sub>.place) }
E \rightarrow (E_1) { E.place = E_1.place }
E \rightarrow id_1 relop id_2 \{ E.place = new Temp(); \}
                            emit('if' id<sub>1</sub>.place relop.op id<sub>2</sub>.place 'goto' currentStmt+3);
                            emit(E.place '=' '0');
                            emit('goto' currentStmt+2);
                            emit(E.place '=' '1') }
\mathsf{E} \rightarrow \mathsf{true}
                          { E.place = new Temp();
                            emit(E.place '=' '1') }
\mathsf{E} \to \mathsf{false}
                          { E.place = new Temp();
                            emit(E.place '=' '0') }
```

Computing Logical Values: An Example

- Source code
 - a < b or c < d and e < f
- Intermediate code

```
100:if a < b goto 103</th>108:if101:t_1 = 0109:t_3102:goto 104110:g103:t_1 = 1111:t_3104:if c < d goto 107</td>112:t_4105:t_2 = 0113:t_5106:goto 108114:...107:t_2 = 1
```

```
108: if e < f goto 111

109: t_3 = 0

110: goto 112

111: t_3 = 1

112: t_4 = t_2 and t_3

113: t_5 = t_1 or t_4

114: ...
```

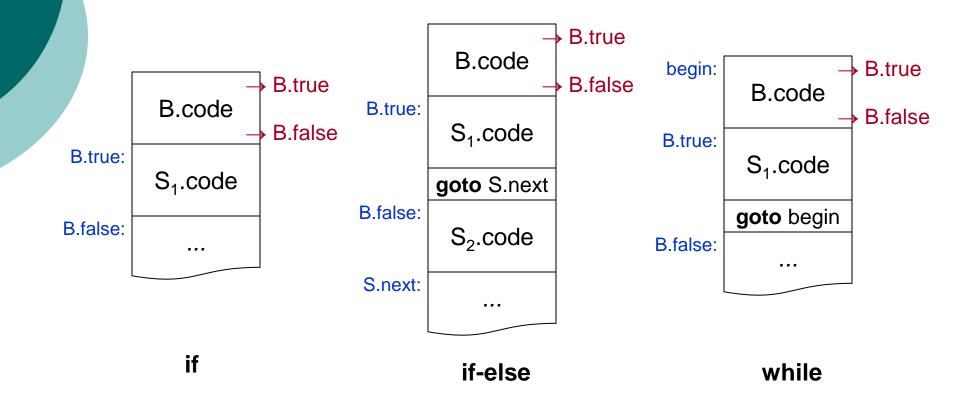
Short-Circuit Evaluation

Flow-of-Control Statements

```
• S \rightarrow if ( B ) S<sub>1</sub>
• S \rightarrow if ( B ) S<sub>1</sub> else S<sub>2</sub>
• S \rightarrow while ( B ) S<sub>1</sub>
```

- Short-circuit evaluation for && and | |
 - For higher evaluation efficiency
 - And ...

Generated Code Illustration



Syntax-Directed Definition for Flow-of-Control Statements

		Where does	
Productions	Semantic Rules	S.next come from ?	
$P \rightarrow S$	S.next = new Label();		
	P.code = S.code label(S.next)		
$S \rightarrow assign$	S.code = assign .code		
$S \rightarrow S_1$	$S_1.next = new Label();$		
S_2	S_2 .next = S.next;		
	$S.code = S_1.code \mid\mid label(S_1.next) \mid\mid S_2.code$		
$S \rightarrow if (B) S_1$	B.true = new Label();		
	B.false = S_1 .next = S.next;		
	S.code = B.code label(B.true) S_1 .code		
$S \rightarrow if (B) S_1$	B.true = new Label();		
else S ₂	B.false = new Label();		
	$S_1.next = S_2.next = S.next;$		
	S.code = B.code label(B.true) S_1 .code gen('goto' S.next) label(B.false) S	S ₂ .code	
$S \rightarrow $ while (B)	begin = new Label();		
S_1	B.true = new Label();	Avoid redundant	
	B.false = S.next;	goto s	
	S_1 .next = begin;		
E-303 Principles of Compiler Con	S_{c} sode = label(begin) B.code label(B.true) S_{1} .code gen(' goto ' begin)		

Syntax-Directed Definition for Booleans

Productions	Semantic Rules	
$B \to B_1 \; II \; B_2$	B ₁ .true = B.true; B ₁ .false = new Label();	Short-Circuit Evaluation
	B_2 .true = B.true; B_2 .false = B.false; $B.code = B_1.code label(B_1.false) B_2.code$	
B → B ₁ && B ₂	$B_1.true = new Label();$ $B_1.false = B.false;$ $B_2.true = B.true;$ $B_2.false = B.false;$ $B.code = B_1.code label(B_1.true) B_2.code$	
$B \to ! \; B_1$	B_1 .true = B.false; B_1 .false = B.true; B .code = B_1 .code	
$B \rightarrow E_1 \text{ relop } E_2$	B.code = E_1 .code E_2 .code gen(' if ' E_1 .addr relop .op E_2 .addr gen(' goto ' B.false)	' goto ' B.true)
B → true	B.code = gen('goto' B.true)	
B → false	B.code = gen('goto' B.false)	

Syntax-Directed Translation: An Example

- Source code
 - if $(x < 100 \mid | x > 200 \&\& x != y) x = 0$
- Intermediate code

6. Backpatching and Flow-of-Control Statements

- In SDD for Flow-of-Control Statements
 - Where does S.next come from ?
 - Only after all intermediate code are generated, can S.next be computed.
- In SDD for Booleans
 - Where do B.true and B.false come from ?
 - Must be provided by the context of the boolean expressions.
 - The context depends on the result of S.next.

Design Motivation and Solution

- Motivation
 - One-pass code generation

If(B) S.

- Solution
 - Using backpatching
- It is a general approach to dealing with initial values which must be computed at the end.

Backpatching for Boolean Expressions

Translation scheme

```
B \rightarrow B_1 \parallel M B_2
                              { backpatch(B<sub>1</sub>.falseList, M.instruction);
                                B.trueList = merge(B_1.trueList, B_2.trueList);
                                B.falseList = B_2.falseList; }
                              { backpatch(B<sub>1</sub>.trueList, M.instruction);
B \rightarrow B_1 && M B_2
                                B.trueList = B_2.trueList;
                                B.falseList = merge(B_1.falseList, B_2.falseList); 
B \rightarrow ! B_1
                              { B.trueList = B₁.falseList;
                                B.falseList = B_1.trueList; 
B \rightarrow (B_1)
                              { B.trueList = B₁.trueList;
                                B.falseList = B_1.falseList; }
                              { B.trueList = new List(nextInstruction);
B \rightarrow E_1 \text{ relop } E_2
                                B.falseList = new List(nextInstruction + 1);
                                emit('if' E<sub>1</sub>.addr relop.op E<sub>2</sub>.addr 'goto __');
                                emit('goto '); }
                              { B.trueList = new List(nextInstruction);
B \rightarrow true
                                emit('goto '); }
B \rightarrow false
                              { B.falseList = new List(nextInstruction);
                                emit('goto '); }
                              { M.instruction = nextInstruction; }
M \rightarrow \epsilon
```

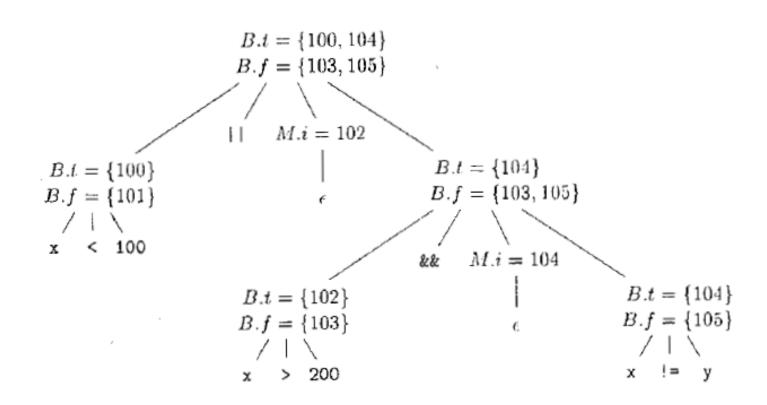
Backpatching for Flow-of-Control Statements

Translation scheme

```
S \rightarrow if (B) M S_1 \{ backpatch(B.trueList, M.instruction); \}
                          S.nextList = merge(B.falseList, S_1.nextList); 
S \rightarrow if (B) M_1 S_1 N else M_2 S_2
                        { backpatch(B.trueList, M<sub>1</sub>.instruction);
                           backpatch(B.falseList, M<sub>2</sub>.instruction);
                          S.nextList = merge(S_1.nextList, N.nextList, S_2.nextList); }
S \rightarrow  while M_1 (B) M_2 S_1
                        { backpatch(B.trueList, M<sub>2</sub>.instruction);
                           backpatch(S<sub>1</sub>.nextList, M<sub>1</sub>.instruction);
                           S.nextList = B.falseList;
                          emit('goto' M<sub>1</sub>.instruction); }
S \rightarrow \{L\}
                        { S.nextList = L.nextList; }
S \rightarrow A;
                       { S.nextList = new List(); // Assignment or Atom }
M \rightarrow \epsilon
                        { M.instruction = nextInstruction; }
N \rightarrow \epsilon
                        { N.nextList = new List(nextInstruction);
                          emit('goto '); }
L \rightarrow L_1 M S
                        { backpatch(L<sub>1</sub>.nextList, M.instruction);
                          L.nextList = S.nextList; }
L \rightarrow S
                        { L.nextList = S.nextList; }
```

Example:

$$x < 100 \mid \mid x > 200 \&\& x ! = y$$



Example:

$$x < 100 \mid \mid x > 200 \&\& x! = y$$

```
100: if x < 100 goto _
101: goto _
102: if x > 200 goto 104
103: goto _
104: if x != y goto _
105: goto _
```

```
100: if x < 100 goto _
101: goto 102
102: if x > 200 goto 104
103: goto _
104: if x != y goto _
105: goto _
```

Example:

```
// 文件 If.java

    package inter;

 2) import symbols.*;
 3) public class If extends Stmt {
 4)
      Expr expr; Stmt stmt;
 5)
      public If(Expr x, Stmt s) {
 6)
         expr = x; stmt = s;
 7)
         if( expr.type != Type.Bool ) expr.error("boolean required in if");
8)
9)
      public void gen(int b, int a) {
10)
         int label = newlabel(); // stmt 的代码的标号
11)
         expr.jumping(0, a); // 为真时控制流穿越,为假时转向a
12)
         emitlabel(label); stmt.gen(label, a);
13)
14) }
```

Exercise 9.1

- What is the translation result of input token string: x := A[y, z]?
 - Tips: use the translation scheme for Pascal.

Exercise 9.2

- What is the translation result of input token string: c + a[i][j]?
 - Tips: use the translation scheme for C/C++.

Exercise 9.3

- What is the translation result of input token string: x < 100 || x > 200 && x != y ?
 - Tips: use the translation scheme for boolean expressions with backpatching.
 - Suppose that the start position of the generated code is 100.

Enjoy the Course!

