

KUBIG 25-S  
여름방학 BASIC STUDY SESSION

# NLP SESSION

## WEEK1

Session 중에는 모두 캠을 켜주시기 바랍니다 :)

## 01 NLP SESSION 소개

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## 02 Theoretical Background of Deep Learning

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## 03 Factors of Deep Learning

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## 04 과제 및 팀 빌딩 안내

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# 01 NLP SESSION 소개

잘 부탁드립니다 !!



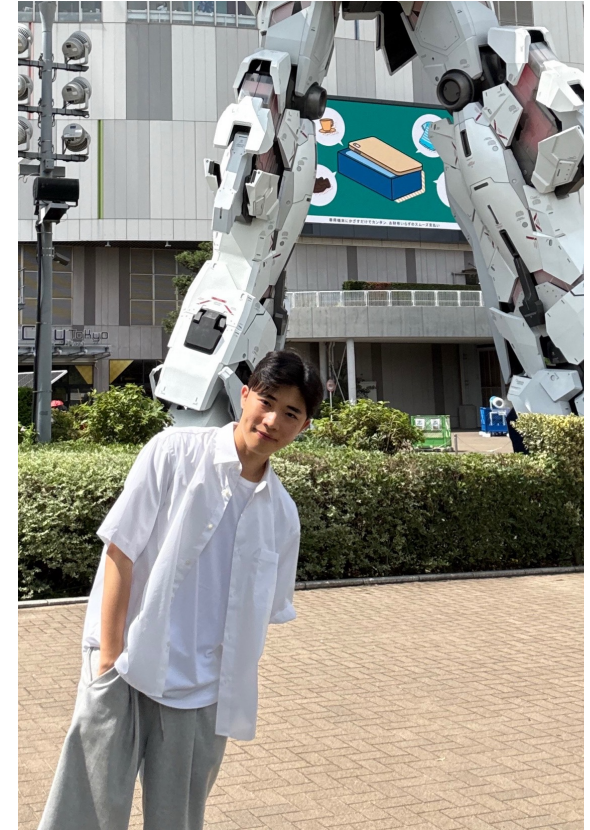
분반장 19기 최주희

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- 관심 분야: 미디어/커뮤니케이션 & AI/데이터
- 대전에서 석사과정 훈련중 ...
- 문과 베이스로 AI, 데이터 연구하고 싶다면 상담 대화영입니다 ..^^ (잡아가는 거 아니에요 그냥 그렇다고요 ... ㅎ)

분반장 20기 기광민

- 관심 분야: LLM & BioNLP
- 마곡에서 인턴 하고 있어요!
- 인턴십 관련해서 물어볼거 있으시면 언제든지 오세요~



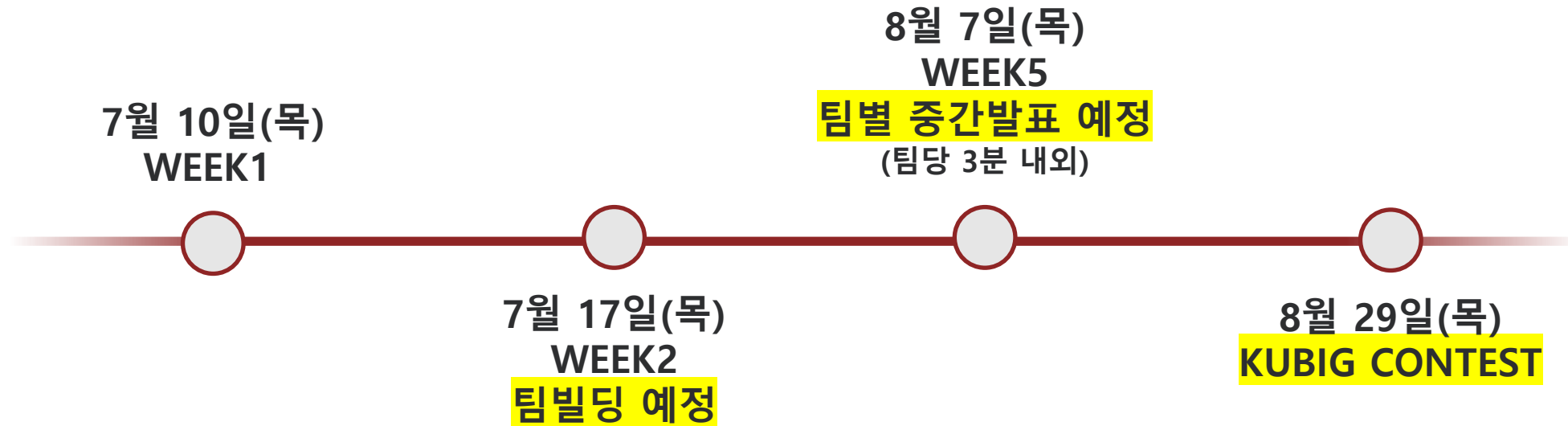
분반장 20기 기광민

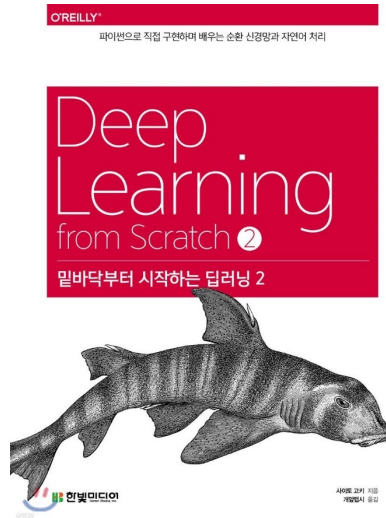
주차	복습과제	학습내용	예습과제
1주차	<ul style="list-style-type: none"> <li>- 해당 주차에 배운 내용에 대한 코드 실습 과제 부여</li> <li>- ex) week1 복습과제: deep learning reminder(pytorch basic)</li> <li>- session 시작 초반부에 우수 코드 선정자가 5분 가량 코드 구현 과정 발표(별도 발표자료 없이 코드를 화면공유하여 발표)</li> <li>- 마감기한: 수요일 오후 6시</li> </ul>	OT & DL Preview	<ul style="list-style-type: none"> <li>- 다음 주차에 배울 내용에 대한 코드 실습 과제 부여</li> <li>- ex) week1 예습과제: 텍스트 전처리 pipeline 구현 코드</li> <li>- week1 예습과제라 함은, week1 session이 끝나고 부여되는, week2 내용에 대한 예습과제를 의미합니다!</li> <li>- 마감기한: 수요일 오후 6시</li> </ul>
2주차		텍스트 전처리, 워드 임베딩 (Word2Vec, GloVe)	
3주차		순환신경망: RNN, LSTM, GRU, ELMo	
4주차		Attention, Transformer	
5주차		BERT/GPT	
6주차		LLM 기초 (Fine-tuning, 프롬프트, 경량화)	
7주차		RAG, 최신 논문 흐름 (에이전트, RL, 앙상블)	

매주 목 19:00~21:00 총 2시간 진행



\* 모든 문의(과제, 강의, 출결 등)는 분반장 최주희/기광민에게 슬랙 디엠 부탁드립니다





밑바닥부터 시작하는 딥러닝2



딥러닝을 이용한 자연어 처리 입문  
위키독스에서 무료 이용 가능(부분 유료)



고려대학교 DSBA 연구실  
유튜브 채널에서 paper review 영상 참고



방학동안 함께 하실 분들 !

강서연

강준석

김동욱

김수환

김종현

백서현

신지민

원아현

윤채영

은지현



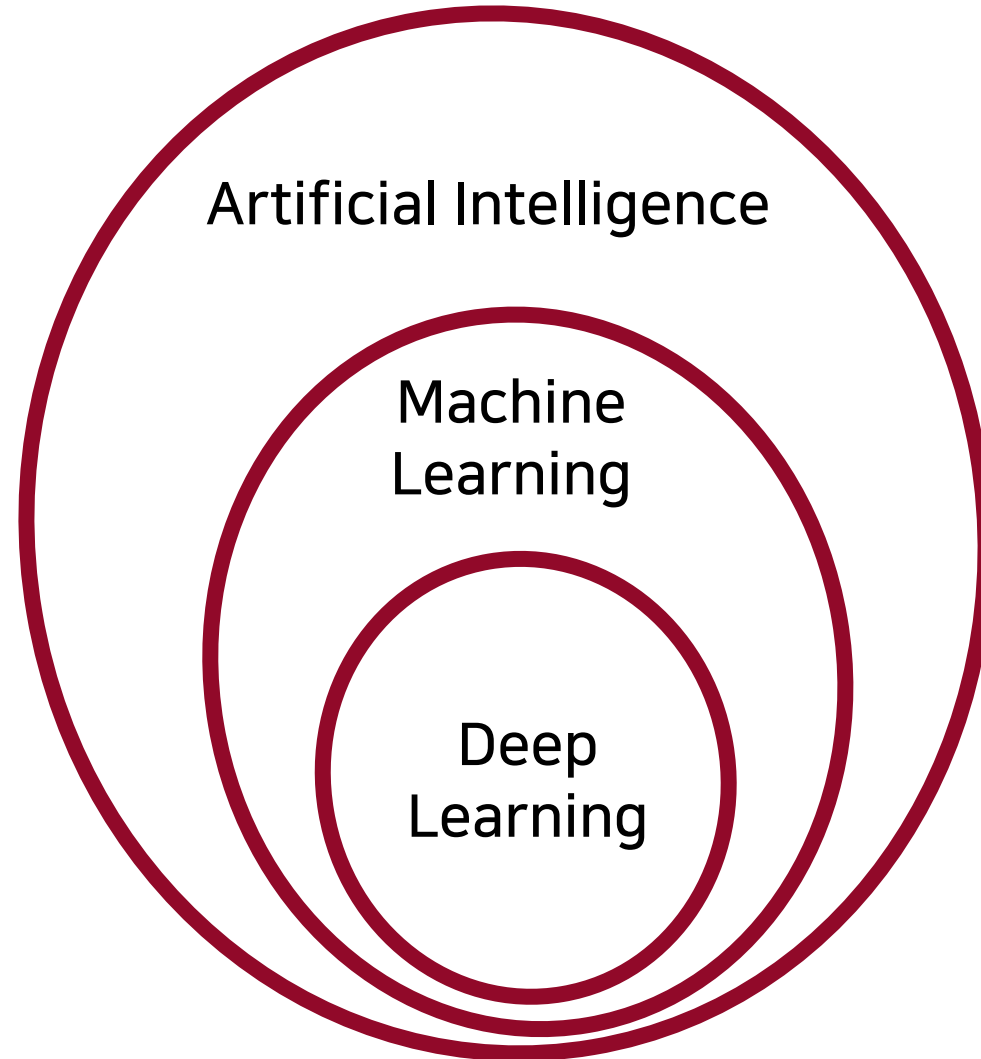
여러분을 소개해주세요!

기수, 이름, 학과, 나이, 취미

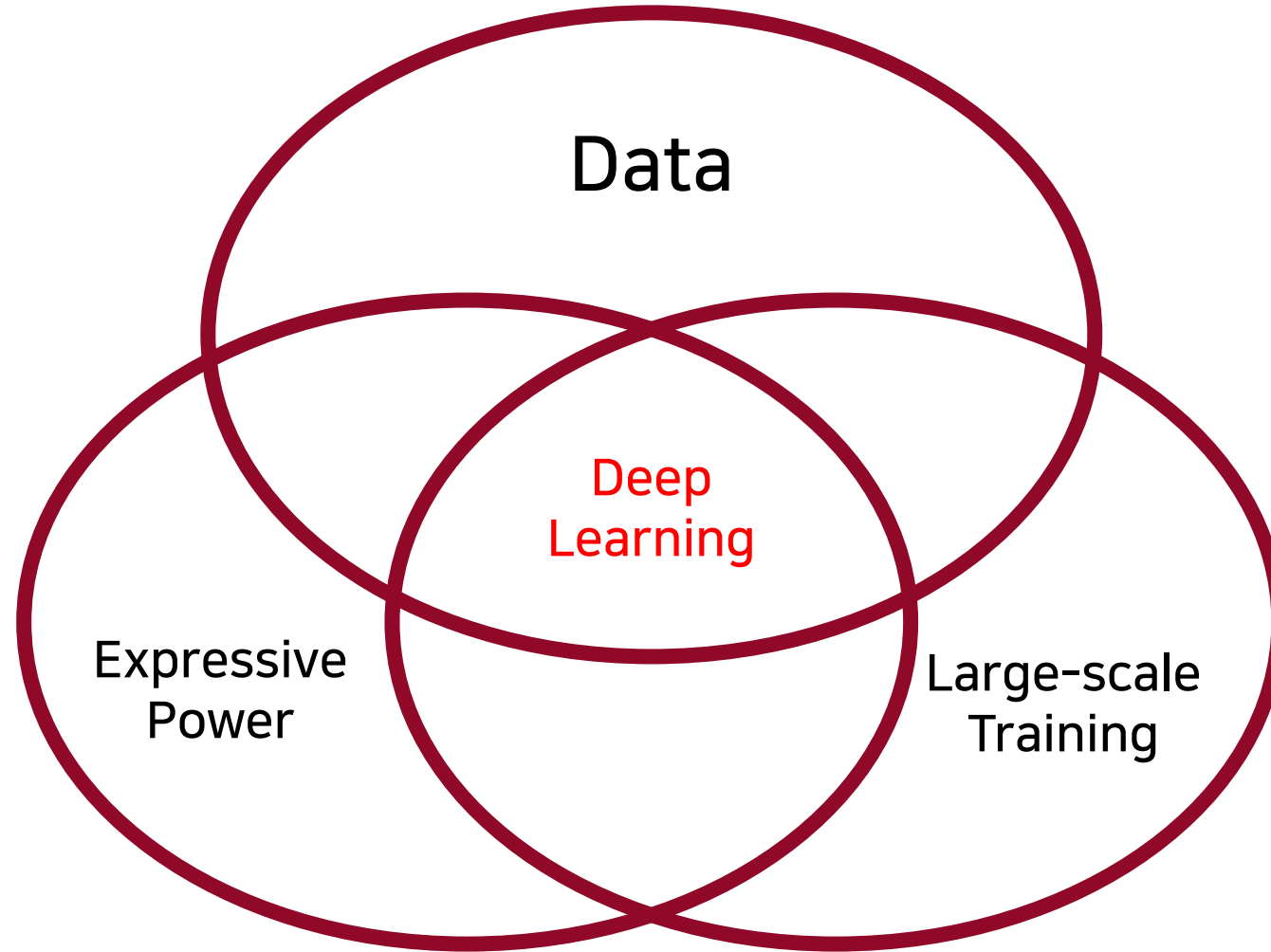
NLP 경험, NLP 선택 이유, 원하는 방향성

# 02 Theoretical Background of Deep Learning

## 2-0. What is Deep Learning?



## 2-0. What is Deep Learning?



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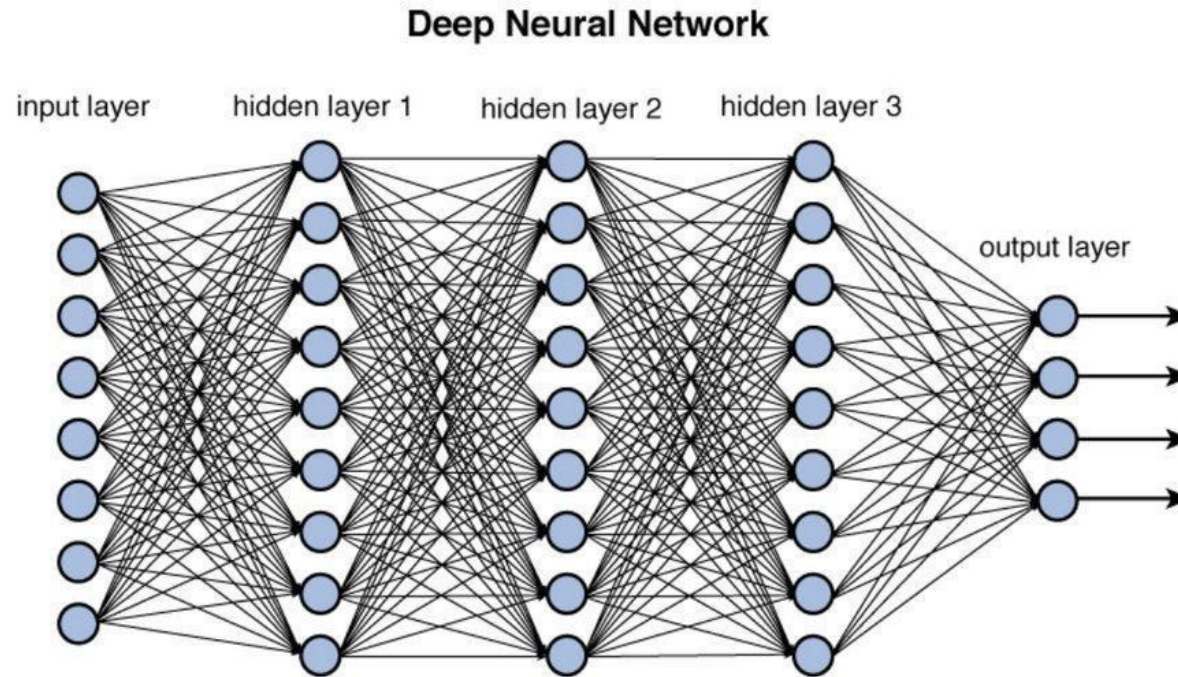
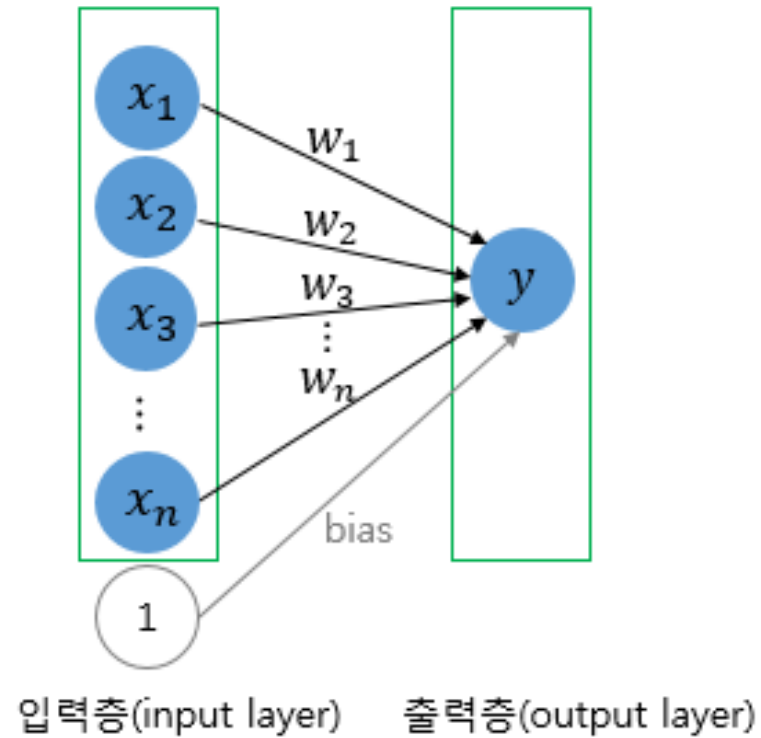


Figure 12.2 Deep network architecture with multiple layers.

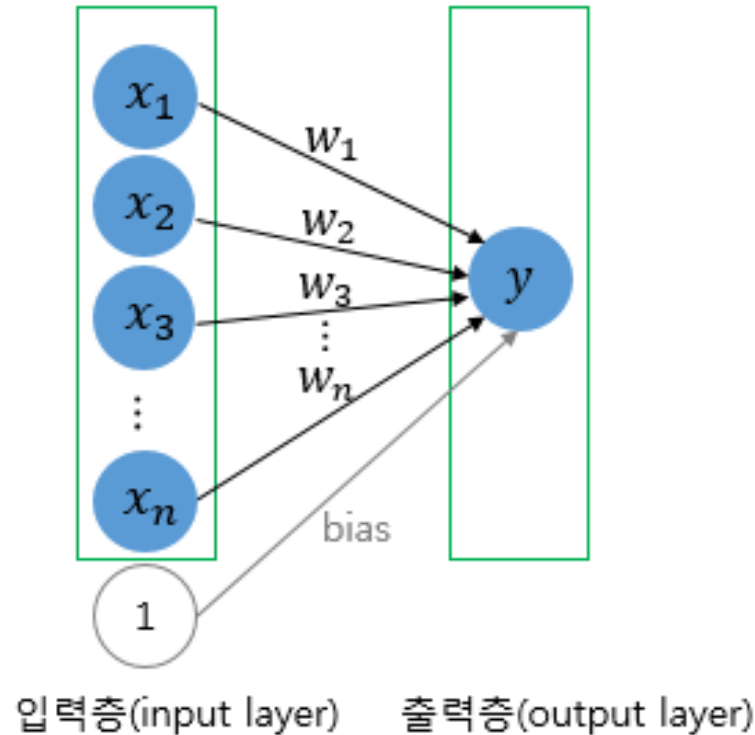
Deep Learning = Deep Neural Network

## 2-1. Single-Layer Perceptron

single-layer perceptron



## 2-1. Single-Layer Perceptron



When activation function is step function..

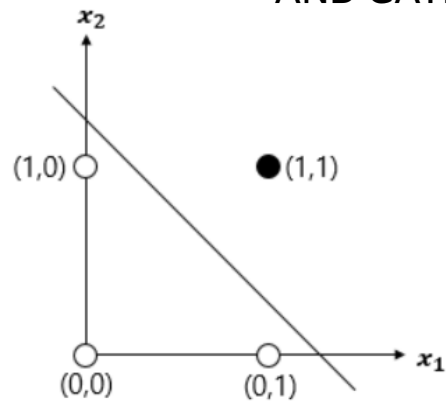
$$\text{if } \sum_i^n w_i x_i + b \geq 0 \rightarrow y = 1$$

$$\text{if } \sum_i^n w_i x_i + b < 0 \rightarrow y = 0$$

## 2-2. The XOR Gate Problem

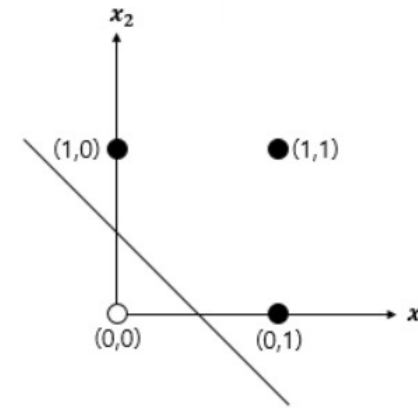
Separate B/W by a single line (in 2-dimension space)

AND GATE



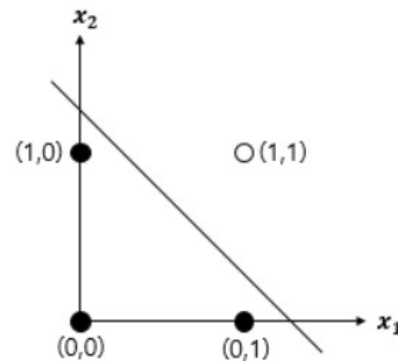
$x_1$	$x_2$	$y$
0	0	0
0	1	0
1	0	0
1	1	1

OR GATE



$x_1$	$x_2$	$y$
0	0	0
0	1	1
1	0	1
1	1	1

NAND GATE

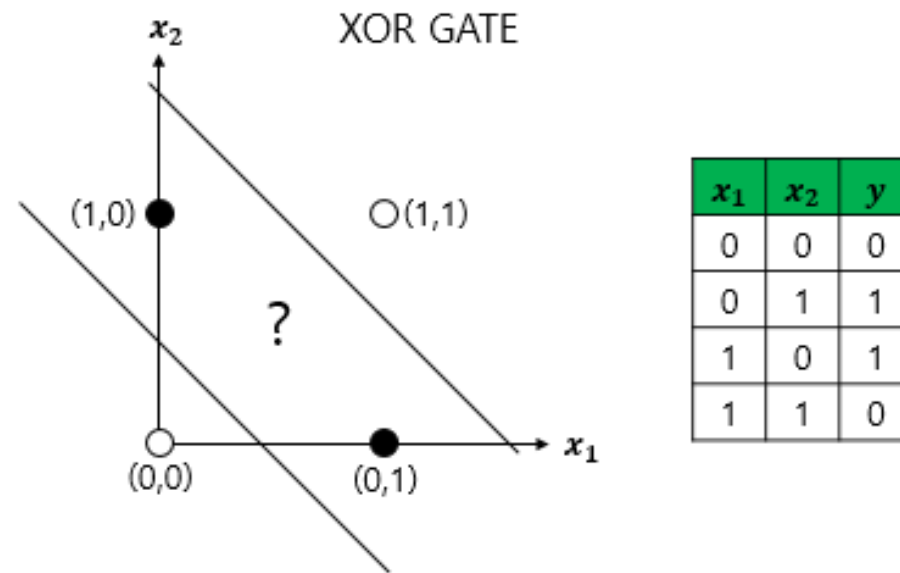


$x_1$	$x_2$	$y$
0	0	1
0	1	1
1	0	1
1	1	0



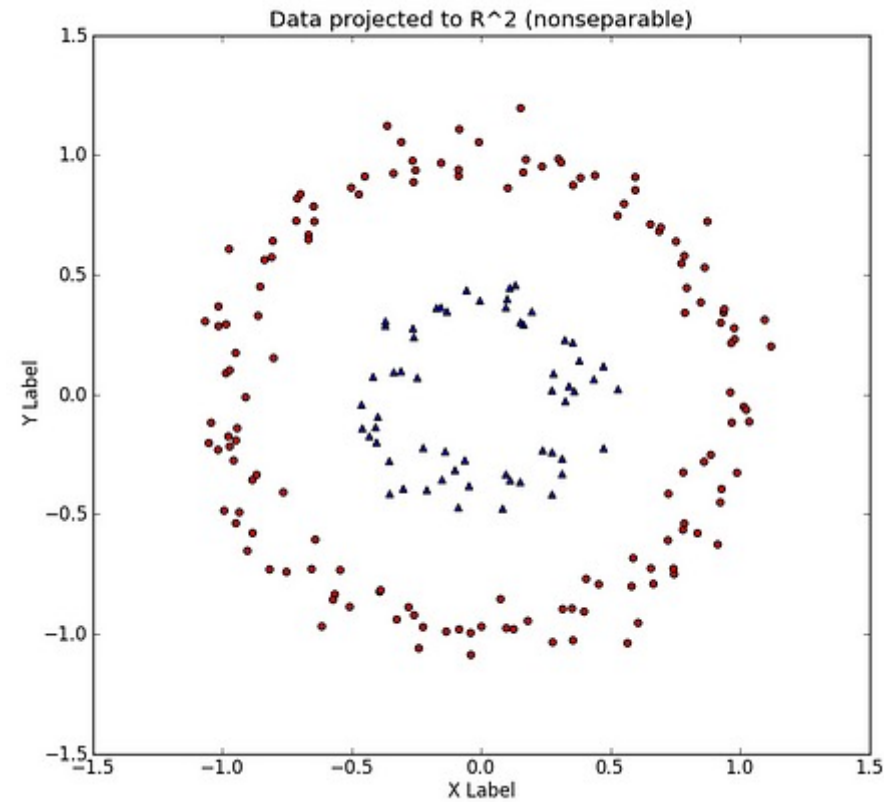
# XOR problem

Can you separate B/W by a single line (in 2-dimension space)?



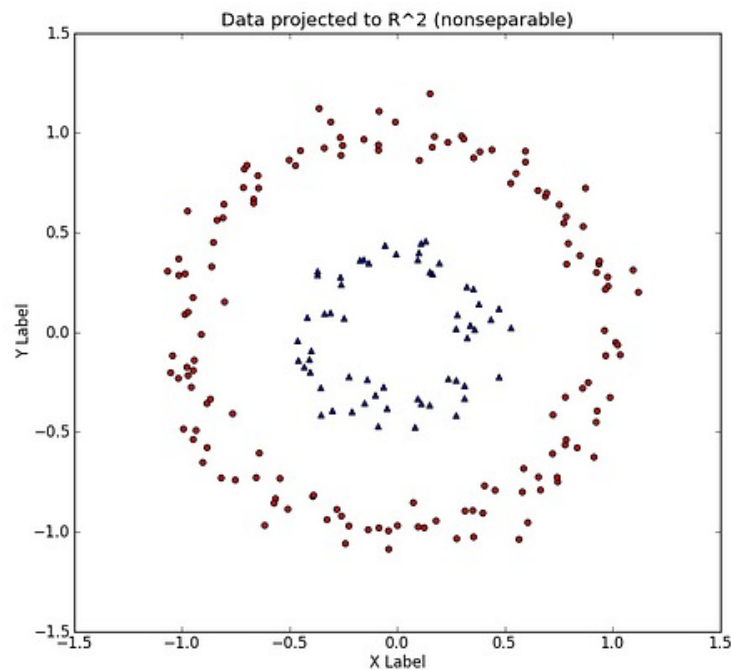
# Linearly Non-Separable

(in 2-dimension space)

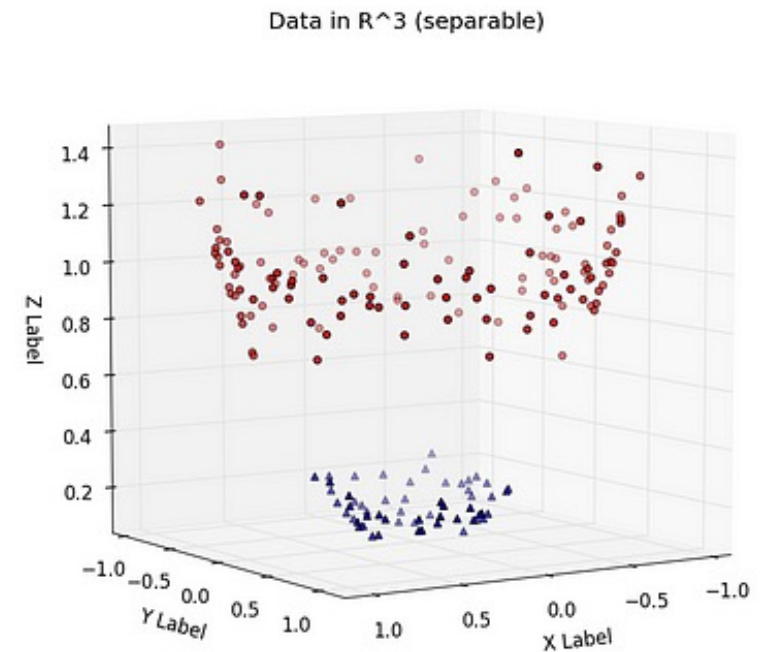


# Linearly Non-Separable

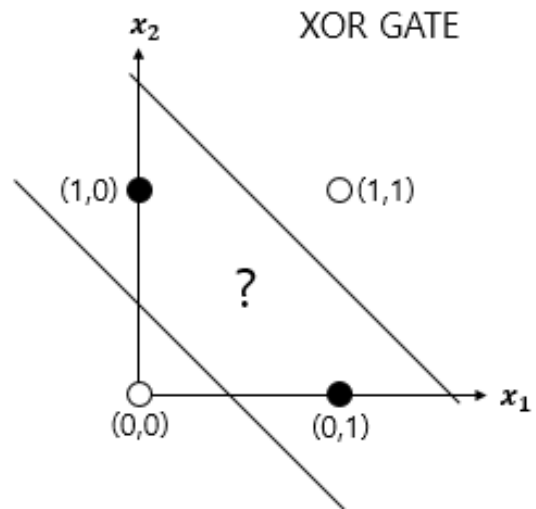
(in 2-dimension space)



High-dimensional  
Space

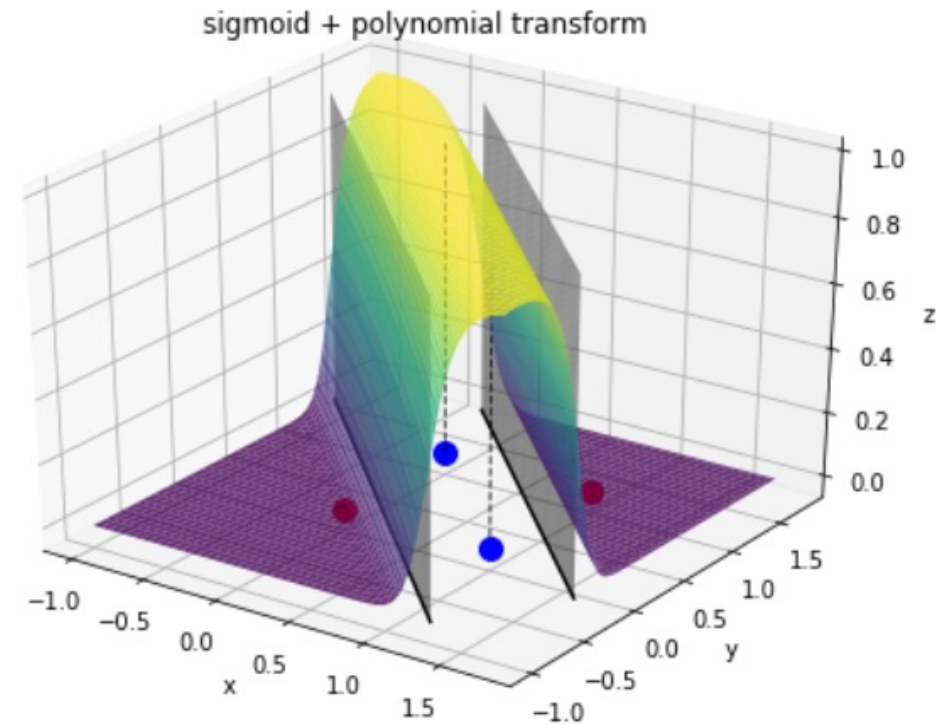


## 2-3. Dimensional transform

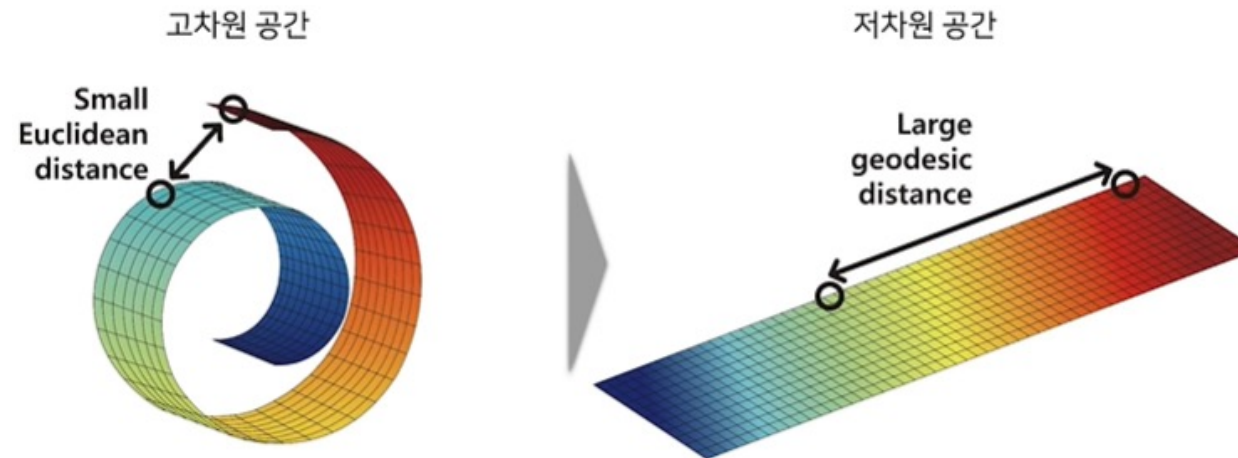


$x_1$	$x_2$	$y$
0	0	0
0	1	1
1	0	1
1	1	0

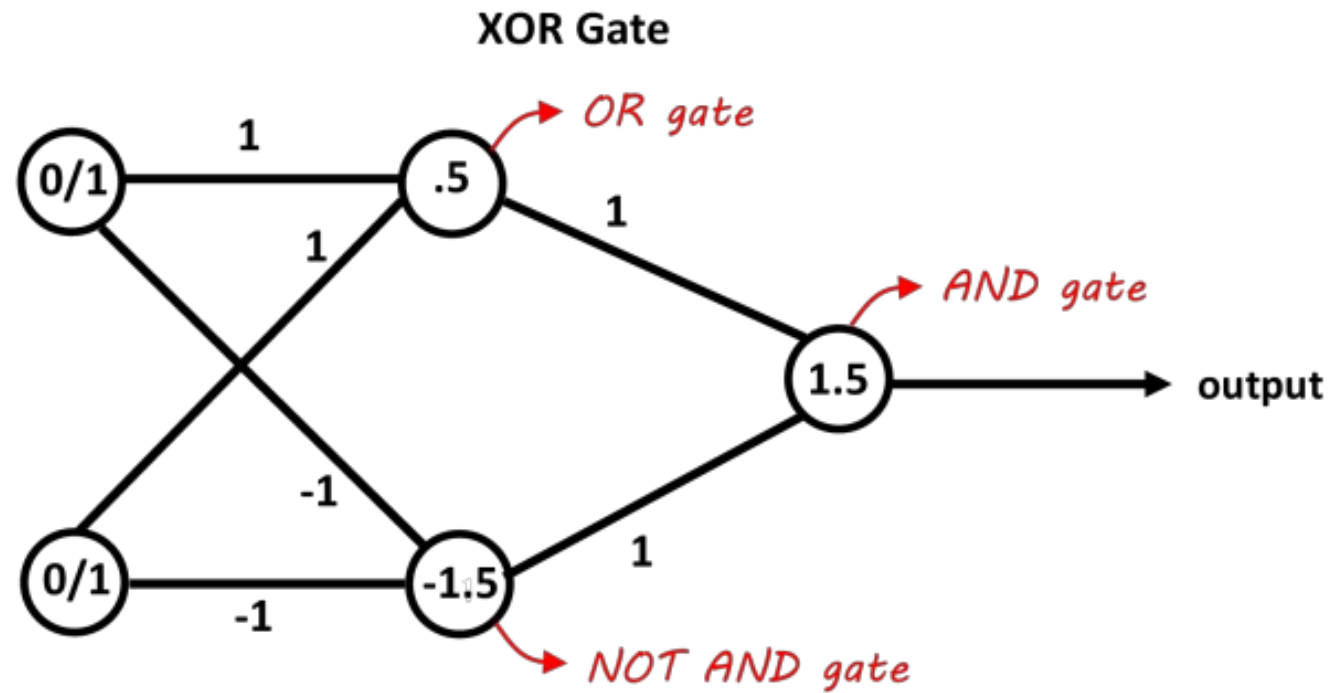
High-dimensional  
Space



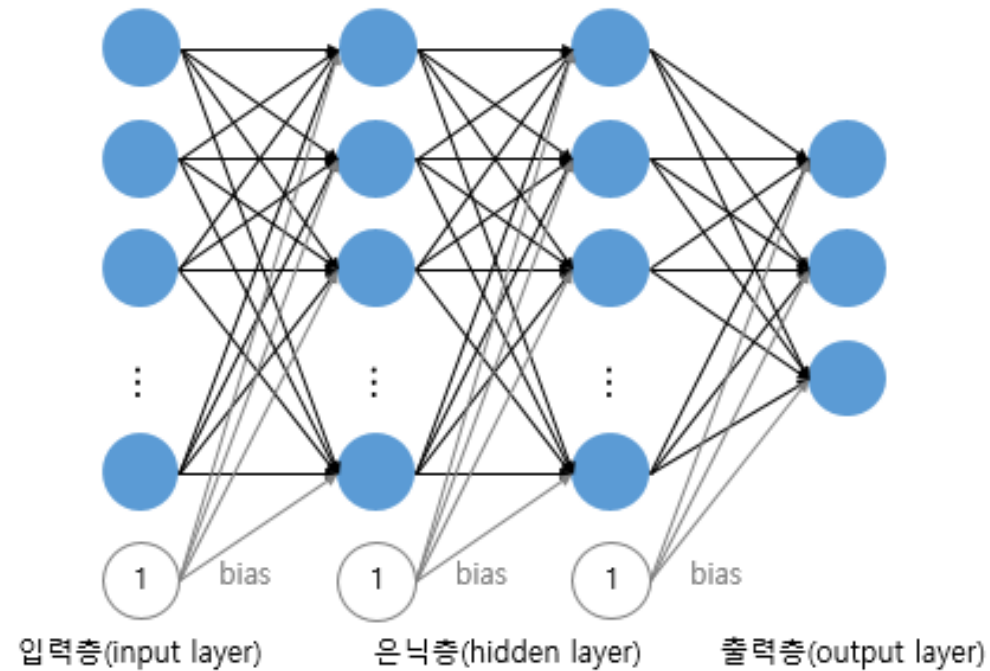
# Manifold Hypothesis



- Hypothesis: High-dimensional data **tend to lie in the vicinity of a low-dimensional manifold**
- We can map data to a high-dimensional space through a smooth representation if the manifold hypothesis holds



### Multi-Layer Perceptron (More Layers, much more parameters)



### Universal Approximation Theorem

Why deep learning is powerful

**Universal approximation theorem** — Let  $C(X, \mathbb{R}^m)$  denote the set of **continuous functions** from a subset  $X$  of a Euclidean  $\mathbb{R}^n$  space to a Euclidean space  $\mathbb{R}^m$ . Let  $\sigma \in C(\mathbb{R}, \mathbb{R})$ . Note that  $(\sigma \circ x)_i = \sigma(x_i)$ , so  $\sigma \circ x$  denotes  $\sigma$  applied to each component of  $x$ .

Then  $\sigma$  is not **polynomial if and only if** for every  $n \in \mathbb{N}$ ,  $m \in \mathbb{N}$ , **compact**  $K \subseteq \mathbb{R}^n$ ,  $f \in C(K, \mathbb{R}^m)$ ,  $\varepsilon > 0$  there exist  $k \in \mathbb{N}$ ,  $A \in \mathbb{R}^{k \times n}$ ,  $b \in \mathbb{R}^k$ ,  $C \in \mathbb{R}^{m \times k}$  such that

$$\sup_{x \in K} \|f(x) - g(x)\| < \varepsilon$$

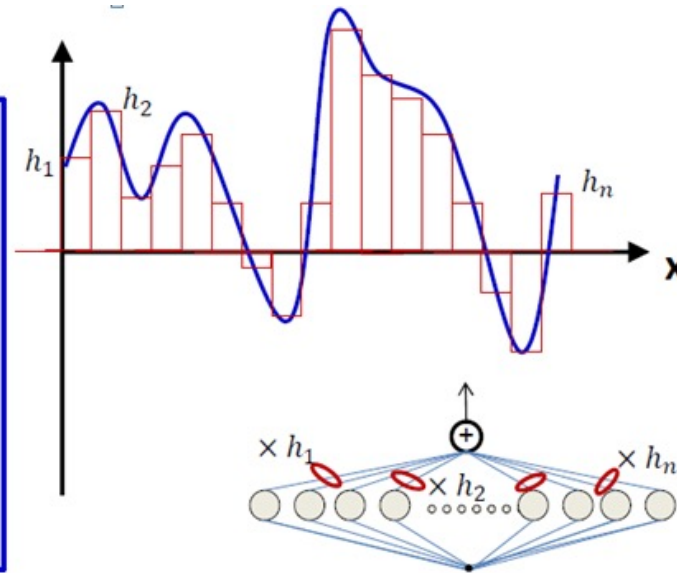
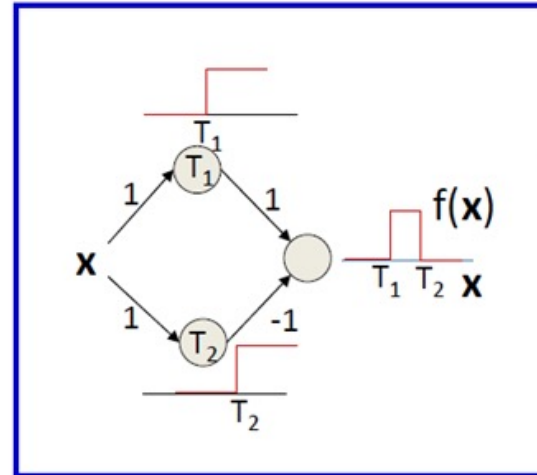
where  $g(x) = C \cdot (\sigma \circ (A \cdot x + b))$

**(Universal Approximation Theorem)** For a given arbitrary continuous function on a bounded domain and an error bound, there **always exists a one-hidden-layer neural network** that can approximate the given continuous function within the error bound.



### Universal Approximation Theorem

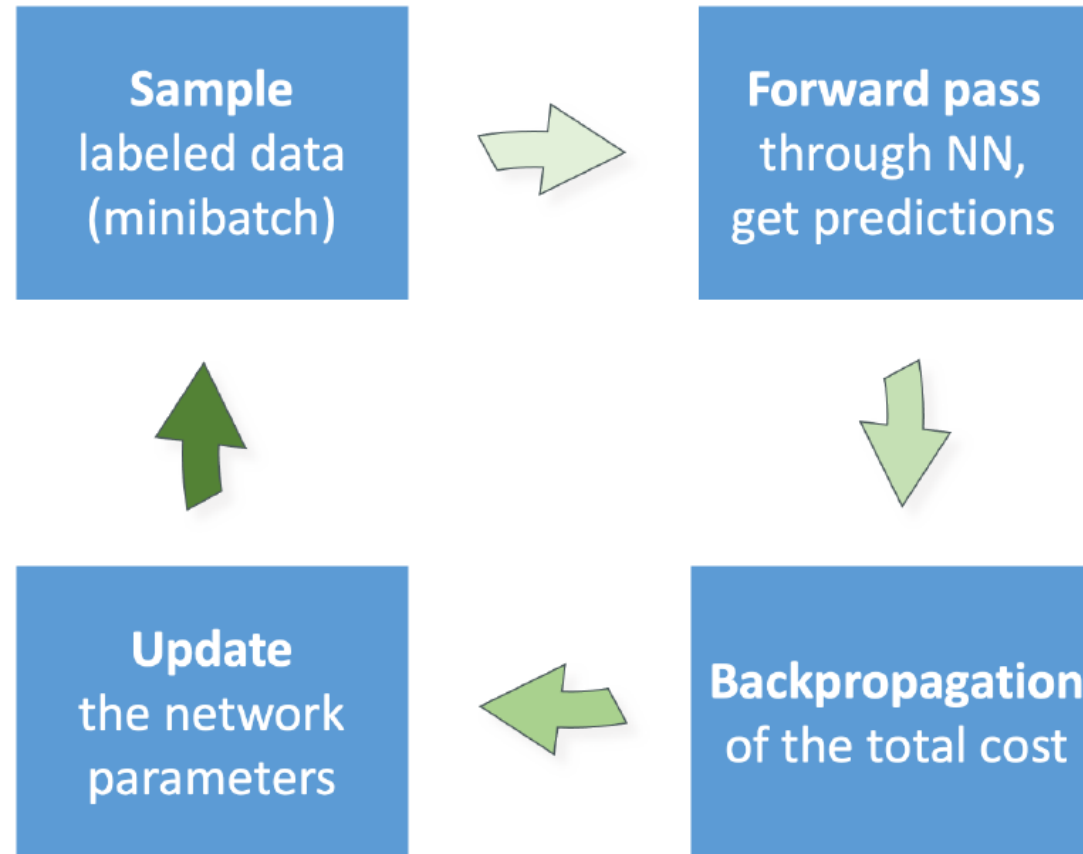
Why deep learning is powerful



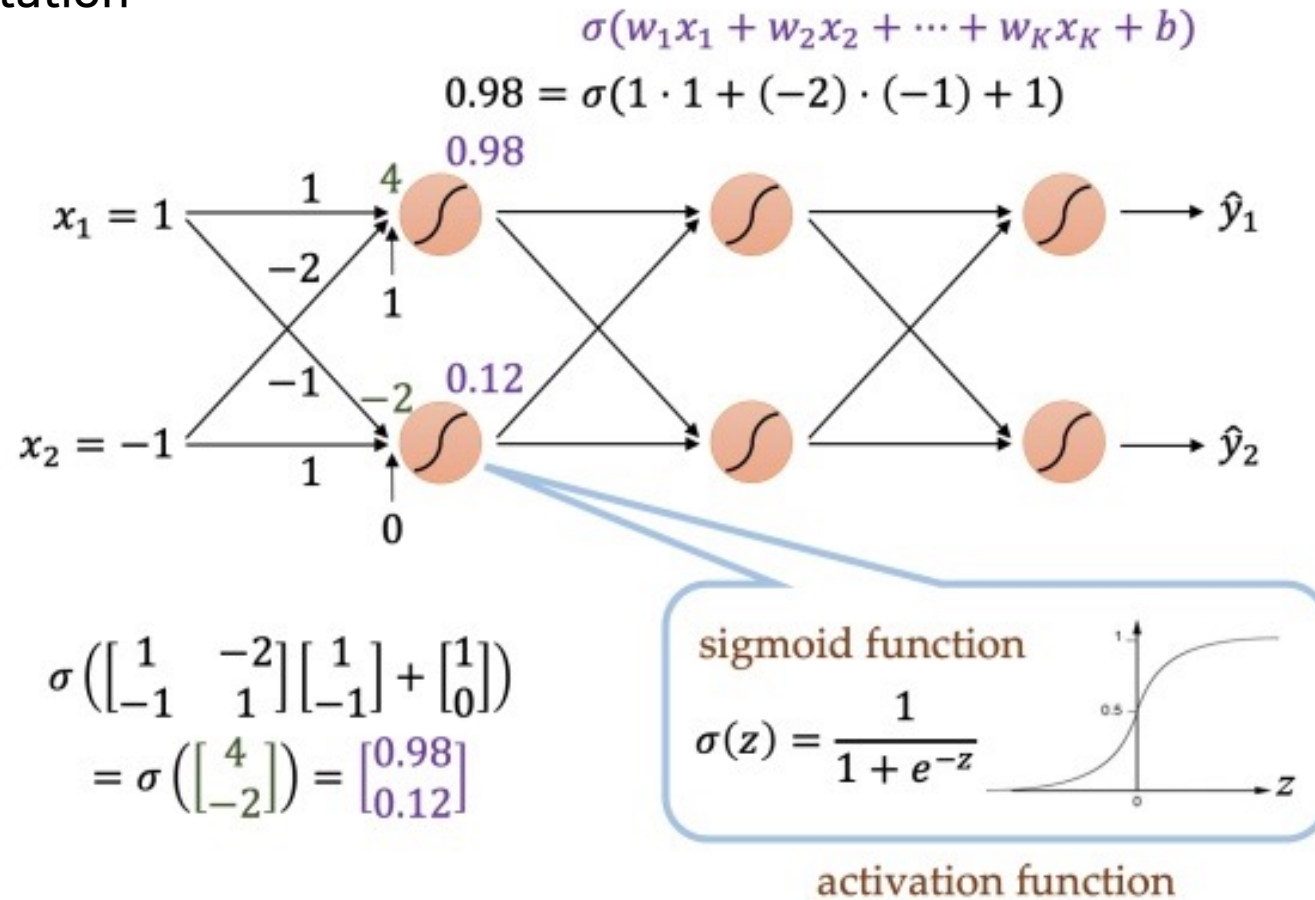
Increase in # of **hidden units** -> increase in # of **parameters**  
-> increase in # of **regions** -> increase in # of **patterns a function can represent**

# 03 Factors of Deep Learning

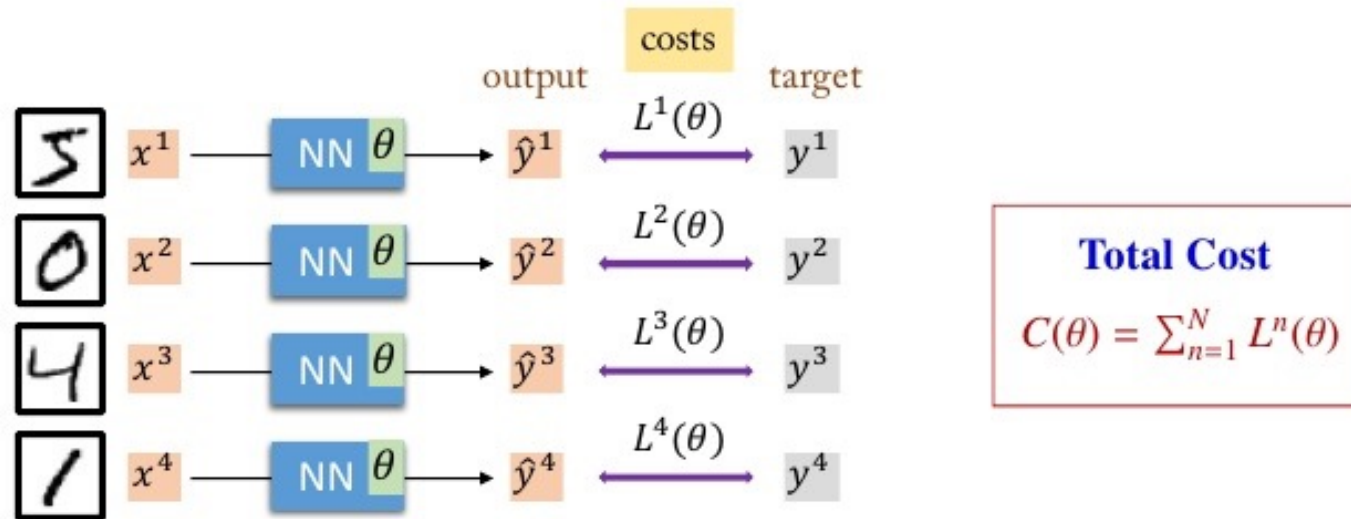
## 3-1. Deep Learning Training Cycle



### Forward Pass computation

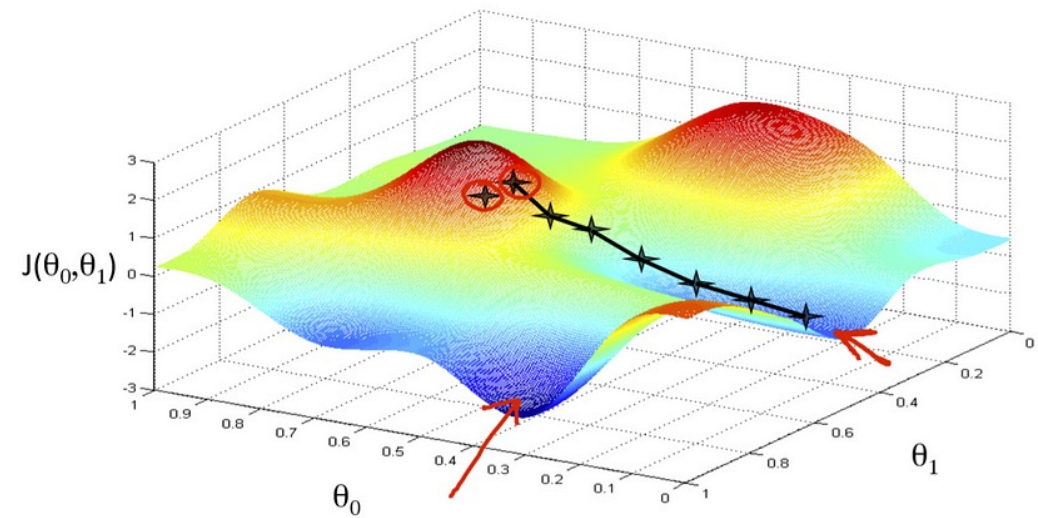
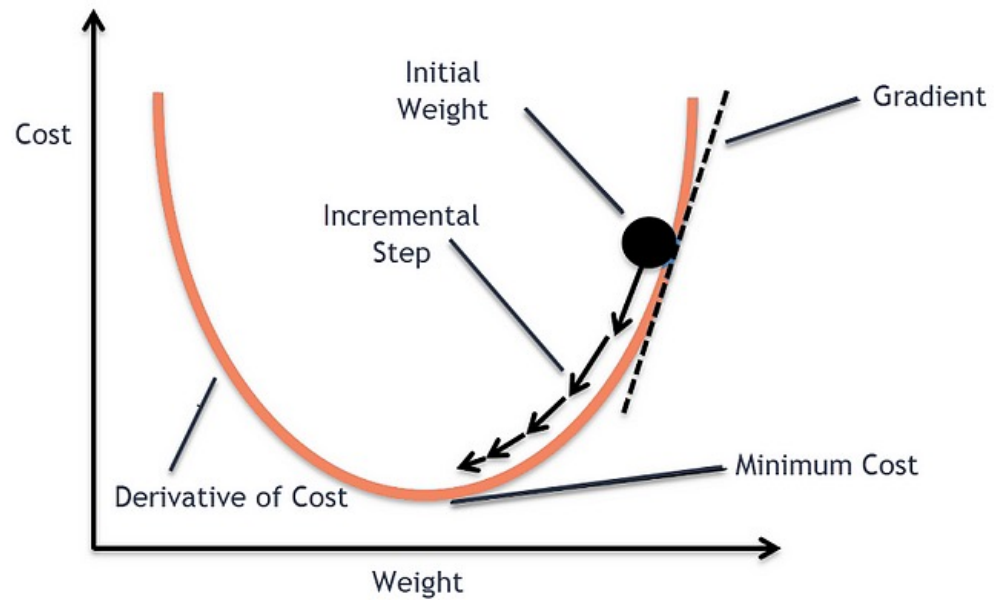


### Total Cost



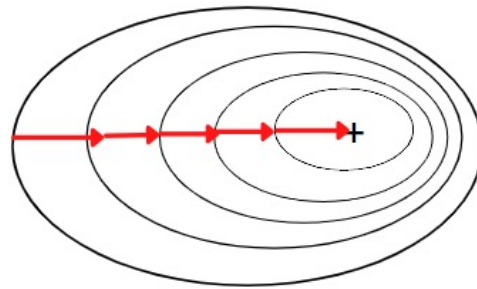
Total cost를 minimize하는 network parameter 찾기

## 3-4. Gradient Descent

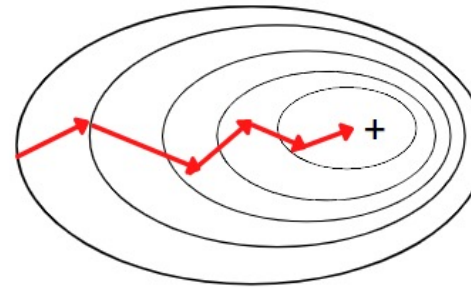


## 3-4. Gradient Descent

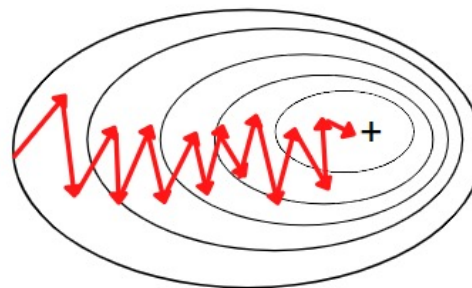
**Batch Gradient Descent**



**Mini-Batch Gradient Descent**

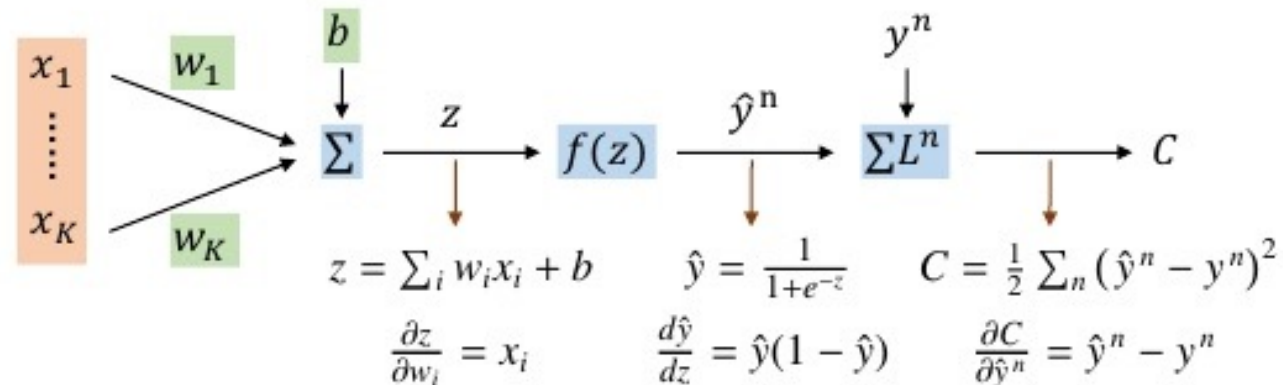


**Stochastic Gradient Descent**



## 3-5. Backpropagation

$$w_i(t+1) = w_i(t) - \eta \frac{\partial C}{\partial w_i}$$



$$\frac{\partial C}{\partial w_i} = \sum_{n=1}^N \frac{\partial z^n}{\partial w_i} \frac{d\hat{y}^n}{dz^n} \frac{\partial C}{\partial \hat{y}^n} = \sum_{n=1}^N x_i^n \hat{y}^n (1 - \hat{y}^n) (\hat{y}^n - y^n)$$

Chain rule



## 04 과제 및 팀 빌딩 안내

## 4-1. 예습과제, 복습과제

1주차  
복습과제1

Pytorch 기본 익히기 code

1주차  
복습과제2

내용 복습 / 추론

1주차  
예습과제1

텍스트 전처리 +  
워드클라우드 code

1주차  
예습과제2

Word2vec code



코드과제의 파일형식은 ipynb로, KUBIG 25-2 Github repo에 업로드 될 예정입니다!  
Colab 환경에서 제작된 과제들이므로 **google colab**에서 실행하시는 것을 권장드립니다.



### KUBIG Contest Team Build

21기 강서연 강준석 김동욱 김수환 원아현 윤채영 은지현  
22기 김종현 백서현 신지민

금일 세션이 종료된 후, **관심 분야 투표 공지** 예정.  
구글 폼으로 수요 조사 후 관심분야에 따라 팀 분할.

WEEK2 세션 시간에 팀 빌딩 결과 공지 예정.

수고하셨습니다 !