

Complete KNN algorithm



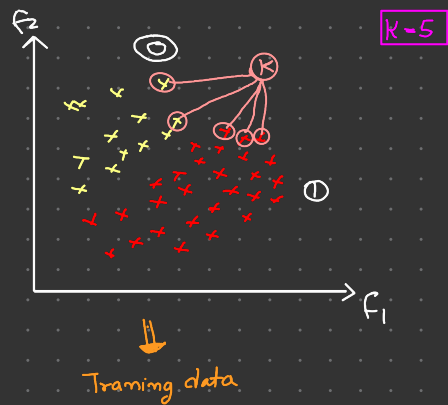
K Nearest Neighbour Algorithm (KNN)

K Nearest Neighbour (KNN) :-

helps in

1. Classification Problems
2. Regression Problems

For the Classification



Here :-

F_1	F_2	y
-	-	0
-	-	1
-	-	1
-	-	0
-	-	1

Can be

o/p

[Binary categorical,
multiclass]

 Step that Follow in KNN :-

► We have to initialize the K Value :

(How many K nearest points do we need to see)

Always

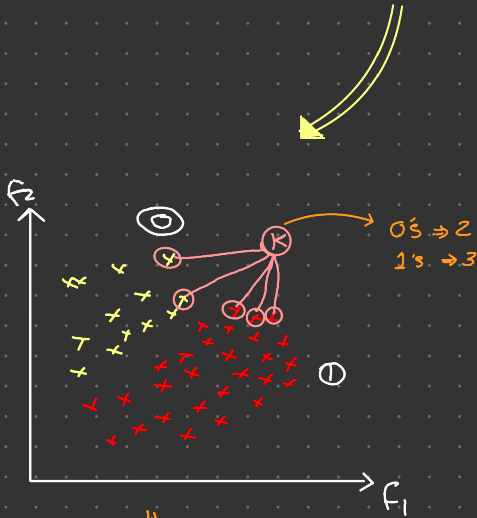
$K > 0$

$K = 1, 2, 3, 4, 5, \dots \Rightarrow$ Hyperparameter

► We find the KNN from the test Data :-

(Here we are finding the distance of K to the nearest points)

- From those $K=5$ How many neighbours
Belongs to 0's category and
1's category



Here maximum no. of neighbours belongs
to 1's category.

So, o/p $\rightarrow 1$

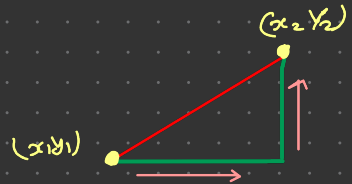
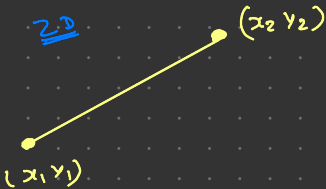
New Predicted Test Data

Training data

* Distance Metrics :-

Eucledian Distance

Manhattan Distance



2D \Rightarrow Distance = $\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$

3D \Rightarrow Distance = $\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2 + (z_2 - z_1)^2}$

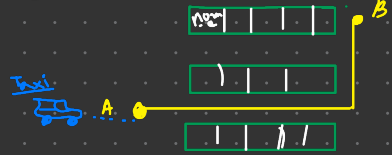
Use Cases :-

* Air Traffic Control

Ex India to US flight Travel Distance

Use cases :-

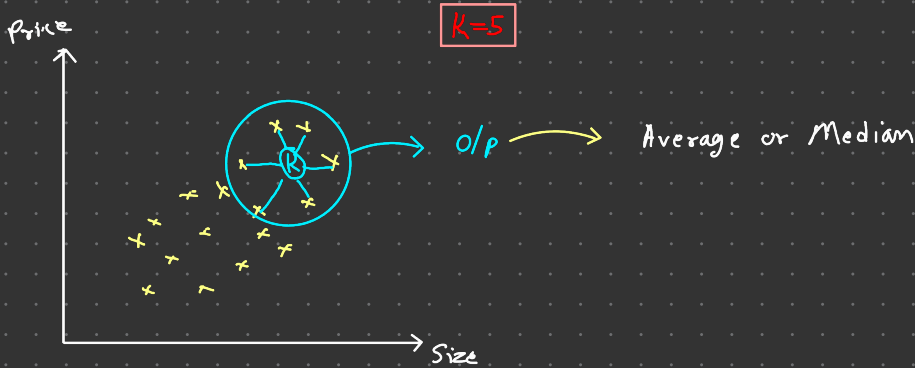
City \rightarrow



If a person want to go $A \rightarrow B$
then he book uber and uber
Taxi choose shortest way to

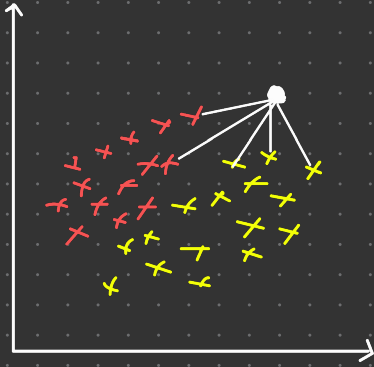
$A \rightarrow B$

For Regression



In Regression we find the nearest points and then the op is
Average of all the nearest points

Variant of KNN



When we have (data points) → Millions

↓
Create Time complexity $\Rightarrow \uparrow\uparrow\uparrow$

↓
To decrease Time complexity we use

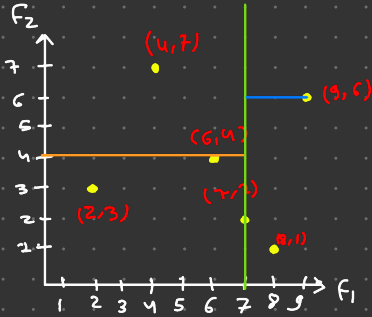
Variant of KNN

↓
Time complexity $\Rightarrow \downarrow\downarrow\downarrow$

- ① KD-Tree
② Ball tree } → Binary tree

Variant of KNN

1. KD-Tree (K-Dimension tree) :-



👉 KD-Tree Follow these Steps

➤ Median of the x-coordinate :-

2, 4, 6, 7, 8, 9 → (Sorted)

$$\frac{6+7}{2} = \underline{6.5}$$

[But 6.5 is not present in the graph
So we choose $x=7$ for the Split]

➤ Median of the y-coordinate :-

1, 2, 3, 4, 6, 7 → (Sorted)

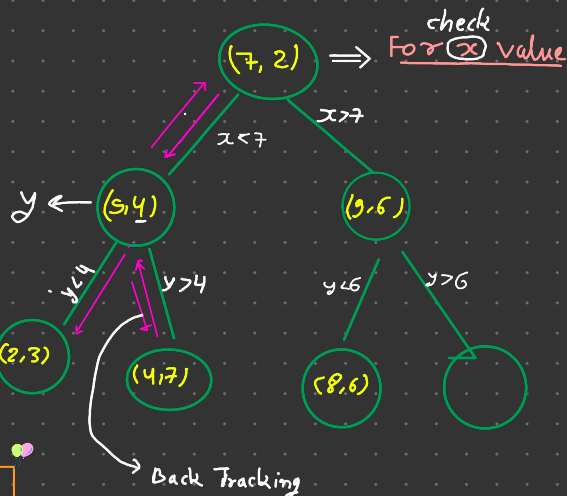
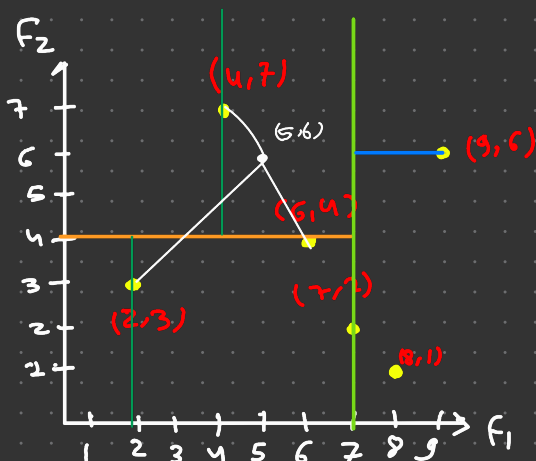
$$\frac{3+4}{2} = \underline{3.5}$$

[But 3.5 is not in graph So we
choose $y=4$ for the Splitting]



What is Back Tracking

Backtracking involves making iterative adjustment and revisiting Decision to optimize the model performance. By this we find our nearest neighbour.



- ↳ Root node \Rightarrow check for x coordinate
- ↳ Child node \Rightarrow check for y coordinate

In Short :

KD-Tree

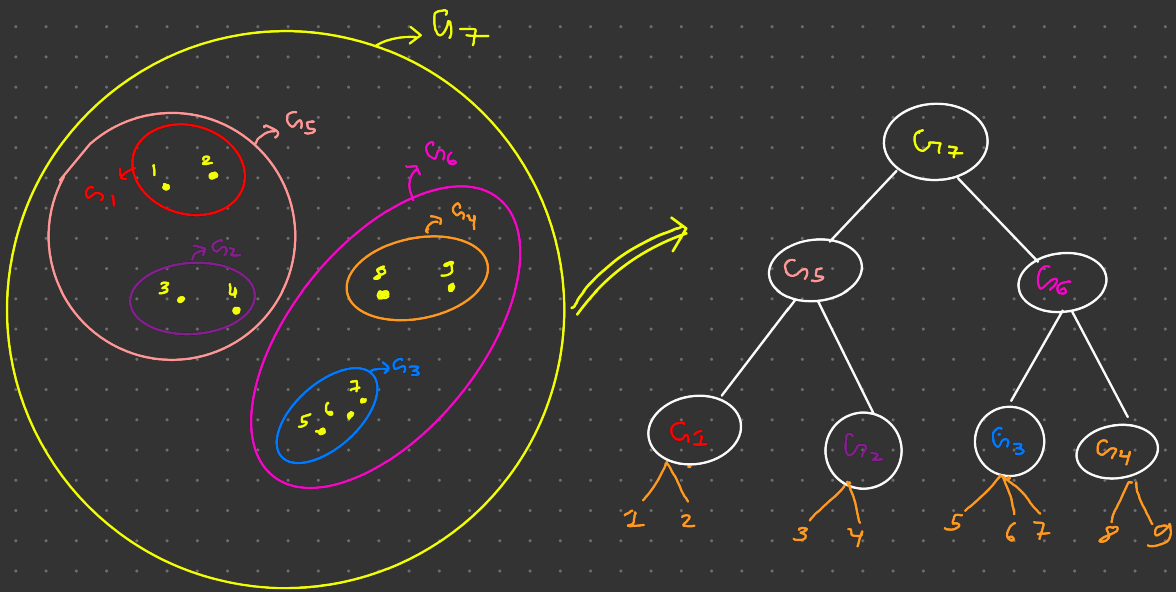
Back Tracking

No. of comparison \downarrow \Rightarrow Time complexity \downarrow

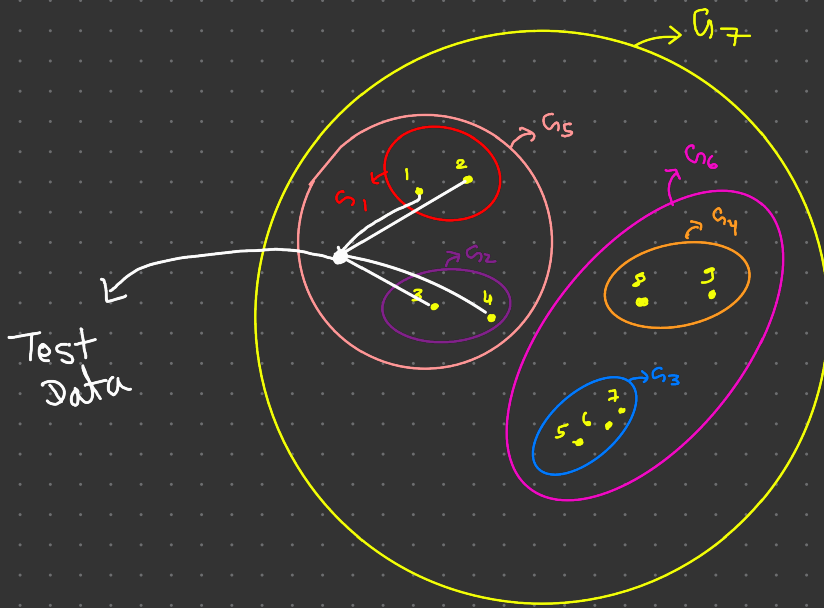
2. Ball Tree :-

Ball tree partitions data points into balls, hierarchically, forming a tree. This structure speeds up finding nearest neighbours by eliminating distance regions. Here we don't use Back tracking.

ex: →



Deals with new Test Data :-



Here my New data Test Data Present in C_5 Group So
I just Find my k nearest points and for this I don't need
to go through other Data points I just go through C_5 Data points
And I got my k nearest data points easily

