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EN Tutorial 7

Given dataword = 101001110

$$\text{Divisor} = 10111$$

a) Binary division:-

$$\begin{array}{r} 10111 \\ - 10111 \\ \hline 110001 \\ 10111 \\ \hline 101001110 \end{array}$$

Handwritten binary sequence: 101111010001110

Handwritten binary sequence: 101111010001110

Handwritten binary sequence: 000111

Handwritten binary sequence: 000000

Handwritten binary sequence: 1111

Handwritten binary sequence: 000000

Handwritten binary sequence: 11111

Handwritten binary sequence: 10111

Handwritten binary sequence: 10001

Handwritten binary sequence: 10110

Handwritten binary sequence: 01100

Handwritten binary sequence: 00000

Handwritten binary sequence: 110000

Handwritten binary sequence: 10111

Handwritten binary sequence: 11110

Handwritten binary sequence: 10110

Handwritten binary sequence: 10010

Handwritten binary sequence: 10110

Handwritten binary sequence: 101

Handwritten binary sequence: 000

CRC Checksum was 1010
Codeword was 10100111101010

b) Binary division at receiver's side:

$$\begin{array}{r}
 1010011110 \\
 10111 \overline{) 10100111101010} \\
 \underline{10111} \\
 00111 \\
 \underline{00000} \\
 001111 \\
 \underline{00000} \\
 11111 \\
 \underline{10111} \\
 10001 \\
 \underline{10111} \\
 01100 \\
 \underline{00000} \\
 11001 \\
 \underline{10111} \\
 10111 \\
 \underline{10111} \\
 00000
 \end{array}$$

Hence, remainder is 0. It is verified.

2. Value of $d_{\min} = 3$

We know that

$$n = k + m$$

$$\text{and, } 2^m = k + m + 1$$

Here, $k \geq 11$ so $2^m - m - 1 \geq 11$

$$\text{So } m = 4.$$

$$\text{Hence, } n = k + m = \underline{\underline{15}}$$

Thus, $n = 15$, $k = 11$

3. Given $d = 10101, 11110, 01110$

After a 2D parity check,

$$\underline{\underline{d = 0}} \quad \times \quad \text{---} \quad 1$$

$$10101 \quad 1$$

$$11110 \quad 0$$

$$01110 \quad 1$$

$$00101 \quad 0$$

Hence,

the final message sent will be

$$101011 \quad 111100 \quad 011101 \quad 001010$$

Ans 4: Given, 10101, 11110, 01110

$$d(10101, 11110) = 3$$

$$d(10101, 01110) = 4$$

$$d(11110, 01110) = 1$$

Ans 5: Given,

1001100111100010001.001.00010000100

It is divided into 4 segments of 8 bits each

At the sender side,
the segments are:

10011001, 11100010, 00100100, 1000100

Add all the segments,
we get,

1000100011

Since the result contains 10 bits, 2 bits are wrapped around,

$$00100011 + 10 = 00100101 \text{ (8 bits)}$$

Taking 1's complement, 11011010.

Thus, checksum value is 11011010.

Let us assume that the data items are divided into words of 8 bits.

- ~~Let~~ It is clearly observed that if the swapped bits are same, then there is no issue.
- However, let i th bit ~~of~~ be swapped with j th bit.
- Then, the difference in the checksum, is given by

$$\text{diff} = \left| 2^{7-i/8} - 2^{7-j/8} \right|, \text{ assuming } \text{bit}[i] \neq \text{bit}[j]$$

- Now, when we take 1's complement of the number,

$$\text{new diff} = 2^i$$

Hence, due to this difference, the error can be detected easily.

7. Forward error correction is an error detection correction technique to detect and correct ~~one~~ a limited number of errors in transmitted data without the need of transmission.

In this method, the sender sends a redundant error correcting code along with the data frame. The receiver performs necessary checks based on the redundant bits.

If it finds that the data is free from errors, it executes error correcting code that generates the actual frame. It then removes the redundant bits before passing the message to upper layers.